

15 February 2021

Architectural Railing Division
C.R.Laurence Co., Inc.
2503 E Vernon Ave.
Los Angeles, CA 90058

SUBJ: ARS – ALUMINUM RAILING, PICKET, INFILL PANEL AND CABLE
SYSTEMS
SERIES 100, 200, 300, 350 AND 400 SERIES SYSTEMS

The ARS Aluminum Railing System utilizes aluminum extrusions to construct building guards and rails for decks, balconies, stairs, fences and similar locations. The system is intended for interior and exterior weather exposed applications and is suitable for use in all natural environments. The ARS may be used for residential, commercial and industrial applications. The ARS is an engineered system designed for the following criteria:

The design loading conditions are:

On Top Rail:

Concentrated load = 200 lbs any direction, any location

Uniform load = 50 plf, perpendicular to rail

On In-fill Panels:

Concentrated load = 50# on one sf.

Distributed load = 25 psf on area of in-fill, including spaces

Wind load = To be determined based on infill

Refer to IBC Section 1607.8.1

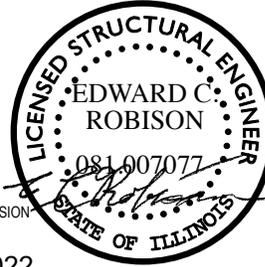
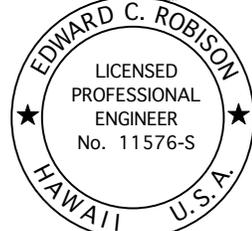
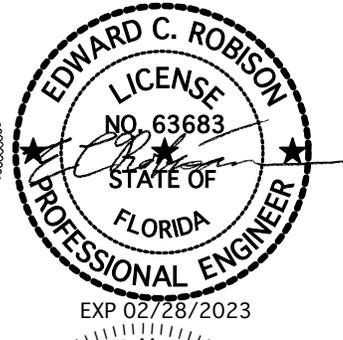
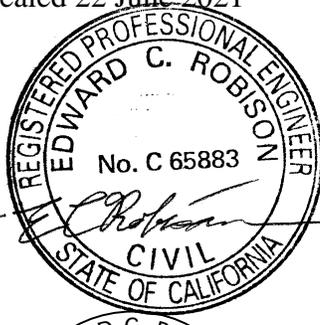
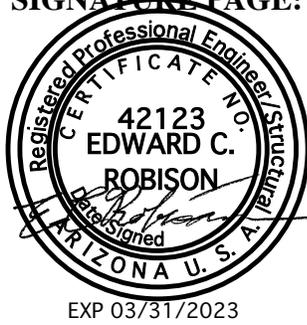
The ARS system will meet all applicable requirements of the 2006, 2009, 2012, 2015 and 2018 International Building Codes and International Residential Codes, 2010, 2013 and 2016 California Building and Residential Codes, Florida Building Code and other state codes adopting these versions of the IBC and IRC. Aluminum components are designed per 2015 Aluminum Design Manual unless noted otherwise herein. Stainless steel components are designed in accordance with SEI/ASCE 8-02 *Specification for the Design of Cold-Formed Stainless Steel Structural Members* or AISC Design Guide 27 *Structural Stainless Steel* as applicable. Wood components and anchorage to wood are designed in accordance with the *National Design Specification for Wood Construction*. The ARS system meets the requirements of ASTM E 985-00 *Standard Specification for Permanent Metal Railing Systems and Rails for Buildings* and ICC AC273 *Acceptance Criteria for Handrails and Guards*. The Specifier/project proponent is responsible for verifying that an installation complies with these recommendations and applicable codes for the specific project conditions and installation parameters. This report may be used in support of project specific evaluations but must not be used in place of a project specific review.

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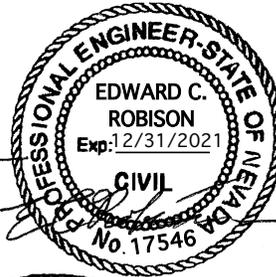
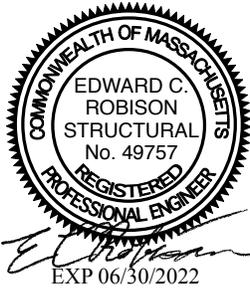
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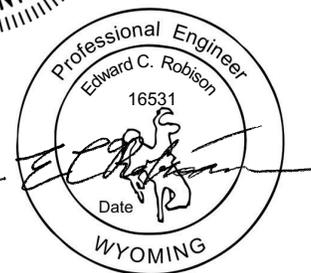
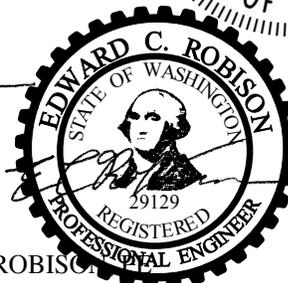
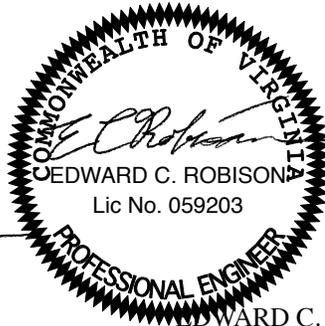
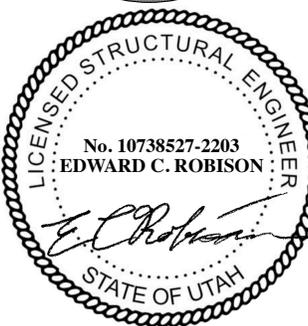
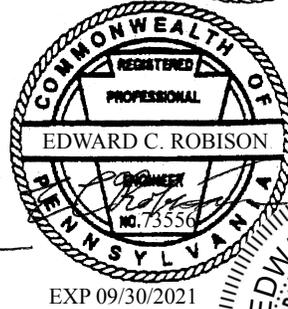
THIS WORK WAS PREPARED BY ME OR UNDER MY SUPERVISION

Signature: *E. C. Robison*
 Expiration Date of the License: 04/30/2022

Professional Certification: I hereby certify that these documents were prepared or approved by me, and that I am a duly licensed professional engineer under the laws of the State of Maryland, License No. 52500, Expiration Date: 04/09/2022



STATE OF MINNESOTA
 I hereby certify that this plan, specification, or report was prepared by me or under my direct supervision and that I am a duly Licensed Professional Engineer under the laws of the State of Minnesota.
 Signature: *E. C. Robison* Typed or printed name: Edward C. Robison
 Date: _____ Lic. No. 58604



LOAD CASES:

Picket rail Dead load = 5 plf for 42" rail height or less.

Loading:

Horizontal load to top rail from in-fill:

$$25 \text{ psf} * H/2$$

Post moments

$$M_i = 25 \text{ psf} * H/2 * S * H = \\ = (25/2) * S * H^2$$

For top rail loads:

$$M_c = 200\# * H$$

$$M_u = 50\text{plf} * S * H$$

For wind load surface area:

Pickets 3/4" wide by 4" on center

Top rail = 3" maximum

Post = 2.375"

Area for typical 4' section by 42" high:

$$42'' * 2.375'' + 3'' * 48'' + 1.7'' * 45.625''$$

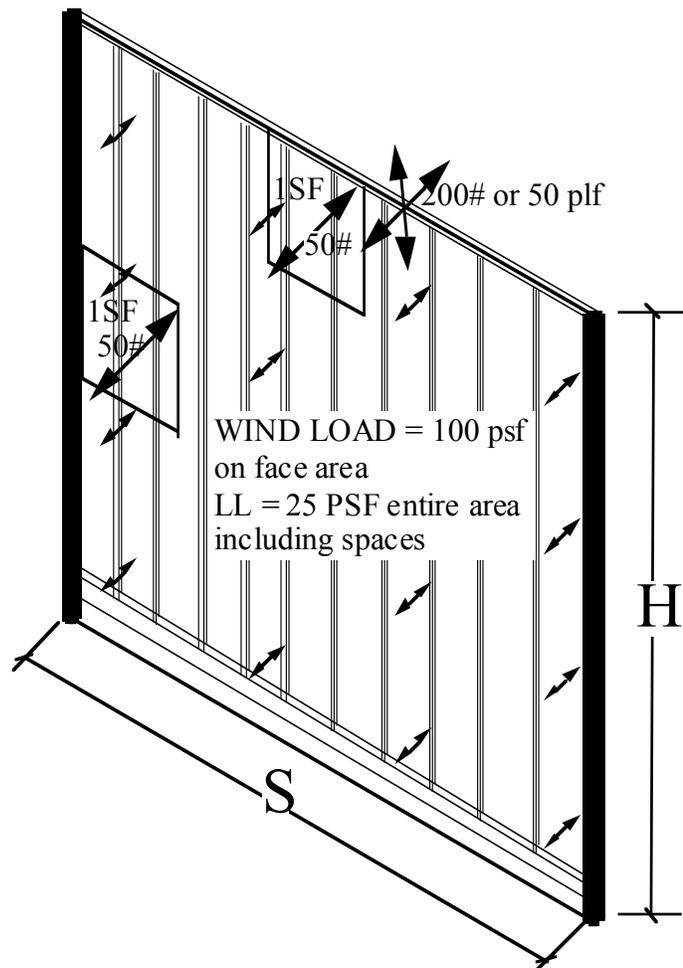
$$+ 0.75 * 36 * 11 = 618.3 \text{ in}^2$$

$$\% \text{ surface/area} = 618.3 / (48'' * 42'') =$$

$$30.67\%$$

Wind load for 25 psf equivalent load =

$$25 / 0.3067 = 81.5 \text{ psf}$$

**NOTES ON ASTM E 985-00:**

The loads given in ASTM E985-00 section 7 are test loads not allowable or service loads. The greatest test load of 365# concentrated load is less than the 500# ultimate load to which the 200# concentrated design live load in these calculations equates.

Compliance with ASTM E 985-00 while not directly demonstrated by testing is inferred from these calculations since all component strengths and applicable deflections are demonstrated as adequate to meet all testing criteria.

The test loads listed in ASTM E 985-00 do not meet the test load requirements of IBC 1709 or ICC AC273 *Acceptance Criteria For Handrails and Guards*. The engineering herein demonstrates the system has adequate strength to meet the test loads in IBC 1709 and AC273.

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POSTS

All ARS posts are extruded 6061-T6 aluminum or 6005A-T61. First, basic performance criteria for each post are listed below. Then, more specific performance criteria is shown with the supporting calculations on the following pages. Lastly, detailed sectional properties and moment strength calculations are shown for each post in accordance with the 2015 or 2020 ADM.

Basic Performance Criteria:

4 screw 2-3/8" square post

Allowable post moment, $M_{a,x} = 17,100''\#$

Second moment of area, $I_x = 0.871\text{in}^4$

Handles top rail live loading at 60" tall with 66" post spacing or 54" tall with 72" post spacing.

6 screw 2-3/8" square post

Allowable post moment, $M_{a,x} = 19,500''\#$

Second moment of area, $I_x = 0.997\text{in}^4$

Handles top rail live loading at 60" tall with 72" post spacing.

Heavy 2-3/8" square post

Allowable post moment, $M_{a,x} = 26,200''\#$

Second moment of area, $I_x = 1.264\text{in}^4$

Handles top rail live loading at 60" tall with 72" post spacing.

135° corner post

Does not limit performance criteria below any of the 2-3/8" square posts. Note that the 135° post connection to the baseplate will control the allowable spacing when the six screw posts are used as the intermediate posts.

4" square post

Allowable post moment, $M_{a,x} = 49,500''\#$

Second moment of area, $I_x = 5.48\text{in}^4$

Handles top rail live loading at 60" tall with 72" post spacing.

Trim Line post

Allowable post moment, $M_{a,x} = 10,400''\#$

Second moment of area, $I_x = 0.524\text{in}^4$

Handles top rail live loading at 42" tall with 59" post spacing.

Guard Rail Post Design

System: ARS
 Post: 4 screw post

Post Properties:

E (psi) 10100000
 I (in⁴) 0.871
 Ma (in-lbs) 17100
 Δa H/12

Load Cases:

200# concentrated load at top of post

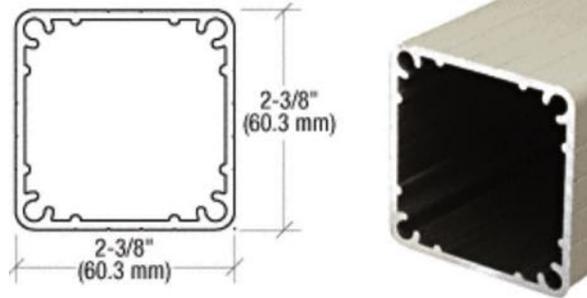
$M = 200\# * H$
 $H_{max} = Ma / 200\# < (\Delta a * 3EI / 200\#)^{1/3}$
 Hmax 85.5
 Δ at H=42" 0.56145775

50plf uniform load along top rail

$M = 50plf / 12 * TW * H$
 $TW_{max} = Ma / (H * 50plf / 12) < \Delta a * 3EI / (H^3 * 50plf / 12)$

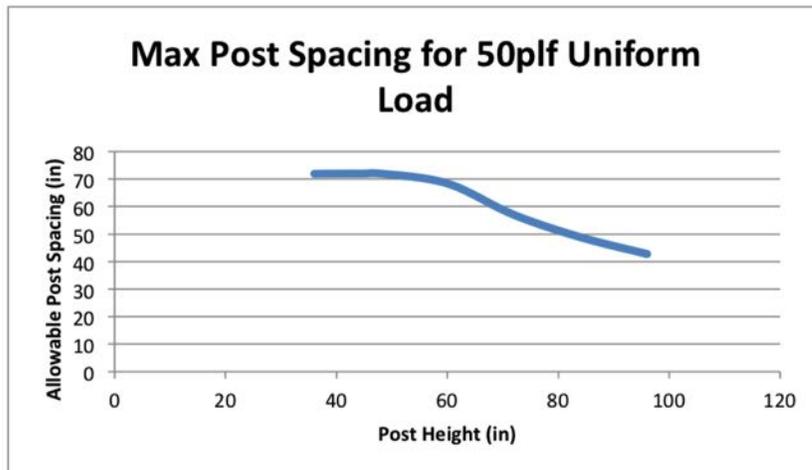
Allowable post height with respect to post spacing:

Post Height (in)	Max Spacing (in)
36	72
42	72
45	72
48	72
60	68.4
72	57
84	48.85714286
96	42.75



Detailed calculations for this post are on pages 17 - 19

Note on shear in posts:
 As shear loads carried on the web elements and the flange elements provide the primary bending resistance the interaction of shear and bending need not be checked on any of the posts in accordance with ADM H.3.1



Wind Load

$$M = P/144 * TW * H^2/2$$

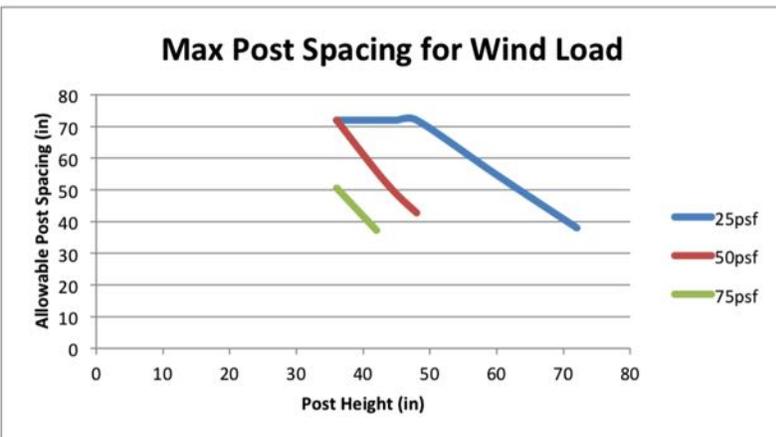
$$TW_{max} = 2 * Ma / (H^2 * P/144) < \Delta a * 3EI / (H^3 * P/144 * H/2)$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Max Spacing (in)
36	72
42	72
45	72
48	72
60	54.72
72	38
84	<36"
96	<36"

P= 50psf	
Post Height (in)	Max Spacing (in)
36	72
42	55.83673469
45	48.64
48	42.75
60	<36"
72	<36"
84	<36"
96	<36"

P= 75psf	
Post Height (in)	Max Spacing (in)
36	50.66666667
42	37.2244898
45	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"



Guard Rail Post Design

System: ARS
 Post: 6 screw post

Post Properties:

E (psi) 10100000
 I (in⁴) 0.997
 Ma (in-lbs) 19500
 Δa H/12

Load Cases:

200# concentrated load at top of post

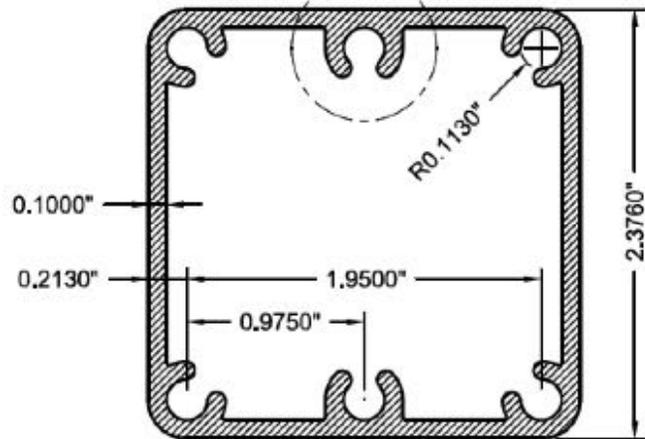
$M = 200\# * H$
 $H_{max} = Ma / 200\# < (\Delta a * 3EI / 200\#)^{1/3}$
 Hmax >96"
 Δ at H=42" 0.49050121

50plf uniform load along top rail

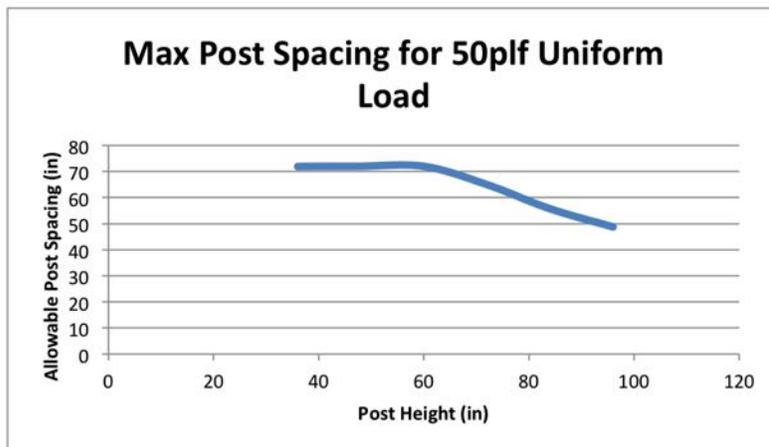
$M = 50plf / 12 * TW * H$
 $TW_{max} = Ma / (H * 50plf / 12) < \Delta a * 3EI / (H^3 * 50plf / 12)$

Allowable post height with respect to post spacing:

Post Height (in)	Max Spacing (in)
36	72
42	72
45	72
48	72
60	72
72	65
84	55.71428571
96	48.75



Detailed calculations for this post are on pages 20 - 25



Wind Load

$$M = P/144 * TW * H^2/2$$

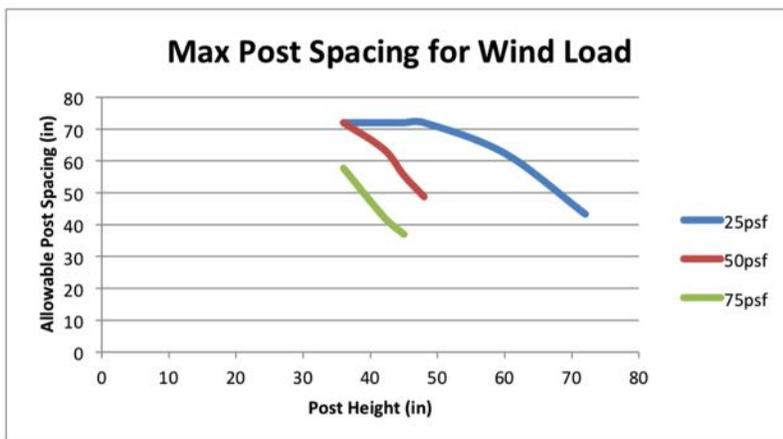
$$TW_{max} = 2 * Ma / (H^2 * P/144) < \Delta a * 3EI / (H^3 * P/144 * H/2)$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Max Spacing (in)
36	72
42	72
45	72
48	72
60	62.4
72	43.33333333
84	<36"
96	<36"

P= 50psf	
Post Height (in)	Max Spacing (in)
36	72
42	63.67346939
45	55.46666667
48	48.75
60	<36"
72	<36"
84	<36"
96	<36"

P= 75psf	
Post Height (in)	Max Spacing (in)
36	57.77777778
42	42.44897959
45	36.97777778
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"



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Guard Rail Post Design

System: ARS
 Post: 6 screw strong post

Post Properties:

E (psi) 10100000
 I (in⁴) 1.26
 Ma (in-lbs) 26200
 Δa H/12

Load Cases:

200# concentrated load at top of post

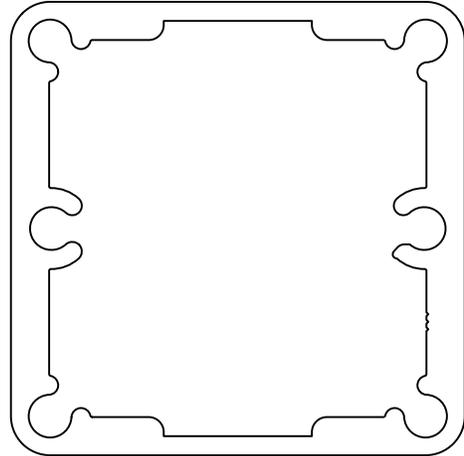
$M = 200\#*H$
 $H_{max} = Ma/200\# < (\Delta a * 3EI/200\#)^{1/3}$
 Hmax 120
 Δ at H=42" 0.38811881

50plf uniform load along top rail

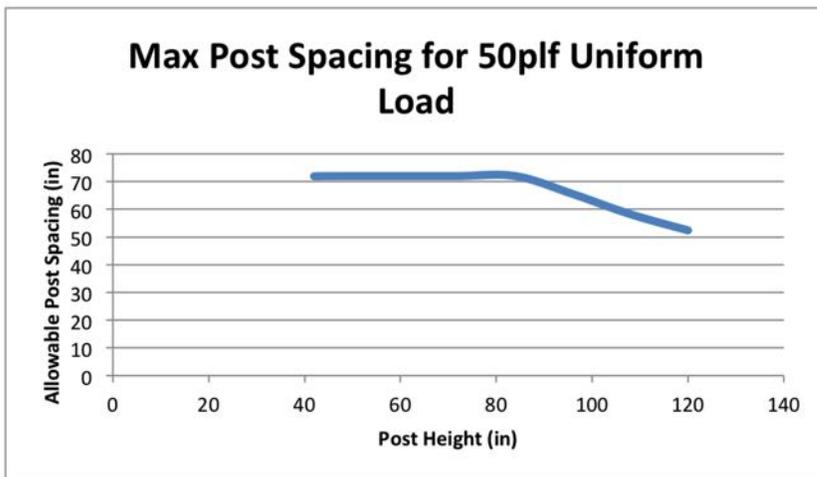
$M = 50plf/12 * TW * H$
 $TW_{max} = Ma / (H * 50plf/12) < \Delta a * 3EI / (H^3 * 50plf/12)$

Allowable post height with respect to post spacing:

Post Height (in)	Max Spacing (in)
42	72
48	72
60	72
72	72
84	72
96	65.5
108	58.22222222
120	52.4



Detailed calculations for this post are on pages 26 - 29



Wind Load

$$M = P/144 * TW * H^2/2$$

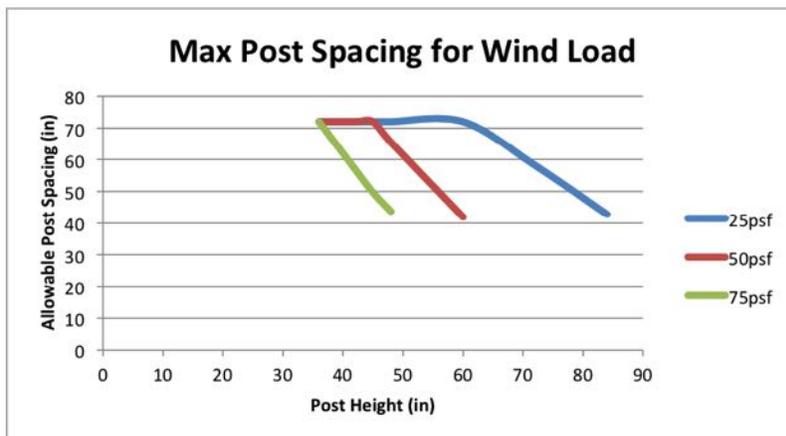
$$TW_{max} = 2 * Ma / (H^2 * P/144) < \Delta a * 3EI / (H^3 * P/144 * H/2)$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Max Spacing (in)
36	72
42	72
45	72
48	72
60	72
72	58.22222222
84	42.7755102
96	<36"

P= 50psf	
Post Height (in)	Max Spacing (in)
36	72
42	72
45	72
48	65.5
60	41.92
72	<36"
84	<36"
96	<36"

P= 75psf	
Post Height (in)	Max Spacing (in)
36	72
42	57.03401361
45	49.68296296
48	43.66666667
60	<36"
72	<36"
84	<36"
96	<36"



Guard Rail Post Design

System: ARS
 Post: 4" post

Post Properties:

E (psi) 10100000
 I (in⁴) 5.48
 Ma (in-lbs) 49500
 Δa H/48

Load Cases:

200# concentrated load at top of post

$M = 200\# * H$

$H_{max} = Ma / 200\# < (\Delta a * 3EI / 200\#)^{1/3}$

Hmax 131.513998

Δ at H=42" 0.089239

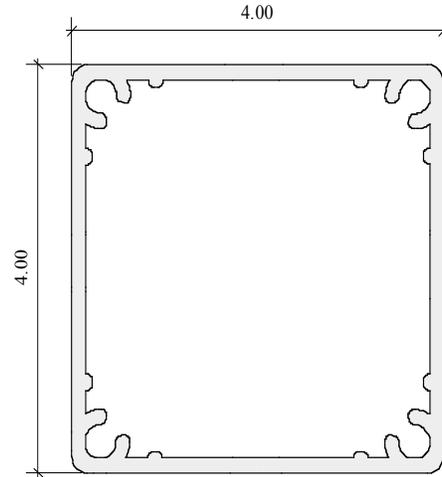
50plf uniform load along top rail

$M = 50plf / 12 * TW * H$

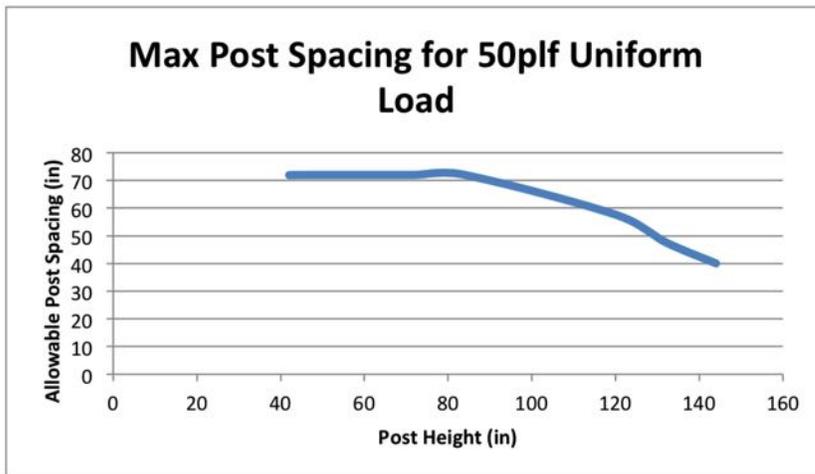
$TW_{max} = Ma / (H * 50plf / 12) < \Delta a * 3EI / (H^3 * 50plf / 12)$

Allowable post height with respect to post spacing:

Post Height (in)	Max Spacing (in)
42	72
48	72
60	72
72	72
84	72
120	57.65416667
132	47.64807163
144	40.03761574



Detailed calculations for this post are on pages 34 - 35



Wind Load

$$M = P/144 * TW * H^2 / 2$$

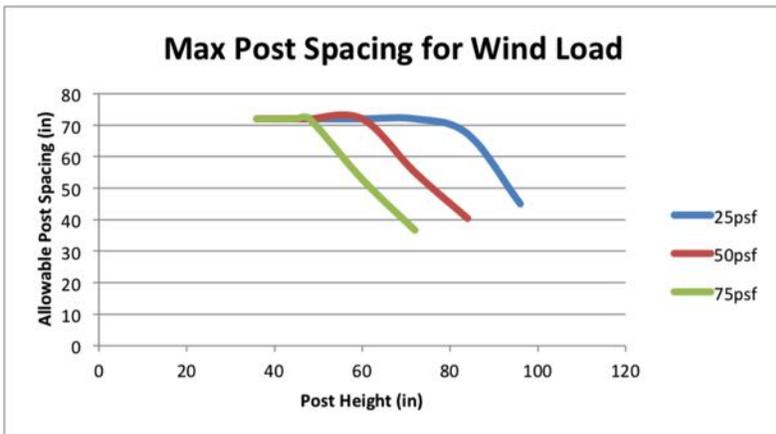
$$TW_{max} = 2 * Ma / (H^2 * P / 144) < \Delta a * 3EI / (H^3 * P / 144 * H / 2)$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Max Spacing (in)
36	72
42	72
45	72
48	72
60	72
72	72
84	67.23517979
96	45.04231771

P= 50psf	
Post Height (in)	Max Spacing (in)
36	72
42	72
45	72
48	72
60	72
72	55
84	40.40816327
96	<36"

P= 75psf	
Post Height (in)	Max Spacing (in)
36	72
42	72
45	72
48	72
60	52.8
72	36.66666667
84	<36"
96	<36"



Guard Rail Post Design

System: ARS
 Post: Trimline Post

Post Properties:

E (psi) 10100000
 I (in⁴) 0.524
 Ma (in-lbs) 10400
 Δa H/12

Load Cases:

200# concentrated load at top of post

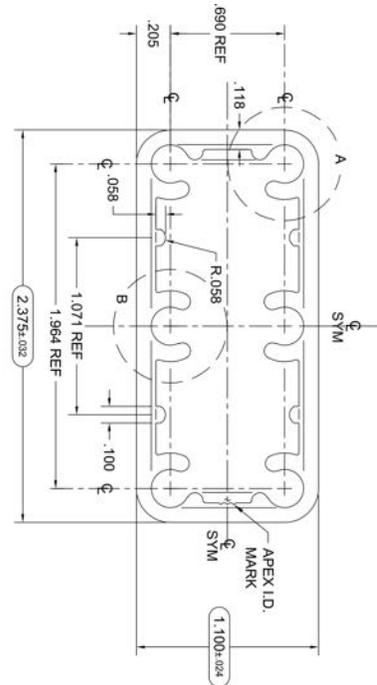
$M = 200\# * H$
 $H_{max} = Ma / 200\# < (\Delta a * 3EI / 200\#)^{1/3}$
 Hmax 52
 Δ at H=42" 0.93326279

50plf uniform load along top rail

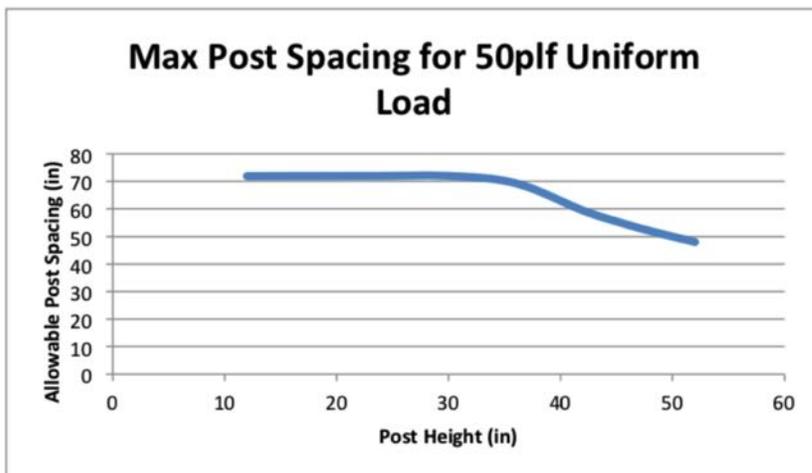
$M = 50plf / 12 * TW * H$
 $TW_{max} = Ma / (H * 50plf / 12) < \Delta a * 3EI / (H^3 * 50plf / 12)$

Allowable post height with respect to post spacing:

Post Height (in)	Max Spacing (in)
12	72
24	72
30	72
36	69.33333333
42	59.42857143
45	55.46666667
48	52
52	48



Detailed calculations for this post are on pages 36 - 40



Wind Load

$$M = P/144 * TW * H^2 / 2$$

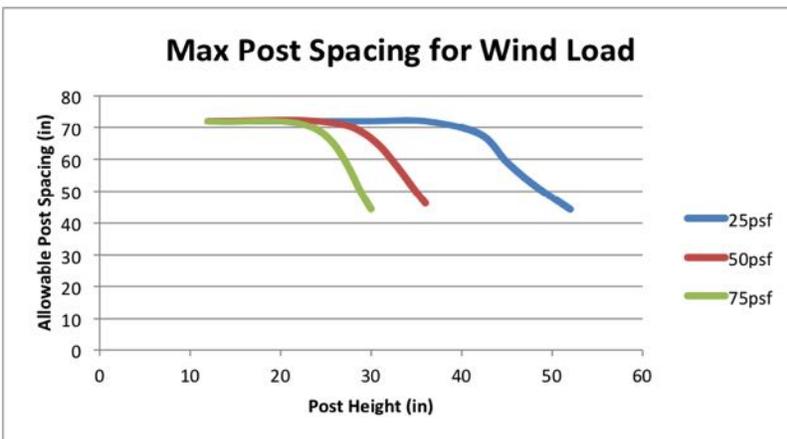
$$TW_{max} = 2 * Ma / (H^2 * P / 144) < \Delta a * 3EI / (H^3 * P / 144 * H / 2)$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Max Spacing (in)
12	72
24	72
30	72
36	72
42	67.91836735
45	59.16444444
48	52
52	44.30769231

P= 50psf	
Post Height (in)	Max Spacing (in)
12	72
24	72
30	66.56
36	46.22222222
42	<36"
45	<36"
48	<36"
52	<36"

P= 75psf	
Post Height (in)	Max Spacing (in)
12	72
24	69.33333333
30	44.37333333
36	<36"
42	<36"
45	<36"
48	<36"
52	<36"



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135° Post

Detailed calculations for this post are on pages 30 - 33

Weak axis moment strength,

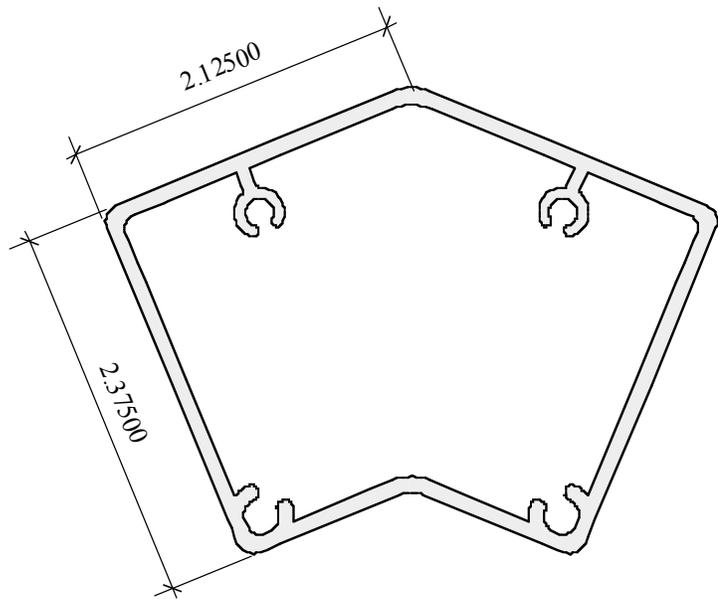
$$M_{a,y} = 22,200''\#$$

Strong axis moment strength,

$$M_{a,x} = 27,000''\#$$

A SCIA model of one corner post and a six screw post on each side was created to determine how loading is shared with the adjacent posts. The posts are 42" tall and spaced 72" on center. The 50plf live load was checked normal to the top rail or normal to the weak axis of the corner post. The loading to the corner post is highest when it is normal to its weak axis. The baseplate moment was

found to be 10,500''#. Note that for a long run of intermediate posts the baseplate moment would be assumed to be $50\text{plf} \times 6' \times 42'' = 12,600''\#$. This is a reduction of 16.7%. Therefore, the 135° will only control allowable spacing if the intermediate post strength is greater than $22,200''\# / 0.833 = 26,700''\#$. Note that none of the 2-3/8" post develop this strength. Therefore, the 135° post does not limit post spacing for any of the 2-3/8" square posts. However, the anchorage detail may limit post spacing if the anchorage method for the 135° post is different than for the other posts.



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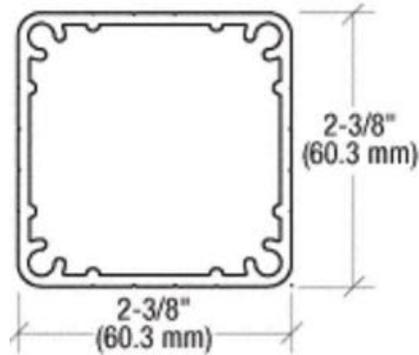
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2-3/8” Square 4 Screw Post

6061-T6 Aluminum extrusion

The bending strength about each axis of the 4 screw post is the same. Note the strength of the post will be limited by the connection to the baseplate.



Post shear strength:

All shear is assumed as carried by the web elements. In accordance with ADM G.2 the web shear strength is:

$$V_a = V_n / \Omega = F_{su} A_n / k_t / \Omega$$

$F_{su} = 15 \text{ ksi}$ and $k_t = 1.0$ for 6061-T6 or 6005A-T61

$V_a = [15 \text{ ksi} * 2 * (2.12 * 0.1) / 1] / 1.95 = 3,262 \#$ As this greatly exceeds any potential shear loading on any post for any proposed use in this report further checking of post shear is needed.

Aluminum Extrusion Flexural Design

Aluminum extrusion strength is according to ADM 2020.

System	ARS
Extrusion	4 Screw post

Section Properties

Ix (in4)	0.871
Sx (in3)	0.733
Zx (in3)	0.877
Iy (in4)	0.871
J (in4)	1.178
b	1.562
t	0.1

Cw (in6)	0
βx (in)	0
g0 (in)	0

Aluminum Properties

Alloy:	6061-T6
Fu (ksi)	38
Fy (ksi)	35
E (ksi)	10100
Cc	66

Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

λ	15.62 =	b/t	
λ_1	20.8		
λ_2	33		
F/Ω (ksi)	21.2 =	21.2	for $\lambda < \lambda_1$
		27.3-.291 λ	for $\lambda_1 < \lambda < \lambda_2$
		580/ λ	for $\lambda_2 < \lambda$

For $\lambda < \lambda_1$, local buckling does not apply and the moment strength is calculated as the minimum of Zfy/Ω or $1.5SFy/\Omega$

Mn/Ω (in-lbs) 18592 = $F/\Omega * 1000(\text{kips/lbs}) * \min(Zx \text{ or } 1.5Sx)$

Rupture Strength

F_u/Ω	19.4871795	
Z_{net}	0.877	
Mn/Ω (in-lbs)	17090.2564 =	$Z_{net} * F_u/\Omega * 1000 \text{kips/lbs}$

Lateral Torsional Buckling:

L_b (in)	42	
C_b	1.3	
C_1	0.5	C_2 0.5
U (in)	0 =	$C_1 * g_0 - C_2 * \theta_x / 2$
M_e	609.240411 =	See 2015 ADM F.4-9
λ	10.9513635 =	$2.3(L_b * S_x / (I_y * J))^{0.5} \wedge 0.5$
$\lambda < C_c$, inelastic buckling applies		
M_{nmb} (in-kip)	28.3850957 =	$M_p(1 - \lambda/C_c) + \pi^2 * E * \lambda * S_x / C_c^3$
M_a (in-lbs)	17203.0883 =	$M_{nmb} / 1.65 * 1000$

Strength is controlled by rupture

M_a (in-lbs) 17090

For posts directly fascia mounted with 3/8" bolts through post:

Reduced strength at bolt hole:

For loading parallel to bolt axis:

Assume 3/8" + 1/8" over size = 1/2" holes both sides of post

$$Z_{red} = 0.7590 \text{ in}^3$$

Reduced section properties for the holes

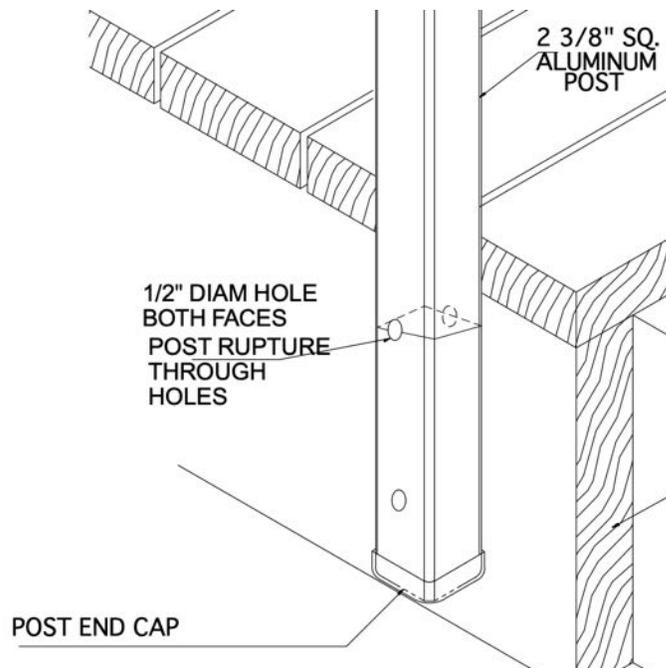
Addition of holes at base of post only affects rupture strength as the controlling failure mode at the holes.

$$M_{nu}/\Omega = ZF_u/\Omega = 0.7590 \text{ in}^3 * 38 \text{ ksi} / 1.95 = 14,800 \text{''\#} \text{ (Reduced post strength for bolt holes front and back of post)}$$

For loading perpendicular to bolt axis

$$Z_{red} = 0.8666 \text{ in}^3$$

$$M_{nu}/\Omega = ZF_u/\Omega = 0.8666 \text{ in}^3 * 38 \text{ ksi} / 1.95 = 16,900 \text{''\#} \text{ (Reduced post strength for bolt holes in sides of post)}$$

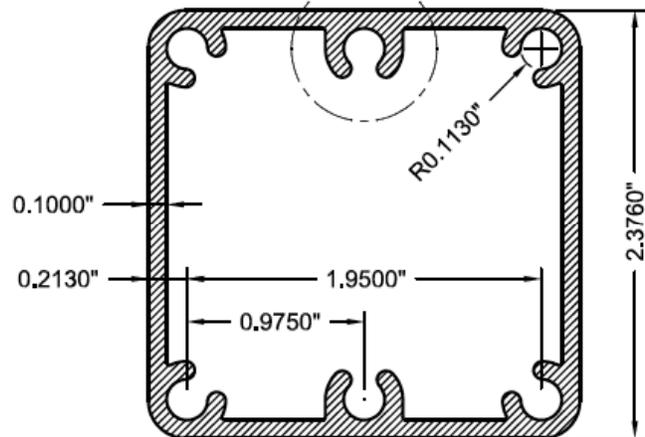


2-3/8" Square Post

6061-T6 Aluminum extrusion
 Note the strength of the post will be limited by the connection to the baseplate.

Typical installation is where the top rail runs parallel to the strong axis of the post.

First calculate moment strength about the strong axis:



Aluminum Extrusion Flexural Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
Extrusion 6 Screw post strong axis

Section Properties

Ix (in4)	0.997
Sx (in3)	0.838
Zx (in3)	1
Iy (in4)	0.889
J (in4)	1.209
b	1.597
t	0.1

Cw (in6)	0
βx (in)	0
g0 (in)	0

Aluminum Properties

Alloy:	6061-T6
Fu (ksi)	38
Fy (ksi)	35
E (ksi)	10100
Cc	66

Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

λ	15.97 =	b/t	
λ_1	20.8		
λ_2	33		
F/Ω (ksi)	21.2 =	21.2	for $\lambda < \lambda_1$
		27.3-.291 λ	for $\lambda_1 < \lambda < \lambda_2$
		580/ λ	for $\lambda_2 < \lambda$

For $\lambda < \lambda_1$, local buckling does not apply and the moment strength is calculated as the minimum of Zfy/Ω or $1.5SFy/\Omega$

Mn/Ω (in-lbs) 21200 = $F/\Omega * 1000(\text{kips/lbs}) * \min(Zx \text{ or } 1.5Sx)$

Rupture Strength

F_u/Ω	19.4871795	
Z_{net}	1	
Mn/Ω (in-lbs)	19487.1795 =	$Z_{net} * F_u/\Omega * 1000 \text{kips/lbs}$

Lateral Torsional Buckling:

L_b (in)	42	
C_b	1.3	
C_1	0.5	C_2 0.5
U (in)	0 =	$C_1 * g_0 - C_2 * \theta_x / 2$
M_e	623.549608 =	See 2015 ADM F.4-9
λ	11.5743621 =	$2.3(L_b * S_x / (I_y * J))^{0.5}$
$\lambda < C_c$, inelastic buckling applies		
M_{nmb} (in-kip)	32.225108 =	$M_p(1 - \lambda/C_c) + \pi^2 * E * \lambda * S_x / C_c^3$
M_a (in-lbs)	19530.3685 =	$M_{nmb} / 1.65 * 1000$

Strength is controlled by rupture

M_a (in-lbs) 19487

For posts directly fascia mounted with 3/8" bolts through post:

Reduced strength at bolt hole:

For loading parallel to bolt axis:

Assume 3/8" + 1/8" over size = 1/2" holes both sides of post

$$Z_{red} = 0.886 \text{ in}^3$$

Reduced section properties for the holes.

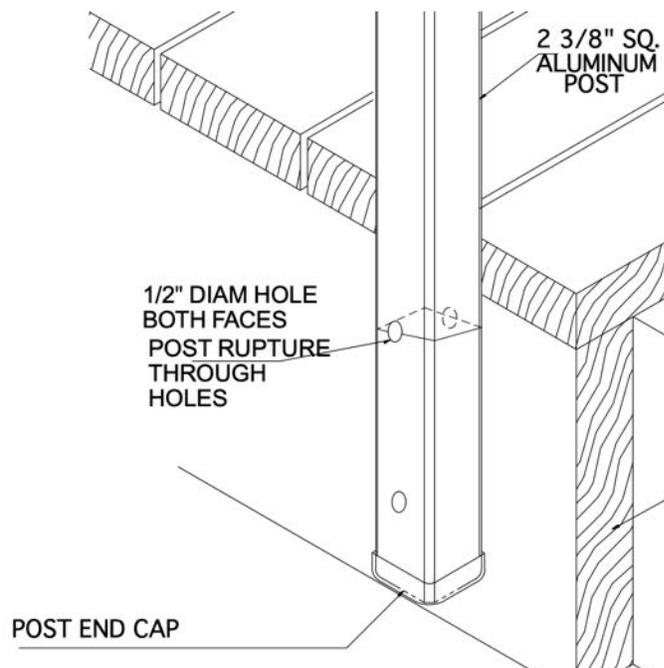
Addition of holes at base of post only affects rupture strength as the controlling failure mode at the holes.

$$M_{nu}/\Omega = ZF_u/\Omega = 0.886 \text{ in}^3 * 38 \text{ ksi} / 1.95 = 17,300 \text{''\#} \text{ (Reduced post strength for bolt holes front and back of post)}$$

For loading perpendicular to bolt axis

$$Z_{red} = 0.987 \text{ in}^3$$

$$M_{nu}/\Omega = ZF_u/\Omega = 0.987 \text{ in}^3 * 38 \text{ ksi} / 1.95 = 19,200 \text{''\#} \text{ (Reduced post strength for bolt holes in sides of post)}$$



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Next calculate moment strength about the weak axis:

Aluminum Extrusion Flexural Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
Extrusion 6 Screw post weak axis

Section Properties

Ix (in ⁴)	0.889
Sx (in ³)	0.838
Zx (in ³)	0.902
Iy (in ⁴)	0.997
J (in ⁴)	1.209
b	1.597
t	0.1

Cw (in ⁶)	0
βx (in)	0
g0 (in)	0

Aluminum Properties

Alloy:	6061-T6
Fu (ksi)	38
Fy (ksi)	35
E (ksi)	10100
Cc	66

Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

λ	15.97 =	b/t	
λ_1	20.8		
λ_2	33		
F/Ω (ksi)	21.2 =	21.2	for $\lambda < \lambda_1$
		27.3-.291 λ	for $\lambda_1 < \lambda < \lambda_2$
		580/ λ	for $\lambda_2 < \lambda$

For $\lambda < \lambda_1$, local buckling does not apply and the moment strength is calculated as the minimum of Zfy/Ω or $1.5SFy/\Omega$

Mn/Ω (in-lbs) 19122 = $F/\Omega * 1000(\text{kips/lbs}) * \min(Zx \text{ or } 1.5Sx)$

Rupture Strength

Fu/Ω	19.4871795	
Znet	0.902	
Mn/Ω (in-lbs)	17577.4359 =	$Znet * Fu/\Omega * 1000\text{kips/lbs}$

Lateral Torsional Buckling:

Lb (in)	42	
Cb	1.3	
C1	0.5	C2 0.5
U (in)	0 =	$C1 * g0 - C2 * \theta x / 2$
Me	660.340157 =	See 2015 ADM F.4-9
λ	11.2473113 =	$2.3(Lb * Sx / (Iy * J)^{0.5})^{0.5}$
<i>λ < Cc, inelastic buckling applies</i>		
Mnmb (in-kip)	29.4580361 =	$Mp(1 - \lambda/Cc) + \pi^2 * E * I * Sx / Cc^3$
Ma (in-lbs)	17853.3552 =	$Mnmb / 1.65 * 1000$

Strength is controlled by rupture

Ma (in-lbs) **17577**

For posts directly fascia mounted with 3/8" bolts through post:

Reduced strength at bolt hole:

For loading parallel to bolt axis:

Assume 3/8" + 1/8" over size = 1/2" holes both sides of post

$$Z_{red} = 0.788 \text{ in}^3$$

Reduced section properties for the holes

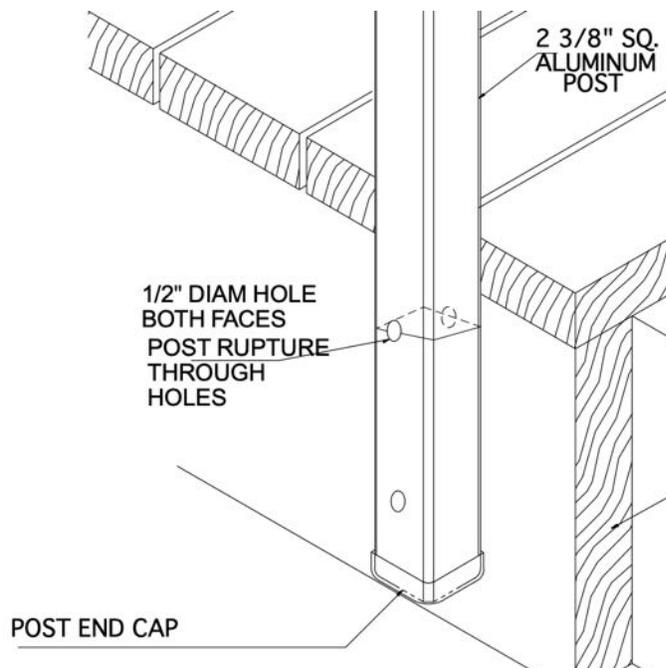
Addition of holes at base of post only affects rupture strength as the controlling failure mode at the holes.

$$M_{nu}/\Omega = ZF_u/\Omega = 0.788 \text{ in}^3 * 38 \text{ ksi} / 1.95 = 15,400 \text{''\#} \text{ (Reduced post strength for bolt holes front and back of post)}$$

For loading perpendicular to bolt axis

$$Z_{red} = 0.889 \text{ in}^3$$

$$M_{nu}/\Omega = ZF_u/\Omega = 0.889 \text{ in}^3 * 38 \text{ ksi} / 1.95 = 17,300 \text{''\#} \text{ (Reduced post strength for bolt holes in sides of post)}$$



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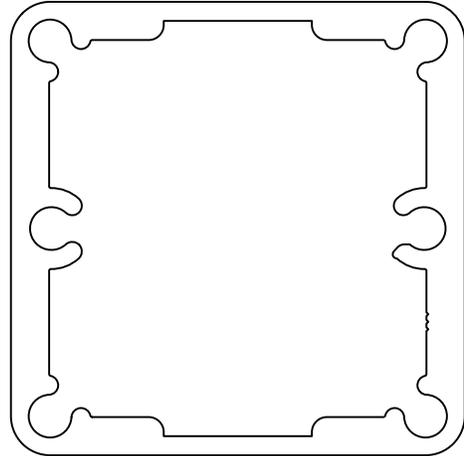
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Heavy Post

6061-T6 Aluminum

Heavy posts are typically used for cable rail corner and end posts that receive high cable loading. Typical installation is so that the strong axis is parallel with the top rail and cables run through the thinner portion of the wall.

First calculate moment strength about the strong axis:



Aluminum Extrusion Flexural Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
Extrusion Heavy Post Strong Axis

Section Properties

Ix (in4)	1.264
Sx (in3)	1.006
Zx (in3)	1.347
Iy (in4)	1.076
J (in4)	2.34
b	1.597
t	0.1

Cw (in6)	0
βx (in)	0
g0 (in)	0

Aluminum Properties

Alloy:	6061-T6
Fu (ksi)	38
Fy (ksi)	35
E (ksi)	10100
Cc	66

Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

λ	15.97 =	b/t	
λ_1	20.8		
λ_2	33		
F/Ω (ksi)	21.2 =	21.2	for $\lambda < \lambda_1$
		27.3-.291 λ	for $\lambda_1 < \lambda < \lambda_2$
		580/ λ	for $\lambda_2 < \lambda$

For $\lambda < \lambda_1$, local buckling does not apply and the moment strength is calculated as the minimum of Zfy/Ω or $1.5SFy/\Omega$

Mn/Ω (in-lbs) 28556 = $F/\Omega * 1000(\text{kips/lbs}) * \min(Zx \text{ or } 1.5Sx)$

Rupture Strength

F_u/Ω	19.4871795	
Z_{net}	1.347	
Mn/Ω (in-lbs)	26249.2308 =	$Z_{net} * F_u/\Omega * 1000 \text{kips/lbs}$

Lateral Torsional Buckling:

L_b (in)	42	
C_b	1.3	
C_1	0.5	C_2 0.5
U (in)	0 =	$C_1 * g_0 - C_2 * \theta_x / 2$
M_e	954.379372 =	See 2015 ADM F.4-9
λ	10.2505939 =	$2.3(L_b * S_x / (I_y * J)^{0.5})^{0.5}$
$\lambda < C_c$, inelastic buckling applies		
M_{nmb} (in-kip)	43.3983106 =	$M_p(1 - \lambda/C_c) + \pi^2 * E * I * S_x / C_c^3$
M_a (in-lbs)	26302.0064 =	$M_{nmb} / 1.65 * 1000$

Strength is controlled by rupture

M_a (in-lbs) 26249

Next calculate moment strength about the weak axis:

Aluminum Extrusion Flexural Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
Extrusion Heavy Post Weak Axis

Section Properties

I _x (in ⁴)	1.076
S _x (in ³)	0.8889
Z _x (in ³)	1.131
I _y (in ⁴)	1.264
J (in ⁴)	2.34
b	1.597
t	0.1

C _w (in ⁶)	0
β _x (in)	0
g ₀ (in)	0

Aluminum Properties

Alloy:	6061-T6
F _u (ksi)	38
F _y (ksi)	35
E (ksi)	10100
C _c	66

Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

λ	15.97 =	b/t	
λ_1	20.8		
λ_2	33		
F/Ω (ksi)	21.2 =	21.2	for $\lambda < \lambda_1$
		27.3 - .291 λ	for $\lambda_1 < \lambda < \lambda_2$
		580/ λ	for $\lambda_2 < \lambda$

For $\lambda < \lambda_1$, local buckling does not apply and the moment strength is calculated as the minimum of Zfy/Ω or $1.5SFy/\Omega$

Mn/Ω (in-lbs) 23977 = $F/\Omega * 1000(\text{kips/lbs}) * \min(Zx \text{ or } 1.5Sx)$

Rupture Strength

F_u/Ω	19.4871795	
Z_{net}	1.131	
Mn/Ω (in-lbs)	22040 =	$Z_{net} * F_u/\Omega * 1000 \text{kips/lbs}$

Lateral Torsional Buckling:

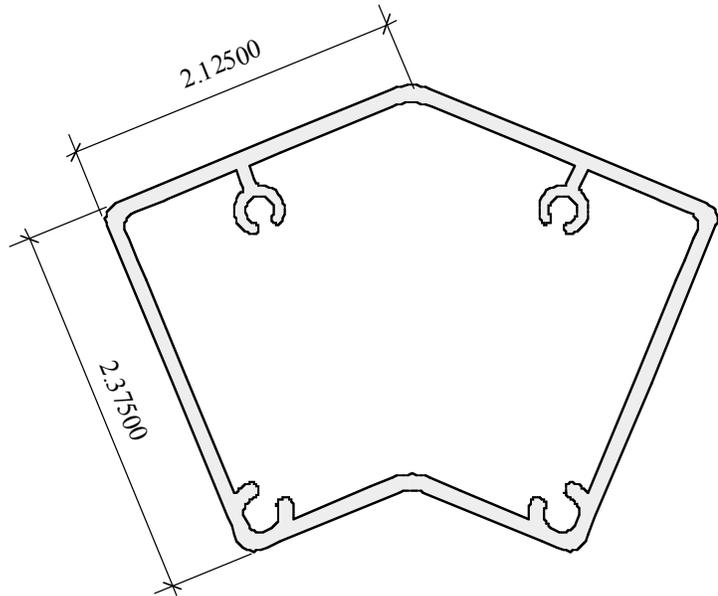
L_b (in)	42		
C_b	1.3		
C_1	0.5	C_2	0.5
U (in)	0 =	$C_1 * g_0 - C_2 * \theta_x / 2$	
M_e	1034.39984 =	See 2015 ADM F.4-9	
λ	9.2553488 =	$2.3(L_b * S_x / (I_y * J))^{0.5} / 0.5$	
$\lambda < C_c$, inelastic buckling applies			
M_{nmb} (in-kip)	36.8864557 =	$M_p(1 - \lambda/C_c) + \pi^2 * E * I_x / C_c^3$	
M_a (in-lbs)	22355.4277 =	$M_{nmb} / 1.65 * 1000$	

Strength is controlled by rupture

M_a (in-lbs) 22040

CRL 135° Post – Corner post

First calculate moment strength about the strong axis which would be a vertical line in the image to the right.



Aluminum Extrusion Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
Extrusion 135° Corner Post Strong Axis

Section Properties

Ix (in4)	1.819
Sx (in3)	0.9352
Zx (in3)	1.392
Iy (in4)	1.218
J (in4)	1.951
b	1.883
t	0.1

Cw (in6)	0.0342
βx (in)	-0.0157
g0 (in)	0

Aluminum Properties

Alloy:	6061-T6
Fu (ksi)	38
Fy (ksi)	35
E (ksi)	10100
Cc	66

Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

Support Condition

Flat element under uniform compression supported on both sides



λ 18.83 = b/t

λ_1 20.8

λ_2 33

F/Ω (ksi) 21.2 = 21.2 for $\lambda < \lambda_1$
 27.3-.291 λ for $\lambda_1 < \lambda < \lambda_2$
 580/ λ for $\lambda_2 < \lambda$

For $\lambda < \lambda_1$, local buckling does not apply and the moment strength is calculated as the minimum of Zfy/Ω or $1.5SFy/\Omega$

Mn/Ω (in-lbs) 29527 = $F/\Omega * 1000(\text{kips/lbs}) * \min(Zx \text{ or } 1.5Sx)$

Rupture Strength

Fu/Ω 19.4871795

Z_{net} 1.392

Mn/Ω (in-lbs) 27126.1538 = $Z_{net} * Fu/\Omega * 1000 \text{kips/lbs}$

Lateral Torsional Buckling:

L_b (in) 42

C_b 1.3

C_1 0.5

C_2 0.5

U (in) 0.003925 = $C_1 * g_0 - C_2 * \beta_x / 2$

M_e 927.642248 = See 2015 ADM F.4-9

λ 10.0247269 = $2.3(L_b * S_x / (I_y * J)^{0.5})^{0.5}$

$\lambda < C_c$, inelastic buckling applies

M_{nmb} (in-kip) 44.5705501 = $M_p(1 - \lambda/C_c) + \pi^2 * E * \lambda * S_x / C_c^3$

M_a (in-lbs) 27012.4546 = $M_{nmb} / 1.65 * 1000$

Strength is controlled by lateral torsional buckling

M_a (in-lbs) 27012

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Next calculate moment strength about the weak axis:

Aluminum Extrusion Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
Extrusion 135° Corner Post Weak Axis

Section Properties

I _x (in ⁴)	1.218
S _x (in ³)	0.8123
Z _x (in ³)	1.141
I _y (in ⁴)	1.819
J (in ⁴)	1.951
b	1.883
t	0.1

C _w (in ⁶)	0.0342
β _x (in)	-0.2282
g ₀ (in)	0

Aluminum Properties

Alloy:	6061-T6
F _u (ksi)	38
F _y (ksi)	35
E (ksi)	10100
C _c	66

Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

Support Condition

Flat element under uniform compression supported on both sides	
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λ	18.83 =	b/t	
λ_1	20.8		
λ_2	33		
F/Ω (ksi)	21.2 =	21.2	for $\lambda < \lambda_1$
		27.3-.291 λ	for $\lambda_1 < \lambda < \lambda_2$
		580/ λ	for $\lambda_2 < \lambda$

For $\lambda < \lambda_1$, local buckling does not apply and the moment strength is calculated as the minimum of Zfy/Ω or $1.5SFy/\Omega$

Mn/Ω (in-lbs) 24203 = $F/\Omega * 1000(\text{kips/lbs}) * \min(Zx \text{ or } 1.5Sx)$

Rupture Strength

Fu/Ω	19.4871795	
Z_{net}	1.141	
Mn/Ω (in-lbs)	22234.8718 =	$Z_{net} * Fu/\Omega * 1000 \text{kips/lbs}$

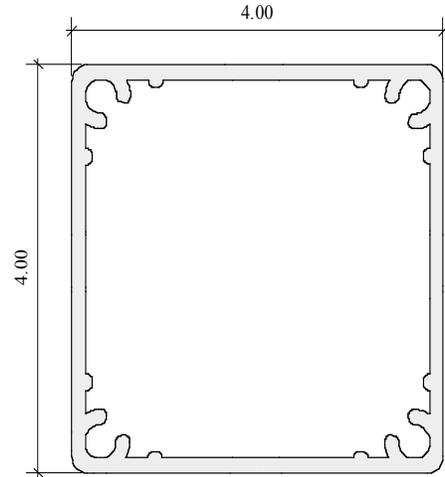
Lateral Torsional Buckling:

L_b (in)	42		
C_b	1.3		
C_1	0.5	C_2	0.5
U (in)	0.05705 =	$C_1 * g_0 - C_2 * \theta_x / 2$	
M_e	1140.85482 =	See 2015 ADM F.4-9	
λ	8.42468353 =	$2.3(L_b * S_x / (I_y * J))^{0.5} \wedge 0.5$	
$\lambda < C_c$, inelastic buckling applies			
M_{nmb} (in-kip)	37.2102185 =	$M_p(1 - \lambda/C_c) + \pi^2 * E * \lambda * S_x / C_c^3$	
M_a (in-lbs)	22551.6476 =	$M_{nmb} / 1.65 * 1000$	

Strength is controlled by rupture

M_a (in-lbs) 22235

CRL Standard 4"x4" Square Post Strength 6005A-T61 or 6061-T6



Aluminum Extrusion Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
Extrusion 4" Square Post

Section Properties

I_x (in⁴)	5.48
S_x (in³)	2.52
Z_x (in³)	3.2
I_y (in⁴)	5.48
J (in⁴)	7.2
b	3.15
t	0.12

C_w (in⁶)	0.0296
β_x (in)	0
g₀ (in)	0

Aluminum Properties

Alloy:	6061-T6
F_u (ksi)	38
F_y (ksi)	35
E (ksi)	10100
C_c	66

Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

Support Condition

Flat element under uniform compression supported on both sides 

λ	26.25 =	b/t	
λ_1	20.8		
λ_2	33		
F/Ω (ksi)	19.66125 =	21.2	for $\lambda < \lambda_1$
		27.3-.291 λ	for $\lambda_1 < \lambda < \lambda_2$
		580/ λ	for $\lambda_2 < \lambda$

For $\lambda > \lambda_1$, local buckling applies and the moment strength is calculated as $F/\Omega * S$

Mn/Ω (in-lbs) 49546 = $F/\Omega * 1000(\text{kips/lbs}) * S_x$

Rupture Strength

F_u/Ω	19.4871795	
Z_{net}	3.2	
Mn/Ω (in-lbs)	62358.9744 =	$Z_{net} * F_u/\Omega * 1000 \text{kips/lbs}$

Lateral Torsional Buckling:

L_b (in)	42		
C_b	1.3		
C_1	0.5	C_2	0.5
U (in)	0 =	$C_1 * g_0 - C_2 * \theta_x / 2$	
M_e	3778.12936 =	See 2015 ADM F.4-9	
λ	8.15403212 =	$2.3(L_b * S_x / (I_y * J))^{0.5} \wedge 0.5$	
$\lambda < C_c$, inelastic buckling applies			
M_{nmb} (in-kip)	105.287484 =	$M_p(1 - \lambda/C_c) + \pi^2 * E * \lambda * S_x / C_c^3$	
M_a (in-lbs)	63810.5963 =	$M_{nmb} / 1.65 * 1000$	

Strength is controlled by local buckling

M_a (in-lbs) 49546

Aluminum Extrusion Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
 Extrusion Trim Line Strong Axis

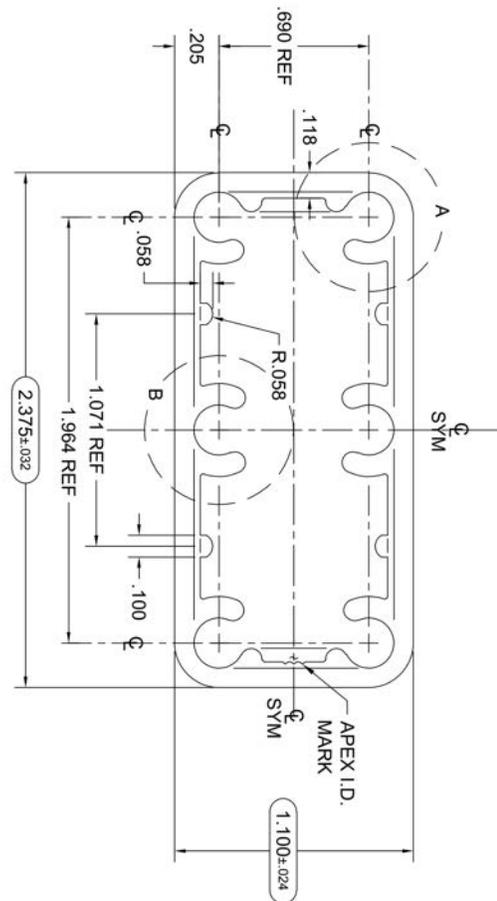
Section Properties

Ix (in4)	0.524
Sx (in3)	0.44
Zx (in3)	0.567
Iy (in4)	0.144
J (in4)	0.316
b	0.696
t	0.118

Cw (in6)	0.012
βx (in)	0
g0 (in)	0

Aluminum Properties

Alloy:	6061-T6
Fu (ksi)	38
Fy (ksi)	35
E (ksi)	10100
Cc	66



Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

Support Condition

Flat element under uniform compression supported on both sides	↕
--	---

λ	5.89830508 =	b/t	
λ_1	20.8		
λ_2	33		
F/Ω (ksi)	21.2 =	21.2	for $\lambda < \lambda_1$
		27.3-.291 λ	for $\lambda_1 < \lambda < \lambda_2$
		580/ λ	for $\lambda_2 < \lambda$

For $\lambda < \lambda_1$, local buckling does not apply and the moment strength is calculated as the minimum of Zfy/Ω or $1.5SFy/\Omega$

Mn/Ω (in-lbs) 12027 = $F/\Omega * 1000(\text{kips/lbs}) * \min(Zx \text{ or } 1.5Sx)$

Rupture Strength

Fu/Ω	19.4871795	
Z_{net}	0.567	
Mn/Ω (in-lbs)	11049.2308 =	$Z_{net} * Fu/\Omega * 1000 \text{kips/lbs}$

Lateral Torsional Buckling:

L_b (in)	42		
C_b	1.3		
C_1	0.5	C_2	0.5
U (in)	0 =	$C_1 * g_0 - C_2 * \beta_x / 2$	
M_e	128.337847 =	See 2015 ADM F.4-9	
λ	18.4867055 =	$2.3(L_b * S_x / (I_y * J))^{0.5}$	
$\lambda < C_c$, inelastic buckling applies			
M_{nmb} (in-kip)	17.1067241 =	$M_p(1 - \lambda/C_c) + \pi^2 * E * I * S_x / C_c^3$	
M_a (in-lbs)	10367.7116 =	$M_{nmb} / 1.65 * 1000$	

Strength is controlled by lateral torsional buckling

M_a (in-lbs) 10368

Aluminum Extrusion Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
Extrusion Trim Line Weak Axis

Section Properties

Ix (in4)	0.144
Sx (in3)	0.44
Zx (in3)	0.31
Iy (in4)	0.524
J (in4)	0.316
b	1.55
t	0.118

Cw (in6)	0.012
β_x (in)	0
g0 (in)	0

Aluminum Properties

Alloy:	6061-T6
Fu (ksi)	38
Fy (ksi)	35
E (ksi)	10100
Cc	66

Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

Support Condition

Flat element under uniform compression supported on both sides 

λ	13.1355932 =	b/t	
λ_1	20.8		
λ_2	33		
F/Ω (ksi)	21.2 =	21.2	for $\lambda < \lambda_1$
		27.3-.291 λ	for $\lambda_1 < \lambda < \lambda_2$
		580/ λ	for $\lambda_2 < \lambda$

For $\lambda < \lambda_1$, local buckling does not apply and the moment strength is calculated as the minimum of Zfy/Ω or $1.5SFy/\Omega$

Mn/Ω (in-lbs) 6576 = $F/\Omega * 1000(\text{kips/lbs}) * \min(Zx \text{ or } 1.5Sx)$

Rupture Strength

F_u/Ω	19.4871795	
Z_{net}	0.31	
Mn/Ω (in-lbs)	6041.02564 =	$Z_{net} * F_u/\Omega * 1000 \text{kips/lbs}$

Lateral Torsional Buckling:

L_b (in)	42	
C_b	1.3	
C_1	0.5	C_2 0.5
U (in)	0 =	$C_1 * g_0 - C_2 * \beta_x / 2$
M_e	244.815633 =	See 2015 ADM F.4-9
λ	13.3849676 =	$2.3(L_b * S_x / (I_y * J))^{0.5} \wedge 0.5$
$\lambda < C_c$, inelastic buckling applies		
M_{nmb} (in-kip)	10.6916093 =	$M_p(1 - \lambda/C_c) + \pi^2 * E * \lambda * S_x / C_c^3$
M_a (in-lbs)	6479.76319 =	$M_{nmb} / 1.65 * 1000$

Strength is controlled by rupture

M_a (in-lbs) 6041

TRIM LINE STANCHION

The trim line posts fit a 7/16"x2" flat bar stanchion.

$$S = 0.292\text{in}^3$$

$$Z = 0.44\text{in}^3$$

When used to reinforce post:

Yield limit state:

$$M_a = 0.44 * 35\text{ksi} / 1.65 = 9,330''\# \text{ (For 6061-T6 or 6005-T61 aluminum)}$$

$$M_a = 0.44 * 30\text{ksi} / 1.67 = 7,900''\# \text{ (For 304 or 316 stainless)}$$

When used as a stanchion where distance between the bottom of the post and the bottom of the stanchion is less than 1".

Rupture limit state:

$$M_a = 0.44\text{in}^3 * 38\text{ksi} / 1.95 = 8,570''\# \text{ (For 6061-T6 or 6005-T61 aluminum)}$$

$$M_a = 0.292\text{in}^3 * 70\text{ksi} / 2 = 10,200''\# \text{ (For 304 or 316 stainless)}$$

POST ANCHORAGE

Posts can be attached to wood, concrete or steel using several standard connection details. Note that in most cases the post anchorage strength will be less than the post strength and will be the limiting strength. First, basic performance criteria for each anchorage detail are listed below. Then, more specific performance criteria is shown with the supporting calculations on the following pages. Lastly, detailed moment strength calculations are shown for each detail.

Basic Performance Criteria:

Note that many anchorage methods involve two connections. For instance a surface mount to concrete anchorage detail involves screwing the post to the baseplate and then anchoring the baseplate to the concrete. The performance criteria for both connections must be checked and the overall performance criteria is the more restrictive of the two.

Post to baseplate connections:

4 screw 2-3/8" square post screwed to baseplate (includes 135° post)

Allowable moment, $M_{a,x} = 10,500''\#$

Handles top rail live loading at 60" tall with 42" post spacing or 42" tall with 60" post spacing.

6 screw 2-3/8" square post screwed to baseplate (includes heavy post)

Allowable post moment, $M_{a,x} = 15,700''\#$

Handles top rail live loading at 60" tall with 60" post spacing or at 48" tall with 72" post spacing.

135° post at corner mixed with 6 screw square posts at intermediates

Allowable post moment, $M_{a,x} = 12,600''\#$

Handles top rail live loading at 60" tall with 60" post spacing or at 48" tall with 72" post spacing.

4" square post screwed to baseplate

Allowable post moment, $M_{a,x} = 17,300''\#$

Handles top rail live loading at 60" tall with 66" post spacing or 54" tall with 72" post spacing.

Aluminum stanchion screwed to baseplate

Allowable post moment, $M_{a,x} = 12,400''\#$

Handles top rail live loading at 60" tall with 66" post spacing or 54" tall with 72" post spacing.

Aluminum stanchion welded to baseplate

Allowable post moment, $M_{a,x} = 10,500''\#$

Handles top rail live loading at 60" tall with 66" post spacing or 54" tall with 72" post spacing.

Steel stanchion welded to baseplate

Allowable post moment, $M_{a,x} = 13,600''\#$

Handles top rail live loading at 60" tall with 66" post spacing or 54" tall with 72" post spacing.

Baseplate Anchorage Details:**3/8"x4" KH-EZ w/ 4-3/16" anchor edge distance to uncracked concrete**Allowable moment, $M_{a,x} = 13,500''\#$

Handles top rail live loading at 48" tall with 66" post spacing or 60" tall with 54" post spacing.

3/8"x4" KH-EZ w/ 4-3/16" anchor edge distance to cracked concreteAllowable moment, $M_{a,x} = 9,600''\#$

Handles top rail live loading at 42" tall with 54" post spacing or 48" tall with 48" post spacing.

3/8"x3-3/4" KB-TZ w/ 2-5/8" anchor edge distance to uncracked concreteAllowable moment, $M_{a,x} = 14,200''\#$

Handles top rail live loading at 42" tall with 72" post spacing or 60" tall with 54" post spacing.

3/8"x3-3/4" KB-TZ w/ 2-5/8" anchor edge distance to cracked concreteAllowable moment, $M_{a,x} = 11,000''\#$

Handles top rail live loading at 42" tall with 60" post spacing or 60" tall with 42" post spacing.

3/8" A307 or 304 Lag Screw w/ 4-1/4" penetration

Optimal lag screw penetration.

Allowable moment, $M_{a,x} = 11,400''\#$

Handles top rail live loading at 42" tall with 60" post spacing or 60" tall with 42" post spacing.

Higher strength connections will require higher strength material or larger diameter.

3/8" A307 or 304 Lag Screw w/ 3-1/2" penetrationAllowable moment, $M_{a,x} = 9,860''\#$

Handles top rail live loading at 42" tall with 54" post spacing or 48" tall with 48" post spacing.

3/8" A307 or 304 Lag Screw w/ 3" penetrationAllowable moment, $M_{a,x} = 8,700''\#$

Handles top rail live loading at 42" tall with 48" post spacing or 48" tall with 42" post spacing.

Core Mount Details**Post set in 4" Deep Core Mount, 3-5/8" edge distance measured from center of post**Allowable moment, $M_{a,x} = 12,600''\#$

Handles top rail live loading at 42" tall with 72" post spacing or 60" tall with 48" post spacing.

Stanchion set in 4" Deep Core Mount, 3-5/8" edge distance measured from center of postAllowable moment, $M_{a,x} = 11,400''\#$

Handles top rail live loading at 42" tall with 60" post spacing or 60" tall with 42" post spacing.

Fascia Mount Details**Fascia Bracket To Wood, 3-3/8" lag Screw Penetration**

Top lag screws located 2" below floor.

Allowable moment, $M_{a,x} = 10,600''\#$ (measured at floor)

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Handles top rail live loading at 42" tall with 60" post spacing or 60" tall with 42" post spacing.

Fascia Bracket to Concrete, Uncracked Concrete

Allowable moment, $M_{a,x} = 11,300''\#$ (measured at floor)

Handles top rail live loading at 42" tall with 60" post spacing or 60" tall with 42" post spacing.

Fascia Bracket to Concrete, Cracked Concrete

Allowable moment, $M_{a,x} = 8,000''\#$ (measured at floor)

Handles top rail live loading at 42" tall with 48" post spacing.

Post Directly Fascia Mounted W/ 3/8" Lag Screws

Allowable moment, $M_{a,x} = 7,800''\#$ (measured at floor)

Handles top rail live loading at 42" tall with 48" post spacing.

Post Directly Fascia Mounted W/ 3/8" Carriage Bolts

Allowable moment, $M_{a,x} = 17,400''\#$ (measured at floor)

Handles top rail live loading at 60" tall with 66" post spacing or 54" tall with 72" post spacing.

Post Anchorage Design

System: ARS

Detail Description:

4 screw 2-3/8" post screwed to baseplate

Ma (in-lbs) 10500

Load Cases:

200# concentrated load at top of post

$$M = 200\# * H$$

$$H_{max} = Ma / 200\#$$

Hmax 52.5

50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	70
42	60
48	52.5
60	42
72	<36"
84	<36"
96	<36"



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Wind Load

$$M = P / 144 * TW * H^2 / 2$$

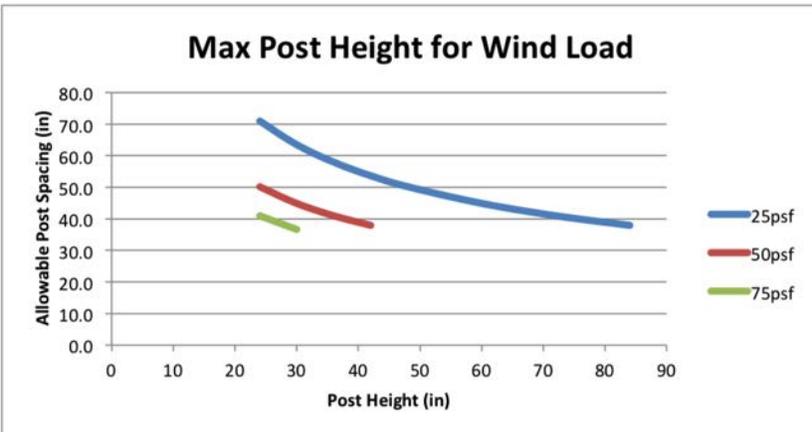
$$H_{max} = (2 * Ma / (TW * P / 144))^{1/2}$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Allowable Post Spacing (in)
24	71.0
30	63.5
36	58.0
42	53.7
48	50.2
60	44.9
72	41.0
84	37.9
96	<36"

P= 50psf	
Post Height (in)	Allowable Post Spacing (in)
24	50.2
30	44.9
36	41.0
42	37.9
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"

P= 75psf	
Post Height (in)	Allowable Post Spacing (in)
24	41.0
30	36.7
36	<36"
42	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"



Post Anchorage Design

System: ARS

Detail Description:

6 screw 2-3/8" post screwed to baseplate

Ma (in-lbs) 15700

Load Cases:

200# concentrated load at top of post

$$M = 200\# * H$$

$$H_{max} = Ma / 200\#$$

Hmax 78.5

50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	72
48	72
60	62.8
72	52.33333333
84	44.85714286
96	39.25



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Wind Load

$$M = P / 144 * TW * H^2 / 2$$

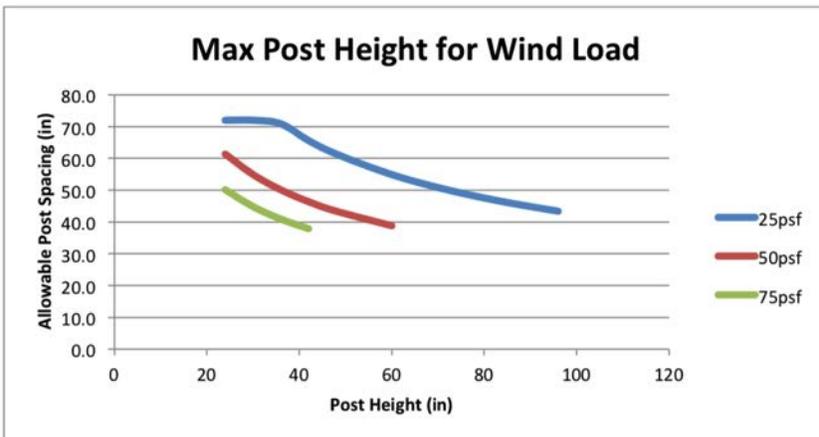
$$H_{max} = (2 * Ma / (TW * P / 144))^{1/2}$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Allowable Post Spacing (in)
24	72.0
30	72.0
36	70.9
42	65.6
48	61.4
60	54.9
72	50.1
84	46.4
96	43.4

P= 50psf	
Post Height (in)	Allowable Post Spacing (in)
24	61.4
30	54.9
36	50.1
42	46.4
48	43.4
60	38.8
72	<36"
84	<36"
96	<36"

P= 75psf	
Post Height (in)	Allowable Post Spacing (in)
24	50.1
30	44.8
36	40.9
42	37.9
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"



Post Anchorage Design

System: ARS

Detail Description:

135° post at corners mixed with 6 screw intermediate posts

Ma (in-lbs) 12600

Load Cases:

200# concentrated load at top of post

$$M = 200\# * H$$

$$H_{max} = Ma / 200\#$$

Hmax 63

50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	72
48	63
60	50.4
72	42
84	36
96	<36"



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Wind Load

$$M = P/144 * TW * H^2 / 2$$

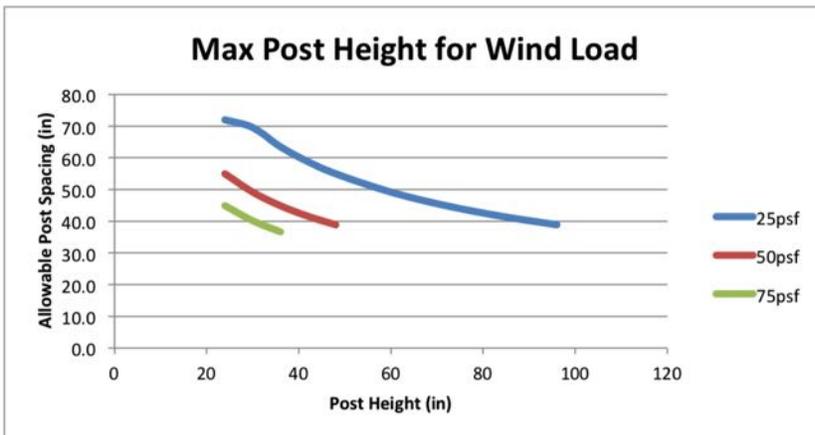
$$H_{max} = (2 * Ma / (TW * P / 144))^{1/2}$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Allowable Post Spacing (in)
24	72.0
30	69.6
36	63.5
42	58.8
48	55.0
60	49.2
72	44.9
84	41.6
96	38.9

P= 50psf	
Post Height (in)	Allowable Post Spacing (in)
24	55.0
30	49.2
36	44.9
42	41.6
48	38.9
60	<36"
72	<36"
84	<36"
96	<36"

P= 75psf	
Post Height (in)	Allowable Post Spacing (in)
24	44.9
30	40.2
36	36.7
42	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"



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Post Anchorage Design

System: ARS

Detail Description:

4" post screwed to post plate

Ma (in-lbs) 17300

Load Cases:

200# concentrated load at top of post

$M = 200\# * H$

$H_{max} = Ma / 200\#$

Hmax 86.5

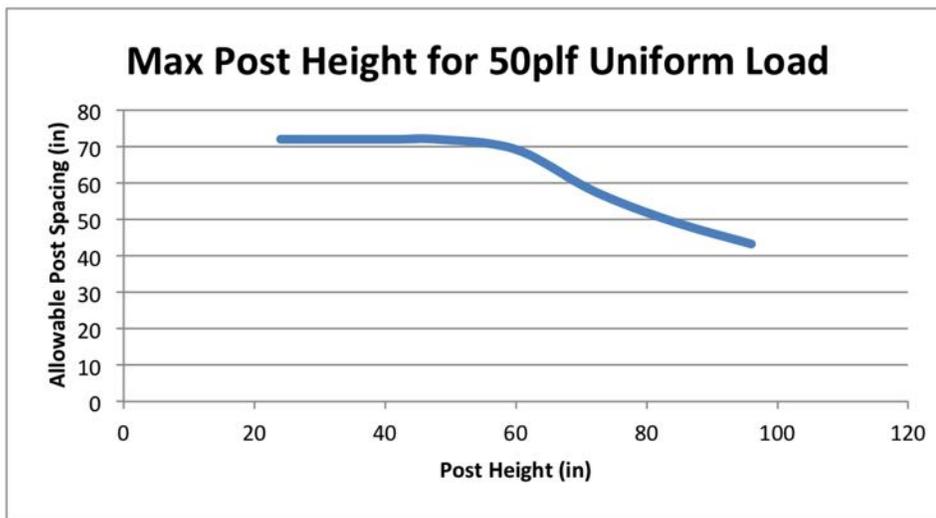
50plf uniform load along top rail

$M = 50plf / 12 * TW * H$

$H_{max} = Ma / (TW * 50plf / 12)$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	72
48	72
60	69.2
72	57.66666667
84	49.42857143
96	43.25



Wind Load

$$M = P/144 * TW * H^2 / 2$$

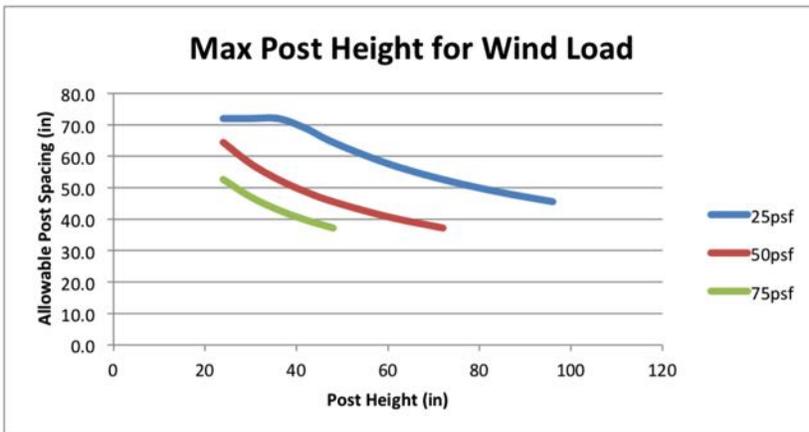
$$H_{max} = (2 * Ma / (TW * P / 144))^{1/2}$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Allowable Post Spacing (in)
24	72.0
30	72.0
36	72.0
42	68.9
48	64.4
60	57.6
72	52.6
84	48.7
96	45.6

P= 50psf	
Post Height (in)	Allowable Post Spacing (in)
24	64.4
30	57.6
36	52.6
42	48.7
48	45.6
60	40.8
72	37.2
84	<36"
96	<36"

P= 75psf	
Post Height (in)	Allowable Post Spacing (in)
24	52.6
30	47.1
36	43.0
42	39.8
48	37.2
60	<36"
72	<36"
84	<36"
96	<36"



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Post Anchorage Design

System: ARS

Detail Description:

Aluminum Stanchion Screwed to Baseplate

Ma (in-lbs) 12400

Load Cases:

200# concentrated load at top of post

$$M = 200\# * H$$

$$H_{max} = Ma / 200\#$$

Hmax 62

50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	70.85714286
48	62
60	49.6
72	41.33333333
84	<36"
96	<36"



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Wind Load

$$M = P / 144 * TW * H^2 / 2$$

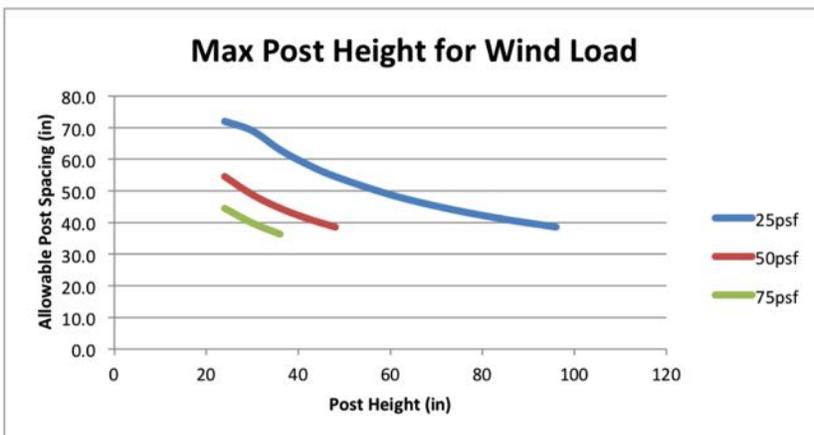
$$H_{max} = (2 * Ma / (TW * P / 144))^{1/2}$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Allowable Post Spacing (in)
24	72.0
30	69.0
36	63.0
42	58.3
48	54.6
60	48.8
72	44.5
84	41.2
96	38.6

P= 50psf	
Post Height (in)	Allowable Post Spacing (in)
24	54.6
30	48.8
36	44.5
42	41.2
48	38.6
60	<36"
72	<36"
84	<36"
96	<36"

P= 75psf	
Post Height (in)	Allowable Post Spacing (in)
24	44.5
30	39.8
36	36.4
42	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"



Post Anchorage Design

System: ARS

Detail Description:

Aluminum Stanchion Welded to Baseplate

Ma (in-lbs) 10500

Load Cases:

200# concentrated load at top of post

$$M = 200\# * H$$

$$H_{max} = Ma / 200\#$$

Hmax 52.5

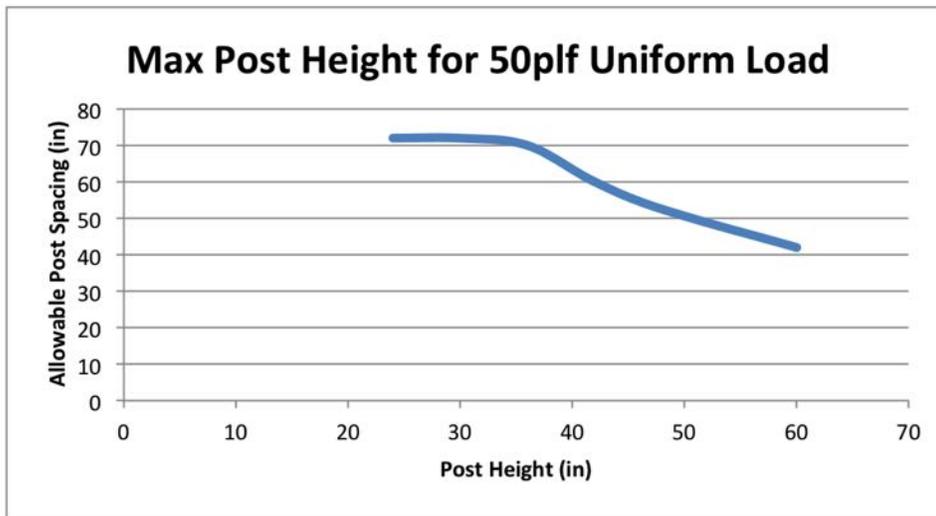
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	70
42	60
48	52.5
60	42
72	<36"
84	<36"
96	<36"



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Wind Load

$$M = P / 144 * TW * H^2 / 2$$

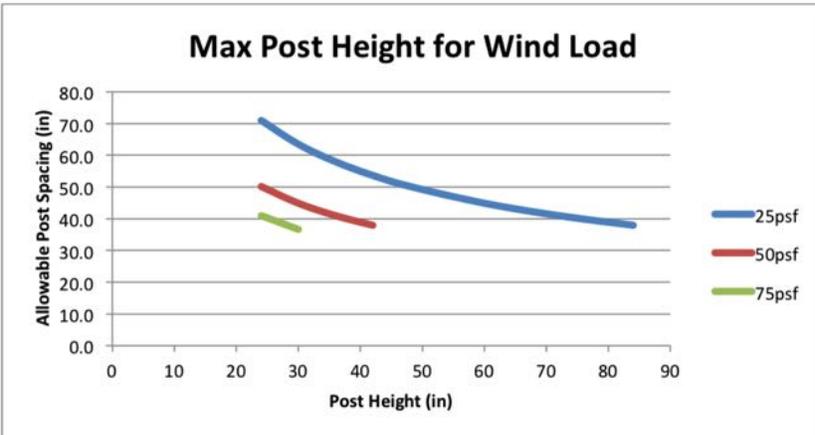
$$H_{max} = (2 * Ma / (TW * P / 144))^{1/2}$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Allowable Post Spacing (in)
24	71.0
30	63.5
36	58.0
42	53.7
48	50.2
60	44.9
72	41.0
84	37.9
96	<36"

P= 50psf	
Post Height (in)	Allowable Post Spacing (in)
24	50.2
30	44.9
36	41.0
42	37.9
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"

P= 75psf	
Post Height (in)	Allowable Post Spacing (in)
24	41.0
30	36.7
36	<36"
42	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"



Post Anchorage Design

System: ARS

Detail Description:

Steel stanchion welded to baseplate

Ma (in-lbs) 13600

Load Cases:

200# concentrated load at top of post

$$M = 200\# * H$$

$$H_{max} = Ma / 200\#$$

Hmax 68

50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	72
48	68
60	54.4
72	45.33333333
84	38.85714286
96	<36"



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Wind Load

$$M = P / 144 * TW * H^2 / 2$$

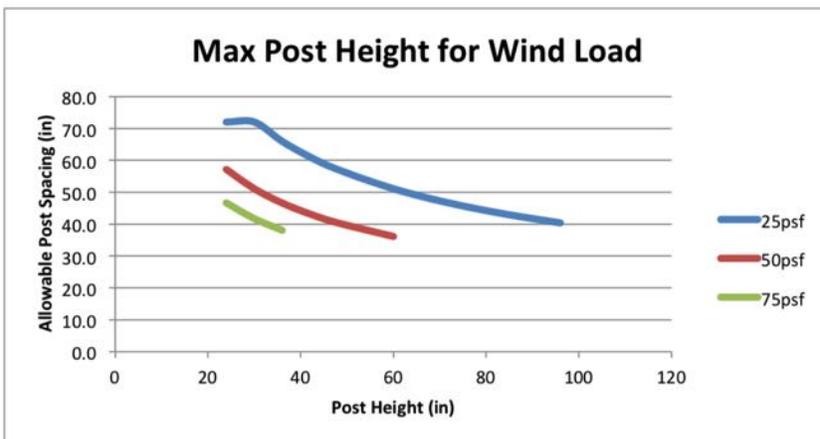
$$H_{max} = (2 * Ma / (TW * P / 144))^{1/2}$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Allowable Post Spacing (in)
24	72.0
30	72.0
36	66.0
42	61.1
48	57.1
60	51.1
72	46.6
84	43.2
96	40.4

P= 50psf	
Post Height (in)	Allowable Post Spacing (in)
24	57.1
30	51.1
36	46.6
42	43.2
48	40.4
60	36.1
72	<36"
84	<36"
96	<36"

P= 75psf	
Post Height (in)	Allowable Post Spacing (in)
24	46.6
30	41.7
36	38.1
42	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"



Post Anchorage Design

System: ARS

Detail Description:

3/8"x4" KH-EZ in uncracked concrete and 5x5 baseplate

Ma (in-lbs) 13500

Load Cases:

200# concentrated load at top of post

$$M = 200\# * H$$

$$H_{max} = Ma / 200\#$$

Hmax 67.5

50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	72
48	67.5
60	54
72	45
84	38.57142857
96	<36"



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Wind Load

$$M = P / 144 * TW * H^2 / 2$$

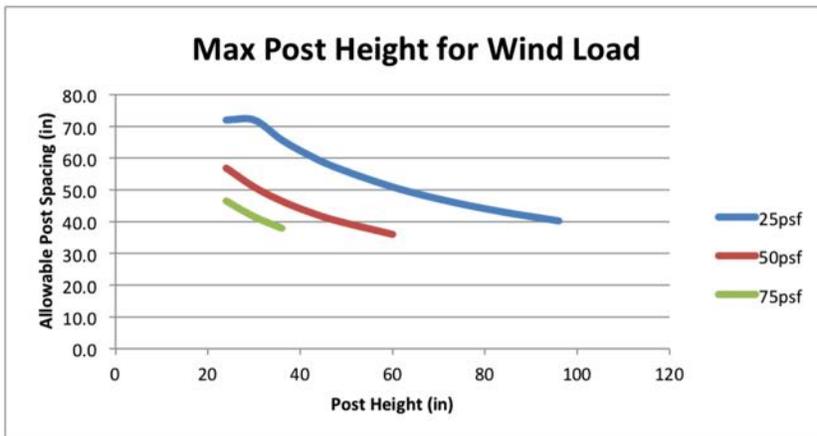
$$H_{max} = (2 * Ma / (TW * P / 144))^{1/2}$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Allowable Post Spacing (in)
24	72.0
30	72.0
36	65.7
42	60.9
48	56.9
60	50.9
72	46.5
84	43.0
96	40.2

P= 50psf	
Post Height (in)	Allowable Post Spacing (in)
24	56.9
30	50.9
36	46.5
42	43.0
48	40.2
60	36.0
72	<36"
84	<36"
96	<36"

P= 75psf	
Post Height (in)	Allowable Post Spacing (in)
24	46.5
30	41.6
36	37.9
42	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"



Post Anchorage Design

System: ARS

Detail Description:

3/8"x4" KH-EZ in uncracked concrete and 3x5 baseplate

Ma (in-lbs) 7130

Load Cases:

200# concentrated load at top of post

$M = 200\# * H$

$H_{max} = Ma / 200\#$

Hmax 35.65

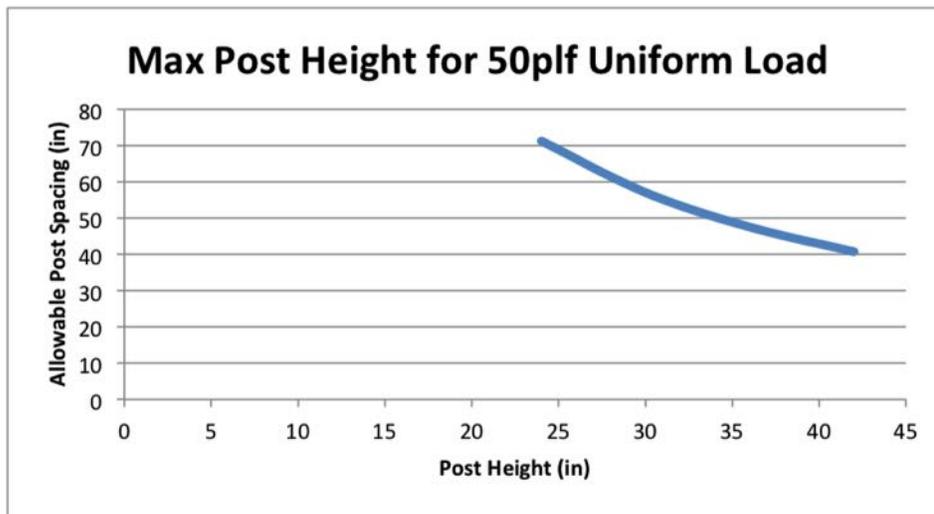
50plf uniform load along top rail

$M = 50plf / 12 * TW * H$

$H_{max} = Ma / (TW * 50plf / 12)$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	71.3
30	57.04
36	47.53333333
42	40.74285714
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"



Wind Load

$$M = P / 144 * TW * H^2 / 2$$

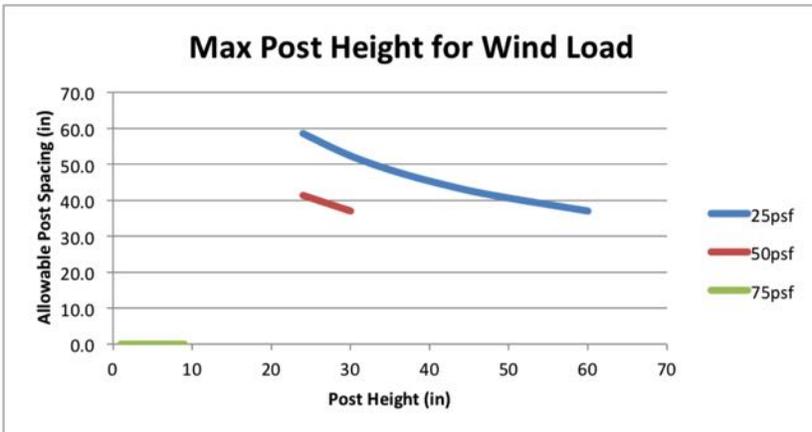
$$H_{max} = (2 * Ma / (TW * P / 144))^{1/2}$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Allowable Post Spacing (in)
24	58.5
30	52.3
36	47.8
42	44.2
48	41.4
60	37.0
72	<36"
84	<36"
96	<36"

P= 50psf	
Post Height (in)	Allowable Post Spacing (in)
24	41.4
30	37.0
36	<36"
42	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"

P= 75psf	
Post Height (in)	Allowable Post Spacing (in)
24	<36"
30	<36"
36	<36"
42	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"



Post Anchorage Design

System: ARS

Detail Description:

3/8"x4" KH-EZ in uncracked concrete and 6-1/2"x6-1/2" baseplate

Ma (in-lbs) 17800

Load Cases:

200# concentrated load at top of post

$$M = 200\# * H$$

$$H_{max} = Ma / 200\#$$

Hmax 89

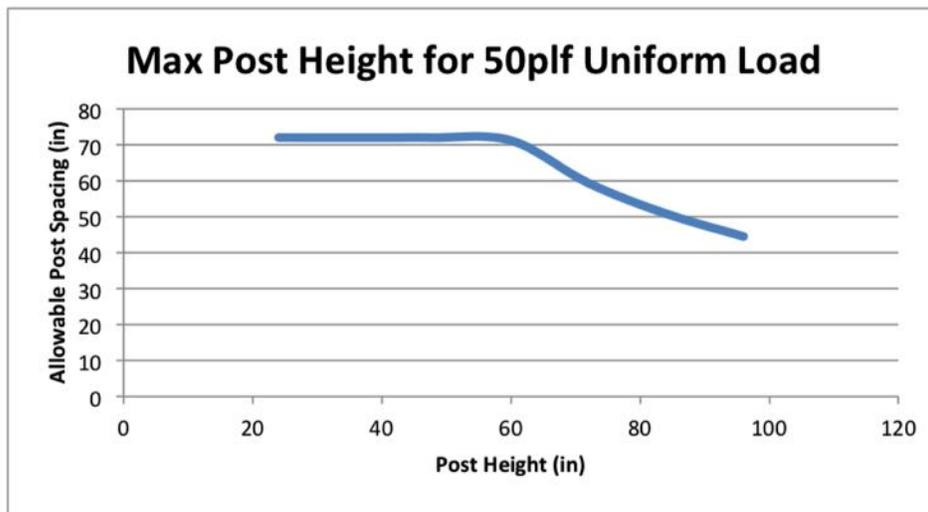
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	72
48	72
60	71.2
72	59.33333333
84	50.85714286
96	44.5



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Wind Load

$$M = P / 144 * TW * H^2 / 2$$

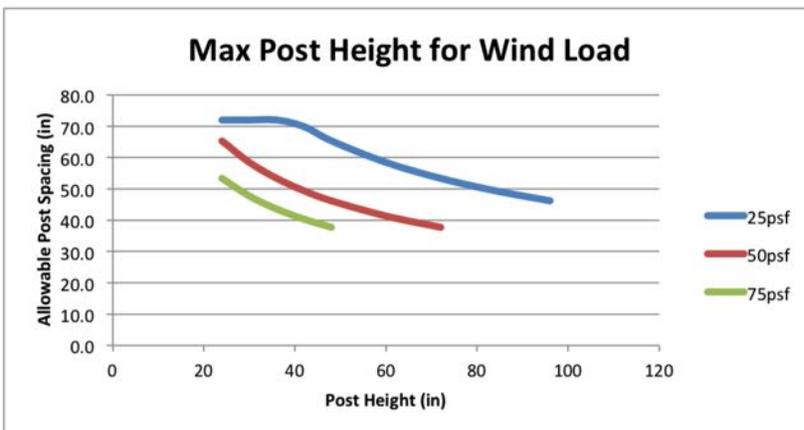
$$H_{max} = (2 * Ma / (TW * P / 144))^{1/2}$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Allowable Post Spacing (in)
24	72.0
30	72.0
36	72.0
42	69.9
48	65.4
60	58.5
72	53.4
84	49.4
96	46.2

P= 50psf	
Post Height (in)	Allowable Post Spacing (in)
24	65.4
30	58.5
36	53.4
42	49.4
48	46.2
60	41.3
72	37.7
84	<36"
96	<36"

P= 75psf	
Post Height (in)	Allowable Post Spacing (in)
24	53.4
30	47.7
36	43.6
42	40.3
48	37.7
60	<36"
72	<36"
84	<36"
96	<36"



Post Anchorage Design

System: ARS

Detail Description:

3/8"x4" KH-EZ in cracked concrete and 5x5" baseplate

Ma (in-lbs) 9600

Load Cases:

200# concentrated load at top of post

$$M = 200\# * H$$

$$H_{max} = Ma / 200\#$$

Hmax 48

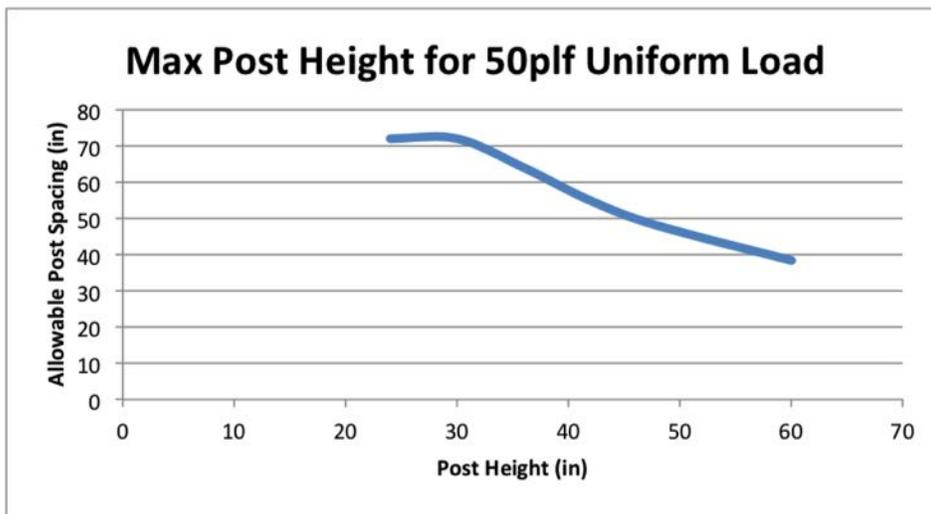
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	64
42	54.85714286
48	48
60	38.4
72	<36"
84	<36"
96	<36"



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Wind Load

$$M = P / 144 * TW * H^2 / 2$$

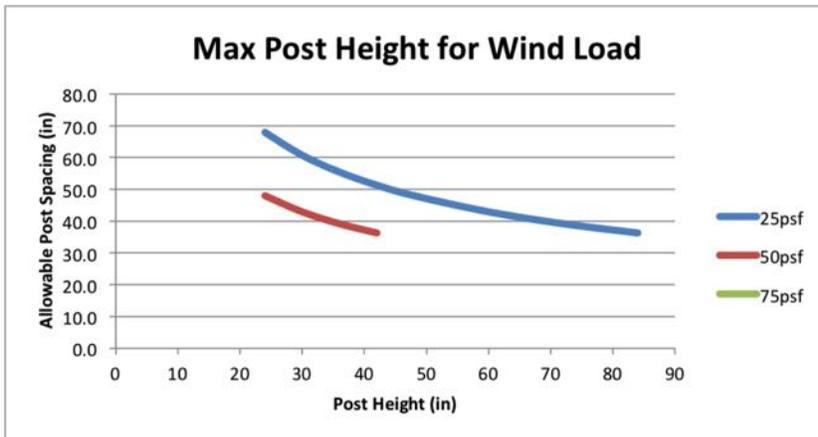
$$H_{max} = (2 * Ma / (TW * P / 144))^{1/2}$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Allowable Post Spacing (in)
24	67.9
30	60.7
36	55.4
42	51.3
48	48.0
60	42.9
72	39.2
84	36.3
96	<36"

P= 50psf	
Post Height (in)	Allowable Post Spacing (in)
24	48.0
30	42.9
36	39.2
42	36.3
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"

P= 75psf	
Post Height (in)	Allowable Post Spacing (in)
24	39.2
30	<36"
36	<36"
42	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"



Post Anchorage Design

System: ARS

Detail Description:

3/8"x4" KH-EZ in cracked concrete and 3x5" baseplate

Ma (in-lbs) 5120

Load Cases:

200# concentrated load at top of post

$$M = 200\# * H$$

$$H_{max} = Ma / 200\#$$

Hmax 25.6

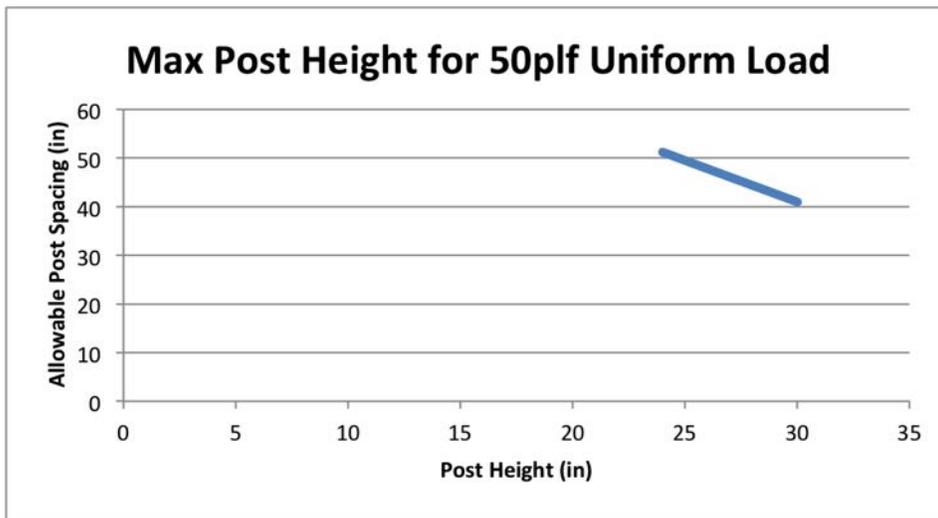
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	51.2
30	40.96
36	<36"
42	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"



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Wind Load

$$M = P / 144 * TW * H^2 / 2$$

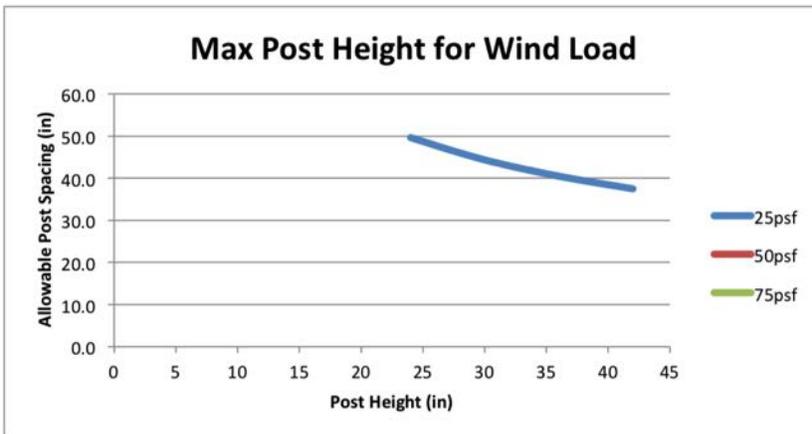
$$H_{max} = (2 * M_0 / (TW * P / 144))^{1/2}$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Allowable Post Spacing (in)
24	49.6
30	44.3
36	40.5
42	37.5
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"

P= 50psf	
Post Height (in)	Allowable Post Spacing (in)
24	<36"
30	<36"
36	<36"
42	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"

P= 75psf	
Post Height (in)	Allowable Post Spacing (in)
24	<36"
30	<36"
36	<36"
42	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"



Post Anchorage Design

System: ARS

Detail Description:

3/8"x4" KH-EZ in cracked concrete and 6-1/2x6-1/2" baseplate

Ma (in-lbs) 12700

Load Cases:

200# concentrated load at top of post

$$M = 200\# * H$$

$$H_{max} = Ma / 200\#$$

Hmax 63.5

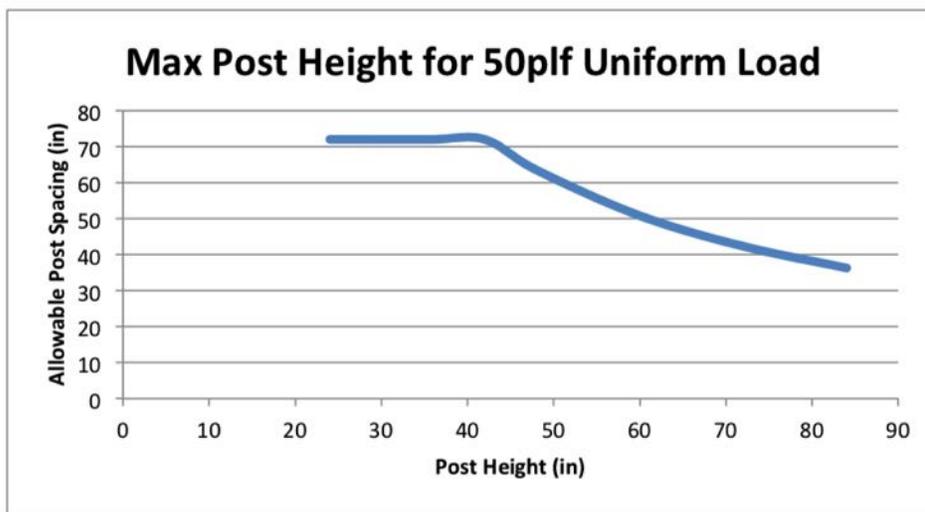
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	72
48	63.5
60	50.8
72	42.33333333
84	36.28571429
96	<36"



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Wind Load

$$M = P / 144 * TW * H^2 / 2$$

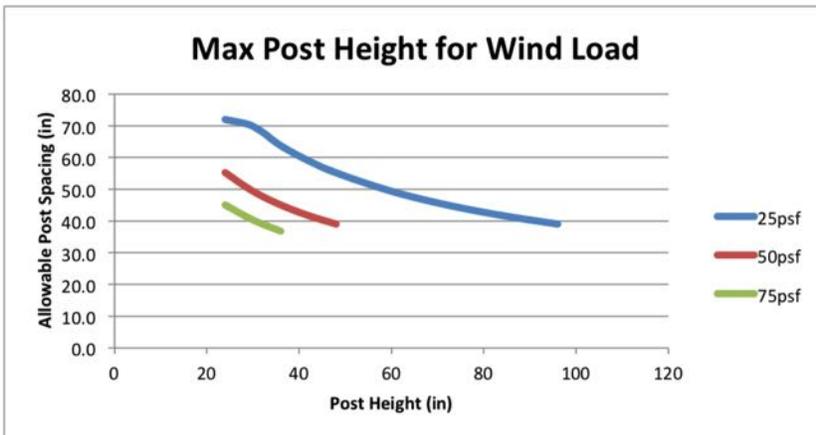
$$H_{max} = (2 * Ma / (TW * P / 144))^{1/2}$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Allowable Post Spacing (in)
24	72.0
30	69.8
36	63.7
42	59.0
48	55.2
60	49.4
72	45.1
84	41.7
96	39.0

P= 50psf	
Post Height (in)	Allowable Post Spacing (in)
24	55.2
30	49.4
36	45.1
42	41.7
48	39.0
60	<36"
72	<36"
84	<36"
96	<36"

P= 75psf	
Post Height (in)	Allowable Post Spacing (in)
24	45.1
30	40.3
36	36.8
42	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"



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Post Anchorage Design

System: ARS

Detail Description:

3/8"x3-3/4" KB-TZ in uncracked concrete and 5x5" baseplate

Ma (in-lbs) 14200

Load Cases:

200# concentrated load at top of post

$$M = 200\# * H$$

$$H_{max} = Ma / 200\#$$

Hmax 71

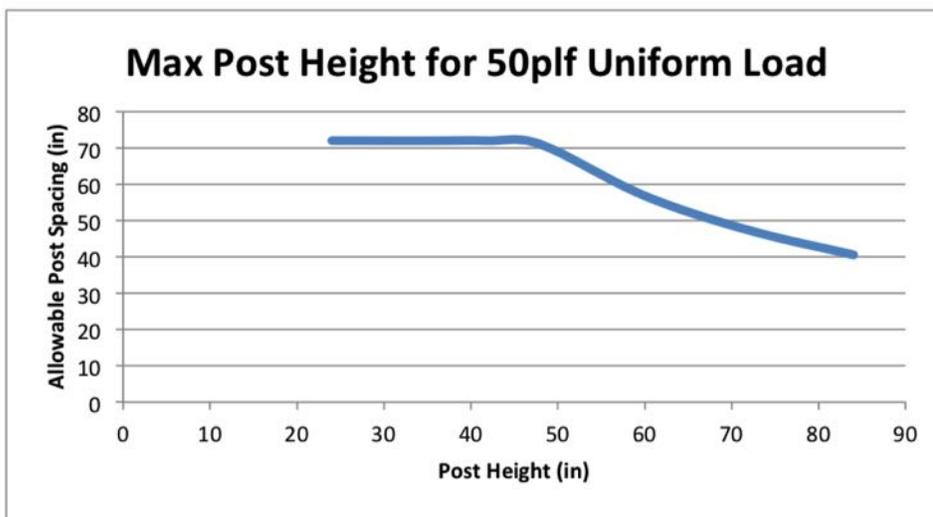
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	72
48	71
60	56.8
72	47.33333333
84	40.57142857
96	<36"



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Wind Load

$$M = P / 144 * TW * H^2 / 2$$

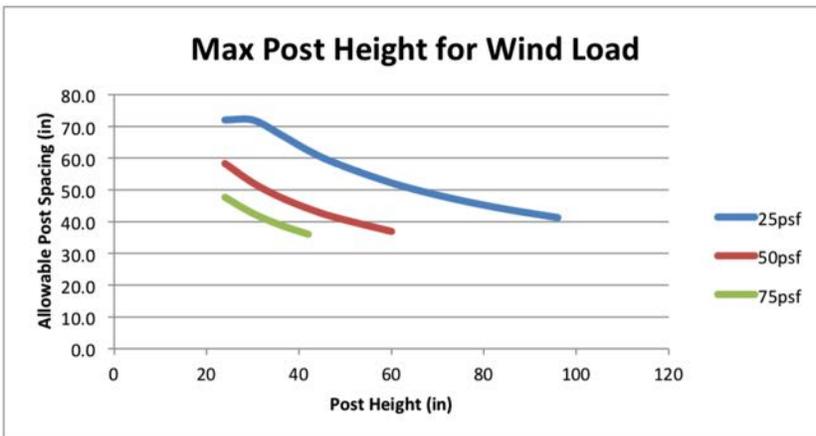
$$H_{max} = (2 * Ma / (TW * P / 144))^{1/2}$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Allowable Post Spacing (in)
24	72.0
30	72.0
36	67.4
42	62.4
48	58.4
60	52.2
72	47.7
84	44.1
96	41.3

P= 50psf	
Post Height (in)	Allowable Post Spacing (in)
24	58.4
30	52.2
36	47.7
42	44.1
48	41.3
60	36.9
72	<36"
84	<36"
96	<36"

P= 75psf	
Post Height (in)	Allowable Post Spacing (in)
24	47.7
30	42.6
36	38.9
42	36.0
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"



Post Anchorage Design

System: ARS

Detail Description:

3/8"x3-3/4" KB-TZ in uncracked concrete and 3x5" baseplate

Ma (in-lbs) 7490

Load Cases:

200# concentrated load at top of post

$M = 200\# * H$

$H_{max} = Ma / 200\#$

Hmax 37.45

50plf uniform load along top rail

$M = 50plf / 12 * TW * H$

$H_{max} = Ma / (TW * 50plf / 12)$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	59.92
36	49.93333333
42	42.8
48	37.45
60	<36"
72	<36"
84	<36"
96	<36"



Wind Load

$$M = P/144 * TW * H^2/2$$

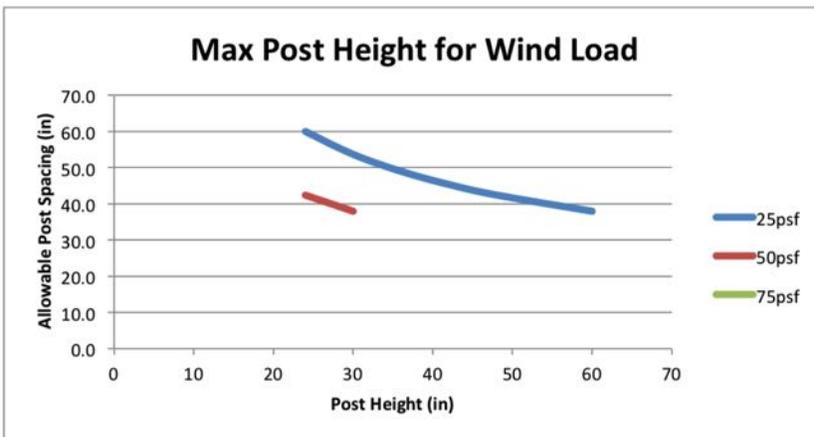
$$H_{max} = (2 * Ma / (TW * P/144))^{1/2}$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Allowable Post Spacing (in)
24	60.0
30	53.6
36	49.0
42	45.3
48	42.4
60	37.9
72	<36"
84	<36"
96	<36"

P= 50psf	
Post Height (in)	Allowable Post Spacing (in)
24	42.4
30	37.9
36	<36"
42	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"

P= 75psf	
Post Height (in)	Allowable Post Spacing (in)
24	<36"
30	<36"
36	<36"
42	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"



Post Anchorage Design

System: ARS

Detail Description:

3/8"x3-3/4" KB-TZ in uncracked concrete and 6-1/2"x6-1/2" baseplate

Ma (in-lbs) 18800

Load Cases:

200# concentrated load at top of post

$M = 200\# * H$

$H_{max} = Ma / 200\#$

Hmax 94

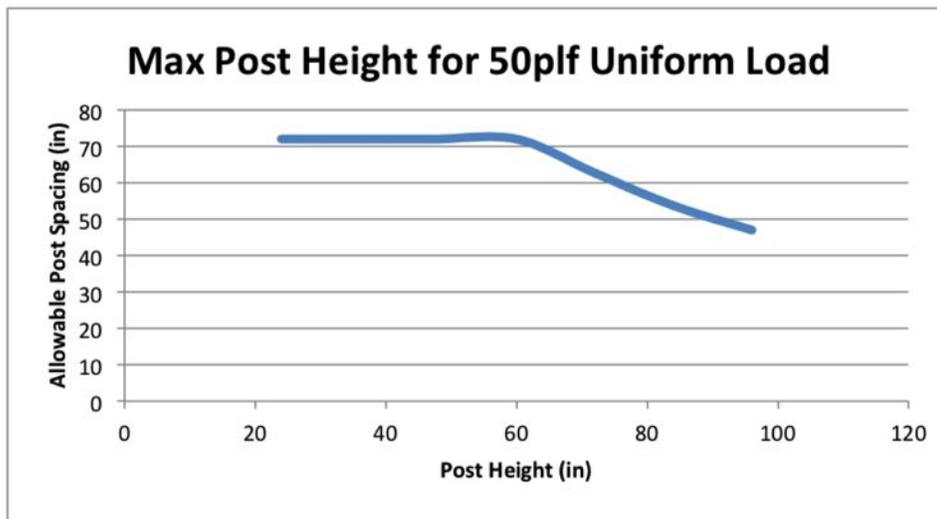
50plf uniform load along top rail

$M = 50plf / 12 * TW * H$

$H_{max} = Ma / (TW * 50plf / 12)$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	72
48	72
60	72
72	62.66666667
84	53.71428571
96	47



Wind Load

$$M = P/144 * TW * H^2/2$$

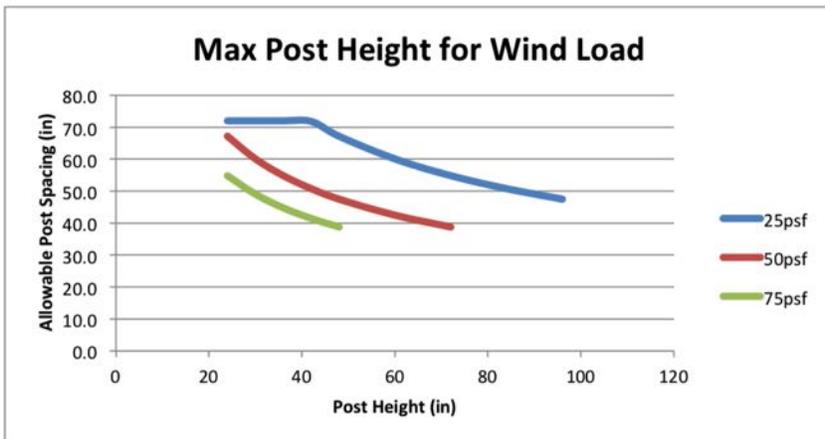
$$H_{max} = (2 * Ma / (TW * P/144))^{1/2}$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Allowable Post Spacing (in)
24	72.0
30	72.0
36	72.0
42	71.8
48	67.2
60	60.1
72	54.8
84	50.8
96	47.5

P= 50psf	
Post Height (in)	Allowable Post Spacing (in)
24	67.2
30	60.1
36	54.8
42	50.8
48	47.5
60	42.5
72	38.8
84	<36"
96	<36"

P= 75psf	
Post Height (in)	Allowable Post Spacing (in)
24	54.8
30	49.1
36	44.8
42	41.5
48	38.8
60	<36"
72	<36"
84	<36"
96	<36"



Post Anchorage Design

System: ARS

Detail Description:

3/8"x3-3/4" KB-TZ in cracked concrete and 5x5" baseplate

Ma (in-lbs) 11000

Load Cases:

200# concentrated load at top of post

$M = 200\# * H$

$H_{max} = Ma / 200\#$

Hmax 55

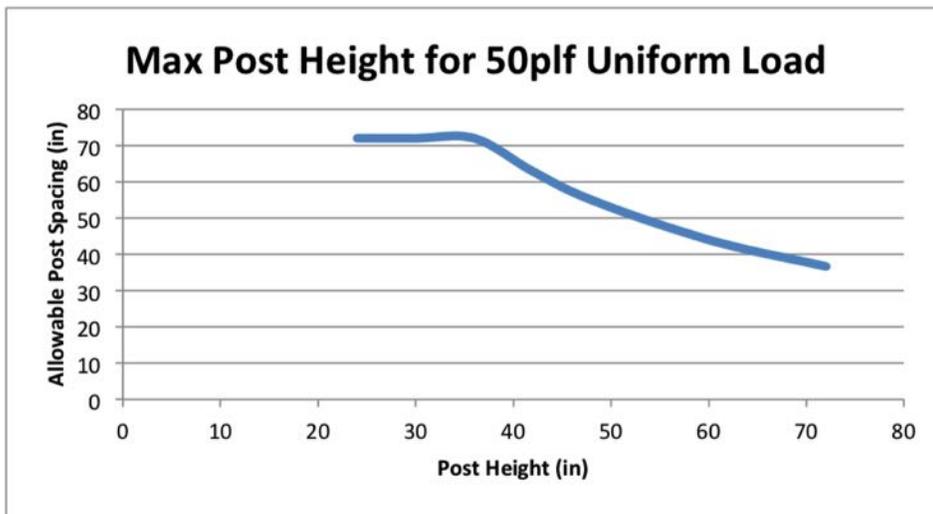
50plf uniform load along top rail

$M = 50plf / 12 * TW * H$

$H_{max} = Ma / (TW * 50plf / 12)$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	62.85714286
48	55
60	44
72	36.66666667
84	<36"
96	<36"



Wind Load

$$M = P / 144 * TW * H^2 / 2$$

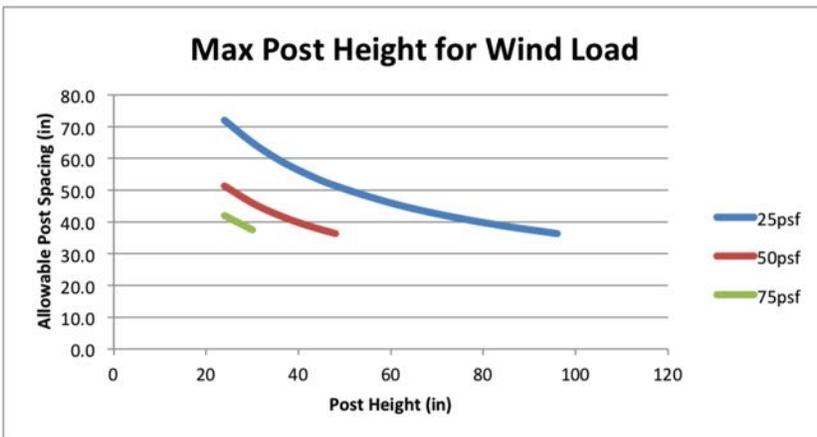
$$H_{max} = (2 * Ma / (TW * P / 144))^{1/2}$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Allowable Post Spacing (in)
24	72.0
30	65.0
36	59.3
42	54.9
48	51.4
60	46.0
72	42.0
84	38.8
96	36.3

P= 50psf	
Post Height (in)	Allowable Post Spacing (in)
24	51.4
30	46.0
36	42.0
42	38.8
48	36.3
60	<36"
72	<36"
84	<36"
96	<36"

P= 75psf	
Post Height (in)	Allowable Post Spacing (in)
24	42.0
30	37.5
36	<36"
42	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"



Post Anchorage Design

System: ARS

Detail Description:

3/8"x3-3/4" KB-TZ in cracked concrete and 3x5" baseplate

Ma (in-lbs) 5840

Load Cases:

200# concentrated load at top of post

$M = 200\# * H$

$H_{max} = Ma / 200\#$

Hmax 29.2

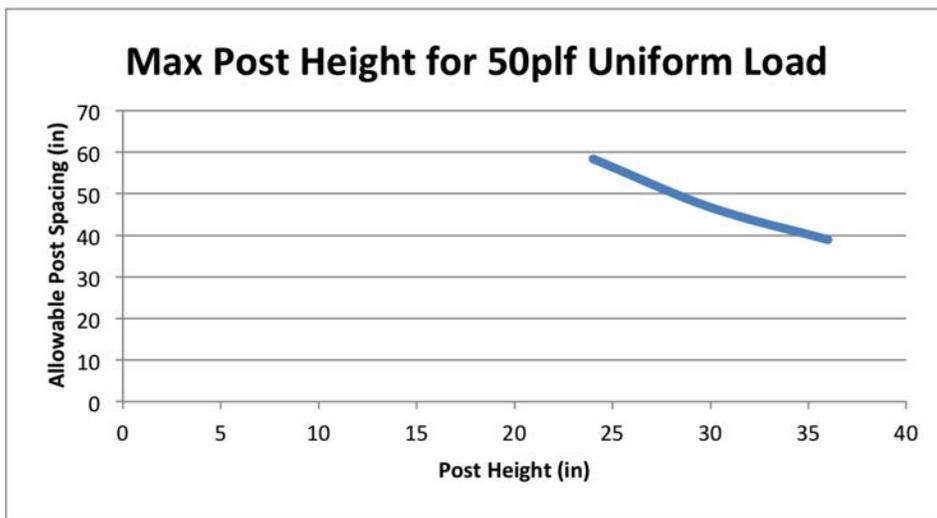
50plf uniform load along top rail

$M = 50plf / 12 * TW * H$

$H_{max} = Ma / (TW * 50plf / 12)$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	58.4
30	46.72
36	38.93333333
42	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"



Wind Load

$$M = P / 144 * TW * H^2 / 2$$

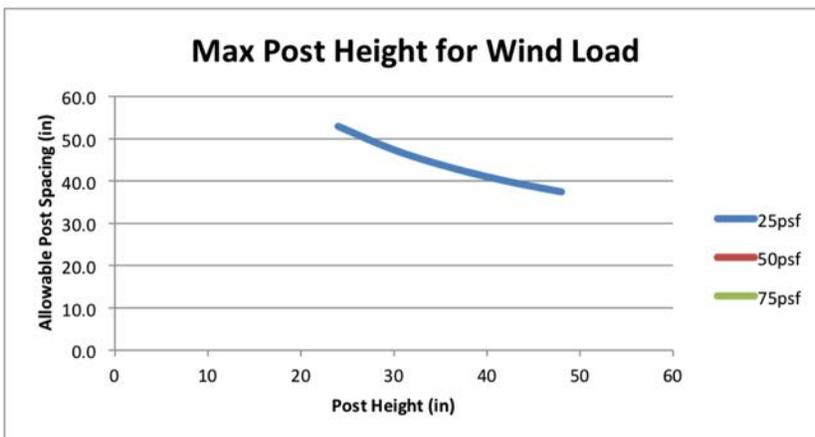
$$H_{max} = (2 * Ma / (TW * P / 144))^{1/2}$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Allowable Post Spacing (in)
24	52.9
30	47.4
36	43.2
42	40.0
48	37.4
60	<36"
72	<36"
84	<36"
96	<36"

P= 50psf	
Post Height (in)	Allowable Post Spacing (in)
24	37.4
30	<36"
36	<36"
42	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"

P= 75psf	
Post Height (in)	Allowable Post Spacing (in)
24	<36"
30	<36"
36	<36"
42	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"



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253-858-0855/Fax 253-858-0856 elrobison@narrows.com

Post Anchorage Design

System: ARS

Detail Description:

3/8"x3-3/4" KB-TZ in cracked concrete and 6-1/2x6-1/2" baseplate

Ma (in-lbs) 14500

Load Cases:

200# concentrated load at top of post

$$M = 200\# * H$$

$$H_{max} = Ma / 200\#$$

Hmax 72.5

50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	72
48	72
60	58
72	48.33333333
84	41.42857143
96	36.25



EDWARD C. ROBISON, PE

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Wind Load

$$M = P / 144 * TW * H^2 / 2$$

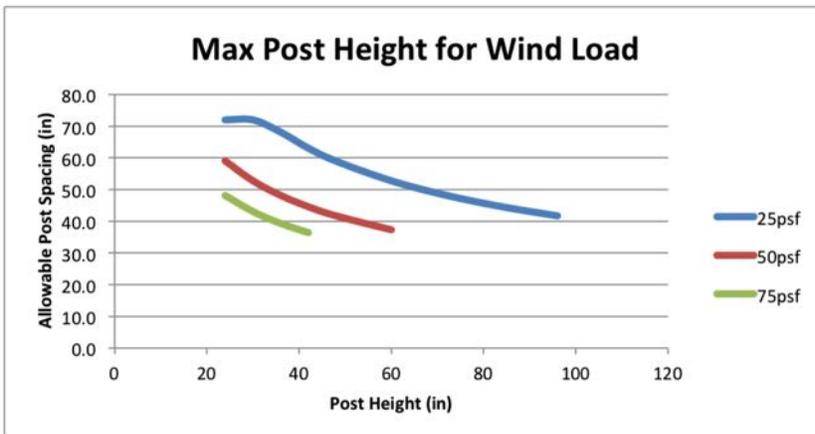
$$H_{max} = (2 * Ma / (TW * P / 144))^{1/2}$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Allowable Post Spacing (in)
24	72.0
30	72.0
36	68.1
42	63.1
48	59.0
60	52.8
72	48.2
84	44.6
96	41.7

P= 50psf	
Post Height (in)	Allowable Post Spacing (in)
24	59.0
30	52.8
36	48.2
42	44.6
48	41.7
60	37.3
72	<36"
84	<36"
96	<36"

P= 75psf	
Post Height (in)	Allowable Post Spacing (in)
24	48.2
30	43.1
36	39.3
42	36.4
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"



Post Anchorage Design

System: ARS

Detail Description:

3/8" Lag screw w/ 4-1/4" penetration and 5x5 baseplate

Ma (in-lbs) 11400

Load Cases:

200# concentrated load at top of post

$$M = 200\# * H$$

$$H_{max} = Ma / 200\#$$

Hmax 57

50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	65.14285714
48	57
60	45.6
72	38
84	<36"
96	<36"



Wind Load

$$M = P / 144 * TW * H^2 / 2$$

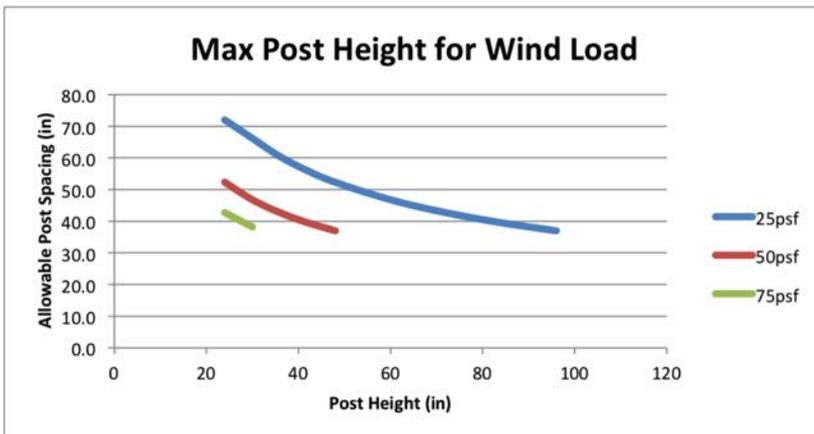
$$H_{max} = (2 * Ma / (TW * P / 144))^{1/2}$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Allowable Post Spacing (in)
24	72.0
30	66.2
36	60.4
42	55.9
48	52.3
60	46.8
72	42.7
84	39.5
96	37.0

P= 50psf	
Post Height (in)	Allowable Post Spacing (in)
24	52.3
30	46.8
36	42.7
42	39.5
48	37.0
60	<36"
72	<36"
84	<36"
96	<36"

P= 75psf	
Post Height (in)	Allowable Post Spacing (in)
24	42.7
30	38.2
36	<36"
42	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"



Post Anchorage Design

System: ARS

Detail Description:

3/8" Lag screw w/ 3-1/2" penetration and 5x5 baseplate

Ma (in-lbs) 9860

Load Cases:

200# concentrated load at top of post

$M = 200\# * H$

$H_{max} = Ma / 200\#$

Hmax 49.3

50plf uniform load along top rail

$M = 50plf / 12 * TW * H$

$H_{max} = Ma / (TW * 50plf / 12)$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	65.73333333
42	56.34285714
48	49.3
60	39.44
72	<36"
84	<36"
96	<36"



Wind Load

$$M = P / 144 * TW * H^2 / 2$$

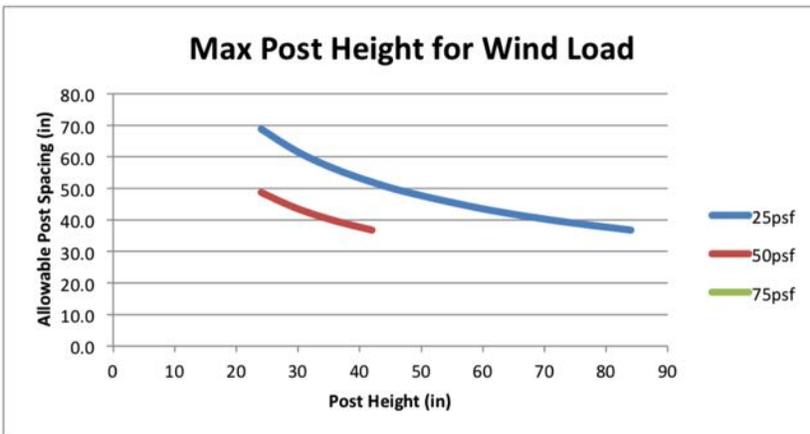
$$H_{max} = (2 * Ma / (TW * P / 144))^{(1/2)}$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Allowable Post Spacing (in)
24	68.8
30	61.5
36	56.2
42	52.0
48	48.6
60	43.5
72	39.7
84	36.8
96	<36"

P= 50psf	
Post Height (in)	Allowable Post Spacing (in)
24	48.6
30	43.5
36	39.7
42	36.8
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"

P= 75psf	
Post Height (in)	Allowable Post Spacing (in)
24	39.7
30	<36"
36	<36"
42	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"



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Post Anchorage Design

System: ARS

Detail Description:

3/8" Lag screw w/ 3" penetration and 5x5 baseplate

Ma (in-lbs) 8700

Load Cases:

200# concentrated load at top of post

$$M = 200\# * H$$

$$H_{max} = Ma / 200\#$$

Hmax 43.5

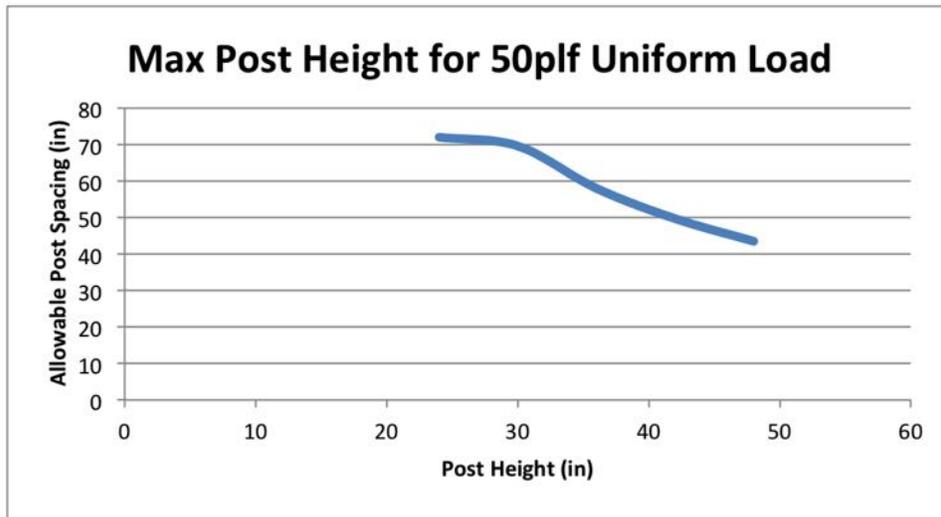
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	69.6
36	58
42	49.71428571
48	43.5
60	<36"
72	<36"
84	<36"
96	<36"



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Wind Load

$$M = P/144 * TW * H^2 / 2$$

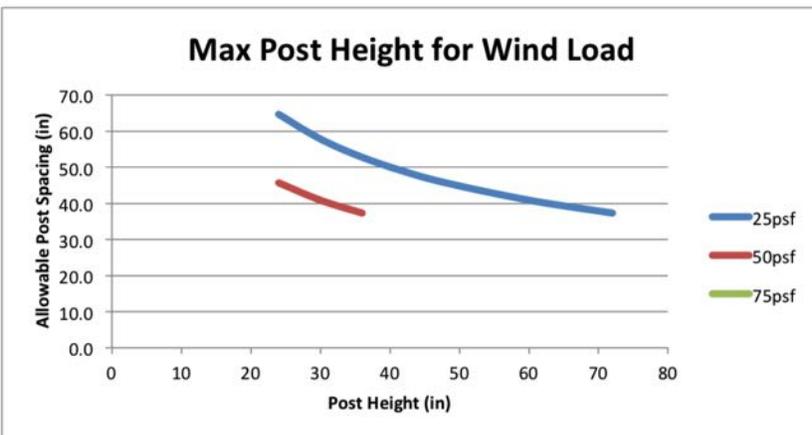
$$H_{max} = (2 * Ma / (TW * P / 144))^{1/2}$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Allowable Post Spacing (in)
24	64.6
30	57.8
36	52.8
42	48.8
48	45.7
60	40.9
72	37.3
84	<36"
96	<36"

P= 50psf	
Post Height (in)	Allowable Post Spacing (in)
24	45.7
30	40.9
36	37.3
42	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"

P= 75psf	
Post Height (in)	Allowable Post Spacing (in)
24	37.3
30	<36"
36	<36"
42	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"



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Post Anchorage Design

System: ARS

Detail Description:

3/8" Lag screw w/ 4-1/4" penetration and 3x5" baseplate

Ma (in-lbs) 4820

Load Cases:

200# concentrated load at top of post

$M = 200\# * H$

$H_{max} = Ma / 200\#$

Hmax 24.1

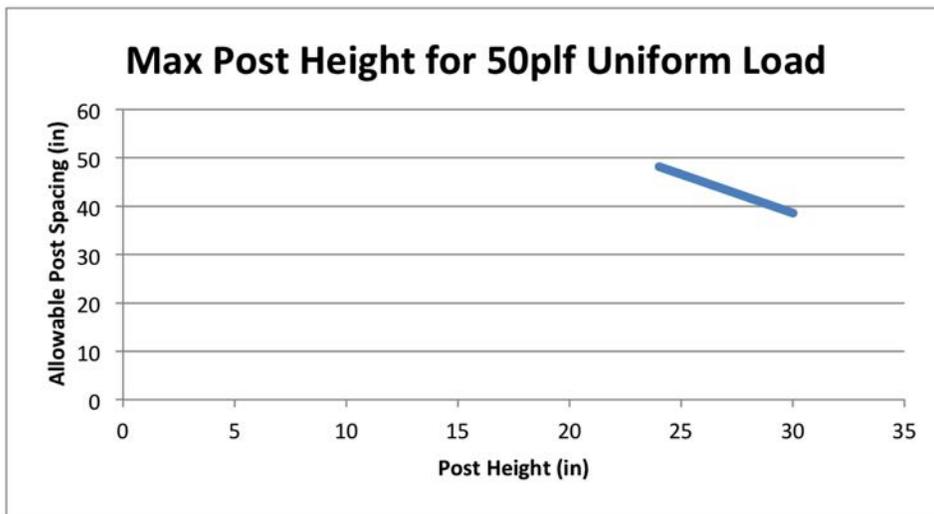
50plf uniform load along top rail

$M = 50plf / 12 * TW * H$

$H_{max} = Ma / (TW * 50plf / 12)$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	48.2
30	38.56
36	<36"
42	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"



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Wind Load

$$M = P / 144 * TW * H^2 / 2$$

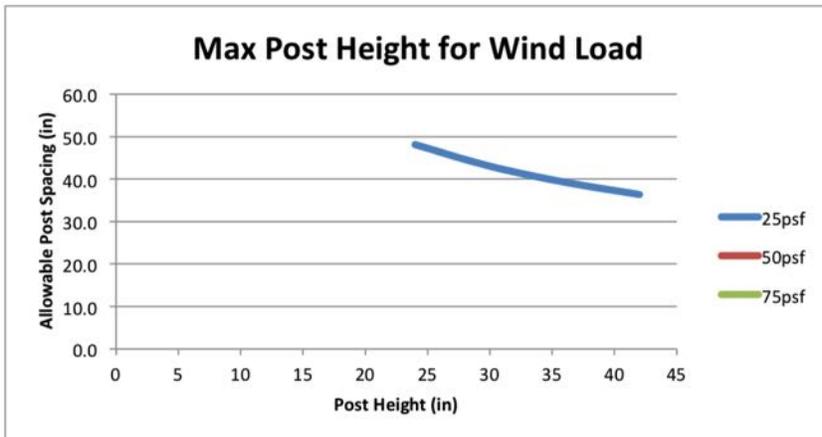
$$H_{max} = (2 * Ma / (TW * P / 144))^{1/2}$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Allowable Post Spacing (in)
24	48.1
30	43.0
36	39.3
42	36.4
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"

P= 50psf	
Post Height (in)	Allowable Post Spacing (in)
24	<36"
30	<36"
36	<36"
42	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"

P= 75psf	
Post Height (in)	Allowable Post Spacing (in)
24	<36"
30	<36"
36	<36"
42	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"



Post Anchorage Design

System: ARS

Detail Description:

3/8" Lag screw w/ 4-1/4" penetration and 6-1/2x6-1/2" baseplate

Ma (in-lbs) 16000

Load Cases:

200# concentrated load at top of post

$$M = 200\# * H$$

$$H_{max} = Ma / 200\#$$

Hmax 80

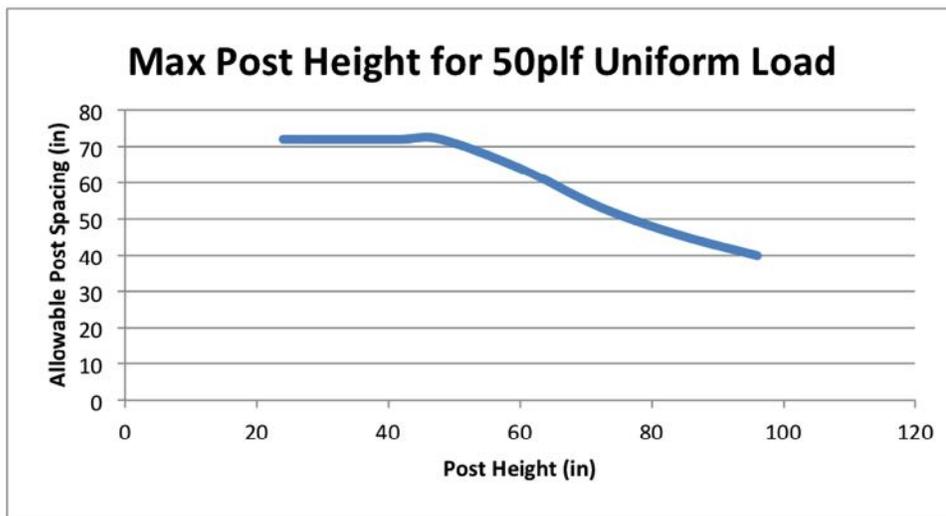
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	72
48	72
60	64
72	53.33333333
84	45.71428571
96	40



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Wind Load

$$M = P / 144 * TW * H^2 / 2$$

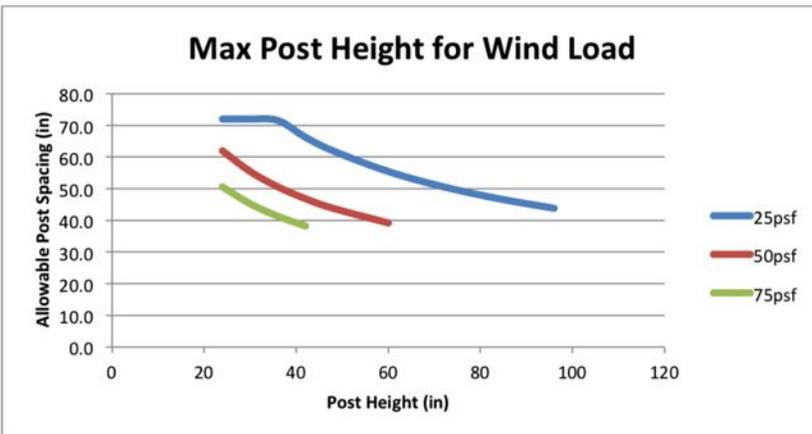
$$H_{max} = (2 * Ma / (TW * P / 144))^{1/2}$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Allowable Post Spacing (in)
24	72.0
30	72.0
36	71.6
42	66.2
48	62.0
60	55.4
72	50.6
84	46.8
96	43.8

P= 50psf	
Post Height (in)	Allowable Post Spacing (in)
24	62.0
30	55.4
36	50.6
42	46.8
48	43.8
60	39.2
72	<36"
84	<36"
96	<36"

P= 75psf	
Post Height (in)	Allowable Post Spacing (in)
24	50.6
30	45.3
36	41.3
42	38.2
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"



Post Anchorage Design

System: ARS

Detail Description:

3/8" Lag screw w/ 3-1/2" penetration and 6-1/2x6-1/2" baseplate

Ma (in-lbs) 13600

Load Cases:

200# concentrated load at top of post

$M = 200\# * H$

$H_{max} = Ma / 200\#$

Hmax 68

50plf uniform load along top rail

$M = 50plf / 12 * TW * H$

$H_{max} = Ma / (TW * 50plf / 12)$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	72
48	68
60	54.4
72	45.33333333
84	38.85714286
96	<36"



Wind Load

$$M = P / 144 * TW * H^2 / 2$$

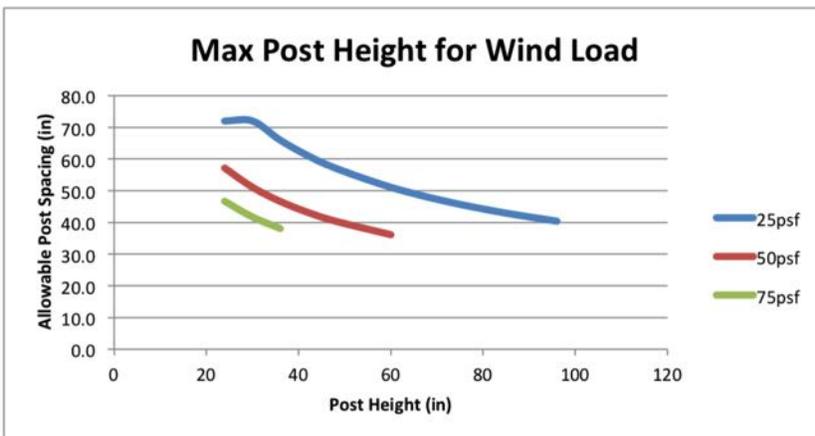
$$H_{max} = (2 * Ma / (TW * P / 144))^{1/2}$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Allowable Post Spacing (in)
24	72.0
30	72.0
36	66.0
42	61.1
48	57.1
60	51.1
72	46.6
84	43.2
96	40.4

P= 50psf	
Post Height (in)	Allowable Post Spacing (in)
24	57.1
30	51.1
36	46.6
42	43.2
48	40.4
60	36.1
72	<36"
84	<36"
96	<36"

P= 75psf	
Post Height (in)	Allowable Post Spacing (in)
24	46.6
30	41.7
36	38.1
42	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"



Post Anchorage Design

System: ARS

Detail Description:

3/8" Lag screw w/ 3" penetration and 6-1/2x6-1/2" baseplate

Ma (in-lbs) 11900

Load Cases:

200# concentrated load at top of post

$M = 200\# * H$

$H_{max} = Ma / 200\#$

Hmax 59.5

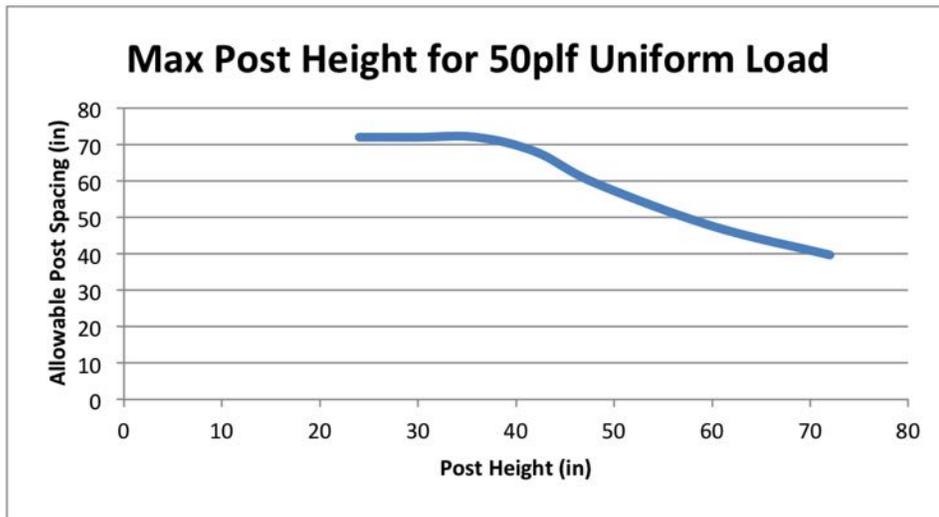
50plf uniform load along top rail

$M = 50plf / 12 * TW * H$

$H_{max} = Ma / (TW * 50plf / 12)$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	68
48	59.5
60	47.6
72	39.66666667
84	<36"
96	<36"



Wind Load

$$M = P / 144 * TW * H^2 / 2$$

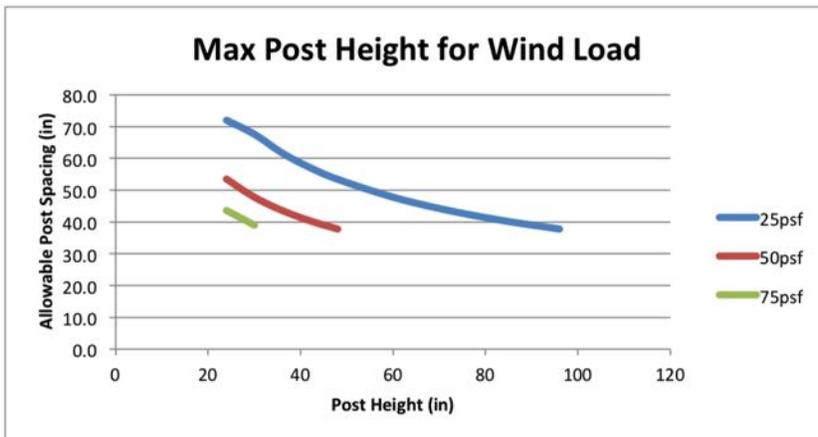
$$H_{max} = (2 * Ma / (TW * P / 144))^{1/2}$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Allowable Post Spacing (in)
24	72.0
30	67.6
36	61.7
42	57.1
48	53.4
60	47.8
72	43.6
84	40.4
96	37.8

P= 50psf	
Post Height (in)	Allowable Post Spacing (in)
24	53.4
30	47.8
36	43.6
42	40.4
48	37.8
60	<36"
72	<36"
84	<36"
96	<36"

P= 75psf	
Post Height (in)	Allowable Post Spacing (in)
24	43.6
30	39.0
36	<36"
42	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"



Post Anchorage Design

System: ARS

Detail Description:

Fascia bracket to wood beam. 3/8" lag screws with 3-3/8" penetration.

Ma (in-lbs) 10600

Load Cases:

200# concentrated load at top of post

$$M = 200\# * H$$

$$H_{max} = Ma / 200\#$$

Hmax 53

50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	70.66666667
42	60.57142857
48	53
60	42.4
72	<36"
84	<36"
96	<36"



EDWARD C. ROBISON, PE

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Wind Load

$$M = P / 144 * TW * H^2 / 2$$

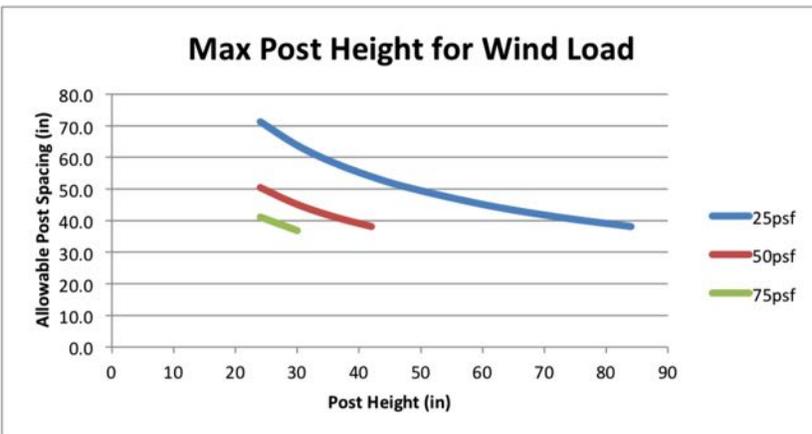
$$H_{max} = (2 * Ma / (TW * P / 144))^{1/2}$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Allowable Post Spacing (in)
24	71.3
30	63.8
36	58.2
42	53.9
48	50.4
60	45.1
72	41.2
84	38.1
96	<36"

P= 50psf	
Post Height (in)	Allowable Post Spacing (in)
24	50.4
30	45.1
36	41.2
42	38.1
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"

P= 75psf	
Post Height (in)	Allowable Post Spacing (in)
24	41.2
30	36.8
36	<36"
42	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"



Post Anchorage Design

System: ARS

Detail Description:

Fascia bracket to uncracked concrete

Ma (in-lbs) 11300

Load Cases:

200# concentrated load at top of post

$$M = 200\# * H$$

$$H_{max} = Ma / 200\#$$

Hmax 56.5

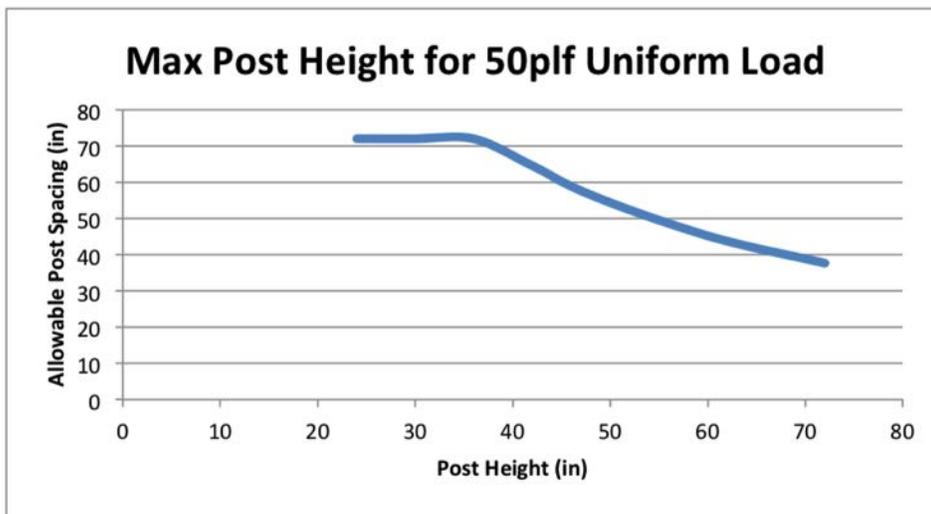
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	64.57142857
48	56.5
60	45.2
72	37.66666667
84	<36"
96	<36"



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Wind Load

$$M = P / 144 * TW * H^2 / 2$$

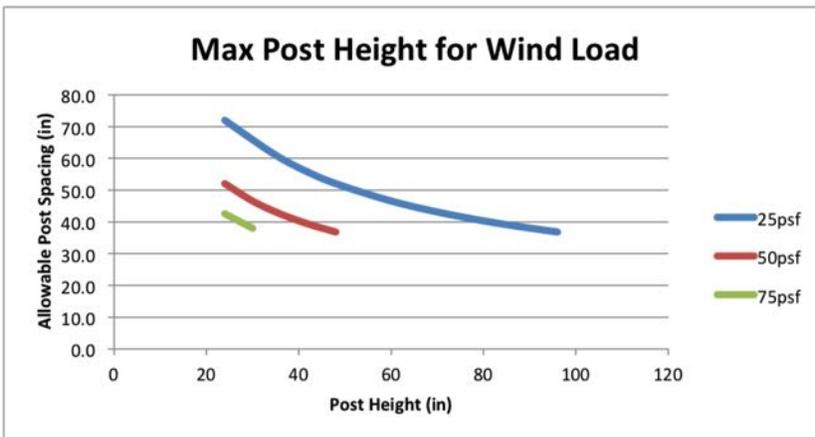
$$H_{max} = (2 * Ma / (TW * P / 144))^{1/2}$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Allowable Post Spacing (in)
24	72.0
30	65.9
36	60.1
42	55.7
48	52.1
60	46.6
72	42.5
84	39.4
96	36.8

P= 50psf	
Post Height (in)	Allowable Post Spacing (in)
24	52.1
30	46.6
36	42.5
42	39.4
48	36.8
60	<36"
72	<36"
84	<36"
96	<36"

P= 75psf	
Post Height (in)	Allowable Post Spacing (in)
24	42.5
30	38.0
36	<36"
42	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"



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Post Anchorage Design

System: ARS

Detail Description:

Fascia bracket to cracked concrete

Ma (in-lbs) 8000

Load Cases:

200# concentrated load at top of post

$$M = 200\# * H$$

$$H_{max} = Ma / 200\#$$

Hmax 40

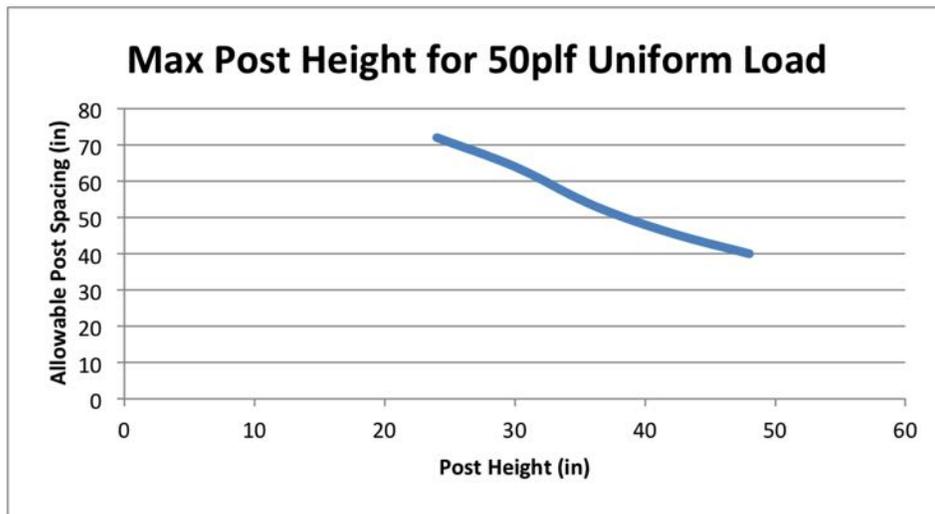
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	64
36	53.33333333
42	45.71428571
48	40
60	<36"
72	<36"
84	<36"
96	<36"



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Wind Load

$$M = P / 144 * TW * H^2 / 2$$

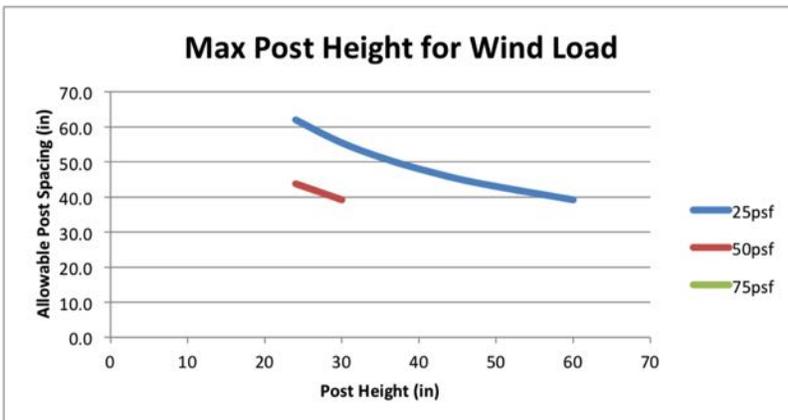
$$H_{max} = (2 * Ma / (TW * P / 144))^{1/2}$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Allowable Post Spacing (in)
24	62.0
30	55.4
36	50.6
42	46.8
48	43.8
60	39.2
72	<36"
84	<36"
96	<36"

P= 50psf	
Post Height (in)	Allowable Post Spacing (in)
24	43.8
30	39.2
36	<36"
42	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"

P= 75psf	
Post Height (in)	Allowable Post Spacing (in)
24	<36"
30	<36"
36	<36"
42	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"



Post Anchorage Design

System: ARS

Detail Description:

Direct post to wood fascia mount. 3/8"x5" lag screws.

Ma (in-lbs) 7800

Load Cases:

200# concentrated load at top of post

$$M = 200\# * H$$

$$H_{max} = Ma / 200\#$$

Hmax 39

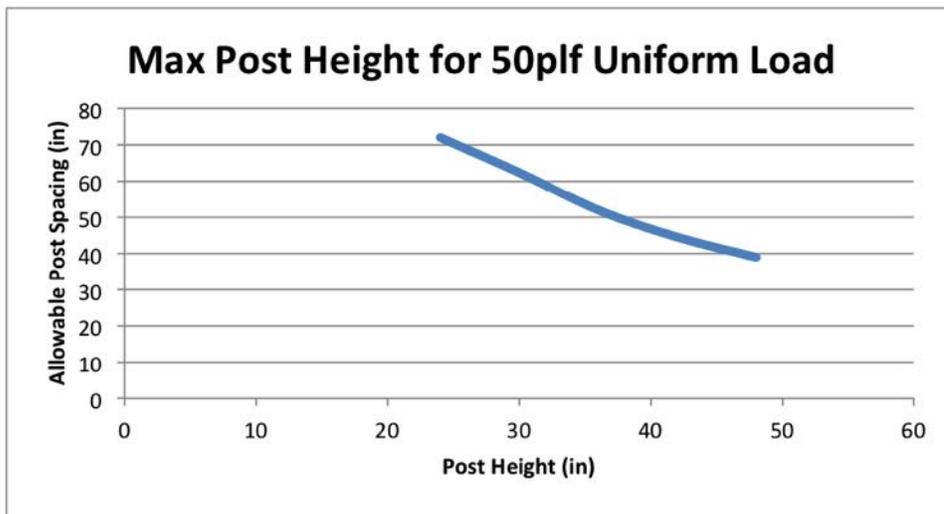
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H^2$$

$$H_{max} = \sqrt{Ma / (TW * 50plf / 12)}$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	62.4
36	52
42	44.57142857
48	39
60	<36"
72	<36"
84	<36"
96	<36"



Wind Load

$$M = P / 144 * TW * H^2 / 2$$

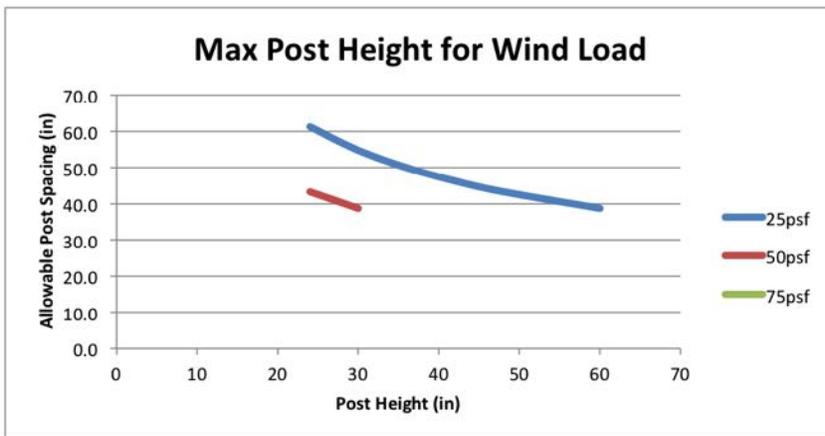
$$H_{max} = (2 * Ma / (TW * P / 144))^{1/2}$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Allowable Post Spacing (in)
24	61.2
30	54.7
36	50.0
42	46.3
48	43.3
60	38.7
72	<36"
84	<36"
96	<36"

P= 50psf	
Post Height (in)	Allowable Post Spacing (in)
24	43.3
30	38.7
36	<36"
42	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"

P= 75psf	
Post Height (in)	Allowable Post Spacing (in)
24	<36"
30	<36"
36	<36"
42	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"



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Post Anchorage Design

System: ARS

Detail Description:

Direct post to wood fascia mount. 3/8" carriage bolts.

Ma (in-lbs) 17400

Load Cases:

200# concentrated load at top of post

$M = 200\# * H$

$H_{max} = Ma / 200\#$

Hmax 87

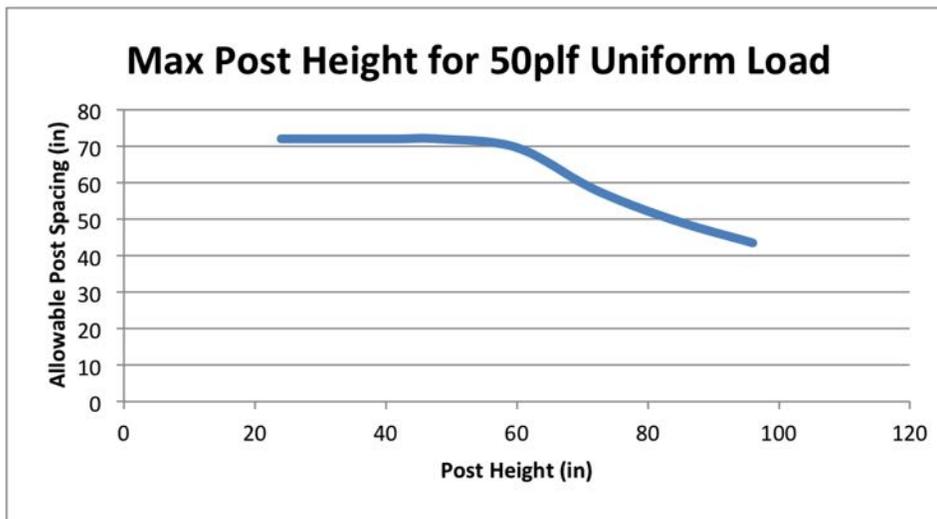
50plf uniform load along top rail

$M = 50plf / 12 * TW * H$

$H_{max} = Ma / (TW * 50plf / 12)$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	72
48	72
60	69.6
72	58
84	49.71428571
96	43.5



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Wind Load

$$M = P / 144 * TW * H^2 / 2$$

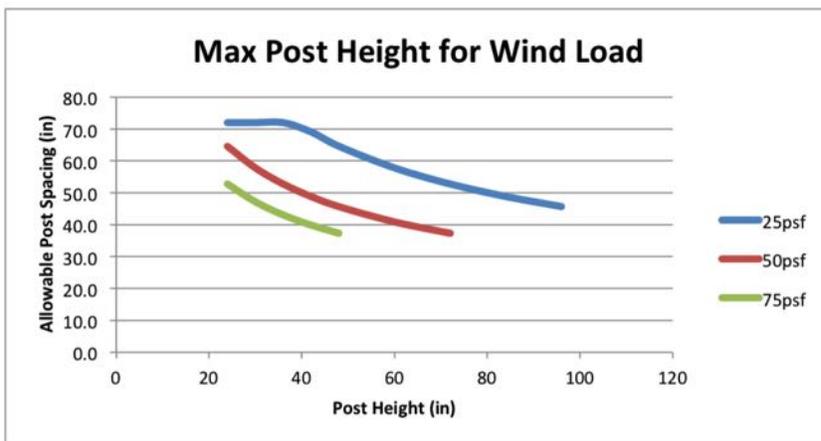
$$H_{max} = (2 * Ma / (TW * P / 144))^{1/2}$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Allowable Post Spacing (in)
24	72.0
30	72.0
36	72.0
42	69.1
48	64.6
60	57.8
72	52.8
84	48.8
96	45.7

P= 50psf	
Post Height (in)	Allowable Post Spacing (in)
24	64.6
30	57.8
36	52.8
42	48.8
48	45.7
60	40.9
72	37.3
84	<36"
96	<36"

P= 75psf	
Post Height (in)	Allowable Post Spacing (in)
24	52.8
30	47.2
36	43.1
42	39.9
48	37.3
60	<36"
72	<36"
84	<36"
96	<36"



Post Anchorage Design

System: ARS
 Detail Description:
 Post in core mount

Ma (in-lbs) 12600

Load Cases:

200# concentrated load at top of post

$M = 200\# * H$

$H_{max} = Ma / 200\#$

Hmax 63

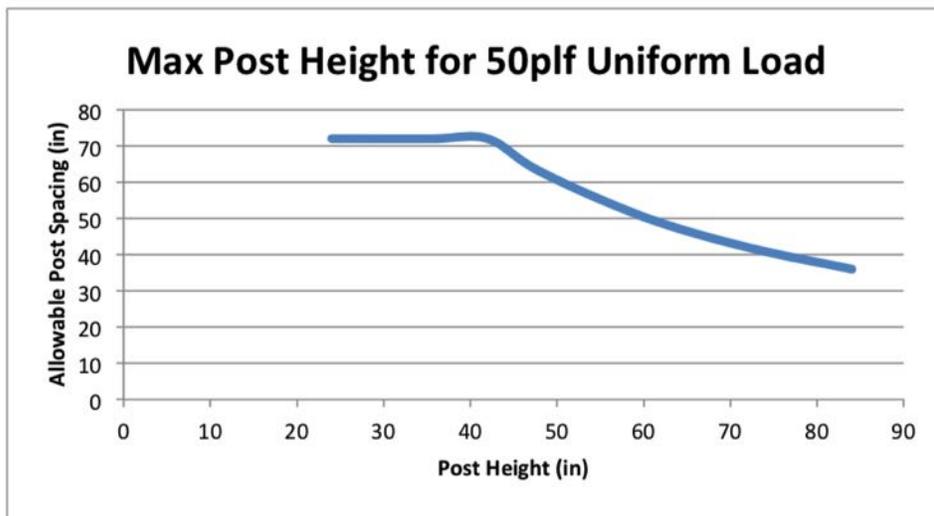
50plf uniform load along top rail

$M = 50plf / 12 * TW * H$

$H_{max} = Ma / (TW * 50plf / 12)$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	72
48	63
60	50.4
72	42
84	36
96	<36"



Wind Load

$$M = P / 144 * TW * H^2 / 2$$

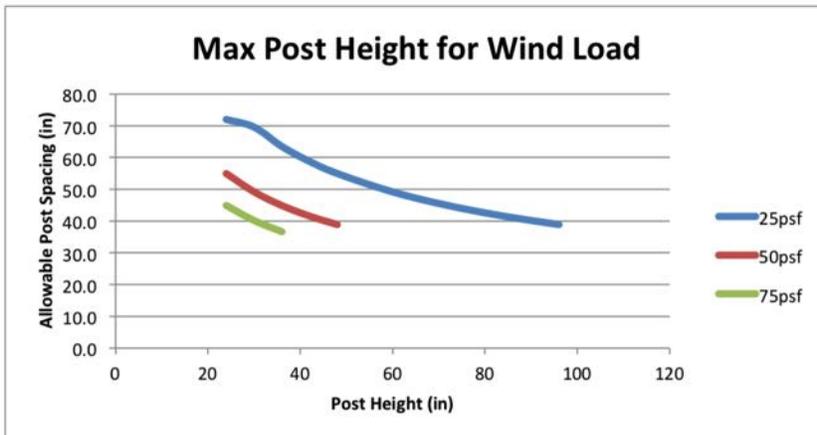
$$H_{max} = (2 * Ma / (TW * P / 144))^{1/2}$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Allowable Post Spacing (in)
24	72.0
30	69.6
36	63.5
42	58.8
48	55.0
60	49.2
72	44.9
84	41.6
96	38.9

P= 50psf	
Post Height (in)	Allowable Post Spacing (in)
24	55.0
30	49.2
36	44.9
42	41.6
48	38.9
60	<36"
72	<36"
84	<36"
96	<36"

P= 75psf	
Post Height (in)	Allowable Post Spacing (in)
24	44.9
30	40.2
36	36.7
42	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"



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Post Anchorage Design

System: ARS

Detail Description:

Stanchion in core mount

Ma (in-lbs) 11400

Load Cases:

200# concentrated load at top of post

$M = 200\# * H$

$H_{max} = Ma / 200\#$

Hmax 57

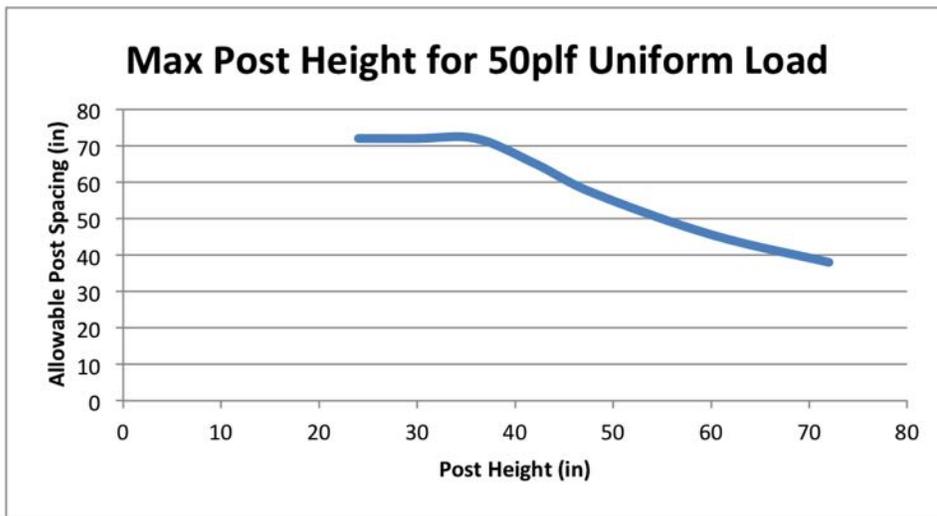
50plf uniform load along top rail

$M = 50plf / 12 * TW * H$

$H_{max} = Ma / (TW * 50plf / 12)$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	65.14285714
48	57
60	45.6
72	38
84	<36"
96	<36"



Wind Load

$$M = P/144 * TW * H^2/2$$

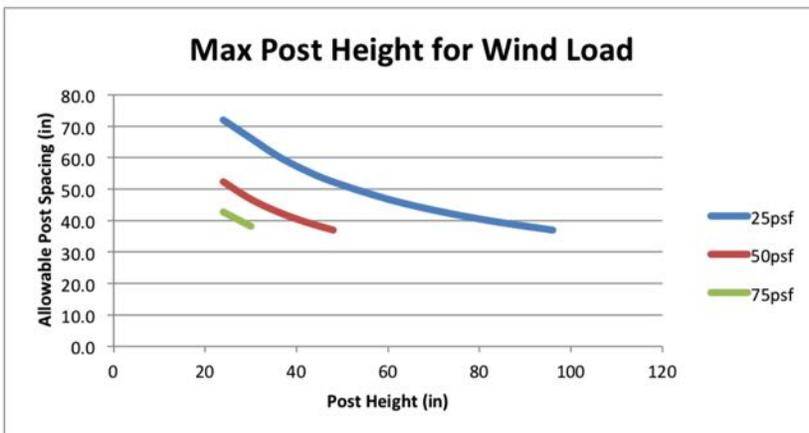
$$H_{max} = (2 * Ma / (TW * P/144))^{1/2}$$

Allowable post height with respect to post spacing for different wind pressures:

P= 25psf	
Post Height (in)	Allowable Post Spacing (in)
24	72.0
30	66.2
36	60.4
42	55.9
48	52.3
60	46.8
72	42.7
84	39.5
96	37.0

P= 50psf	
Post Height (in)	Allowable Post Spacing (in)
24	52.3
30	46.8
36	42.7
42	39.5
48	37.0
60	<36"
72	<36"
84	<36"
96	<36"

P= 75psf	
Post Height (in)	Allowable Post Spacing (in)
24	42.7
30	38.2
36	<36"
42	<36"
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"



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Connection to base plate

- Failure modes → screw tension
- screw shear
- screw withdrawal

Testing has shown that screw withdrawal doesn't control the base plate to post connection. Thus ADM equation J.5-7 isn't applicable to this application.

Base plate to post screws are AISI 4037 steel alloy fabricated in accordance with SAE J429 Grade 8 and coated with Magni 550 corrosion protection. For 1/4" SAE J429 screw areas provided by manufacturer

Root area = 0.0483in²

Tension rupture area = 0.0376 in²

Screw tension → $T_y = 0.0483 \text{ in}^2 \cdot 110 \text{ ksi} = 5314 \text{ \#}$

$F_{tU} = 0.0376 \cdot 150 \text{ ksi} = 5,640\text{\#}$

Safety factors for screws calculated from SEI/ASCE 8-02 Section 5 LRFD factors - These safety factors were determine appropriate because AISC-360 and the ADM don't include this type of screw but SEI/ASCE 8-02 does.

For yielding $SF = 1.6/0.75 = 2.13 \rightarrow 5,314\text{\#}/2.13 = 2,495\text{\#}$

For fracture $SF = 1.6/0.65 = 2.46 \rightarrow 5,640/2.46 = 2,293\text{\#}$

Shear strength

For fracture $SF = 1.6/(0.9*0.75) = 2.37 \rightarrow 2,174/2.37 = 917\text{\#}$

Base plate is 5083-H32 or 5052 H34 Aluminum plate, stamped

Allowable bending stress for flat plate = 24 ksi (1.5*Fy/1.65) ADM B.3.2.2

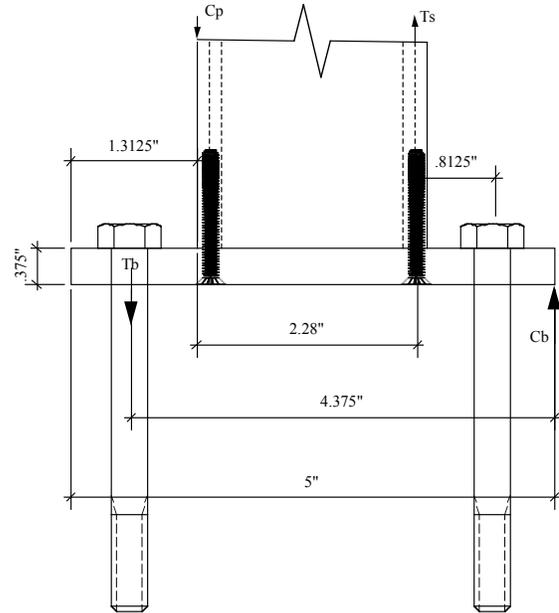
Base plate bending stress

$$F_t = 24 \text{ ksi} \rightarrow S_{min} = \frac{5'' \cdot 3/8^2}{6} = 0.117 \text{ in}^3$$

Base plate allowable moment

$$M_{all} = 24 \text{ ksi} \cdot 0.117 \text{ in}^3 = 2,812 \text{ \#''}$$

→ Base plate bending stress



$$V_u = 0.0483 * 45\text{ksi} = 2,174\text{\#}$$

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$$T_B = C$$

$$M = 0.8125'' \cdot T_B \cdot 2$$

$$T_{all} = \frac{2,812}{2 \cdot 0.8125} = 1,730\#$$

Maximum post moment for base plate strength
 $M_{all} = 2 \cdot 1730 \cdot 4.375'' = 15,142\#''$

Limiting factor = screws to post

$$M_{ult} = 2 \cdot 5,314\# \cdot 2.28'' = 24,232\#''$$

$$M_{all} = 2 \cdot 2,293\# \cdot 2.28'' = 10,456\#''$$

Testing and experience has shown that screw tension rupture is the controlling failure mode.

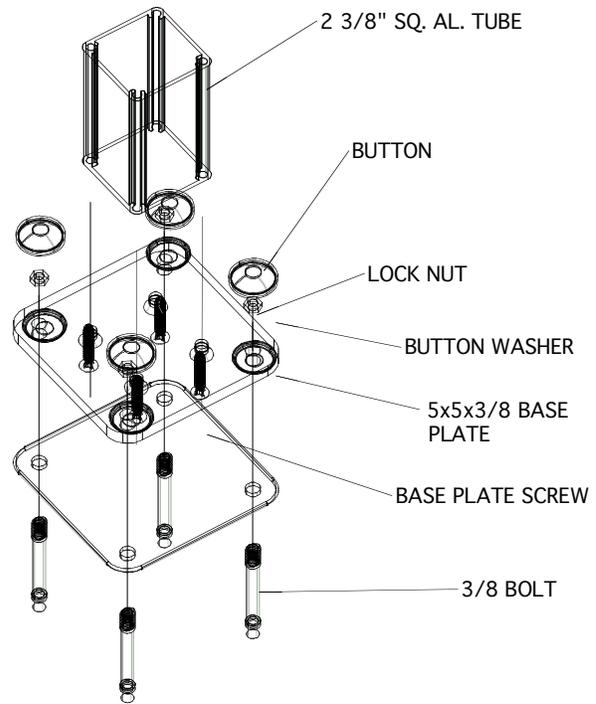
Interaction of shear and tension on the screw isn't required as two screws on the compression face will take all shear so the tension screws don't carry shear loads.

Alternatively if the shear is distributed evenly to all screws the shear stress won't reduce the allowable tension load until it exceeds 20% of the strength:

$$V = 0.2 \cdot 4 \cdot 917\# = 734\#$$

As this will greatly exceed the allowable load on the post the interaction need not be considered.

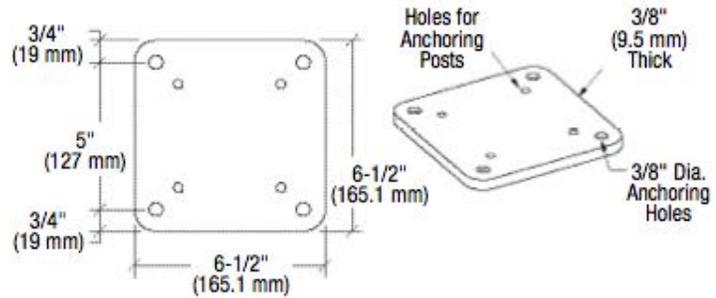
As the screws are countersunk in the base plate the base plate flexure doesn't create significant prying action on the screw heads as the plate may pivot around the screw head like a socket joint. Therefore prying action on the baseplate screws may be ignored.



6-1/2" Square Base Plates for 4" Square Posts

Connection to base plate

- Failure modes → screw tension
- screw shear
- screw withdrawal



Testing has demonstrated that screw withdrawal doesn't occur for the post alloy and screw embedment length

Base plate to post screws are AISI 4037 steel alloy fabricated in accordance with SAE J429 Grade 8 and coated with Magni 550 corrosion protection.

Screw tension → $T_y = 0.0483 \text{ in}^2 \cdot 110 \text{ ksi} = 5314 \#$
 $V_u = 0.0483 \cdot 45 \text{ ksi} = 2,174 \#$

$F_{tU} = 0.0376 \cdot 150 \text{ ksi} = 5640 \#$

Safety factors for screws calculated from SEI/ASCE 8-02 Section 5 LRFD factors. These safety factors were determine appropriate because AISC-360 and the ADM don't include this type of screw but SEI/ASCE 8-02 does.

For yielding $SF = 1.6/0.75 = 2.13 \rightarrow 5,314\#/2.13 = 2,495 \#$

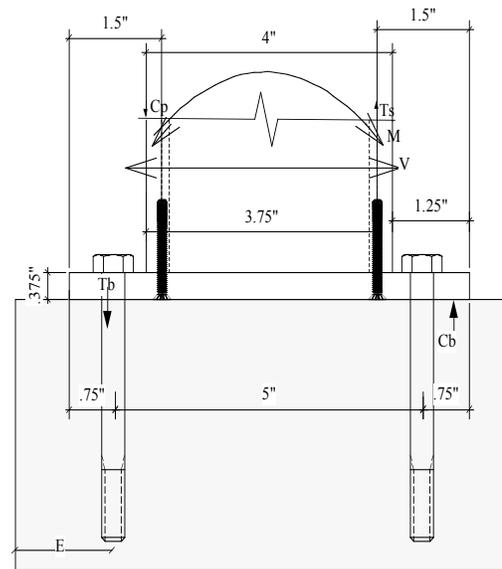
For fracture $SF = 1.6/(0.9 \cdot 0.75) = 2.37 \rightarrow 5,640/2.37 = 2,380 \#$

Shear strength

$SF = 1.6/0.65 = 2.46 \quad V_a = V_u/SF = 2,174\#/2.46 = 884 \#$

Base plate bending stress

$F_t = 24 \text{ ksi} \rightarrow S_{min} = \frac{6.5'' \cdot 3/8^2}{6} = 0.152 \text{ in}^3$



6-1/2" Square Base Plates Cont.

Base plate allowable moment

$$M_{all} = 24 \text{ ksi} \cdot 0.152 \text{ in}^3 = 3,648 \text{ "#}$$

→ Base plate bending stress

$$T_B = C$$

$$M = 5/8" \cdot T_B \cdot 2 = 3,648\text{"}$$

$$T_{all} = \frac{3,648\text{"}}{2 \cdot 0.625} = 2,918\text{"}$$

Maximum allowable post moment for base plate strength

$$M_{all} = 2 \cdot 2,918 \cdot 5.75" = 33,562\text{"}$$

Limiting factor = screws to post

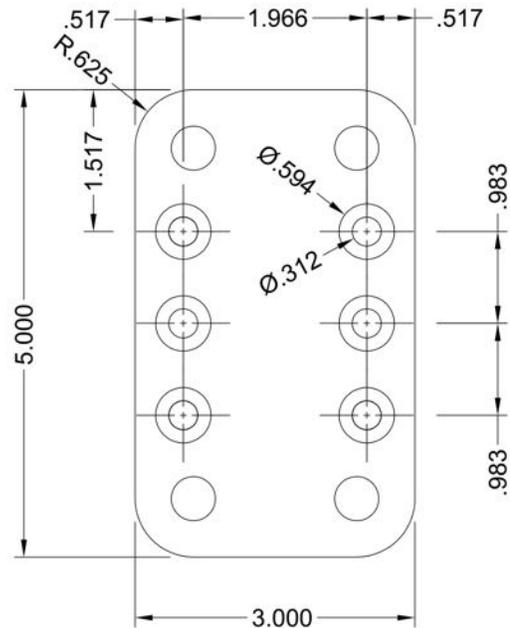
$$M_{ult} = 2 \cdot 5,314\text{"} \cdot 3.69" = 39,217\text{"}$$

$$M_{all} = 2 \cdot 2,380\text{"} \cdot 3.69" = 17,264\text{"}$$

As the screws are countersunk in the base plate the base plate flexure doesn't create significant prying action on the screw heads as the plate may pivot around the screw head like a socket joint. Therefore prying action on the baseplate screws may be ignored.

3X5” BASEPLATE

The 3x5” baseplate uses the same screw pattern as the 5x5 baseplate so the strength of the connection to the post is the same. Prying loading on the heel side anchors may be larger however. Allowable moments on the 3x5” baseplate will be lower because of the reduced effective distance between the tension and compression centroids.



TRIM LINE POST BASEPLATE

Uses same screws as the 2-3/8” square post.

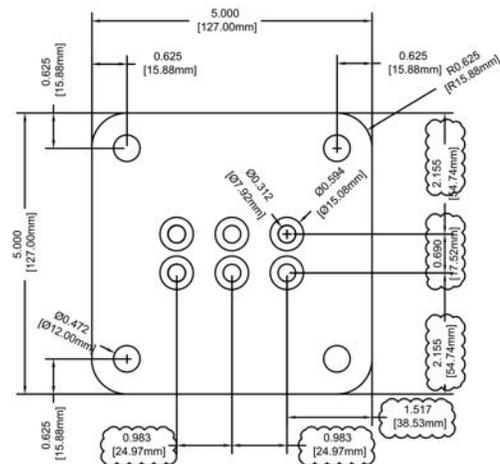
Strong axis bending -

$$M_{base} = 2 \text{ screws} * 2,293\# * 2.28'' + 2 \text{ screws} * 0.5 * 2,293\# * 2.28'' / 2 = 13,100''\#$$

Weak axis bending -

$$M_{base} = 3 \text{ screws} * 2,293\# * 0.895'' = 6,160''\#$$

Anchorage to the structure is the same as for the 2-3/8” square posts.



Hilti 3/8"x4" Kwik HUS-EZ

Base plate mounted to concrete with Hilti 3/8"x4" KH-EZ concrete anchors. Anchor strength based on ESR-3027 AND ACI318.

Minimum conditions used for the calculations:

$$f'_c \geq 3,000 \text{ psi; edge distance} = 4.1875'' \text{ spacing} = 3.75''$$

$$h_{nom} = 4'' - 3/8'' = 3.625''$$

$$h_{ef} = 2.5''$$

For concrete breakout strength:

$$N_{cb} = [A_{Ncg}/A_{Nco}] \varphi_{ed,N} \varphi_{c,N} \varphi_{cp,N} N_b$$

$$A_{Ncg} = (1.5 * 2.5'' * 2 + 3.75'') * (1.5 * 2.5'' * 2) = 84.38 \text{ in}^2 \text{ for 2 tension anchors}$$

$$A_{Nco} = 9 * 2.5''^2 = 56.25 \text{ in}^2$$

$$C_{ac} = 3.75''$$

$$\varphi_{ed,N} = 1.0$$

$$\varphi_{c,N} = 1.0$$

$$k_{uncr} = 24$$

$$k_{cr} = 17$$

$$\varphi_{cp,N} = 1$$

$$N_b = 24 * 1.0 * \sqrt{3000} * 2.5^{1.5} = 5,200\# \text{ for uncracked concrete}$$

$$N_b = 17 * 1.0 * \sqrt{3000} * 2.5^{1.5} = 3,680\# \text{ for cracked concrete}$$

$$N_{cb} = 84.38/56.25 * 1.0 * 1.0 * 1.0 * 5,200\# = 7,800\# \text{ for uncracked concrete}$$

$$N_{cb} = 84.38/56.25 * 1.0 * 1.0 * 1.0 * 3,680\# = 5,520\# \text{ for cracked concrete}$$

Determine allowable tension load on anchor pair assuming an average load factor of 1.6.

$$T_a = 0.65 * 7,800\# / 1.6 = 3,170\#$$

$$T_a = 0.65 * 5,520\# / 1.6 = 2,240\#$$

Anchor steel strength:

$$T_a = 2 * 0.65 * 10,335\# / 1.6 = 8,400\# \text{ (Does not control)}$$

Per ESR 3027, pullout strength does not control.

Find moment strength:

$$a = 3,170\# / (0.85 * 3000 \text{ psi} * 5'') = 0.249'' \text{ for uncracked concrete}$$

$$a = 2,240\# / (0.85 * 3000 \text{ psi} * 5'') = 0.176'' \text{ for cracked concrete}$$

5"x5" baseplate:

$$M_a = 3,170\# * (4.375'' - 0.249'' / 2) = 13,500''\# \text{ for uncracked concrete}$$

$$M_a = 2,240\# * (4.375'' - 0.176'' / 2) = 9,600''\# \text{ for cracked concrete}$$

6-1/2"x6-1/2" baseplate:

$$M_a = 3,170\# * (5.75'' - 0.249'' / 2) = 17,800''\# \text{ for uncracked concrete}$$

$$M_a = 2,240\# * (5.75'' - 0.176'' / 2) = 12,700''\# \text{ for cracked concrete}$$

3"x5" baseplate:

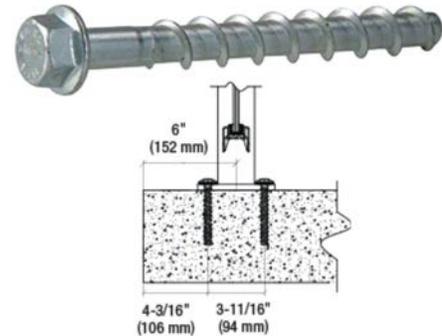
$$M_a = 3,170\# * (2.375'' - 0.249'' / 2) = 7,130''\# \text{ for uncracked concrete}$$

$$M_a = 2,240\# * (2.375'' - 0.176'' / 2) = 5,120''\# \text{ for cracked concrete}$$

Check shear strength - Concrete breakout strength in shear:

$$V_{cb} = A_{vc} / A_{vco} (\varphi_{ed,v} \varphi_{c,v} \varphi_{h,v} V_b)$$

$$A_{vc} = (1.5 * 4.19'' * 2 + 3.75'') * (4.19'' * 1.5) = 102.6 \text{ in}^2$$



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$$A_{vco} = 4.5(c_{a1})^2 = 4.5(4.19)^2 = 79.00 \text{ in}^2$$

$$\phi_{ed,v} = 1.0 \text{ (affected by only one edge)}$$

$$\phi_{c,v} = 1.0 \text{ cracked concrete}$$

$$V_b = [7(l_e/d_a)^{0.2} \sqrt{d_a}] \lambda \sqrt{f'_c} (c_{a1})^{1.5} = [7(2.5/0.375)^{0.2} \sqrt{0.375}] 1.0 \sqrt{3000} (4.19)^{1.5} = 2,940 \#$$

$$V_{cb} = 102.6/79.00 * 1.0 * 1.0 * 1.0 * 2,940 \# = 3,820 \#$$

$$V_a = 0.7 * 3,820 \# / 1.6 = 1,670 \#$$

$$\text{Steel shear strength} = 5,185 \# * 2 = 10,400 \#$$

Allowable shear strength

$$\phi V_N / 1.6 = 0.60 * 10,400 \# / 1.6 = 3,900 \#$$

$$\text{Controlling allowable shear strength} = 1,670 \#$$

Note that the concrete breakout strength in shear is based off of the anchors closest to the edge which would not have tension loading if the force is towards the edge. It can be assumed the toe side anchors will resist all the shear and the heel side anchors will resist all the tension. Therefore interaction of shear and tension is not a concern.

Hilti 3/8"x3-3/4" Stainless Steel Kwikbolt - TZ

Base plate mounted to concrete with Hilti 3/4"x3-3/4" KB-TZ concrete anchors. Anchor strength based on ESR-1917 and ACI 318.

Minimum conditions used for the calculations:

$f'_c \geq 3,000$ psi; edge distance = 2-5/8" spacing = 3.75"

$h_{nom} = 3-1/16"$

$h_{ef} = 2.75"$

For concrete breakout strength:

$N_{cb} = [A_{Ncg}/A_{Nco}] \phi_{ed,N} \phi_{c,N} \phi_{cp,N} N_b$

$A_{Ncg} = (1.5 * 2.75'' * 2 + 3.75'') * (1.5 * 2.75'' + 2.625'') = 81.0 \text{ in}^2$ for 2 tension anchors

$A_{Nco} = 9 * 2.75''^2 = 68.1 \text{ in}^2$

$C_{ac} = 4.125''$

$\phi_{ed,N} = 0.7 + 0.3 * 2.625'' / (1.5 * 2.75'') = 0.89$

$\phi_{ec,N} = 1$

$k_{uncr} = 24$

$k_{cr} = 17$

$\phi_{cp,N} = 1$ for cracked concrete

$\phi_{cp,N} = C_{ac} / (1.5 * h_{ef}) \text{ max} = 4.125 / (1.5 * 2.75) = 1$

$N_b = 24 * 1.0 * \sqrt{3000} * 2.75^{1.5} = 5,990\#$ for uncracked concrete

$N_b = 17 * 1.0 * \sqrt{3000} * 2.75^{1.5} = 4,250\#$ for cracked concrete

$N_{cb} = 81.0 / 68.1 * 0.89 * 1.0 * 1.0 * 5,990\# = 6,340\#$ for uncracked concrete

$N_{cb} = 81.0 / 68.1 * 0.89 * 1.0 * 1.0 * 4,250\# = 4,500\#$ for cracked concrete

Determine allowable tension load on anchor pair assuming an average load factor of 1.6.

$T_a = 0.65 * 6,340\# / 1.6 = 2,580\#$ for uncracked concrete

$T_a = 0.65 * 4,500\# / 1.6 = 1,830\#$ for cracked concrete

Anchor pullout strength:

$T_a = 2 * 0.65 * 4,110\# / 1.6 = 3,340\#$ for uncracked concrete (Does not control)

$T_a = 2 * 0.65 * 3,160\# / 1.6 = 2,570\#$ for cracked concrete (Does not control)

Find moment strength:

$a = 3,340\# / (0.85 * 3000 \text{ psi} * 5'') = 0.262''$ for uncracked concrete

$a = 2,570\# / (0.85 * 3000 \text{ psi} * 5'') = 0.202''$ for cracked concrete

5"x5" baseplate:

$M_a = 3,340\# * (4.375'' - 0.262'' / 2) = 14,200''\#$ for uncracked concrete

$M_a = 2,570\# * (4.375'' - 0.202'' / 2) = 11,000''\#$ for cracked concrete

6-1/2"x6-1/2" baseplate:

$M_a = 3,340\# * (5.75'' - 0.262'' / 2) = 18,800''\#$ for uncracked concrete

$M_a = 2,570\# * (5.75'' - 0.202'' / 2) = 14,500''\#$ for cracked concrete

3"x5" baseplate:

$M_a = 3,340\# * (2.375'' - 0.262'' / 2) = 7,490''\#$ for uncracked concrete

$M_a = 2,570\# * (2.375'' - 0.202'' / 2) = 5,840''\#$ for cracked concrete

Check shear strength - Concrete breakout strength in shear:

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$$V_{cb} = A_{vc}/A_{vco}(\phi_{ed,v}\phi_{c,v}\phi_{h,v}V_b$$

$$A_{vc} = (1.5 \times 2.625'' \times 2 + 3.75'') \times (2.625'' \times 1.5) = 45.77 \text{ in}^2$$

$$A_{vco} = 4.5(c_{al})^2 = 4.5(2.625'')^2 = 31.01 \text{ in}^2$$

$$\phi_{ed,v} = 1.0 \text{ (affected by only one edge)}$$

$$\phi_{c,v} = 1.0 \text{ cracked concrete}$$

$$V_b = [7(l_e/d_a)^{0.2} \sqrt{d_a}] \lambda \sqrt{f'_c} (c_{al})^{1.5} = [7(2.75/0.375)^{0.2} \sqrt{0.375}] 1.0 \sqrt{3000} (2.625)^{1.5} = 1,490 \#$$

$$V_{cb} = 45.77/31.01 \times 1.0 \times 1.0 \times 1.0 \times 1,490 \# = 2,200 \#$$

$$V_a = 0.7 \times 2,200 \# / 1.6 = 963 \#$$

$$\text{Steel shear strength} = 3,595 \# \times 2 = 7,190 \#$$

Allowable shear strength

$$\phi V_N / 1.6 = 0.65 \times 7,190 \# / 1.6 = 2,920 \#$$

Controlling allowable shear strength = 963 #

Note that the concrete breakout strength in shear is based off of the anchors closest to the edge which would not have tension loading if the force is towards the edge. It can be assumed the toe side anchors will resist all the shear and the heel side anchors will resist all the tension. Therefore interaction of shear and tension is not a concern.

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RAISED BASEPLATE DESIGN AND ANCHORAGE –

Baseplates are raised up and bear on nuts installed on embedded threaded rod.

Guard rail Height: 42"

loading: 200# concentrated load or

50 plf uniform load on top rail or

25 psf distributed load on area or

25 psf = 80 mph exp C wind load:

Design moment on posts:

$$M_1 = 42'' * 200\# = 8,400''\#$$

$$M_1 = 42'' * 50\text{plf} * 5\text{ft} = 10,500''\#$$

$$M_w = 3.5' * 5' * 25\text{psf} * 42'' / 2 = 9,188''\#$$

Design anchorage for 10,500''# moment.

Design shear = 438# (wind)

Bolt tension for typical design

$$T = 10,500 / (2 * 3.75) = 1,400\#$$

Anchor to concrete:

1/2" x 5" all-thread embedment

depth = 3.5" and 4,000 psi

concrete strength. Select anchor for:

Adjustment for anchor spacing = 3.75"

Adjustment for edge distance = 2-1/8"

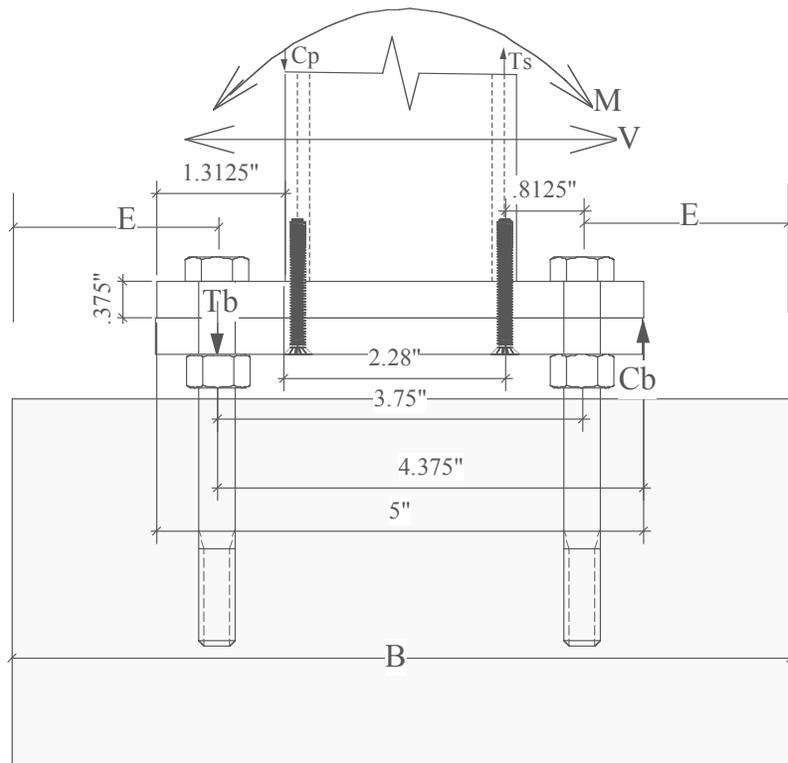
$$T' = 2,062\#$$

Check base plate strength:

Bending is biaxial because it sits on bearing nuts:

$$M = (3.75'' - 2.28'') /$$

$$2 * 1,400\# * 2 * \sqrt{2} = 2,910''\#$$



Bending stress in plate

The effective width at the post screws: 3.86"

$$S = 2 * 3.86'' * 0.375^2 / 6 = 0.181 \text{ in}^3$$

$$f_b = 2,910 / 0.181 = 16,080 \text{ psi}$$

Base plate is 5083-H32 or 5052 H34 Aluminum plate, stamped

Allowable bending stress for flat plate = 24 ksi (1.5 * Fy / 1.65) ADM B.3.2.2

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Bearing on nut:

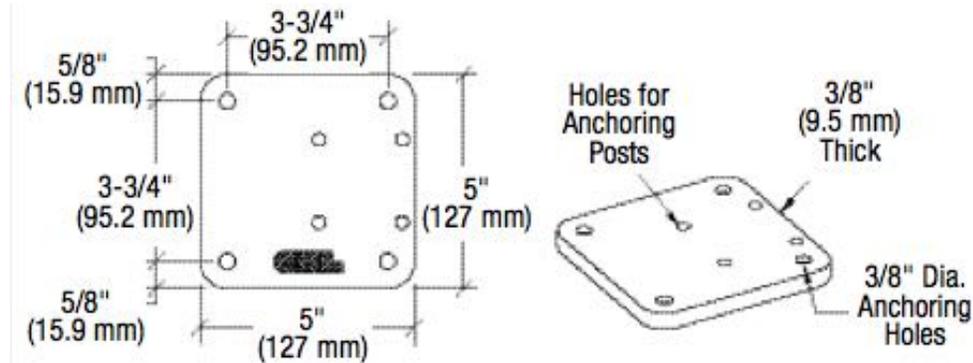
$$\text{Area} = (0.8^2 - 0.5625^2)\pi = 1.0 \text{ in}^2$$

$$f_B = 1,400\#/1.0 = 1,400 \text{ psi} - \text{Okay}$$

Screws to post – okay based on standard base plate design

Posts okay based on standard post design

OFFSET BASE PLATE



Offset base plate will have same allowable loads as the standard base plate.
Anchors to concrete are same as for standard base plate.

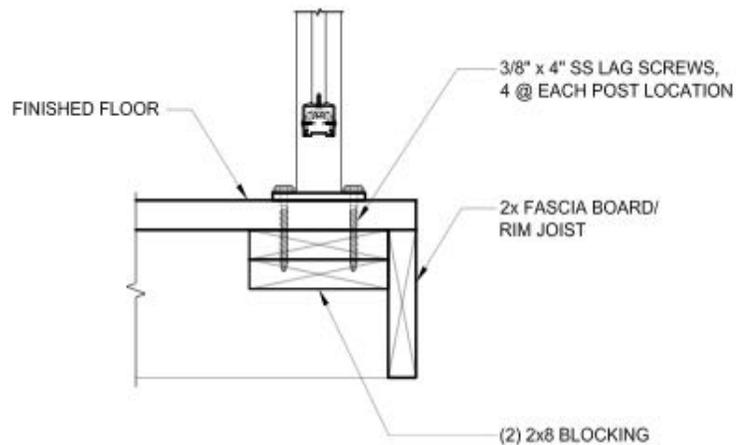
BASE PLATE MOUNTED TO WOOD

3/8" lag screw strength is according to AWC NDS. Assumed wood specific gravity is greater or equal than 0.43. This includes Hem-Fir, Douglas-Fir and Southern Pine.

From NDS Table 12.2A, $W = 243\text{pli}$.
 $C_D = 1.6$ for short term guard rail live loads.

$$W' = 1.6 * 243\text{pli} = 389\text{pli}$$

Use either A307 steel or 304 stainless steel lag screws. $F_u = 60\text{ksi}$ for A307 or 75ksi for 304.



$$A_r = \pi/4 * (0.265\text{in})^2 = 0.0552\text{in}^2$$

Design for a safety factor of 2 against screw rupture.

$$P_a = 0.0552\text{in}^2 * 60\text{ksi} / 2 = 1,660\#$$

Required penetration to develop strength of screw = $1,660\# / 389\text{pli} = 4.27''$.

Check anchorage strength for 4-1/4", 2-1/2" and 1-1/2" screw penetration.

Assume wood bearing strength > 360psi This includes Hem-Fir, Douglas-Fir, Southern Pine and APA wood structural panels.

$$\text{Bearing length, } a = 2 * 389\text{pli} * p / (360\text{psi} * 5'') = 0.432p$$

5" x 5" baseplate:

$$\text{For 4-1/4" embedment, } M_a = 2 * 389\text{pli} * 4.25'' * (4.375'' - 0.432 * 4.25'' / 2) = 11,400''\#$$

$$\text{For 3-1/2" embedment, } M_a = 2 * 389\text{pli} * 3.5'' * (4.375'' - 0.432 * 3.5'' / 2) = 9,860''\#$$

$$\text{For 3" embedment, } M_a = 2 * 389\text{pli} * 3'' * (4.375'' - 0.432 * 3'' / 2) = 8,700''\#$$

6-1/2" x 6-1/2" baseplate:

$$\text{For 4-1/4" embedment, } M_a = 2 * 389\text{pli} * 4.25'' * (5.75'' - 0.432 * 4.25'' / 2) = 16,000''\#$$

$$\text{For 3-1/2" embedment, } M_a = 2 * 389\text{pli} * 3.5'' * (5.75'' - 0.432 * 3.5'' / 2) = 13,600''\#$$

$$\text{For 3" embedment, } M_a = 2 * 389\text{pli} * 3'' * (5.75'' - 0.432 * 3'' / 2) = 11,900''\#$$

3" x 5" baseplate:

$$\text{For 4-1/4" embedment, } M_a = 2 * 389\text{pli} * 4.25'' * (2.375'' - 0.432 * 4.25'' / 2) = 4,820''\#$$

$$\text{For 3-1/2" embedment, } M_a = 2 * 389\text{pli} * 3.5'' * (2.375'' - 0.432 * 3.5'' / 2) = 4,410''\#$$

$$\text{For 3" embedment, } M_a = 2 * 389\text{pli} * 3'' * (2.375'' - 0.432 * 3'' / 2) = 4,030''\#$$

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Core Mounted Posts

Mounted in either 4"x4"x4" blockout, or 2-3/8" to 6" dia by 4" deep cored hole.

Assumed concrete strength 2,500 psi for existing concrete

Max load – $6' \cdot 50 \text{ plf} = 300\#$

$M = 300\# \cdot 42'' = 12,600''\#$

Check grout reactions

From $\Sigma M_{PL} = 0$

$P_U = \frac{12,600''\# + 300\# \cdot 3.33''}{2.67''} = 5,093\#$

$f_{Bmax} = \frac{5,093\# \cdot 2' \cdot 1/0.85}{2'' \cdot 2.375''} = 2,523 \text{ psi post to grout}$

$f_{Bconc} = 2,523 \cdot 2''/4'' = 1,262 \text{ psi grout to concrete}$

Core mount okay for 6' post spacing

Design as 2-way shear:

Three sided breakout surface

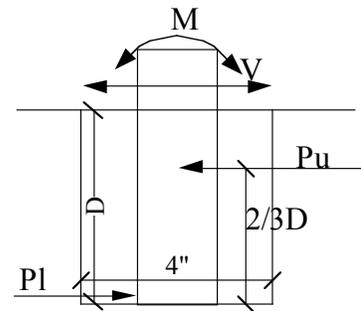
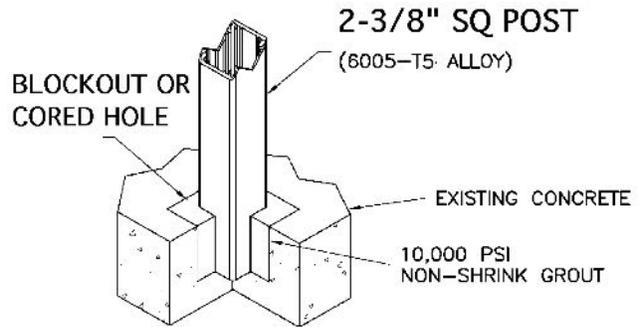
Length of perpendicular break = $2.375'' + 3 \cdot C_{a1}$

Length of parallel breaks = $2'' + 1.5C_{a1}$

$b_o = 2.375'' + 3 \cdot C_{a1} + 2 \cdot (2'' + 1.5C_{a1})$

$\beta = (2.375'' + 3 \cdot C_{a1}) / (2'' + 1.5C_{a1})$

$V_{n,min} = V \cdot LF / \phi = 5093\# \cdot 1.6 / 0.75 = 10,865\#$



λ	f'_c	β	α_s	d	b_o
1	3000	1.70922661		30	2.3923629

ACI Table 22.6.5.2		
vc		
Least of:	$4\lambda v f'_c$	219.089023
	$(2+4/\beta)\lambda v f'_c$	237.72472
	$(2+\alpha_s d/b_o)\lambda v f'_c$	299.183169
	$v_c d b_o$	10865.0004

$C_{a,min} = 2.39''$ measured from the face of the post

$= 2.39'' + 2.375''/2 = 3.58''$ measured from the center of the post

The core mount develops 12,600''# when the post is centered 3-5/8'' from the edge of the concrete.

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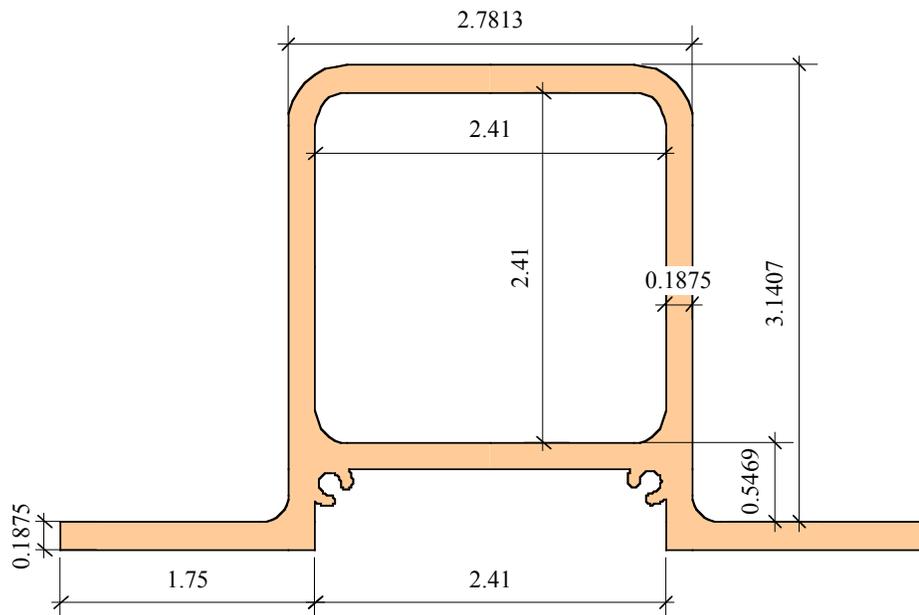
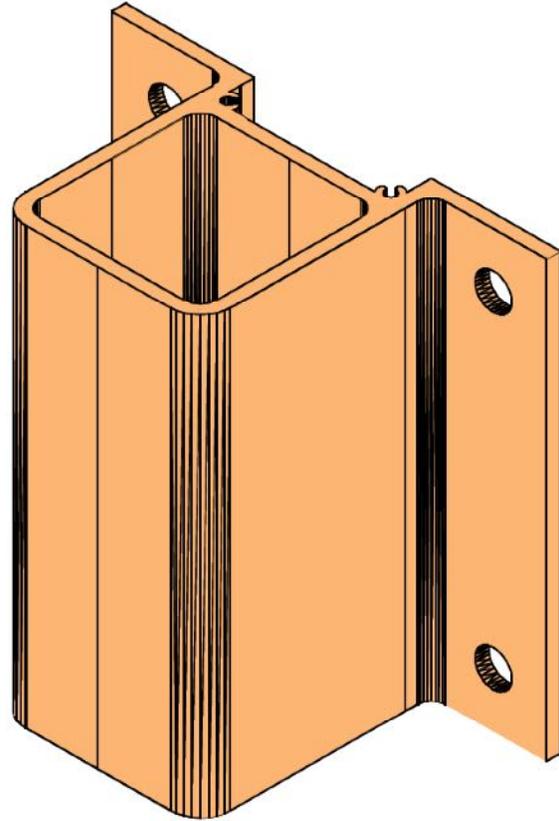
FASCIA BRACKET

Allowable stresses
 ADM Table 2-21 6063-T6 Aluminum

$F_t/\Omega = 15.2$ ksi, uniform tension
 $F_b/\Omega = 22.7$ ksi, flat element bending
 $F_c/\Omega = 30.8$ ksi, hole bearing

Section Properties

Area: 2.78 sq in
 Perim: 28.99 in
 I_{xx} : 3.913 in⁴
 I_{yy} : 5.453 in⁴
 C_{xx} : 1.975 in/1.353 in
 C_{yy} : 2.954 in
 S_{xx} : 1.981 in³ front
 S_{xx} : 2.892 in³
 S_{yy} : 1.846 in³



Allowable moment on bracket:

$$M_a = F_t * S$$

$$M_{a_{xx}} = 15.2 \text{ ksi} * 1.981 \text{ in}^3 = 30,111 \text{''#} \text{ - Outward moment}$$

$$M_{a_{yy}} = 15.2 \text{ ksi} * 1.846 \text{ in}^3 = 28,059 \text{''#} \text{ - Sidewise moment}$$

Flange bending strength

Determine maximum allowable bolt load:

Tributary flange

$$b_f = 8t = 8 * 0.1875 = 1.5 \text{''} \text{ each side of hole}$$

$$b_t = 1.5 \text{''} + 1 \text{''} + 0.5 \text{''} + 1.75 \text{''} = 4.75 \text{''}$$

$$S = 4.75 \text{''} * 0.1875^2 / 6 = 0.0278 \text{ in}^3$$

$$M_{a_f} = 0.0278 \text{ in}^3 * 22.7 \text{ ksi} = 631 \text{''#}$$

Allowable bolt tension

$$T = M_{a_f} / 0.375 = 1,683 \text{#}$$

3/8'' bolt standard washer

For Heavy washer

$$T = M_{a_f} / 0.1875 = 3,366 \text{#}$$

Typical Installation – Post load = 250# at 42'' AFF –
Top hole is 2'' below finish floor

$$T_{up} = [250 \text{#} * (42 \text{''} + 7 \text{''}) / 5 \text{''}] / 2 \text{ bolts} = 1,225 \text{#}$$

tension

$$T_{bot} = [250 \text{#} * (42 \text{''} + 1 \text{''}) / 5 \text{''}] / 2 \text{ bolts} = 1,075 \text{#}$$

tension

For lag screws into beam face:

- 3/8'' lag screw – withdrawal strength per NDS Table 12.2A

$$\text{Wood species} - G \geq 0.43 - W = 243 \text{#}/\text{in}$$

$$\text{Adjustments} - C_d = 1.6$$

No other adjustments required.

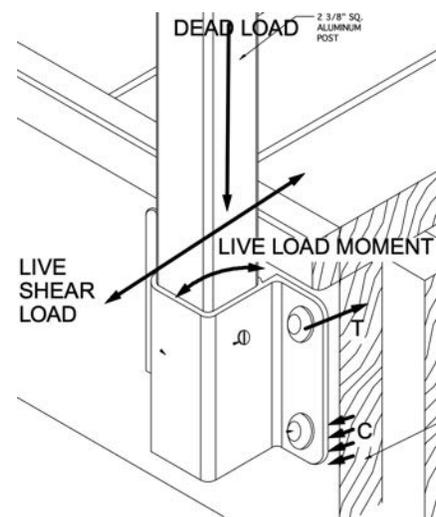
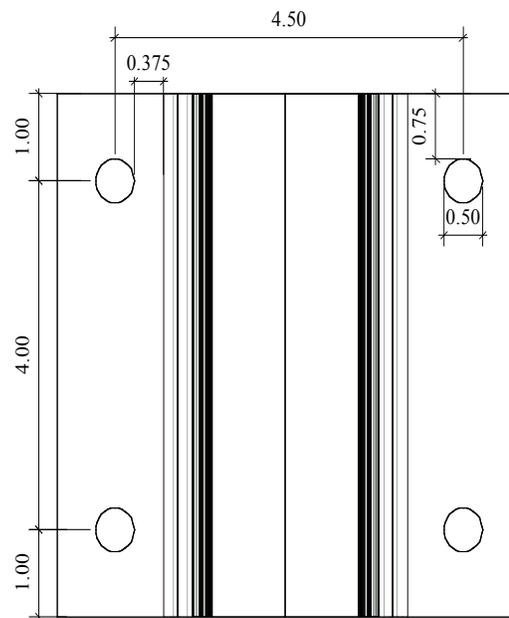
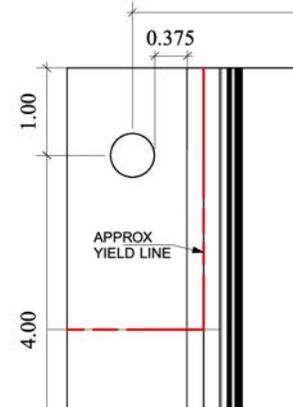
$$W' = 243 \text{#}/\text{in} * 1.6 = 389 \text{#}/\text{in}$$

The minimum embedment is:

$$l_e = 1,225 \text{#} / 389 \text{#}/\text{in} = 3.15 \text{''} : +7/32 \text{''} \text{ for tip} = 3.37 \text{''}$$

When penetration = 3-3/8'', $M_a = 250 \text{#} * 42 \text{''} = 10,600 \text{''#}$
where moment is measured at the floor line.

Loads, except dead load and reactions are reversible



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Check for fascia bracket to concrete condition.

Use 3/8"x3-3/4" Hilti KB-TZ anchors.

$$h_{nom} = 3-1/16", h_{ef} = 2.75"$$

Recall, the Hilti KB-TZ with 2-3/4" effective embedment were analyzed as part of the baseplate anchorage detail. In this detail, the edge distance is reduced to 2-1/2" and the spacing is increased to 4-1/2".

This changes A_{Ncg} to $(1.5*2.75''*2+4.5'')*(1.5*2.75''+2.5'') = 84.47 \text{ in}^2$
and $\phi_{ed,N}$ to $0.7+0.3*2.5''/(1.5*2.75'') = 0.88$.

So,

$$N_{cb} = 84.47/68.1*0.88*1.0*1.0*5,990\# = 6,540\# \text{ for uncracked concrete}$$

$$N_{cb} = 84.47/68.1*0.88*1.0*1.0*4,250\# = 4,640\# \text{ for cracked concrete}$$

Determine allowable tension load on anchor pair assuming an average load factor of 1.6.

$$T_a = 0.65*6,540\#/1.6 = 2,660\# \text{ for uncracked concrete}$$

$$T_a = 0.65*4,640\#/1.6 = 1,890\# \text{ for cracked concrete}$$

Anchor pullout strength:

$$T_a = 2*0.65*4,110\#/1.6 = 3,340\# \text{ for uncracked concrete (Does not control)}$$

$$T_a = 2*0.65*3,160\#/1.6 = 2,570\# \text{ for cracked concrete (Does not control)}$$

For 42" tall guard and 60" post spacing,

$$T_{max} = 250\#*(42''+1.5''+6'')/5'' = 2,480\# < 2,660\# \text{ but } > 1,890\#$$

OK for uncracked concrete but not for cracked concrete.

$$\text{Max spacing for cracked concrete} = 60''*1,890\#/2,480\# = 45.7''.$$

Find allowable moment measured at floor line:

$$M_a = 2,660\#/2,480\#*(250\#*42'') = 11,300''\# \text{ for uncracked concrete}$$

$$M_a = 1,890\#/2,480\#*(250\#*42'') = 8,000''\# \text{ for cracked concrete}$$

When used at 42" rail height and at spacings 48" or less. The maximum moment reaction from the 200# live load is 7,360''# < 8,000''# OK.

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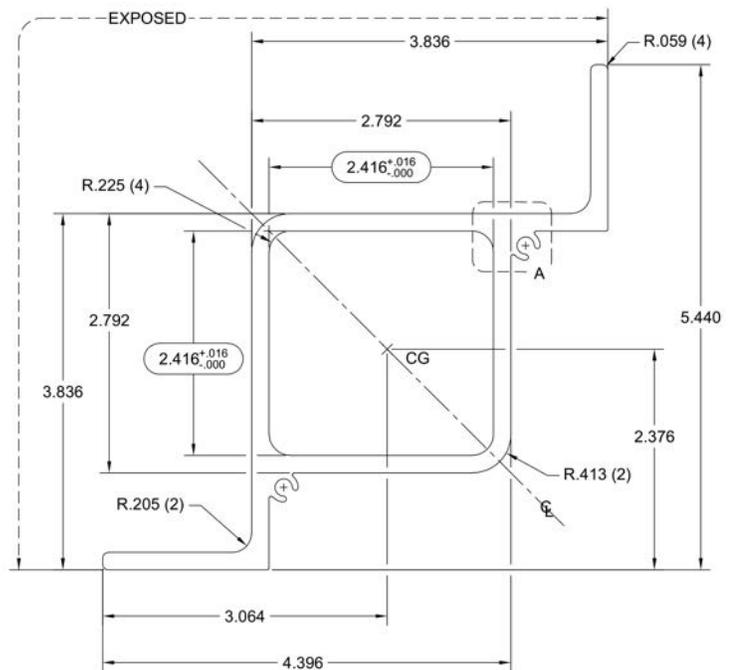
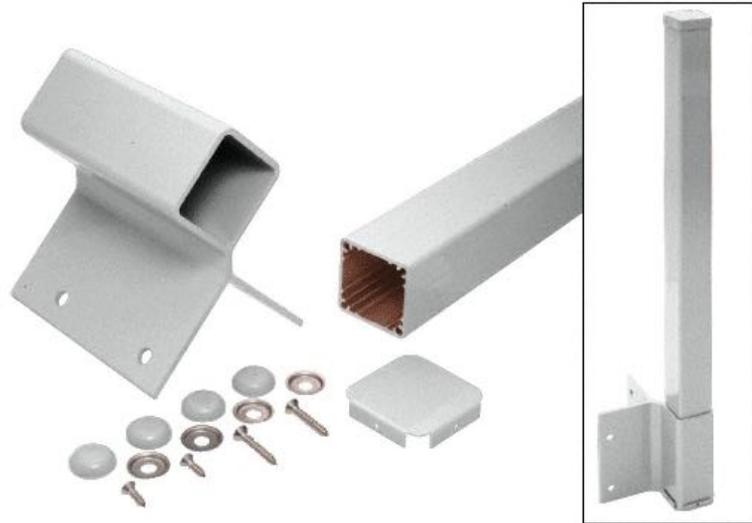
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90° Corner Fascia Brackets

Loading from each direction is resisted by the adjacent anchors in tension. This bracket must be used as part of a corner rail with the welded top rail. This allows the corner post to be braced and the bracket must only take half the load in each direction. Therefore, the anchors will receive the same or lower loading as the intermediate post brackets and are OK if the intermediate bracket anchors are. This is true for either the outside or inside corners.



135° Fascia Brackets

Similar to the 90° corner bracket, each bracket leg can be assumed to be resisting the load tributary to the post from the same side. Therefore, the anchorage loading is the same as for the intermediate post fascia bracket without considering bracing from adjacent posts. Therefore, once bracing to adjacent posts is considered, the loading to the anchors is actually less than the loading to the intermediate fascia bracket anchors.

Check weld at front of fascia:

$$\text{Weld rupture, } T_a = 0.85 * 0.6 * 35\text{ksi} * 0.707 * 0.25'' / 1.95 = 1,620\text{pli}$$

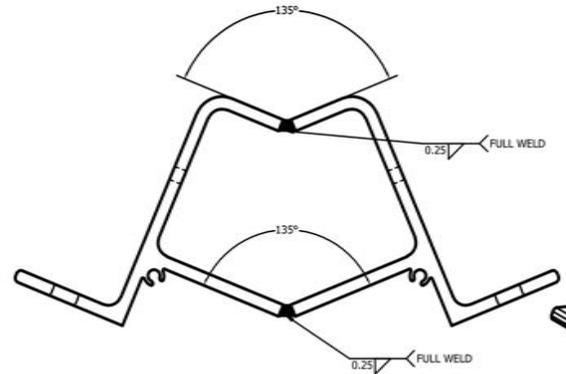
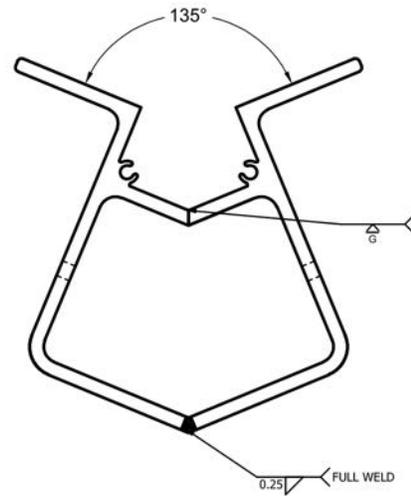
$$\text{Base metal, } 0.25'' * 11.6\text{ksi} / 1.95 = 1,490\text{pli (controls)}$$

$$\text{Post load resisted} = 2 * 1,490\text{pli} * \sin(45^\circ) = 2,110\text{pli}$$

$$M_a = 2,110\text{pli} * 3'' * 6'' / 2 = 19,000''\#$$

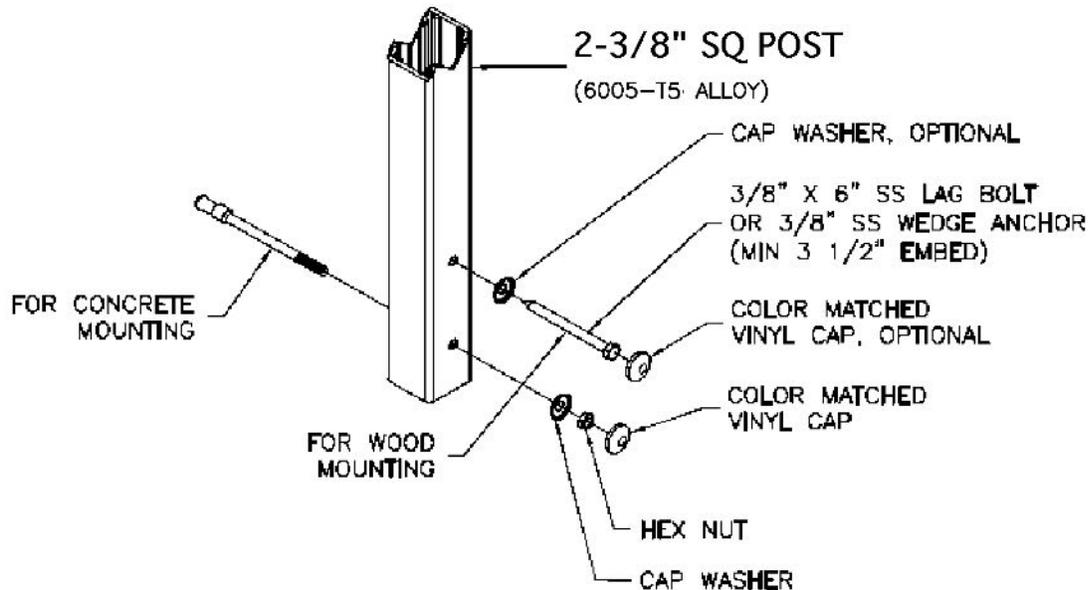
The fasteners will be the limiting failure mode.

Weld strength and loading are the same for either the inside or outside brackets.



FASCIA MOUNTED POST

Commercial application – Load = 200# or 50 plf any direction on top rail - 4' allowable spacing.



For 42" rail height and 4' on center post spacing:

$$P = 200\# \text{ or } 50\text{plf} \times 4 = 200\#$$

$$M_{\text{deck}} = 42'' \times 200\text{plf} = 8,400''\#$$

Load from glass infill lites:

$$\text{Wind} = 25 \text{ psf}$$

$$M_{\text{deck}} = 3.5' \times 25\text{psf} \times 42'' / 2 \times 4' \text{ o.c.} = 7,350''\#$$

$$DL = 4' \times (3 \text{ psf} \times 3' + 3.5\text{plf}) + 10\# = 60\# \text{ each post (vertical load)}$$

Typical anchor to wood: 3/8" lag screw. Withdrawal strength of the lags from *National Design Specification For Wood Construction* (NDS) 2015 Edition Table 12.2A.

For Doug-Fir Larch or equal, $G = 0.50$

$$W = 305 \#/\text{in of thread penetration.}$$

$$C_D = 1.6 \text{ for guardrail live loads or wind loads.}$$

$$W' = WC_D = 305\text{pli} \times 1.6 = 488\text{pli}$$

Lag screw design strength – 3/8" x 5" lag, $l_m = 5'' - 2.375'' - 7/32'' = 2.4''$

$$T_b = 488 \times 2.4'' = 1,171\#$$

$$Z_{II} = 220\# \text{ per lag, (horizontal load) NDS Table 12K}$$

$$Z'_{II} = 220\# \times 1.6 = 352\#$$

Anchors to be minimum of 7" center to center and post shall extend 1-1/2" below bottom anchor.

From $\sum M$ about end

$$M = (8.5'' \times T + 1.5'' \times 1.5/8.5 \times T) = 8.76''T$$

Allowable post moment

$$M_a = 1,171\# \times 8.76'' = 10,300''\#$$

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Allowable moment measured at the floor line, $M_a = 10,300\text{''}\# - 250\# \cdot 10\text{''} = 7,800\text{''}\#$

When used at 42'' rail height and at spacings 48'' or less. The maximum moment reaction from the 200# live load is $7,360\text{''}\# < 7,800\text{''}\#$ OK.

For 3/8'' carriage bolts:

Allowable load per bolt = $0.0775\text{in}^2 \cdot 60\text{ksi} / 2 = 2,330\#$

For bearing on 2'' square bearing plate – area = 3.8 in^2

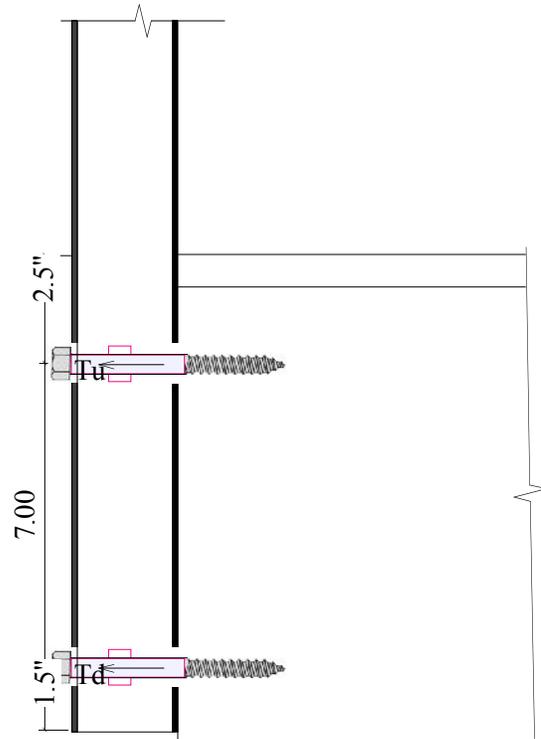
$F_{c,perp} = 405\text{ psi}$ for Hem-fir (Doug Fir and Southern Pine are stronger)

$C_b = (2\text{''} + .375) / 2\text{''} = 1.19$

$P_b = 3.8\text{ in}^2 \cdot 1.19 \cdot 405 \cdot 1.6 = 2,930\#$

$M_a = 2,330\# \cdot 8.76\text{''} = 20,400\text{''}\#$ (exceeds post strength)

Allowable moment measured at the floor line, $M_a = 20,400\text{''}\# - 300\# \cdot 10\text{''} = 17,400\text{''}\#$



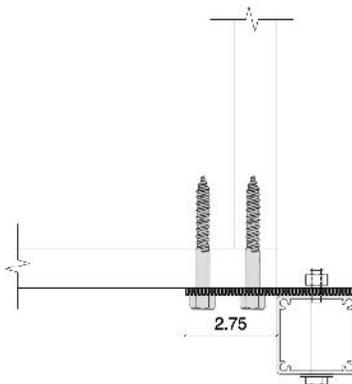
For vertical load lag capacity is:

$2\text{ lags} \cdot 224\# = 448\# / \text{post}$ for D+L

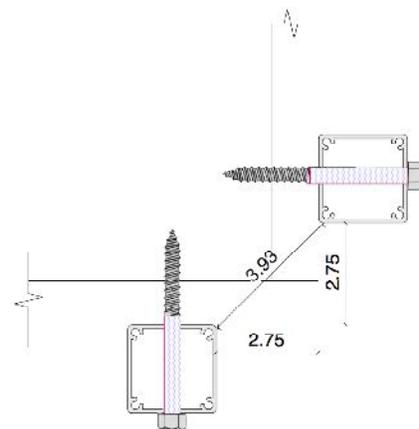
$2\text{ lags} \cdot 0.9 \cdot 140\# = 252\# / \text{post}$ for D

For corner posts:

For **interior corners** there are four lags, two each way. Two lags will act in withdrawal and two will be in shear: Okay by inference from running posts.



For **exterior corners** – requires either 2 posts (installed within 2'' of corner each way) or 1/4''x 4''x8'' mounting plate with four 3/8''x4'' lag screws and two 3/8'' bolts to post.



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STANCHION MOUNT

Part PST5: 2"x1-1/2"x 1/8" 304 1/4 Hard Stainless steel tube

Edge distance same as for core mounted posts.

Stanchion Strength

$F_{yc} = 50 \text{ ksi}$

$Z_{yy} = 0.543 \text{ in}^3$

$M_a = 50\text{ksi} \cdot 0.543\text{in}^3 / 1.67 = 16,300\text{"}\#$

Post may be attached to stanchion with screws or by grouting by pouring self-consolidating grout into top of post to cover the stanchion.

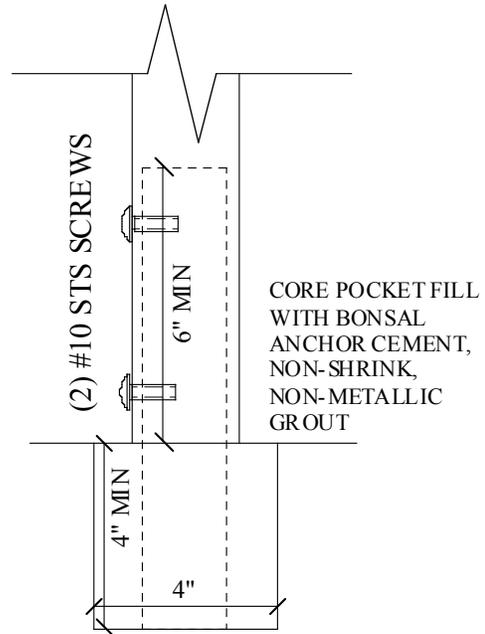
Grout bond strength to stanchion:

$A_{\text{surface}} \sqrt{f'_c} = 7\text{'}\cdot 4\text{'}\cdot \sqrt{8,000} \text{ psi} = 2,500\#$

(ignores mechanical bond) (similar to ACI318 chapter 12 development length provisions using the fundamental bond between the concrete and metal without adjustment for deformations) for 200# maximum uplift the safety factor against pulling out:

$SF = 2,500\# / 200\# = 12.5 > 3.0$ therefore okay.

The very high projected safety factor indicates that a more robust determination of the bond strength isn't warranted.



Core mount strength is calculated by the same method shown for the post core mount:

Inputs

Core Width (in)		Stanchion Width (in)		Concrete Strength		Edge Distance Embedment	
b_c (in)	b_s (in)	f'_c (psi)	λ	C_1 (in)	d (in)		
4	1.5	3000		1	3.625		4

Edge breakout calcs

w (in)	h (in)	β	b_o (in)	α_s	$4\lambda\sqrt{f'_c}$ (psi)	$(2+4/\beta)\lambda\sqrt{f'_c}$ (psi)
7.625	3.8125		2	15.25	30	219.089023

Bearing Calcs

Strength

$(2+\alpha_s C_1/b_o)\lambda\sqrt{f'_c}$ (psi)	$V C_1 b_o$	P_a (lbs)	f_a (psi)	bb (in)	hb (in)	P_a (lbs)	M_a (in-lbs)
500.1335484	12111.5151	5677.272681	1035.9375	2.75	2.625	8287.5	11354.5454

$M_a = 11,400\text{'}\#$ when edge distance = 3-5/8" and embedment = 4".

Base Plate Mounted Stanchions

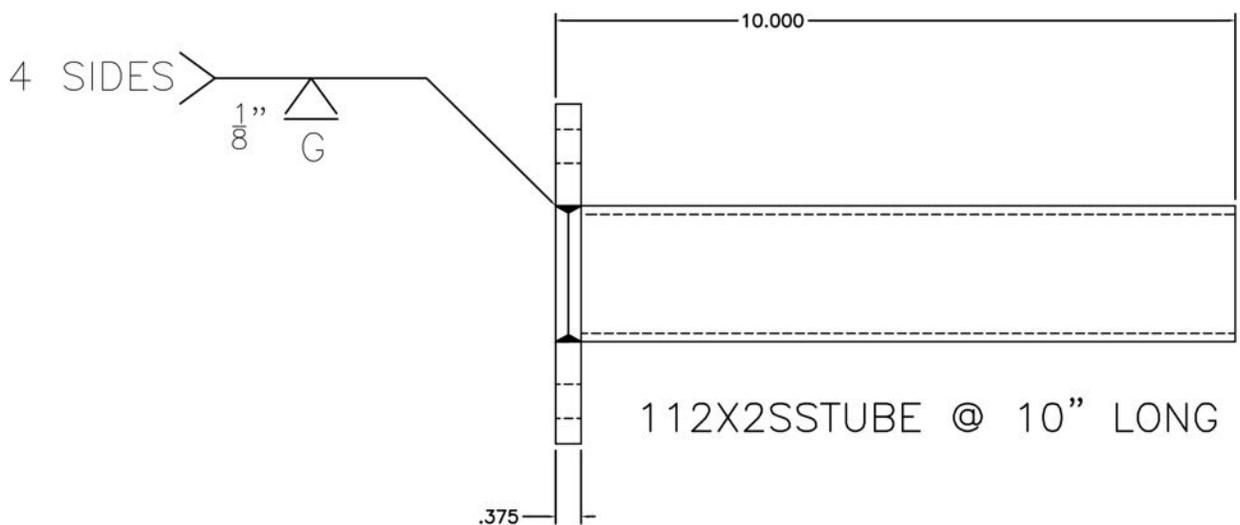
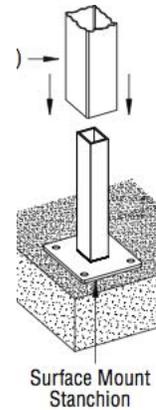
2"x1-1/2"x 1/8" A304 SS Tube

Stanchion Strength

$$Z_{yy} = (2^2 * 1.5 - 1.75^2 * 1.25) / 4 = 0.362 \text{ in}^3$$

 $F_u = 75 \text{ ksi}$

$$M_a = 0.362 \text{ in}^3 * 75 \text{ ksi} / 2 = 13,600 \text{ ''\#}$$



Weld to base plate : 1/8" groove weld with reinforcing fillet weld built out to bottom face of base plate.

$$\text{Minimum effective throat} = (0.125''^2 + 0.125''^2)^{1/2} = 0.177''$$

Weld strength assumes 308L filler and loading normal to the weld's axis.

$$\text{Weld rupture, } R_n / \Omega = 0.177'' * 0.6 * 82 \text{ ksi} / 1.88 = 4,630 \text{ pli (controls)}$$

$$\text{Base metal, } R_n / \Omega = 0.125'' * 75 \text{ ksi} / 2 = 4,690 \text{ pli}$$

$$I_{w,y} = 2 * 2'' * 0.75''^2 + 2 * 1.5''^3 / 12 = 2.81 \text{ in}^4 / \text{in}$$

$$M_a = 4,630 \text{ pli} * 2.81 \text{ in}^4 / \text{in} / 0.75'' = 17,300 \text{ ''\# (Develops full strength of stanchion)}$$

Since the 3/8" baseplate stanchion weld develops the full strength of the stanchion, the 1/2" baseplate weld also develops the full strength of the stanchion by inspection.

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TOP RAILS

Top rails connect the tops of post together and provide a continuous barrier between posts. The 200# concentrated load and 50plf live load are applied directly to the top rail. Note for 72” max post spacing the maximum post moment is caused by the 200# concentrated load mid span:

Maximum top rail moment caused by live loading, $M_{max} = 200\# \cdot 72'' / 4 = 3,600''\#$

Moment caused by 50plf live load, $M_{50plf} = 50plf / 12 \cdot 72''^2 / 8 = 2,700''\# < 3,600''\#$ (Does not control)

Therefore, allowable rail span = $M_a / 200\# = M_a / 50\#$

Note that every rail is weakest under vertical loading. See the table below for allow post spacing based on top rail bending strength:

Top Rail Allowable Spans:			
Top Rail	Ma (in-lbs)	Allowable Span (in)	
	100	3750	72
	200	2640	52.8
200X		1790	35.8
	300	6430	72
	320	3000	60
	350	4300	72
	400	5130	72
	500	2600	52

Top rails may receive significant wind loading when glass infill is used. However, the bottom rail is much weaker and will receive the same loading. Therefore, none of the top rails shown will limit wind loading below that shown for the bottom rail. Note that the allowable span of the 200, 200X, 320 and 500 is limited by the vertical bending strength. When pickets attach to the top rail, load is shared with the bottom rail.

Check bending of 200 and 200X top rail when load can be shared with the picket bottom rail.

For series 200 top rail:

$I_{x,200} = 0.241in^4$

$I_{x,bottom} = 0.119in^4$

Load share to top rail = $0.241in^4 / (0.241in^4 + 0.119in^4) = 0.669$

$M_a = 2,640''\# / 0.669 = 3,950''\#$

Allowable span > 72”

For series 200X top rail:

$$I_{x,200} = 0.132\text{in}^4$$

$$I_{x,\text{bottom}} = 0.119\text{in}^4$$

$$\text{Load share to top rail} = 0.132\text{in}^4 / (0.132\text{in}^4 + 0.119\text{in}^4) = 0.526$$

$$M_a = 1,790''\#/0.526 = 3,400''\#$$

$$\text{Allowable span} = 3,400''\#/50 = 68''.$$

For series 320 top rail:

$$I_{x,200} = 0.118\text{in}^4$$

$$I_{x,\text{bottom}} = 0.119\text{in}^4$$

$$\text{Load share to top rail} = 0.118\text{in}^4 / (0.118\text{in}^4 + 0.119\text{in}^4) = 0.498$$

$$M_a = 1,790''\#/0.498 = 3,590''\#$$

$$\text{Allowable span} = 3,590''\#/50 = 72''.$$

For series 500 top rail:

$$I_{x,200} = 0.257\text{in}^4$$

$$I_{x,\text{bottom}} = 0.119\text{in}^4$$

$$\text{Load share to top rail} = 0.257\text{in}^4 / (0.257\text{in}^4 + 0.119\text{in}^4) = 0.684$$

$$M_a = 2,600''\#/0.684 = 3,800''\#$$

$$\text{Allowable span} = 3,800''\#/50 > 72''.$$

For wood composite:

$$I_{x,\text{wood}} = 0.984\text{in}^4$$

$$I_{x,\text{bottom}} = 0.119\text{in}^4$$

$$\text{Load share to top rail} = 1.6/10.1 * 0.984\text{in}^4 / (1.6/10.1 * 0.984\text{in}^4 + 0.119\text{in}^4) = 0.567$$

$$M_{a,\text{bottom}} = 1,770''\#/0.433 = 4,090''\#$$

$$M_{a,\text{wood}} = 2,510''\#/0.567 = 4,430''\#$$

$$\text{Allowable span} = 4,090''\#/50 > 72''.$$

The preceding calculations show that when pickets and the picket bottom rail are used, only the 200X top rail has an allowable post spacing less than 72''.

NOTE ON SHEAR:

The maximum shear in the top rail spanning 72'' is 150#. When used in a simple span the the maximum shear corresponds to the minimum moment. When used in multiple spans the maximum shear and maximum moment will coincide with the post. Since the allowable spans shown are based on simple spans the reduction in peak moment at the post will offset the added stress from the shear. Additionally all top rails will have web elements where the bending stress is minimal which will effectively resist the shear loads.

Web area required to resist 150 lb shear load:

$$A_w = 150\# / (9.1 \text{ ksi}) = 0.0165 \text{ in}^2 \quad \text{For 6063-T6 assumes } \lambda_1 < 16.1 \text{ which applies to all top rails}$$

For the minimum 0.08'' thickness this requires under 1/4'' of web. Thus further shear check of the top rails isn't warranted as it clearly won't impact the allowable spans on any of the top rails.

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Series 100 Top Rail

SERIES 100 TOP RAIL

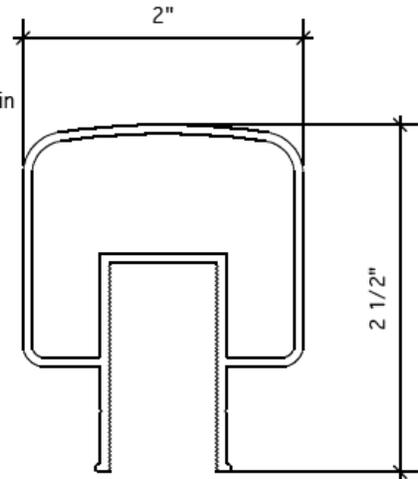
Butts into post
Alloy 6063 – T6 Aluminum

First calculate bending strength under vertical loading:

Area: 0.664908 sq in
Perim: 20.97080 in
xC: 7.310000 in
yC: 5.243178 in

Ixx: 0.339592 in⁴
Iyy: 0.295081 in⁴
Kxx: 0.714658 in
Kyy: 0.666177 in

Cxx: 1.383137 in
Cyy: 1.000000 in
Sxx: 0.245523 in³
Syy: 0.295081 in³



Aluminum Extrusion Flexural Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
Extrusion Series 100 Top Rail Vertical Bending

Section Properties

Ix (in ⁴)	0.339
Sx (in ³)	0.251
Zx (in ³)	0.403
Iy (in ⁴)	0.291
J (in ⁴)	0.19
b	1.55
t	0.065

Cw (in ⁶)	0.118
βx (in)	-1.946
g0 (in)	-0.1

Aluminum Properties

Alloy:	6063-T6
Fu (ksi)	30
Fy (ksi)	25
E (ksi)	10100
Cc	78

Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

λ	23.8461538 =	b/t	
λ_1	22.8		
λ_2	39		
F/Ω (ksi)	14.9461538 =	15.2	for $\lambda < \lambda_1$
		$19 - 0.17\lambda$	for $\lambda_1 < \lambda < \lambda_2$
		$484/\lambda$	for $\lambda_2 < \lambda$

For $\lambda > \lambda_1$, local buckling applies and the moment strength is calculated as $F/\Omega * S$

M_n/Ω (in-lbs)	3751 =	$F/\Omega * 1000(\text{kips/lbs}) * S_x$
-----------------------	--------	--

Rupture Strength

F_u/Ω	15.3846154	
Z_{net}	0.403	
M_n/Ω (in-lbs)	6200 =	$Z_{net} * F_u/\Omega * 1000 \text{kips/lbs}$

Lateral Torsional Buckling:

L_b (in)	42		
C_b	1.3		
C_1	0.5	C_2	0.5
U (in)	0.4365 =	$C_1 * g_0 - C_2 * \beta_x / 2$	
M_e	151.717395 =	See 2015 ADM F.4-9	
λ	12.8419133 =	$2.3(L_b * S_x / (I_y * J))^{0.5} \wedge 0.5$	

$\lambda < C_c$, inelastic buckling applies

M_{nmb} (in-kip)	9.09333409 =	$M_p(1 - \lambda/C_c) + \pi^2 * E * I * S_x / C_c^3$
M_a (in-lbs)	5511.11157 =	$M_{nmb} / 1.65 * 1000$

Strength is controlled by local buckling

M_a (in-lbs)	3751
----------------------------------	-------------

First calculate bending strength under horizontal loading:

Aluminum Extrusion Flexural Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
Extrusion Series 100 Top Rail Horizontal Bending

Section Properties

Ix (in4)	0.291
Sx (in3)	0.291
Zx (in3)	0.4
Iy (in4)	0.339
J (in4)	0.19
b	1.186
t	0.065

Cw (in6)	0.118
β_x (in)	0
g0 (in)	-1

Aluminum Properties

Alloy:	6063-T6
Fu (ksi)	30
Fy (ksi)	25
E (ksi)	10100
Cc	78

Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

λ	18.2461538 =	b/t	
λ_1	22.8		
λ_2	39		
F/Ω (ksi)	15.2 =	15.2	for $\lambda < \lambda_1$
		$19 - 0.17\lambda$	for $\lambda_1 < \lambda < \lambda_2$
		$484/\lambda$	for $\lambda_2 < \lambda$

For $\lambda < \lambda_1$, local buckling does not apply and the moment strength is calculated as the minimum of Zfy/Ω or $1.5SFy/\Omega$

Mn/Ω (in-lbs) 6080 = $F/\Omega * 1000(\text{kips/lbs}) * \min(Zx \text{ or } 1.5Sx)$

Rupture Strength

F_u/Ω	15.3846154	
Z_{net}	0.4	
Mn/Ω (in-lbs)	6153.84615 =	$Z_{net} * F_u/\Omega * 1000 \text{kips/lbs}$

Lateral Torsional Buckling:

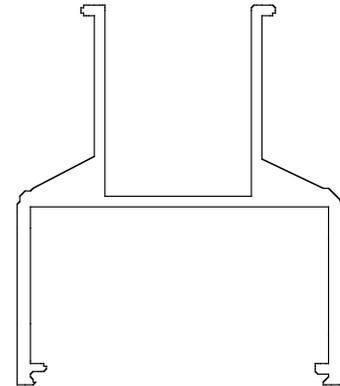
L_b (in)	42	
C_b	1.3	
C_1	0.5	C_2 0.5
U (in)	-0.5 =	$C_1 * g_0 - C_2 * \theta_x/2$
M_e	141.403678 =	See 2015 ADM F.4-9
λ	14.3227596 =	$2.3(L_b * S_x / (I_y * J)^{0.5})^{0.5}$
$\lambda < C_c$, inelastic buckling applies		
M_{nmb} (in-kip)	9.03925049 =	$M_p(1 - \lambda/C_c) + \pi^2 * E * I * S_x / C_c^3$
M_a (in-lbs)	5478.33363 =	$M_{nmb} / 1.65 * 1000$

Strength is controlled by lateral torsional buckling

M_a (in-lbs) 5478

SERIES 100 BOTTOM RAIL

First check strength under vertical loading. Generally the bottom rail will not receive significant vertical loading because the top rail is normally much stiffer.



Aluminum Extrusion Flexural Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
 Extrusion Series 100 Bottom Rail Vertical Bending

Section Properties

Ix (in4)	0.091
Sx (in3)	0.091
Zx (in3)	0.146
Iy (in4)	0.166
J (in4)	0.002
b	0.862
t	0.076

Cw (in6)	0.034
βx (in)	-0.613
g0 (in)	0

Aluminum Properties

Alloy:	6063-T6
Fu (ksi)	30
Fy (ksi)	25
E (ksi)	10100
Cc	78

Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

Support Condition

Flat element supported on one edge under flexural loading with compression edge free



λ	11.3421053 =	b/t	
λ_1	6.5		
λ_2	23		
F/Ω (ksi)	18.7128947 =	22.7	for $\lambda < \lambda_1$
		$27.9 - 0.810\lambda$	for $\lambda_1 < \lambda < \lambda_2$
		$4932/\lambda^2$	for $\lambda_2 < \lambda$

For $\lambda > \lambda_1$, local buckling applies and the moment strength is calculated as $F/\Omega * S < F_y/\Omega * Z$

M_n/Ω (in-lbs) 1703 = $F/\Omega * 1000(\text{kips/lbs}) * S_x < F_y/\Omega * Z_x$

Rupture Strength

F_u/Ω	15.3846154	
Z_{net}	0.146	
M_n/Ω (in-lbs)	2246.15385 =	$Z_{net} * F_u/\Omega * 1000 \text{kips/lbs}$

Lateral Torsional Buckling:

L_b (in)	72	
C_b	1.14	
C_1	0.5	C_2 0.5
U (in)	0.15325 =	$C_1 * g_0 - C_2 * \beta_x / 2$
M_e	6.42711642 =	See 2015 ADM F.4-9
λ	37.5684409 =	$2.3(L_b * S_x / (I_y * J)^{0.5})^{0.5}$
$\lambda < C_c$, inelastic buckling applies		
M_{nmb} (in-kip)	2.61011765 =	$M_p(1 - \lambda/C_c) + \pi^2 * E * I * S_x / C_c^3$
M_a (in-lbs)	1581.88948 =	$M_{nmb} / 1.65 * 1000$

Strength is controlled by lateral torsional buckling

M_a (in-lbs) 1582

Next check flexural strength under horizontal loading. The bottom rail may receive horizontal loading from wind loading on the infill or from the 50# concentrated infill load.

Aluminum Extrusion Flexural Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
Extrusion Series 100 Bottom Rail Horizontal Bending

Section Properties

Ix (in4)	0.166
Sx (in3)	0.195
Zx (in3)	0.258
Iy (in4)	0.091
J (in4)	0.002
b	0.862
t	0.076

Cw (in6)	0.034
β_x (in)	0
g0 (in)	0

Aluminum Properties

Alloy:	6063-T6
Fu (ksi)	30
Fy (ksi)	25
E (ksi)	10100
Cc	78

Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

Support Condition

Flat element supported on one edge under uniform loading



λ	11.3421053 =	b/t	
λ_1	7.3		
λ_2	12.6		
F/Ω (ksi)	12.9886842 =	15.2	for $\lambda < \lambda_1$
		19.0-0.530 λ	for $\lambda_1 < \lambda < \lambda_2$
		155/ λ	for $\lambda_2 < \lambda$

For $\lambda > \lambda_1$, local buckling applies and the moment strength is calculated as $F/\Omega * S < F_y/\Omega * Z$

M_n/Ω (in-lbs) 2533 = $F/\Omega * 1000(\text{kips/lbs}) * S_x < F_y/\Omega * Z_x$

Rupture Strength

F_u/Ω	15.3846154	
Z_{net}	0.258	
M_n/Ω (in-lbs)	3969.23077 =	$Z_{net} * F_u/\Omega * 1000 \text{kips/lbs}$

Lateral Torsional Buckling:

L_b (in)	72		
C_b	1.14		
C_1	0.5	C_2	0.5
U (in)	0 =	$C_1 * g_0 - C_2 * \theta_x / 2$	
M_e	4.32608891 =	See 2015 ADM F.4-9	
λ	67.0316863 =	$2.3(L_b * S_x / (I_y * J))^{0.5} \wedge 0.5$	
$\lambda < C_c$, inelastic buckling applies			
M_{nmb} (in-kip)	3.65268875 =	$M_p(1 - \lambda/C_c) + \pi^2 * E * I_y * S_x / C_c^3$	
M_a (in-lbs)	2213.75076 =	$M_{nmb} / 1.65 * 1000$	

Strength is controlled by lateral torsional buckling

M_a (in-lbs) 2214

Rail attached to the posts using the Rail Connecting Blocks (part RCB1)

Rail fasteners -Bottom rail connection block to post #10x2" 55 PHP SMS Screw

CRL Part RCBS

Typical RCB length: $1 \leq L \leq 1.5$

Check shear @ post (6005-T5)

$2 \times F_{upost} \times \text{dia screw} \times \text{Post thickness} \times SF$

$$V = 2 \cdot 38 \text{ ksi} \cdot 0.1697'' \cdot 0.10'' \cdot \frac{1}{3} = \text{FS}$$

$$V = 430\#/\text{screw}$$

screw shear strength

$$\text{shear area} = 0.0226 \text{ in}^2$$

$$V_n = 0.0226 \text{ in}^2 \cdot 0.5 \cdot 80 \text{ ksi} = 904$$

$$V_a = 904/2 = 452\#$$

Screw tilting:

$$4.2(t_2^3 D)^{1/2} F_{tu2} =$$

$$4.2(0.1^3 \cdot 0.1697)^{1/2} 38 \text{ ksi} = 2,079$$

Screw tilting won't control for any of connections to the posts

Since minimum of 2 screws used for each

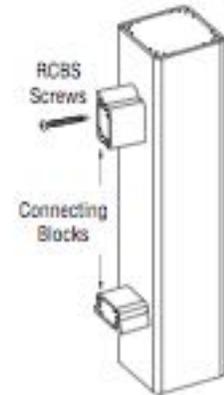
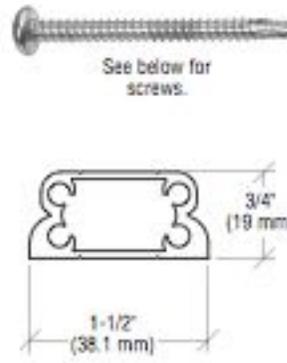
$$\text{Allowable load} = 2 \cdot 430\# = 860\#$$

Rail Connection to RCB

2 screws each end

#8 Tek screw CRL Part TEK1 to 6063-T6

$$V = 2 \cdot 38 \text{ ksi} \cdot 0.1309'' \cdot 0.07'' \cdot \frac{1}{3} = 232\#$$



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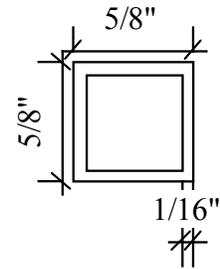
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Picket Railing

5/8" Square pickets

Wall thickness = 0.062"

Bending strength is the same about both axis.

**Aluminum Extrusion Design***Aluminum extrusion strength is according to ADM 2020.*

System	ARS
Extrusion	5/8" Picket

Section Properties

Ix (in4)	0.00662
Sx (in3)	0.0212
Zx (in3)	0.0268
Iy (in4)	0.00662
J (in4)	0.0113
b	0.5
t	0.06

Cw (in6)	0.000493
β_x (in)	0
g0 (in)	0

Aluminum Properties

Alloy:	6063-T6
Fu (ksi)	30
Fy (ksi)	25
E (ksi)	10100
Cc	78

Note on shear: Shear will be carried by the web elements with bending resisted by the flange elements. As previously shown un 1/4" of web is required to resist the maximum design shear load thus further shear checks aren't warranted.

Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

Support Condition

Flat element under uniform compression supported on both sides	
--	---

λ	8.33333333 =	b/t	
λ_1	22.8		
λ_2	39		
F/Ω (ksi)	15.2 =	15.2	for $\lambda < \lambda_1$
		19-0.170 λ	for $\lambda_1 < \lambda < \lambda_2$
		484/ λ	for $\lambda_2 < \lambda$

For $\lambda < \lambda_1$, local buckling does not apply and the moment strength is calculated as the minimum of Zfy/Ω or $1.5SFy/\Omega$

Mn/Ω (in-lbs) 407 = $F/\Omega * 1000(\text{kips/lbs}) * \min(Zx \text{ or } 1.5Sx)$

Rupture Strength

F_u/Ω	15.3846154	
Z_{net}	0.0268	
Mn/Ω (in-lbs)	412.307692 =	$Z_{net} * F_u/\Omega * 1000 \text{kips/lbs}$

Lateral Torsional Buckling:

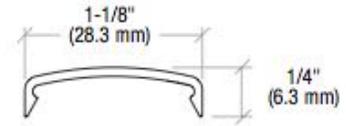
L_b (in)	48		
C_b	1.14		
C_1	0.5	C_2	0.5
U (in)	0 =	$C_1 * g_0 - C_2 * \theta_x / 2$	
M_e	3.99257358 =	See 2015 ADM F.4-9	
λ	23.006578 =	$2.3(L_b * S_x / (I_y * J))^{0.5}$	
$\lambda < C_c$, inelastic buckling applies			
Mnmb (in-kip)	0.57483252 =	$M_p(1 - \lambda/C_c) + \pi^2 * E * I * S_x / C_c^3$	
Ma (in-lbs)	348.383343 =	$M_{nmb} / 1.65 * 1000$	

Strength is controlled by lateral torsional buckling

Ma (in-lbs) **348**

Connections

Pickets to top and bottom rails direct bearing –ok
 Lap into top and bottom rail – 1” into bottom rail and 5/8” into top rail.



Allowable bearing pressure = 20.5 ksi (ADM Table 2-2)

Picket filler snaps between pickets to pressure lock pickets in place. Bearing surface = $1.375 \times .062 = 0.085 \text{ in}^2$

Allowable bearing = $0.085 \text{ in}^2 \times 20.5 \text{ ksi} = 1,743 \#$

Withdrawal prevented by depth into rails.

Intermediate post used to provide additional support to bottom rail.

1.4” square 0.1” wall thickness

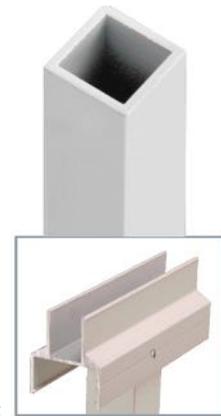
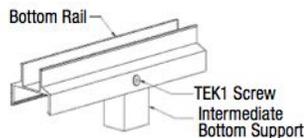
Acts in compression only.

Secured to rail with two #8 tek screws

Shear strength of screws:

CRL Intermediate Bottom Support

- For Use With All of Our Aluminum Railings
- Seven Standard Colors to Match Our Bottom Rails



Top rail connection to post face:

Use RCB attached to post with two #10 screws same as bottom rail.

$$V = 2 \cdot 38 \text{ ksi} \cdot 0.19'' \cdot 0.10'' \cdot \frac{1}{3 \text{ (FS)}} =$$

$$V = 481 \#/\text{screw}$$

Since minimum of 2 screws
used for each

$$\begin{aligned} \text{Allowable load} &= \\ 2 \cdot 481 \# &= 962 \# \end{aligned}$$

screw shear strength

$$\text{shear area} = 0.0226 \text{ in}^2$$

$$V_n = 0.0226 \text{ in}^2 \cdot 0.6 \cdot 80 \text{ ksi} = 1084$$

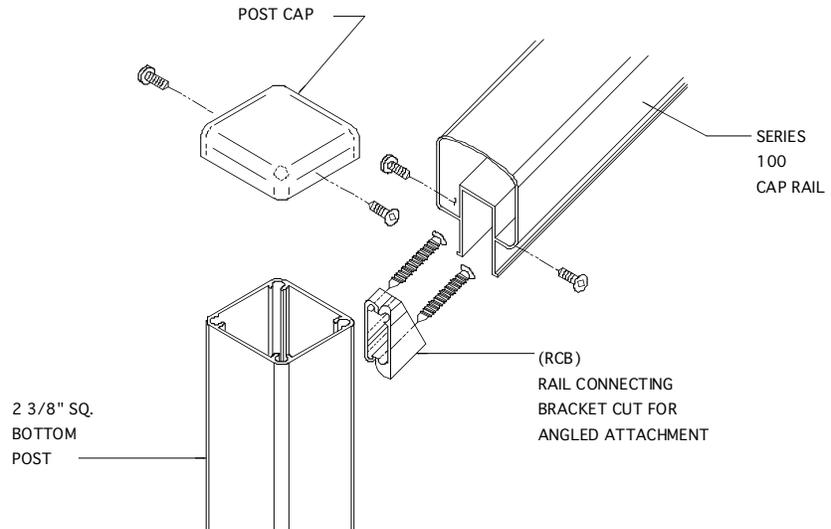
$$V_a = 1084/2 = 542 \#$$

Screw tilting:

$$4.2(t_2^3 D)^{1/2} F_{tu2} =$$

$$4.2(0.1^3 \cdot 0.19)^{1/2} 38 \text{ ksi} = 2,200$$

Screw tilting won't control for any of connections to the posts.



The connection block can be cut square for use in horizontal rail applications or angled for use in sloped applications such as along stairs or ramps.

Connection of rail to RCB is with (2) #8 Tek screw to 6063-T6

$$V = 2 \cdot 30 \text{ ksi} \cdot 0.164'' \cdot 0.07'' \cdot \frac{1}{3 \text{ (FS)}} = 239 \#$$

$$V_{\text{tot}} = 2 \cdot 230 \# = 460 \#$$

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Intermediate post fitting

Used for intermediate posts along stairways
 Fitting locks into top of post using structural silicone.

Maximum load on fitting is 300#
 6' post spacing * 50 plf = 300#

Shear resisted by direct bearing between fitting and post
 area = 2.175" * 0.1875 = 0.408 in²
 Bearing pressure = 300# / 0.408 = 736 psi

Moment of fitting to post:

This is an intermediate post with rotation of top rail restrained at rail ends.

Moment of fitting is created by eccentricity between bottom of top rail and top of post: e = 0.425"

$$M = 300\# * (0.425") = 127.5\#"$$

Use screws for positive connection

#8 Tek screws:

Shear strength =

$$V = 2 \cdot 30 \text{ ksi} \cdot 0.164" \cdot 0.1" \cdot \frac{1}{3 \text{ (FS)}} = 328\#$$

$$V = 0.246 \cdot 30 \text{ ksi} \cdot 0.1" \cdot \frac{1}{3 \text{ (FS)}} = 246\#$$

$$V_s = 0.0162 \text{ in}^2 \cdot 0.5 \cdot 80 \text{ ksi} / 2 = 324\#$$

$$\text{Moment resistance} = 246\# \cdot 2.375" = 584\#"$$

Screws are located 1.5d from top of post:
 (ADM J.5.3)

$$s = 1.5 \cdot 0.164 = 0.246 \text{ (1/4")}$$

Screw will be at least 1/4" from bottom of the shear tab too as shear tab is 5/8" long

Strength of shear tab:

$$A = 0.75" \cdot 0.15" = 0.1125$$

Casting strength: A356.0 T61 $F_{tu} = 28 \text{ ksi}$ $F_{uv} = 0.6F_{tu}$

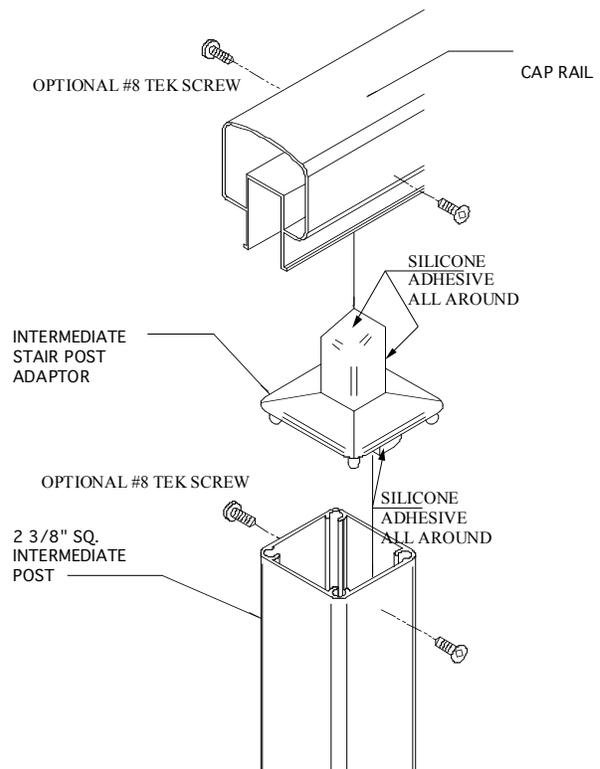
$$T_a = 0.1125 \cdot 28 \text{ ksi} / 1.95 = 1,615\#$$

$$V_a = 0.1125 \cdot 0.6 \cdot 28 \text{ ksi} / 1.95 = 969\#$$

Shear load will be primarily resisted by tab on compression face.

CRL Intermediate Post Fitting

- For Use Only With Our 100 Series Railings
- Seven Colors to Match Top Rails

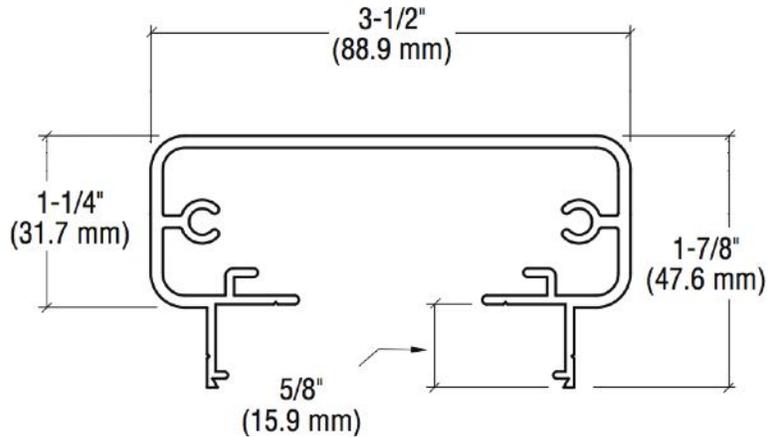


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Series 200 Top rail

First calculate bending strength under vertical loading:



Aluminum Extrusion Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
 Extrusion Series 200 Top Rail Vertical Loading

Section Properties

Ix (in4)	0.241
Sx (in3)	0.201
Zx (in3)	0.398
Iy (in4)	1.43
J (in4)	0.00159
b	3
t	0.087

Cw (in6)	0.978
βx (in)	-3.61
g0 (in)	0

Aluminum Properties

Alloy:	6063-T6
Fu (ksi)	30
Fy (ksi)	25
E (ksi)	10100
Cc	78

Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

Support Condition

Flat element under uniform compression supported on both sides



λ	34.4827586 =	b/t	
λ_1	22.8		
λ_2	39		
F/Ω (ksi)	13.137931 =	15.2	for $\lambda < \lambda_1$
		$19 - 0.170\lambda$	for $\lambda_1 < \lambda < \lambda_2$
		$484/\lambda$	for $\lambda_2 < \lambda$

For $\lambda > \lambda_1$, local buckling applies and the moment strength is calculated as $F/\Omega * S_x$

M_n/Ω (in-lbs) 2641 = $F/\Omega * 1000(\text{kips/lbs}) * S_x$

Rupture Strength

F_u/Ω	15.3846154	
Z_{net}	0.398	
M_n/Ω (in-lbs)	6123.07692 =	$Z_{net} * F_u/\Omega * 1000 \text{kips/lbs}$

Lateral Torsional Buckling:

L_b (in)	72	
C_b	1.14	
C_1	0.5	C_2 0.5
U (in)	0.9025 =	$C_1 * g_0 - C_2 * \theta_x / 2$
M_e	69.3716157 =	See 2015 ADM F.4-9
λ	16.9948636 =	$2.3(L_b * S_x / (I_y * J))^{0.5} \wedge 0.5$
$\lambda < C_c$, inelastic buckling applies		
M_{nmb} (in-kip)	8.49961363 =	$M_p(1 - \lambda/C_c) + \pi^2 * E * \lambda * S_x / C_c^3$
M_a (in-lbs)	5151.28099 =	$M_{nmb} / 1.65 * 1000$

Strength is controlled by local buckling

M_a (in-lbs) 2641

Next calculate bending strength under horizontal loading:

Aluminum Extrusion Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
Extrusion Series 200 Top Rail Horizontal Loading

Section Properties

Ix (in4)	1.43
Sx (in3)	0.818
Zx (in3)	1.03
Iy (in4)	0.241
J (in4)	0.00159
b	0.75
t	0.087

Cw (in6)	0.978
β_x (in)	0
g0 (in)	0

Aluminum Properties

Alloy:	6063-T6
Fu (ksi)	30
Fy (ksi)	25
E (ksi)	10100
Cc	78

Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

Support Condition

Flat element under uniform compression supported on both sides	
--	---

λ	8.62068966 =	b/t	
λ_1	22.8		
λ_2	39		
F/Ω (ksi)	15.2 =	15.2	for $\lambda < \lambda_1$
		19-0.170 λ	for $\lambda_1 < \lambda < \lambda_2$
		484/ λ	for $\lambda_2 < \lambda$

For $\lambda < \lambda_1$, local buckling does not apply and the moment strength is calculated as the minimum of Zfy/Ω or $1.5SFy/\Omega$

Mn/Ω (in-lbs) 15656 = $F/\Omega * 1000(\text{kips/lbs}) * \min(Zx \text{ or } 1.5Sx)$

Rupture Strength

Fu/Ω	15.3846154	
Z_{net}	1.03	
Mn/Ω (in-lbs)	15846.1538 =	$Z_{net} * Fu/\Omega * 1000 \text{kips/lbs}$

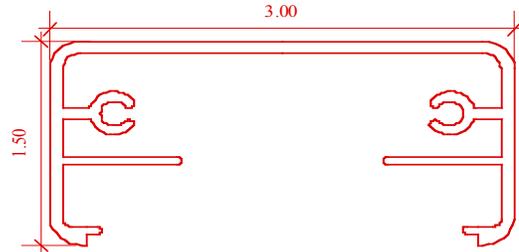
Lateral Torsional Buckling:

L_b (in)	72	
C_b	1.14	
C_1	0.5	C_2 0.5
U (in)	0 =	$C_1 * g_0 - C_2 * \theta_x / 2$
M_e	12.2283867 =	See 2015 ADM F.4-9
λ	81.6587316 =	$2.3(L_b * S_x / (I_y * J))^{0.5} ^{0.5}$
$\lambda > C_c$ elastic buckling applies		
M_{nmb} (in-kip)	12.8232988 =	$\pi^2 * E * S_x / \lambda^2$
M_a (in-lbs)	7771.69622 =	$M_{nmb} / 1.65 * 1000$

Strength is controlled by lateral torsional buckling

M_a (in-lbs) 7772

SERIES 200X TOP RAIL



Aluminum Extrusion Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
Extrusion Series 200X Top Rail Vertical Loading

Section Properties

Ix (in4)	0.132
Sx (in3)	0.137
Zx (in3)	0.246
Iy (in4)	0.85
J (in4)	0.000927
b	2.57
t	0.074

Cw (in6)	0.271
β_x (in)	-3.51
g0 (in)	0

Aluminum Properties

Alloy:	6063-T6
Fu (ksi)	30
Fy (ksi)	25
E (ksi)	10100
Cc	78

Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

Support Condition

Flat element under uniform compression supported on both sides 

λ	34.7297297 =	b/t	
λ_1	22.8		
λ_2	39		
F/Ω (ksi)	13.0959459 =	15.2	for $\lambda < \lambda_1$
		19-0.170 λ	for $\lambda_1 < \lambda < \lambda_2$
		484/ λ	for $\lambda_2 < \lambda$

For $\lambda > \lambda_1$, local buckling applies and the moment strength is calculated as $F/\Omega * S_x$

M_n/Ω (in-lbs) 1794 = $F/\Omega * 1000(\text{kips/lbs}) * S_x$

Rupture Strength

F_u/Ω	15.3846154	
Z_{net}	0.246	
M_n/Ω (in-lbs)	3784.61538 =	$Z_{net} * F_u/\Omega * 1000 \text{kips/lbs}$

Lateral Torsional Buckling:

L_b (in)	72		
C_b	1.14		
C_1	0.5	C_2	0.5
U (in)	0.8775 =	$C_1 * g_0 - C_2 * \delta_x / 2$	
M_e	37.6250385 =	See 2015 ADM F.4-9	
λ	19.05164 =	$2.3(L_b * S_x / (I_y * J))^{0.5} \wedge 0.5$	
$\lambda < C_c$, inelastic buckling applies			
M_{nmb} (in-kip)	5.19611611 =	$M_p(1 - \lambda/C_c) + \pi^2 * E * I * S_x / C_c^3$	
M_a (in-lbs)	3149.16128 =	$M_{nmb} / 1.65 * 1000$	

Strength is controlled by local buckling

M_a (in-lbs) 1794

Next calculate bending strength under horizontal loading:

Aluminum Extrusion Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
Extrusion Series 200X Top Rail Horizontal Loading

Section Properties

I _x (in ⁴)	0.85
S _x (in ³)	0.567
Z _x (in ³)	0.681
I _y (in ⁴)	0.132
J (in ⁴)	0.000927
b	1.11
t	0.074

C _w (in ⁶)	0.271
β _x (in)	0
g ₀ (in)	0

Aluminum Properties

Alloy:	6063-T6
F _u (ksi)	30
F _y (ksi)	25
E (ksi)	10100
C _c	78

Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

Support Condition

Flat element under uniform compression supported on both sides



$\lambda = 15 = b/t$

$\lambda_1 = 22.8$

$\lambda_2 = 39$

F/Ω (ksi) = 15.2 = $\begin{matrix} 15.2 & \text{for } \lambda < \lambda_1 \\ 19-0.170\lambda & \text{for } \lambda_1 < \lambda < \lambda_2 \\ 484/\lambda & \text{for } \lambda_2 < \lambda \end{matrix}$

For $\lambda < \lambda_1$, local buckling does not apply and the moment strength is calculated as the minimum of Zfy/Ω or $1.5SFy/\Omega$

Mn/Ω (in-lbs) = 10351 = $F/\Omega * 1000(\text{kips/lbs}) * \min(Zx \text{ or } 1.5Sx)$

Rupture Strength

$Fu/\Omega = 15.3846154$

$Znet = 0.681$

Mn/Ω (in-lbs) = 10476.9231 = $Znet * Fu/\Omega * 1000 \text{kips/lbs}$

Lateral Torsional Buckling:

Lb (in) = 72

$Cb = 1.14$

$C1 = 0.5$

$C2 = 0.5$

U (in) = 0 = $C1 * g0 - C2 * \theta_x / 2$

$Me = 5.36401535 =$ See 2015 ADM F.4-9

$\lambda = 102.649558 = 2.3(Lb * Sx / (Iy * J))^0.5^0.5$

$\lambda > Cc$ elastic buckling applies

$Mnmb$ (in-kip) = 6.84556464 = $\pi^2 * E * Sx / \lambda^2$

Ma (in-lbs) = 4148.82705 = $Mnmb / 1.65 * 1000$

Strength is controlled by lateral torsional buckling

Ma (in-lbs) = 4149

Series 300 Top Rail

Aluminum Extrusion Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
Extrusion Series 300 Top Rail Vertical Loading

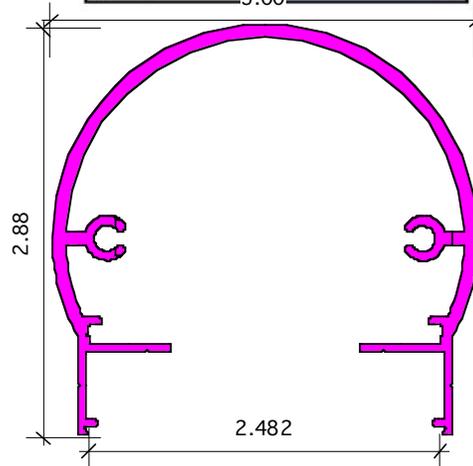
Section Properties

Ix (in4)	0.574
Sx (in3)	0.364
Zx (in3)	0.583
Iy (in4)	1.07
J (in4)	0.00168
b	1.41
t	0.086

Cw (in6)	0.906
βx (in)	-5.46
g0 (in)	-2.5

Aluminum Properties

Alloy:	6063-T6
Fu (ksi)	30
Fy (ksi)	25
E (ksi)	10100
Cc	78



Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

Support Condition

Round profiles	
----------------	---

λ	16.3953488 =	Rb/t	
$\lambda 1$	70		
$\lambda 2$	189		
F/Ω (ksi)	20.816501 =	$27.7-1.70\lambda^{0.5}$ for $\lambda < \lambda 1$ $18.5-0.593\lambda^{0.5}$ for $\lambda 1 < \lambda < \lambda 2$ $3776/(\lambda(1+\lambda^{0.5}/35)^2)$ for $\lambda 2 < \lambda$	

For $\lambda < \lambda 1$, local buckling does not apply and the moment strength is calculated as the minimum of Zfy/Ω or $1.5SFy/\Omega$

Mn/Ω (in-lbs) 8273 = $F/\Omega * 1000(\text{kips/lbs}) * \min(Zx \text{ or } 1.5Sx)$

Rupture Strength

Fu/Ω	15.3846154	
$Znet$	0.583	
Mn/Ω (in-lbs)	8969.23077 =	$Znet * Fu/\Omega * 1000 \text{kips/lbs}$

Lateral Torsional Buckling:

Lb (in)	72		
Cb	1.14		
$C1$	0.5	$C2$	0.5
U (in)	0.115 =	$C1 * g0 - C2 * \beta x / 2$	
Me	28.0602538 =	See 2015 ADM F.4-9	
λ	35.9596498 =	$2.3(Lb * Sx / (Iy * J)^{0.5})^{0.5}$	
$\lambda < Cc$, inelastic buckling applies			
$Mnmb$ (in-kip)	10.6051194 =	$Mp(1-\lambda/Cc) + \pi^2 * E * \lambda * Sx / Cc^3$	
Ma (in-lbs)	6427.34509 =	$Mnmb / 1.65 * 1000$	

Strength is controlled by lateral torsional buckling

Ma (in-lbs) 6427

Aluminum Extrusion Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
Extrusion Series 300 Top Rail Horizontal Loading

Section Properties

Ix (in4)	1.07
Sx (in3)	0.712
Zx (in3)	0.583
Iy (in4)	0.574
J (in4)	0.00168
b	1.41
t	0.086

Cw (in6)	0.906
β_x (in)	0
g0 (in)	0

Aluminum Properties

Alloy:	6063-T6
Fu (ksi)	30
Fy (ksi)	25
E (ksi)	10100
Cc	78

Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

Support Condition

Round profiles	
----------------	---

λ	16.3953488 =	Rb/t	
λ_1	70		
λ_2	189		
F/Ω (ksi)	20.816501 =	$27.7-1.70\lambda^{0.5}$ for $\lambda < \lambda_1$ $18.5-0.593\lambda^{0.5}$ for $\lambda_1 < \lambda < \lambda_2$ $3776/(\lambda(1+\lambda^{0.5}/35)^2)$ for $\lambda_2 < \lambda$	

For $\lambda < \lambda_1$, local buckling does not apply and the moment strength is calculated as the minimum of Zfy/Ω or $1.5SFy/\Omega$

Mn/Ω (in-lbs) 8833 = $F/\Omega * 1000(\text{kips/lbs}) * \min(Zx \text{ or } 1.5Sx)$

Rupture Strength

F_u/Ω	15.3846154	
Z_{net}	0.583	
Mn/Ω (in-lbs)	8969.23077 =	$Z_{net} * F_u/\Omega * 1000 \text{kips/lbs}$

Lateral Torsional Buckling:

L_b (in)	72		
C_b	1.14		
C_1	0.5	C_2	0.5
U (in)	0 =	$C_1 * g_0 - C_2 * \theta_x / 2$	
M_e	18.4710844 =	See 2015 ADM F.4-9	
λ	61.9875341 =	$2.3(L_b * S_x / (I_y * J))^{0.5} ^{0.5}$	
$\lambda < C_c$, inelastic buckling applies			
M_{nmb} (in-kip)	12.262968 =	$M_p(1-\lambda/C_c) + \pi^2 * E * \lambda * S_x / C_c^3$	
M_a (in-lbs)	7432.10182 =	$M_{nmb} / 1.65 * 1000$	

Strength is controlled by lateral torsional buckling

M_a (in-lbs) 7432

Aluminum Extrusion Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
Extrusion Series 300X Top Rail Vertical Loading

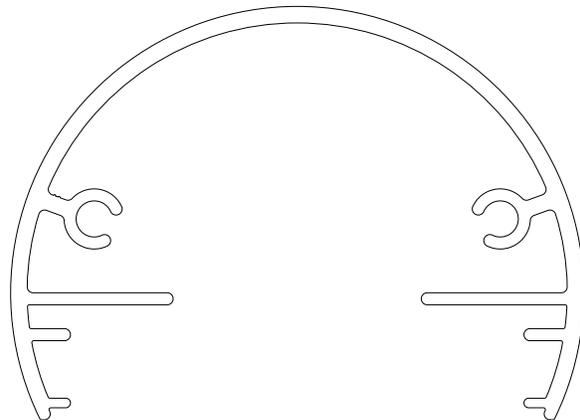
Section Properties

Ix (in4)	0.288
Sx (in3)	0.252
Zx (in3)	0.395
Iy (in4)	0.949
J (in4)	0.00166
b	1.5
t	0.087

Cw (in6)	0.312
βx (in)	-4.409
g0 (in)	1

Aluminum Properties

Alloy:	6063-T6
Fu (ksi)	30
Fy (ksi)	25
E (ksi)	10100
Cc	78



Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

Support Condition

Round profiles



λ	17.2413793 =	Rb/t	
λ_1	70		
λ_2	189		
F/Ω (ksi)	20.6411342 =	$27.7-1.70\lambda^{0.5}$	for $\lambda < \lambda_1$
		$18.5-0.593\lambda^{0.5}$	for $\lambda_1 < \lambda < \lambda_2$
		$3776/(\lambda(1+\lambda^{0.5}/35)^2)$	for $\lambda_2 < \lambda$

For $\lambda < \lambda_1$, local buckling does not apply and the moment strength is calculated as the minimum of Zfy/Ω or $1.5SFy/\Omega$

Mn/Ω (in-lbs) 5727 = $F/\Omega * 1000(\text{kips/lbs}) * \min(Zx \text{ or } 1.5Sx)$

Rupture Strength

Fu/Ω	15.3846154	
Z_{net}	0.395	
Mn/Ω (in-lbs)	6076.92308 =	$Z_{net} * Fu/\Omega * 1000 \text{kips/lbs}$

Lateral Torsional Buckling:

L_b (in)	72		
C_b	1.14		
C_1	0.5	C_2	0.5
U (in)	1.60225 =	$C_1 * g_0 - C_2 * \beta_x / 2$	
M_e	70.7803983 =	See 2015 ADM F.4-9	
λ	18.8388474 =	$2.3(L_b * S_x / (I_y * J))^{0.5}$	
$\lambda < C_c$, inelastic buckling applies			
M_{nmb} (in-kip)	8.48717637 =	$M_p(1-\lambda/C_c) + \pi^2 * E * \lambda * S_x / C_c^3$	
M_a (in-lbs)	5143.74325 =	$M_{nmb} / 1.65 * 1000$	

Strength is controlled by lateral torsional buckling

M_a (in-lbs) 5144

Aluminum Extrusion Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
Extrusion Series 300X Top Rail Vertical Loading

Section Properties

Ix (in4)	0.949
Sx (in3)	0.632
Zx (in3)	0.792
Iy (in4)	0.288
J (in4)	0.00166
b	1.5
t	0.087

Cw (in6)	0.312
βx (in)	0
g0 (in)	0

Aluminum Properties

Alloy:	6063-T6
Fu (ksi)	30
Fy (ksi)	25
E (ksi)	10100
Cc	78

Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

Support Condition

Round profiles	
----------------	---

λ	17.2413793 =	Rb/t	
λ_1	70		
λ_2	189		
F/Ω (ksi)	20.6411342 =	$27.7-1.70\lambda^{0.5}$ for $\lambda < \lambda_1$ $18.5-0.593\lambda^{0.5}$ for $\lambda_1 < \lambda < \lambda_2$ $3776/(\lambda(1+\lambda^{0.5}/35)^2)$ for $\lambda_2 < \lambda$	

For $\lambda < \lambda_1$, local buckling does not apply and the moment strength is calculated as the minimum of Zfy/Ω or $1.5SFy/\Omega$

Mn/Ω (in-lbs) 12000 = $F/\Omega * 1000(\text{kips/lbs}) * \min(Zx \text{ or } 1.5Sx)$

Rupture Strength

F_u/Ω	15.3846154	
Z_{net}	0.792	
Mn/Ω (in-lbs)	12184.6154 =	$Z_{net} * F_u/\Omega * 1000 \text{kips/lbs}$

Lateral Torsional Buckling:

L_b (in)	72	
C_b	1.14	
C_1	0.5	C_2 0.5
U (in)	0 =	$C_1 * g_0 - C_2 * \theta_x / 2$
M_e	9.40394183 =	See 2015 ADM F.4-9
λ	81.8491421 =	$2.3(L_b * S_x / (I_y * J))^{0.5} \wedge 0.5$
$\lambda > C_c$ elastic buckling applies		
M_{nmb} (in-kip)	9.88888057 =	$\pi^2 * E * S_x / \lambda^2$
M_a (in-lbs)	5993.26095 =	$M_{nmb} / 1.65 * 1000$

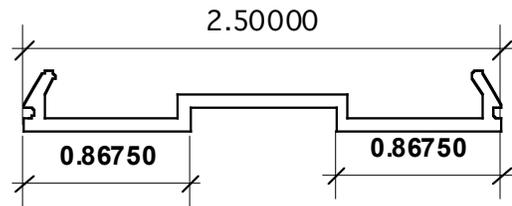
Strength is controlled by lateral torsional buckling

M_a (in-lbs) 5993

Top Rail Infill for Pickets

$$\begin{aligned} I_{yy} &= 0.144 \text{ in}^4 & I_{xx} &= 0.0013 \text{ in}^4 \\ S_{yy} &= 0.115 \text{ in}^3 & S_{xx} &= 0.0057 \text{ in}^4 \\ Z_{yy} &= 0.161 \text{ in}^3 \end{aligned}$$

Infill for pickets provides negligible contribution to vertical load resistance but provides some horizontal load resistance.



$$b/t = 2.5''/0.063'' = 39.7 > 34.7 \text{ (Flat element supported on both edges)}$$

$$F/\Omega = 27.9 - 0.150 * 39.7 = 21.9 \text{ ksi}$$

$$M_a = 21.9 \text{ ksi} * 0.115 \text{ in}^3 = 2,520''\# \text{ (For local buckling)}$$

$$M_a = 15.2 \text{ ksi} * 0.161 \text{ in}^3 = 2,450''\# \text{ (For yielding) (controls)}$$

Top Rail Infill for Glass

$$\begin{aligned} I_{yy} &= 0.1657 \text{ in}^4 & I_{xx} &= 0.06062 \text{ in}^4 \\ S_{yy} &= 0.1321 \text{ in}^3 & S_{xx} &= 0.08607 \text{ in}^4 \\ Z_{yy} &= 0.2087 \text{ in}^3 & Z_{xx} &= 0.1232 \text{ in}^3 \end{aligned}$$

$$b/t = 1''/0.06'' = 16.7 < 22.8 \text{ (Local buckling does not control for any of the elements)}$$

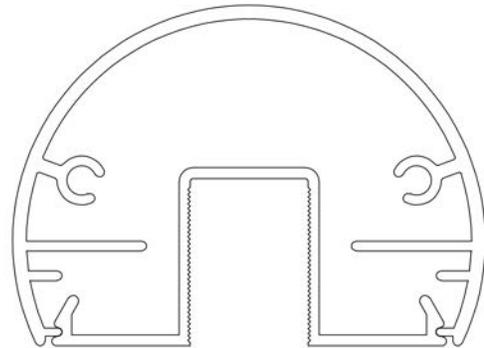
Vertical bending:

$$M_{a,x} = 15.2 \text{ ksi} * 0.1232 \text{ in}^3 = 1,870''\#$$

Horizontal bending:

Note $1.5S_{yy} < Z_{yy}$.

$$M_{a,y} = 1.5 * 0.1321 \text{ in}^3 * 15.2 \text{ ksi} = 3,010''\#$$



Adjustable Fastening Plates for Top Rails

Top rail connection to post:

For Vertical loads top rail is restrained by (2) #10 Tek screws each side.

Connection of bracket to post is with (2) #14 screws so is stronger.

For horizontal loads the top rail directly bears on side of post.

Tek screw strength: Check shear @ rail (6063-T6)

$$2 \times F_{urail} \times \text{dia screw} \times \text{Rail thickness} \times SF$$

$$V = 2 \cdot 30 \text{ ksi} \cdot 0.19'' \cdot 0.09''/3 = 342\#/ \text{screw}$$

Pullout strength:

$$R_a = K_s D L_e F_{ty} / \Omega = 1.2 \cdot 0.19 \cdot 0.125 \cdot 30 \text{ ksi} / 3 = 285\#$$

Since minimum of 2 screws used for each

$$\text{Allowable load} = 2 \cdot 342\# = 684\# \text{ Horiz.}$$

$$\text{Allowable uplift} = 2 \cdot 285\# = 570\#$$

Post bearing strength

$$V_{all} = A_{bearing} \cdot F_B$$

$$A_{bearing} = 0.09'' \cdot 2.25'' = 0.2025 \text{ in}^2 F_B = 20.5 \text{ ksi}$$

$$V_{all} = 0.2025 \text{ in}^2 \cdot 20.5 \text{ ksi} = 4.15 \text{ k}$$

Bracket tab bending strength

Vertical uplift force

For 6061-T6 aluminum stamping 1/8" thick

Check for shear rupture of tabs:

$$V_a = .438'' \cdot .125'' \cdot 12.7 \text{ ksi} = 695\# \text{ each}$$

Tab uplift bending:

$$M_a = 0.438 \cdot 0.125^2 / 4 \cdot 30 \text{ ksi} / 1.95 = 26''\# \text{ each}$$

Uplift resistance: at edge of screw head $L = 1.158 - .2 = 0.958$

$$U_a = 26 / (0.958 / 2) \cdot 2 = 109\# \text{ per bracket, } 218\# \text{ per post} > 200\#$$

Tab bending controls for uplift

Tension strength of #14 screws into post screw slot:

$$R_n = 0.29 D L_e F_{tu} = 0.29 \cdot 0.25 \cdot (.75 - .125 - 0.056) \cdot 38 \text{ ksi} = 1568$$

$$R_a = 1568 / 3 = 523\#$$

$$\text{Prying} = 109 \cdot (1.158 + 0.625) / 0.31 = 627\# \leq 2 \cdot 523\# \text{ OK}$$

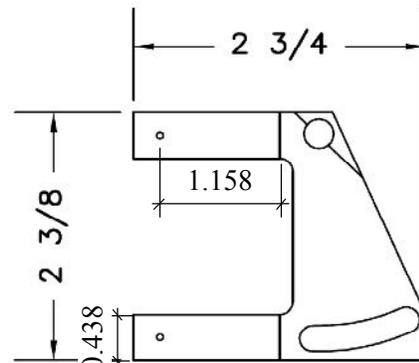
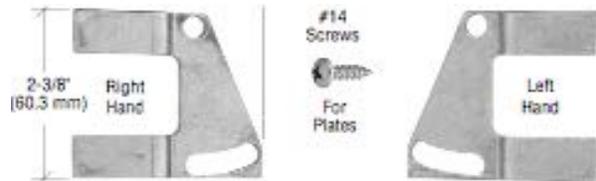
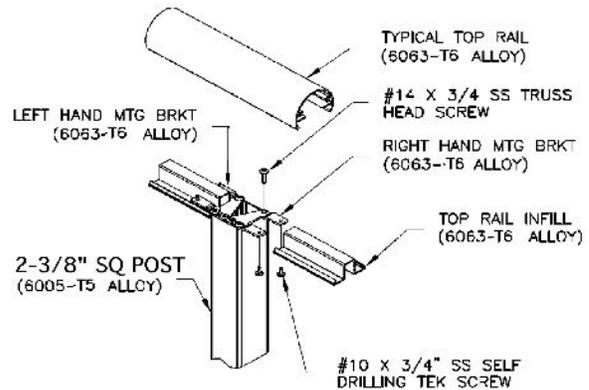
Screw strength controls connection strength:

$$P_a = 2 \cdot 295\# = 590\# > 300\# \text{ OK}$$

Strengths of Tek screws:

$$\#10: T_a = 885, V_a = 573$$

$$\#14: T_a = 1605, V_a = 990$$



LHB

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RAIL SPLICES:

Splice plate strength: 6061-T6 bars 5/8 x 1/8
 Vertical load will be direct bearing from rail/plate to post no bending or shear in plate.

Horizontal load will be transferred by shear in the fasteners:

Rail to splice plates:

#10 Tek screw strength: Check shear @ rail (6063-T6)

$$2 \times F_{urail} \times \text{dia screw} \times \text{rail thickness} \times SF$$

$$V = 2 \times 30 \text{ ksi} \times 0.19'' \times 0.09'' \times \frac{1}{3} = 342\#/\text{screw}$$

or $F_{urplate} \times \text{dia screw} \times \text{plate thickness} \times SF$

$$V = 38 \text{ ksi} \times 0.19'' \times 0.125'' \times \frac{1}{3} = 300\#/\text{screw}; \text{ for two screws} = 600\#$$

Pullout strength:

$$R_a = K_s D L_e F_{ty} / \Omega = 1.2 \times 0.19 \times 0.125 \times 38 \text{ ksi} / 3 = 361\#$$

Post to splice plate:

1/4" Tek screws into post screw chase so screw to post connection will not control (see previous page).

splice plate screw shear strength

$2 \times F_{uplate} \times \text{dia screw} \times \text{plate thickness} \times SF$

$$V = 2 \times 38 \text{ ksi} \times 0.25'' \times 0.125'' \times \frac{1}{3} = 792\#/\text{screw}$$

Check moment from horizontal load:

$M = P \times 0.75''$. For 200# maximum load from a single rail on to splice plates

$$M = 0.75 \times 200 = 150\#''$$

$$S = 0.125 \times (0.625)^2 / 6 = 0.008 \text{ in}^3$$

$$f_b = 150\#'' / (0.008 \times 2) = 9,216 \text{ psi} > 31.8 \text{ ksi OK}$$

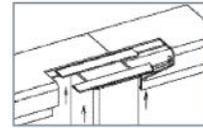
Vertical load:

$$M_a = 2 \times 5/8'' \times 0.125^2 / 4 \times 38 \text{ ksi} / 1.95 = 95\#''$$

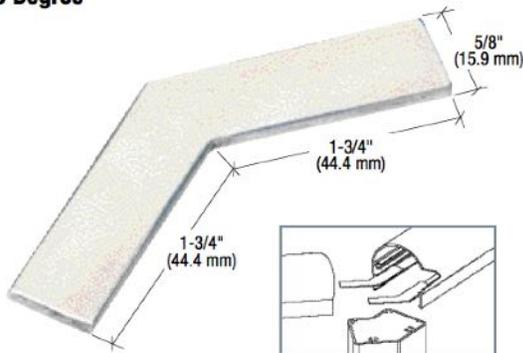
$$\text{Allowable uplift} = 95\#'' \times (1.125'' / 2) = 169\# \text{ each bracket}$$

CRL 200 and 300 Series Splice Plates

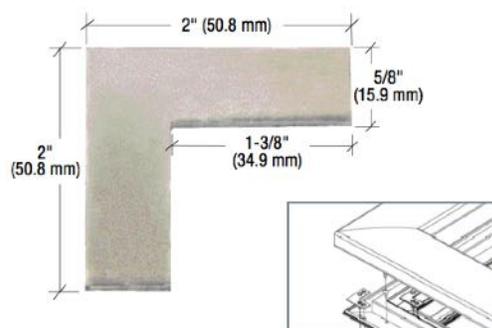
- For Use with 200 and 300 Series Railings
- Aluminum Splice Plates Fit Under Top Rail to Splice Top Rails Together Over a Post



45 Degree



90 Degree



For corner brackets screw strength and bending strength will be the same.

Series 320 Top Rail

Aluminum Extrusion Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
Extrusion Series 320 Top Rail Vertical Loading

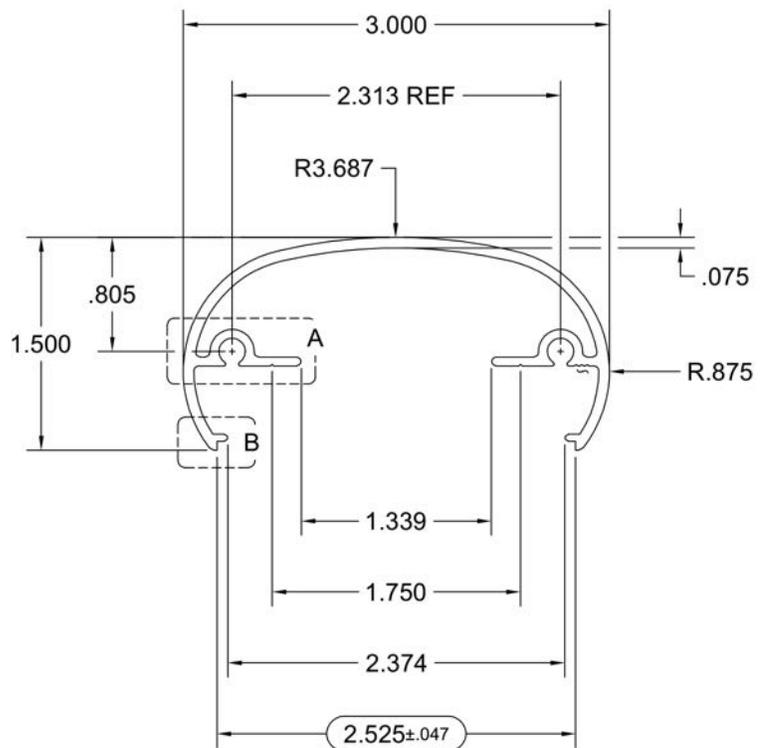
Section Properties

I_x (in⁴)	0.118
S_x (in³)	0.201
Z_x (in³)	0.243
I_y (in⁴)	0.796
J (in⁴)	0.00157
b	3.59
t	0.1

C_w (in⁶)	0.0741
β_x (in)	-3.66
g₀ (in)	0

Aluminum Properties

Alloy:	6063-T6
F_u (ksi)	30
F_y (ksi)	25
E (ksi)	10100
C_c	78



Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

Support Condition

Round hollow elements under uniform compression	↕
---	---

λ	35.9 =	Rb/t	
λ_1	31.2		
λ_2	189		
F/Ω (ksi)	14.9469451 =	15.2	for $\lambda < \lambda_1$
		$18.5 - 0.593\lambda^{0.5}$	for $\lambda_1 < \lambda < \lambda_2$
		$3776 / (\lambda(1 + \lambda^{0.5}/35)^2)$	for $\lambda_2 < \lambda$

For $\lambda > \lambda_1$, local buckling applies and the moment strength is calculated as $F/\Omega * S_x$

Mn/Ω (in-lbs) 3004 = $F/\Omega * 1000(\text{kips/lbs}) * S_x$

Rupture Strength

F_u/Ω	15.3846154	
Z_{net}	0.243	
Mn/Ω (in-lbs)	3738.46154 =	$Z_{net} * F_u/\Omega * 1000 \text{kips/lbs}$

Lateral Torsional Buckling:

L_b (in)	72	
C_b	1.14	
C_1	0.5	C_2 0.5
U (in)	0.915 =	$C_1 * g_0 - C_2 * \beta_x / 2$
M_e	36.0048031 =	See 2015 ADM F.4-9
λ	23.5900232 =	$2.3(L_b * S_x / (I_y * J)^{0.5})^{0.5}$
$\lambda < C_c$, inelastic buckling applies		
M_{nmb} (in-kip)	5.23370562 =	$M_p(1 - \lambda/C_c) + \pi^2 * E * \lambda * S_x / C_c^3$
M_a (in-lbs)	3171.9428 =	$M_{nmb} / 1.65 * 1000$

Strength is controlled by local buckling

M_a (in-lbs) 3004

Aluminum Extrusion Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
Extrusion Series 320 Top Rail Horizontal Loading

Section Properties

I_x (in⁴)	0.796
S_x (in³)	0.531
Z_x (in³)	0.669
I_y (in⁴)	0.118
J (in⁴)	0.00157
b	0.775
t	0.1

C_w (in⁶)	0.0741
β_x (in)	0
g₀ (in)	0

Aluminum Properties

Alloy:	6063-T6
F_u (ksi)	30
F_y (ksi)	25
E (ksi)	10100
C_c	78

Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

Support Condition

Round hollow elements under uniform compression	
---	--

λ	7.75 =	Rb/t	
λ_1	31.2		
λ_2	189		
F/Ω (ksi)	15.2 =	15.2	for $\lambda < \lambda_1$
		$18.5 - 0.593\lambda^{0.5}$	for $\lambda_1 < \lambda < \lambda_2$
		$3776 / (\lambda(1 + \lambda^{0.5}/35)^2)$	for $\lambda_2 < \lambda$

For $\lambda < \lambda_1$, local buckling does not apply and the moment strength is calculated as the minimum of Zfy/Ω or $1.5SFy/\Omega$

Mn/Ω (in-lbs) 10136 = $F/\Omega * 1000(\text{kips/lbs}) * \min(Zx \text{ or } 1.5Sx)$

Rupture Strength

Fu/Ω	15.3846154	
Znet	0.669	
Mn/Ω (in-lbs)	10292.3077 =	$Znet * Fu/\Omega * 1000 \text{kips/lbs}$

Lateral Torsional Buckling:

Lb (in)	72		
Cb	1.14		
C1	0.5	C2	0.5
U (in)	0 =	$C1 * g0 - C2 * \theta_x / 2$	
Me	4.66246149 =	See 2015 ADM F.4-9	
λ	106.549199 =	$2.3(Lb * Sx / (Iy * J))^{0.5} \wedge 0.5$	
$\lambda > Cc$ elastic buckling applies			
Mnmb (in-kip)	5.76292313 =	$\pi^2 * E * Sx / \lambda^2$	
Ma (in-lbs)	3492.68069 =	$Mnmb / 1.65 * 1000$	

Strength is controlled by lateral torsional buckling

Ma (in-lbs) **3493**

Series 350 Top Rail

Aluminum Extrusion Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
Extrusion Series 350 Top Rail Vertical Loading

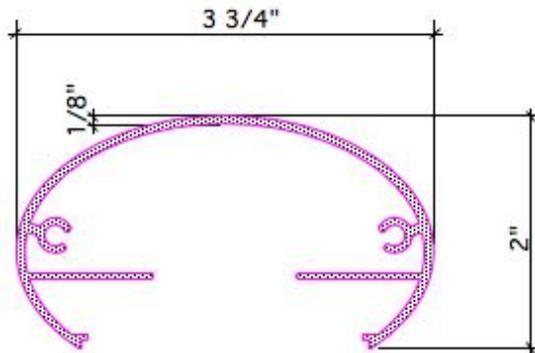
Section Properties

Ix (in4)	0.249
Sx (in3)	0.224
Zx (in3)	0.355
Iy (in4)	1.29
J (in4)	0.00101
b	2.82
t	0.07

Cw (in6)	0.719
βx (in)	-4.57
g0 (in)	-1.82

Aluminum Properties

Alloy:	6063-T6
Fu (ksi)	30
Fy (ksi)	25
E (ksi)	10100
Cc	78



Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

Support Condition

Round profiles



$\lambda = 40.2857143 = Rb/t$

$\lambda_1 = 70$

$\lambda_2 = 189$

F/Ω (ksi) = 16.9099252 = $27.7 - 1.70\lambda^{0.5}$ for $\lambda < \lambda_1$
 $18.5 - 0.593\lambda^{0.5}$ for $\lambda_1 < \lambda < \lambda_2$
 $3776 / (\lambda(1 + \lambda^{0.5}/35)^2)$ for $\lambda_2 < \lambda$

For $\lambda < \lambda_1$, local buckling does not apply and the moment strength is calculated as the minimum of Zfy/Ω or $1.5SFy/\Omega$

Mn/Ω (in-lbs) = 5091 = $F/\Omega * 1000(\text{kips/lbs}) * \min(Zx \text{ or } 1.5Sx)$

Rupture Strength

$Fu/\Omega = 15.3846154$

$Znet = 0.355$

Mn/Ω (in-lbs) = 5461.53846 = $Znet * Fu/\Omega * 1000 \text{kips/lbs}$

Lateral Torsional Buckling:

Lb (in) = 72

$Cb = 1.14$

$C1 = 0.5$

$C2 = 0.5$

U (in) = 0.2325 = $C1 * g0 - C2 * \beta x / 2$

$Me = 31.318508 =$ See 2015 ADM F.4-9

$\lambda = 26.7014002 = 2.3(Lb * Sx / (Iy * J)^{0.5})^{0.5}$

$\lambda < Cc$, inelastic buckling applies

$Mnmb$ (in-kip) = 7.09323514 = $Mp(1 - \lambda/Cc) + \pi^2 * E * I * Sx / Cc^3$

Ma (in-lbs) = 4298.93039 = $Mnmb / 1.65 * 1000$

Strength is controlled by lateral torsional buckling

Ma (in-lbs) = 4299

Aluminum Extrusion Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
Extrusion Series 350 Top Rail Horizontal Loading

Section Properties

Ix (in4)	1.29
Sx (in3)	0.692
Zx (in3)	0.88
Iy (in4)	0.249
J (in4)	0.00101
b	0.747
t	0.07

Cw (in6)	0.719
β_x (in)	0
g0 (in)	0

Aluminum Properties

Alloy:	6063-T6
Fu (ksi)	30
Fy (ksi)	25
E (ksi)	10100
Cc	78

Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

Support Condition

Round profiles	
----------------	---

λ	10.6714286 =	Rb/t	
λ_1	70		
λ_2	189		
F/Ω (ksi)	22.1465841 =	$27.7-1.70\lambda^{0.5}$ for $\lambda < \lambda_1$ $18.5-0.593\lambda^{0.5}$ for $\lambda_1 < \lambda < \lambda_2$ $3776/(\lambda(1+\lambda^{0.5}/35)^2)$ for $\lambda_2 < \lambda$	

For $\lambda < \lambda_1$, local buckling does not apply and the moment strength is calculated as the minimum of Zfy/Ω or $1.5SFy/\Omega$

Mn/Ω (in-lbs) 13333 = $F/\Omega * 1000(\text{kips/lbs}) * \min(Zx \text{ or } 1.5Sx)$

Rupture Strength

F_u/Ω	15.3846154	
Z_{net}	0.88	
Mn/Ω (in-lbs)	13538.4615 =	$Z_{net} * F_u/\Omega * 1000 \text{kips/lbs}$

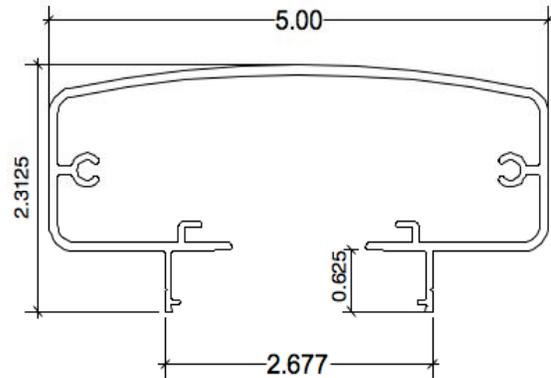
Lateral Torsional Buckling:

Lb (in)	72		
Cb	1.14		
C1	0.5	C2	0.5
U (in)	0 =	$C1 * g_0 - C2 * \theta_x / 2$	
Me	10.4802824 =	See 2015 ADM F.4-9	
λ	81.1291853 =	$2.3(Lb * S_x / (I_y * J)^{0.5})^{0.5}$	
$\lambda > C_c$ elastic buckling applies			
Mnmb (in-kip)	10.9103067 =	$\pi^2 * E * S_x / \lambda^2$	
Ma (in-lbs)	6612.30708 =	$Mnmb / 1.65 * 1000$	

Strength is controlled by lateral torsional buckling

Ma (in-lbs) **6612**

Series 400 Top rail



Aluminum Extrusion Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
Extrusion Series 400 Top Rail Vertical Loading

Section Properties

I_x (in⁴)	0.612
S_x (in³)	0.45
Z_x (in³)	0.776
I_y (in⁴)	3.74
J (in⁴)	0.00254
b	12.5
t	0.087

C_w (in⁶)	7.85
β_x (in)	-4.71
g₀ (in)	2.18

Aluminum Properties

Alloy:	6063-T6
F_u (ksi)	30
F_y (ksi)	25
E (ksi)	10100
C_c	78

Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

Support Condition

Round profiles	▲ ▼
----------------	--------

λ	143.678161 =	Rb/t	
λ_1	70		
λ_2	189		
F/Ω (ksi)	11.3919566 =	$27.7-1.70\lambda^{0.5}$ for $\lambda < \lambda_1$ $18.5-0.593\lambda^{0.5}$ for $\lambda_1 < \lambda < \lambda_2$ $3776/(\lambda(1+\lambda^{0.5}/35)^2)$ for $\lambda_2 < \lambda$	

For $\lambda > \lambda_1$, local buckling applies and the moment strength is calculated as $F/\Omega * S_x$

Mn/Ω (in-lbs) 5126 = $F/\Omega * 1000(\text{kips/lbs}) * S_x$

Rupture Strength

F_u/Ω	15.3846154	
Z_{net}	0.776	
Mn/Ω (in-lbs)	11938.4615 =	$Z_{net} * F_u/\Omega * 1000 \text{kips/lbs}$

Lateral Torsional Buckling:

Lb (in)	72		
Cb	1.14		
C1	0.5	C2	0.5
U (in)	2.2675 =	$C1 * g_0 - C2 * \beta_x / 2$	
Me	408.534561 =	See 2015 ADM F.4-9	
λ	10.4785796 =	$2.3(Lb * S_x / (I_y * J)^{0.5})^{0.5}$	
$\lambda < C_c$, inelastic buckling applies			
Mnmb (in-kip)	17.7842841 =	$M_p(1 - \lambda/C_c) + \pi^2 * E * \lambda * S_x / C_c^3$	
Ma (in-lbs)	10778.354 =	$M_{nmb} / 1.65 * 1000$	

Strength is controlled by local buckling

Ma (in-lbs) 5126

Aluminum Extrusion Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
Extrusion Series 400 Top Rail Horizontal Loading

Section Properties

Ix (in4)	3.74
Sx (in3)	1.49
Zx (in3)	1.94
Iy (in4)	0.612
J (in4)	0.00254
b	1.04
t	0.087

Cw (in6)	7.85
β_x (in)	0
g0 (in)	-2.5

Aluminum Properties

Alloy:	6063-T6
Fu (ksi)	30
Fy (ksi)	25
E (ksi)	10100
Cc	78

Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

Support Condition

Flat element under uniform compression supported on both sides



$\lambda = 11.954023 = b/t$

$\lambda_1 = 22.8$

$\lambda_2 = 39$

F/Ω (ksi) = 15.2 = $\begin{matrix} 15.2 & \text{for } \lambda < \lambda_1 \\ 19-0.170\lambda & \text{for } \lambda_1 < \lambda < \lambda_2 \\ 484/\lambda & \text{for } \lambda_2 < \lambda \end{matrix}$

For $\lambda < \lambda_1$, local buckling does not apply and the moment strength is calculated as the minimum of Zfy/Ω or $1.5SFy/\Omega$

Mn/Ω (in-lbs) = 29394 = $F/\Omega * 1000(\text{kips/lbs}) * \min(Zx \text{ or } 1.5Sx)$

Rupture Strength

$Fu/\Omega = 15.3846154$

$Znet = 1.94$

Mn/Ω (in-lbs) = 29846.1538 = $Znet * Fu/\Omega * 1000 \text{kips/lbs}$

Lateral Torsional Buckling:

Lb (in) = 72

$Cb = 1.14$

$C1 = 0.5$

$C2 = 0.5$

U (in) = -1.25 = $C1 * g0 - C2 * \beta x / 2$

$Me = 35.5461592 =$ See 2015 ADM F.4-9

$\lambda = 64.6408938 = 2.3(Lb * Sx / (Iy * J))^0.5$

$\lambda < Cc$, inelastic buckling applies

$Mnmb$ (in-kip) = 28.5382564 = $Mp(1-\lambda/Cc) + \pi^2 * E * I * Sx / Cc^3$

Ma (in-lbs) = 17295.913 = $Mnmb / 1.65 * 1000$

Strength is controlled by lateral torsional buckling

Ma (in-lbs) = 17296

Series 500 Top Rail

Aluminum Extrusion Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
Extrusion Series 500 Top Rail Vertical Bending

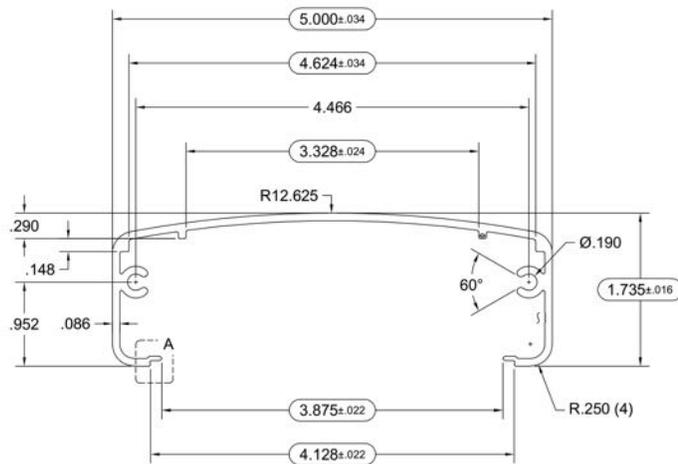
Section Properties

I_x (in⁴)	0.257
S_x (in³)	0.443
Z_x (in³)	0.392
I_y (in⁴)	3.34
J (in⁴)	0.00248
b	25
t	0.086

C_w (in⁶)	1.05
β_x (in)	-5.62
g₀ (in)	0

Aluminum Properties

Alloy:	6063-T6
F_u (ksi)	30
F_y (ksi)	25
E (ksi)	10100
C_c	78



Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F.4.

Local buckling/ Yielding:

Support Condition

Round hollow elements under uniform compression	
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λ	290.697674 =	Rb/t	
λ_1	31.2		
λ_2	189		
F/Ω (ksi)	5.87337068 =	15.2	for $\lambda < \lambda_1$
		$18.5 - 0.593\lambda^{0.5}$	for $\lambda_1 < \lambda < \lambda_2$
		$3776 / (\lambda(1 + \lambda^{0.5}/35)^2)$	for $\lambda_2 < \lambda$

For $\lambda > \lambda_1$, local buckling applies and the moment strength is calculated as $F/\Omega * S$

Mn/Ω (in-lbs) 2602 = $F/\Omega * 1000(\text{kips/lbs}) * S_x$

Rupture Strength

F_u/Ω	15.3846154	
Z_{net}	0.392	
Mn/Ω (in-lbs)	6030.76923 =	$Z_{net} * F_u/\Omega * 1000 \text{kips/lbs}$

Lateral Torsional Buckling:

L_b (in)	72		
C_b	1.14		
C_1	0.5	C_2	0.5
U (in)	1.405 =	$C_1 * g_0 - C_2 * \beta_x / 2$	
M_e	217.11117 =	See 2015 ADM F.4-9	
λ	14.2617014 =	$2.3(L_b * S_x / (I_y * J))^{0.5} ^{0.5}$	
$\lambda < C_c$, inelastic buckling applies			
M_{nmb} (in-kip)	9.33527188 =	$M_p(1 - \lambda/C_c) + \pi^2 * E * \lambda * S_x / C_c^3$	
M_a (in-lbs)	5657.74053 =	$M_{nmb} / 1.65 * 1000$	

Strength is controlled by local buckling

M_a (in-lbs) 2602

Aluminum Extrusion Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
Extrusion Series 500 Top Rail Horizontal Bending

Section Properties

I _x (in ⁴)	3.34
S _x (in ³)	1.34
Z _x (in ³)	1.58
I _y (in ⁴)	0.257
J (in ⁴)	0.00248
b	1.032
t	0.086

C _w (in ⁶)	1.05
β _x (in)	0
g ₀ (in)	-2.5

Aluminum Properties

Alloy:	6063-T6
F _u (ksi)	30
F _y (ksi)	25
E (ksi)	10100
C _c	78

Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

Support Condition

Flat element under uniform compression supported on both sides	↕
--	---

λ	12 =	b/t	
λ_1	22.8		
λ_2	39		
F/Ω (ksi)	15.2 =	15.2	for $\lambda < \lambda_1$
		$19 - 0.170\lambda$	for $\lambda_1 < \lambda < \lambda_2$
		$484/\lambda$	for $\lambda_2 < \lambda$

For $\lambda < \lambda_1$, local buckling does not apply and the moment strength is calculated as the minimum of Zfy/Ω or $1.5SFy/\Omega$

Mn/Ω (in-lbs) 23939 = $F/\Omega * 1000(\text{kips/lbs}) * \min(Zx \text{ or } 1.5Sx)$

Rupture Strength

Fu/Ω	15.3846154	
Z_{net}	1.58	
Mn/Ω (in-lbs)	24307.6923 =	$Z_{net} * Fu/\Omega * 1000 \text{ kips/lbs}$

Lateral Torsional Buckling:

L_b (in)	72	
C_b	1.14	
C_1	0.5	C_2 0.5
U (in)	-1.25 =	$C_1 * g_0 - C_2 * \theta_x / 2$
M_e	8.43676165 =	See 2015 ADM F.4-9
λ	125.827355 =	$2.3(L_b * S_x / (I_y * J))^{0.5} \wedge 0.5$
$\lambda > C_c$ elastic buckling applies		
M_{nmb} (in-kip)	11.1971776 =	$\pi^2 * E * S_x / \lambda^2$
M_a (in-lbs)	6786.16826 =	$M_{nmb} / 1.65 * 1000$

Strength is controlled by lateral torsional buckling

M_a (in-lbs) 6786

WOOD TOP RAIL

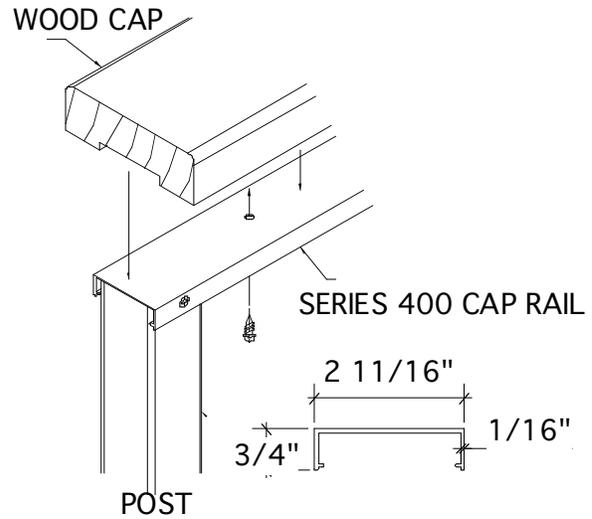
Alloy 6063 – T6 Aluminum

I_{xx} : 0.0138 in⁴; I_{yy} : 0.265 in⁴
 C_{xx} : 0.573 in; C_{yy} : 1.344 in
 S_{xx} : 0.024 in³; S_{yy} : 0.197 in³

Wood

2"x4" nominal

I_{xx} : 0.984 in⁴; I_{yy} : 5.359 in⁴
 C_{xx} : 0.75 in; C_{yy} : 1.75 in
 S_{xx} : 1.313 in³; S_{yy} : 3.063 in³



For wood use allowable stress from NDS Table 4A for lowest strength wood that may be used:
 $F_b = 725$ psi (mixed maple #1), $C_D = 1.6$, $C_F = 1.5$

$$F'_b = 725 * 1.6 * 1.5 = 1,740 \text{ psi}$$

$$F'_b = 725 * 1.6 * 1.5 * 1.1 = 1,914 \text{ psi for flat use (vertical loading)}$$

By inspection, vertical loading controls

$$\text{Vertical loading: } M_{a,x} = 1,914 \text{ psi} * 1.313 \text{ in}^3 = 2,510 \text{''\#}$$

$$\text{Horizontal loading: } M_{a,y} = 1,740 \text{ psi} * 3.063 \text{ in}^3 = 5,330 \text{''\#}$$

COMPOSITES: Composite materials, plastic lumber or similar may be used provided that the size and strength is comparable to the wood.

Glass Infill for wood cap rail:

Loading is primarily resisted by the top rail nut contribution from the glass infill piece may be taken into account.

$$b/t = 1''/0.07'' = 14.3 < 22.8 \text{ (Elements supported on two edges OK)}$$

$$b/t = 0.558''/0.07'' = 8.0 > 6.5$$

$$F/\Omega = 27.8 - 0.81 * 8.0 = 21.3 \text{ ksi for bottom elements supported one one side.}$$

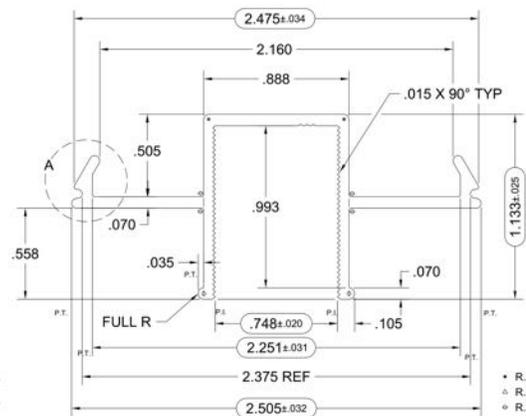
For vertical bending:

$$I_x = 0.0274 \text{ in}^4$$

$$S_x = 0.0406 \text{ in}^3$$

$$Z_x = 0.0721 \text{ in}^3$$

M_p is controlled by $F_y 1.5 S_x$ in this case.



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$$M_{p,x}/\Omega = 1.5 * 0.0406 \text{in}^3 * 15.2 \text{ksi} = 948''\#$$

Check local buckling over lower legs, $M_{a,x} = 21.3 \text{ksi} * 0.0406 \text{in}^3 = 865''\#$ (controls)

For horizontal bending:

$$I_y = 0.161 \text{in}^4$$

$$S_y = 0.129 \text{in}^3$$

$$Z_y = 0.203 \text{in}^3$$

M_p is controlled by $F_y 1.5 S_y$ in this case.

$$M_{p,x}/\Omega = 1.5 * 0.129 \text{in}^3 * 15.2 \text{ksi} = 2,940''\# \text{ (controls)}$$

ARS HANDRAIL TUBING

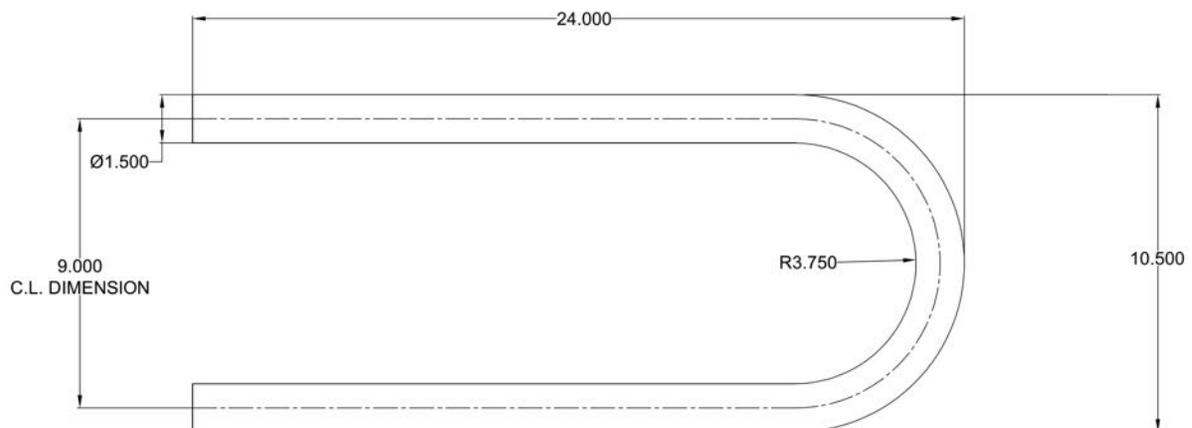
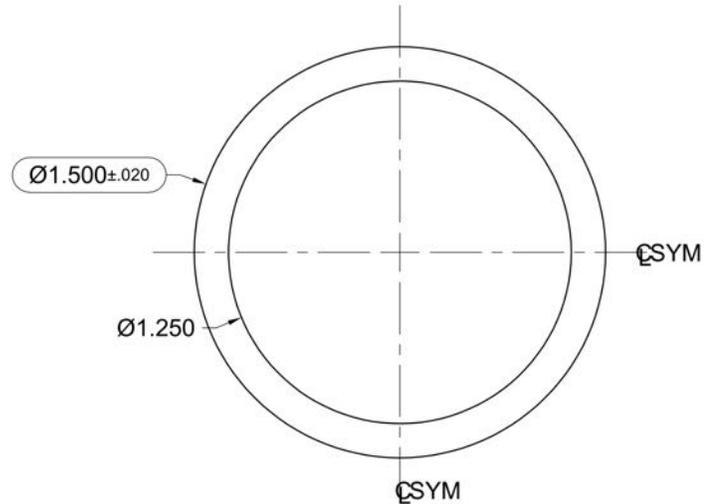
1-1/2"X1/8" 6063-T6

 $I = 0.129\text{in}^4$ $Z = 0.237\text{in}^3$ $R_b/t = 0.75"/0.125" = 6 < 70$ (local buckling does not apply)

Lateral torsional buckling does not apply to a round tube.

 $F/\Omega = 15.2\text{ksi}$ $M_a = 15.2\text{ksi} * 0.237\text{in}^3 = 3,600"$

Check bent handrail return:



Maximum moment occurs at the upper connection to the post when the 200# live load is concentrated at the end of the cantilever.

Recall allowable hand rail moment = 3,600" #

Allowable cantilever = 3,600 # / 200 # = 18"

Hand Rail Splice/ Connection Block

Can be used to splice hand rails or attach to a face mount bracket.

$$A = 0.321\text{in}^2$$

$$A_{v,x} = 0.161\text{in}^2$$

$$A_{v,y} = 0.226\text{in}^2$$

$$F_v/\Omega = 9.1\text{ksi (For 6063-T6)}$$

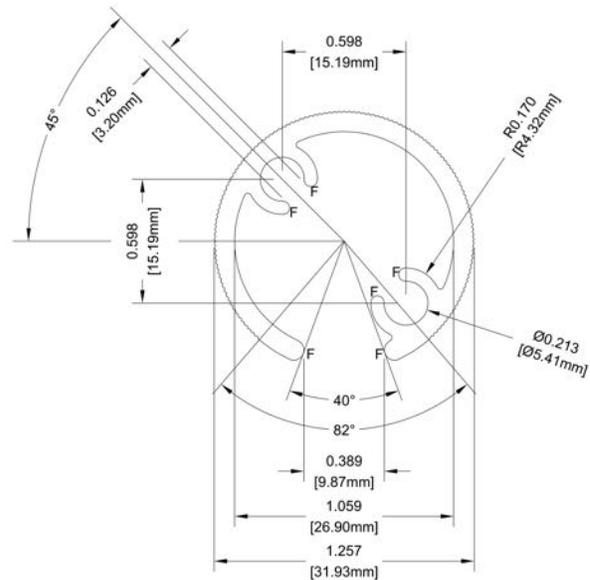
$$V_a = 0.161\text{in}^2 * 9.1\text{ksi} = 1,470\#$$

In normal configurations the maximum shear carried by a hand rail is 200# < 1,470# OK.

When used to connect to a face mount end bracket, the hand rail extends to the end of the connection block so loading is transferred directly to one of the 1/4" screws.

$$V_{\max} = 200\#$$

Hole bearing assuming 0.1" thick 6063-T6 endplate, $V_a = 2 * 0.25" * 0.1" * 30\text{ksi} / 3 = 500\# > 200\#$
OK

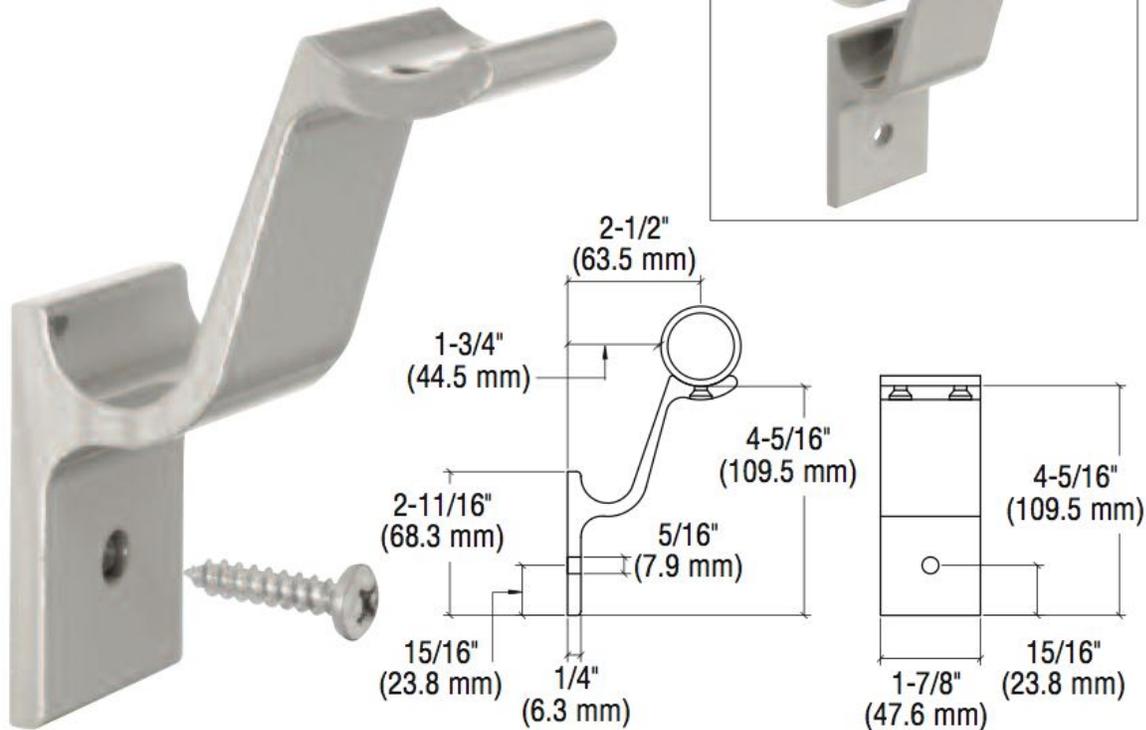


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CRL QUICK CONNECT ALUMINUM HAND RAIL BRACKET

Loading 200 lb concentrated load or
50 plf distributed load

Grab rail bracket – 1-7/8" long

Aluminum extrusion 6063-T6

Allowable load on bracket:

Vertical load:

Critical point @ 1.8" from rail to root of double radius, $t = 0.25"$

$M = P * 1.8"$ or $WS * 1.8"$

where $P = 200\#$, $W = 50$ plf and

$S =$ tributary rail length to bracket.

Determine allowable Moment:

$F_T = 20$ ksi, $F_C = 20$ ksi

From ADM Table 2-21

$S_V = 1.875" * 0.25^2 / 6 = 0.0195$ in³

$M_{Val} = 0.0195$ in³ * 20 ksi = 390" #

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Determine allowable loads:

For vertical load:

$$P_{all} = 390''\#/1.8'' = 217\#$$

$$S_{all} = 217\#/50\text{plf} = 4'4''$$

Vertical loading will control bracket strength.

Allowable load may be increased proportionally by increasing the bracket length.

$$\text{For 5' Post spacing: } 5'/4.33' * 1.875'' = 2.165'' - 2-11/64''$$

Grab rail connection to the bracket:

Two countersunk self drilling #8 screws into 1/8" wall tube

$$\text{Shear} - 2F_{tu}Dt/3 = 2 * 30\text{ksi} * 0.164'' * 0.125''/3 * 2 \text{ screws} = 820\# \text{ (ADM 5.4.3)}$$

$$\text{Tension} - 1.2DtF_{ty}/3 = 1.2 * .164'' * 0.125'' * 25\text{ksi} * 2 \text{ screws}/3 = 410\#$$

For residential installations only 200# concentrated load is applicable. Connection to support:

Maximum tension occurs for outward

Horizontal force:

Determine tension from $\sum M$ about C

$$0 = P * 5'' - T * 0.875''$$

$$T = 200\# * 4.12''/0.875'' = 942\#$$

From \sum forces – no shear force in anchor occurs from horizontal load

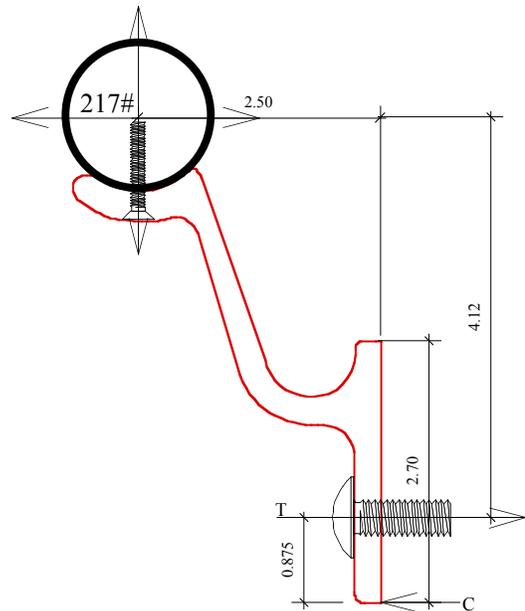
Vertical force:

Determine tension from $\sum M$ about C

$$0 = P * 2.5'' - T * 0.875''$$

$$T = 200\# * 2.5''/0.875'' = 571\#$$

From \sum forces – $Z = P = 200\#$



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CONNECTION TO STANDARD POST (0.1" WALL)

For 200# bracket load:

For handrails mounted to 0.1" wall thickness aluminum tube.

One Pan head self drilling #14

Shear – $2F_{tu}Dt/3$ (ADM 5.4.3)

$2*38\text{ksi}*0.25''*0.1''/3 = 633\#$

Tension – Pullout ADM 5.4.2.1

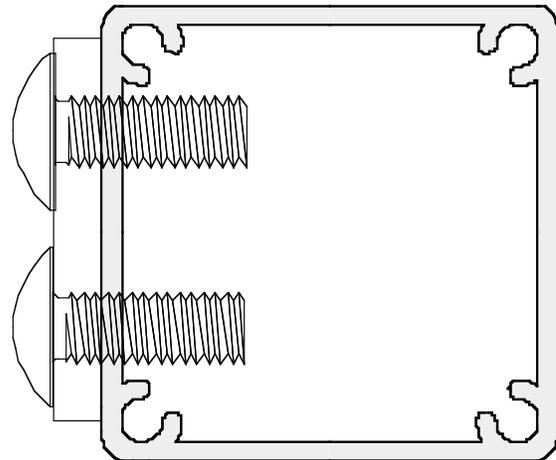
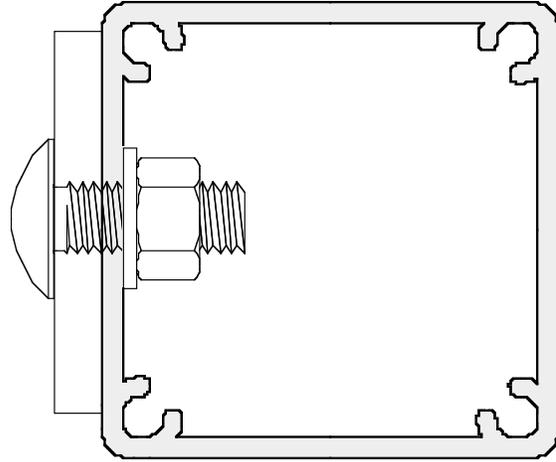
$P_t = 1.2DtF_{tu}/3 = 1.2*.25*.1*38\text{ksi}/3 = 380\#$

Screw tension strength, $T_a = 1,605\#$ (ESR 1976)

Where a washer and nut is used only one screw/
bolt is required.

For no washer and nut:

Required number of screws = $942\#/380\# \Rightarrow 3$
screws minimum



WELDED CORNERS

All top rails are 6063-T6 and welded with 5356 filler. The welds develop the full thickness of the part attached.

Check weld strength:

$$F_u = 35\text{ksi}$$

$$R_n/\Omega = 0.6*35\text{ksi}*t/1.95 = (10.8t)\text{kli}$$

Check base metal affected by weld:

$$F_{u,w} = 11.6\text{ksi}$$

$$F_{y,w} = 8\text{ksi}$$

$$R_n/\Omega = 11.6\text{ksi}*t/1.95 = (5.95t)\text{kli} < (10.8t)\text{kli}$$

The above calculations show that the base metal in the weld affected zone is by far the limiting failure mode. It can be conservatively assumed the failure section is perpendicular to the top rail. Therefore, the angle of the miter does not matter, since the failure section is not at the miter.

Therefore moment strength is calculated as $F_{y,w}Z/1.65$. Moment strengths at the corners are provided below for reference. However, in normal use the corners will not be subject to high moment loading. The splices used to connect the corner to the straight pieces of top rail will not transfer significant moment.

Using the welded corner bracket allows the corner post to be braced in each direction. Therefore, the corner bracket may have to transfer significant force via shear and axial force. The shear strength is the limiting failure mode by inspection.

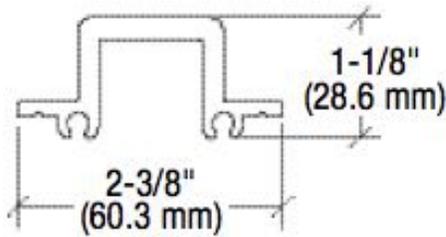
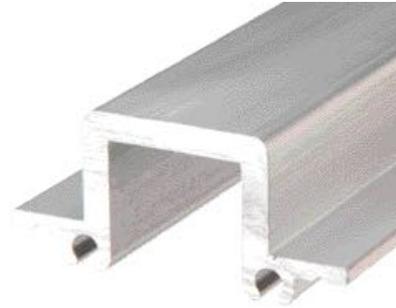
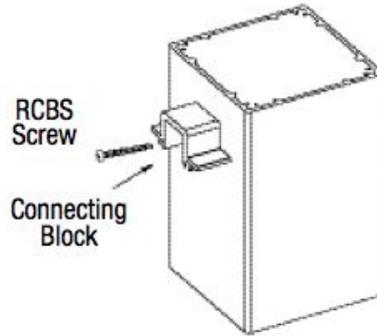
Assume shear is carried by the horizontal elements only. Shear strength is calculated as $V_a = 0.6F_{y,w}*b_e*t/1.65$. Where the effective width, b_e is taken as the width of the main horizontal element and t is taken as the thickness of that element.

Top Rail	b_e (in)	t (in)	Z_x (in ³)	Z_y (in ³)	R_n/Ω (lbs)	M_x/Ω (in-lbs)	M_y/Ω (in-lbs)
200	3	0.087	0.398	1.03	759	1930	4994
300	2	0.086	0.583	0.583	500	2827	2827
320	2.3	0.075	0.243	0.669	502	1178	3244
350	2.5	0.07	0.355	0.88	509	1721	4267
400	4.5	0.086	0.776	1.94	1126	3762	9406
500	5	0.086	0.392	1.38	1251	1901	6691
1-1/2" HR	1.5	0.125	0.237	0.237	545	1149	1149

The minimum allowable load at the corner is 500#. Maximum loads expected to occur at the corner are between 200 and 300#. This would occur from a 200# load directly at the corner, or from a 50plf load where the corner is braced by a long stretch of posts. Cases where wind loading may be concern will be controlled by the bottom rail attachment. Therefore, the welded brackets are not a design concern in typical configurations.

STANDARD POST RAIL CONNECTION BLOCK

Can be used to connect top rails to standard or 4"x4" post face, walls or other end butt connection.



Typical RCBS length is 1"

Top rail snaps over block and is secured with either silicone adhesive or #8 tek screws.

Connection strength to post or wall: (2) #10x1.5" 55 PHP SMS Screw

Check shear @ post (6005-T5)

$F_{upost} \times \text{dia screw} \times \text{Post thickness} \times SF$

Eq 5.4.3-2

$$V = 38 \text{ ksi} \cdot 0.19" \cdot 0.1" \cdot \frac{1}{3 \text{ (FS)}} = 240\#/\text{screw} \text{ for standard post}$$

Since minimum of 2 screws used for each, Allowable load = $2 \cdot 240\# = 480\#$

Screw tilting:

$$4.2(t_2^3 D)^{1/2} F_{tu2} = 4.2(0.1^3 0.19)^{1/2} 38 \text{ ksi} = 2,200$$

For 4"x4" post:

$$V = 38 \text{ ksi} \cdot 0.19" \cdot 0.125" \cdot \frac{1}{3 \text{ (FS)}} = 300\#/\text{screw}$$

Since minimum of 2 screws used for each, Allowable load = $2 \cdot 300\# = 600\#$

Connections to walls and other surfaces is dependent on supporting material. Alternative fasteners may be used for connections to steel, concrete or wood.

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WALL MOUNT END CAPS

End cap is fastened to the top rail with
 2) #10x1” 55 PHP SMS Screws



2x F_{upost}x dia screw x Cap thickness x SF
 Eq J.5.5.1 Screws to top rail

$$V = \frac{0.5 \cdot 0.15 \cdot 38 \text{ksi} \leq 2 \cdot 38 \text{ksi} \cdot 0.19'' \cdot 0.15''}{3 \text{ (FS)}} =$$

722#/screw , 1,444# per connection

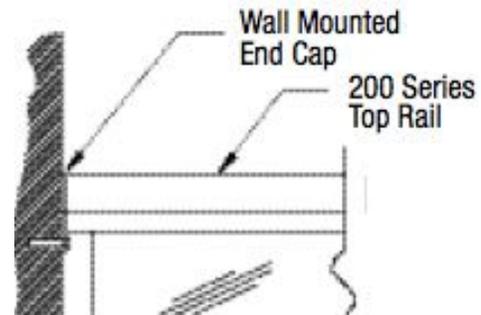
Min screw edge distance ≥ 0.3”
 Center of hole to edge

Screws to wall for shear on screw:

$$V = \frac{0.325 \cdot 0.15 \cdot 38 \text{ksi} \leq 2 \cdot 38 \text{ksi} \cdot 0.19'' \cdot 0.15''}{3 \text{ (FS)}} = 618\#$$

Connection to wall shall use either:

#14x1-1/2” wood screw to wood, minimum 1” penetration into solid wood.



Allowable load = 2*175# = 350#

Wood shall have a G ≥ 0.43

From ADM Table 11M

For connection to steel studs or sheet metal blocking

Use #12 self drilling screws.

Minimum metal thickness is 18 gauge, 43 mil (0.0451”)

Allowable load = 280#/screw

Table 3: Suggested Capacity for Screws Connecting Steel to Steel (lbs.)

Steel Thickness - Thinnest Component	1/4" -14 Screw		#12-14 Screw		#10-16 Screw *		#8-18 Screw *		#6 Screw *	
	Shear	Pullout	Shear	Pullout	Shear	Pullout	Shear	Pullout	Shear	Pullout
0.1017"	1000	320	890	280	780	245	675	210	560	175
0.0713"	600	225	555	195	520	170	470	145	395	125
0.0566"	420	180	390	155	370	135	340	115	310	95
0.0451"	300	140	280	120	260	105	240	90	220	75
0.0347"	200	110	185	95	175	80	165	70	150	60

Notes:
 1. Design values are based on CCFSS Technical Bulletin Vol. 2, No. 1 which outlines the proposed AISI Specification provisions for screw connections. For shear connections the cold-formed steel section should be evaluated for tension.
 2. Based on F_y = 33ksi, F_u = 45ksi minimum. Adjust values for other steel strengths.
 3. * = Refer to Table 1 for limits on recommended total steel thickness of connected parts.

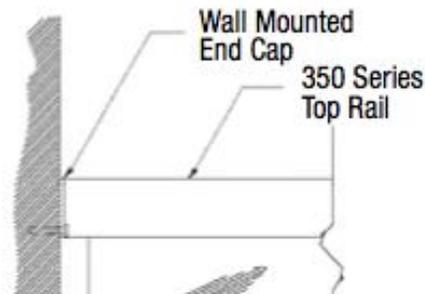
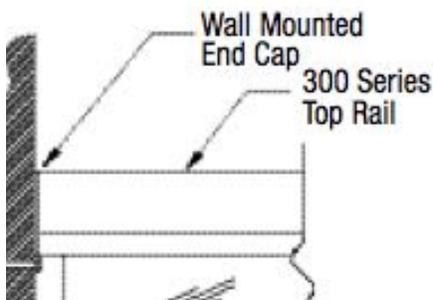
Wall Mounted End Caps

For connection to masonry or concrete use 3/16 screw-in anchor

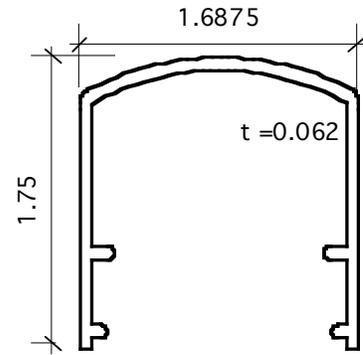
**TABLE 3—ALLOWABLE TENSION AND SHEAR VALUES FOR TAPPER SCREW ANCHORS
INSTALLED IN NORMAL-WEIGHT CONCRETE^{1,2}**

SCREW ANCHOR DIAMETER (inch)	SCREW ANCHOR MATERIAL AND COATING (AS APPLICABLE)	MINIMUM EMBEDMENT ³ (inches)	ALLOWABLE TENSION (pounds)						ALLOWABLE SHEAR ⁴ (pounds)
			With Special Inspection ⁴			Without Special Inspection ⁵			
			Concrete Strength, f'_c (psi)			Concrete Strength, f'_c (psi)			
			2000	3000	4000	2000	3000	4000	
3/16	Carbon steel, Perma-Seal coated	1	90	90	90	45	45	45	175
		1 1/2	180	215	255	90	110	130	
		1 3/4	295	335	375	150	170	190	

300 and 350 Series end caps use same fasteners and have identical strengths



MID RAIL



Aluminum Extrusion Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
Extrusion Mid Rail Vertical Loading

Section Properties

I_x (in⁴)	0.111
S_x (in³)	0.107
Z_x (in³)	0.177
I_y (in⁴)	0.561
J (in⁴)	0.000532
b	1.914
t	0.07

C_w (in⁶)	0.0486
β_x (in)	0
g₀ (in)	0

Aluminum Properties

Alloy:	6063-T6
F_u (ksi)	30
F_y (ksi)	25
E (ksi)	10100
C_c	78

Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

Support Condition

Round hollow elements under uniform compression 

λ	27.3428571 =	Rb/t	
λ_1	31.2		
λ_2	189		
F/Ω (ksi)	15.2 =	15.2	for $\lambda < \lambda_1$
		$18.5 - 0.593\lambda^{0.5}$	for $\lambda_1 < \lambda < \lambda_2$
		$3776 / (\lambda(1 + \lambda^{0.5}/35)^2)$	for $\lambda_2 < \lambda$

For $\lambda < \lambda_1$, local buckling does not apply and the moment strength is calculated as the minimum of Zfy/Ω or $1.5SFy/\Omega$

Mn/Ω (in-lbs) 2432 = $F/\Omega * 1000(\text{kips/lbs}) * \min(Zx \text{ or } 1.5Sx)$

Rupture Strength

Fu/Ω	15.3846154	
Z_{net}	0.177	
Mn/Ω (in-lbs)	2723.07692 =	$Z_{net} * Fu/\Omega * 1000 \text{kips/lbs}$

Lateral Torsional Buckling:

L_b (in)	72		
C_b	1.14		
C_1	0.5	C_2	0.5
U (in)	0 =	$C_1 * g_0 - C_2 * \theta_x / 2$	
M_e	6.43064782 =	See 2015 ADM F.4-9	
λ	40.7263121 =	$2.3(L_b * S_x / (I_y * J))^{0.5} \wedge 0.5$	
$\lambda < C_c$, inelastic buckling applies			
M_{nmb} (in-kip)	3.02993393 =	$M_p(1 - \lambda/C_c) + \pi^2 * E * \lambda * S_x / C_c^3$	
M_a (in-lbs)	1836.32359 =	$M_{nmb} / 1.65 * 1000$	

Strength is controlled by lateral torsional buckling

M_a (in-lbs) 1836

Aluminum Extrusion Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
Extrusion Mid Rail Horizontal Loading

Section Properties

I_x (in⁴)	0.181
S_x (in³)	0.212
Z_x (in³)	0.239
I_y (in⁴)	0.111
J (in⁴)	0.000532
b	1.47
t	0.07

C_w (in⁶)	0.0486
β_x (in)	0
g₀ (in)	0

Aluminum Properties

Alloy:	6063-T6
F_u (ksi)	30
F_y (ksi)	25
E (ksi)	10100
C_c	78

Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

Support Condition

Flat element under uniform compression supported on both sides 

λ	21 =	b/t	
λ_1	22.8		
λ_2	39		
F/Ω (ksi)	15.2 =	15.2	for $\lambda < \lambda_1$
		$19-0.170\lambda$	for $\lambda_1 < \lambda < \lambda_2$
		$484/\lambda$	for $\lambda_2 < \lambda$

For $\lambda < \lambda_1$, local buckling does not apply and the moment strength is calculated as the minimum of Zfy/Ω or $1.5SFy/\Omega$

Mn/Ω (in-lbs) 3621 = $F/\Omega * 1000(\text{kips/lbs}) * \min(Zx \text{ or } 1.5Sx)$

Rupture Strength

F_u/Ω	15.3846154	
Z_{net}	0.239	
Mn/Ω (in-lbs)	3676.92308 =	$Z_{net} * F_u/\Omega * 1000 \text{kips/lbs}$

Lateral Torsional Buckling:

L_b (in)	72	
C_b	1.14	
C_1	0.5	C_2 0.5
U (in)	0 =	$C_1 * g_0 - C_2 * \theta_x / 2$
M_e	2.86045279 =	See 2015 ADM F.4-9
λ	85.9530116 =	$2.3(L_b * S_x / (I_y * J)^{0.5})^{0.5}$
$\lambda > C_c$ elastic buckling applies		
M_{nmb} (in-kip)	3.218447 =	$\pi^2 * E * S_x / \lambda^2$
M_a (in-lbs)	1950.57394 =	$M_{nmb} / 1.65 * 1000$

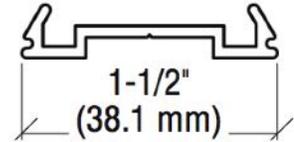
Strength is controlled by lateral torsional buckling

M_a (in-lbs) 1951

Filler for picket infill inserts into bottom of rail to attach 3/4" pickets.
May be used with either Mid Rail or standard bottom rail.

$$I_y = 0.0386 \text{ in}^4; S_y = 0.0515 \text{ in}^3$$

$$\text{For infill: } M_a = 0.0515 * 15 \text{ ksi} = 773 \text{''\#}$$



Mid rail receives wind loading from the glass infill and the 50# concentrated live load.

$$\text{Allowable moment under horizontal loading} = 1,950 \text{''\#}$$

$$\text{Allowable span as limited by 50\# concentrated live load} = 1,950 \text{''\#} / (50 \text{ \#} / 4) = 156 \text{''} > 72 \text{''} \text{ OK}$$

$$\text{Allowable span as limited by wind load} = 1,950 \text{''\#} / (P/12 * (H/2)/8)^{1/2}$$

Where P = wind pressure in PSF and H = infill height in feet.

The table below shows allowable spans with respect to different wind loads and infill heights.

Guard Rail Mid/Bottom Rail Design

System: ARS
 Rail: Mid Rail

Extrusion Properties Properties:

E (psi) 10100000
 Iy (in⁴) 0.181
 Ma (in-lbs) 1950
 Δa (in) L/60

Load Cases:

50# concentrated load at mid span

$M=50\#L/4$
 $\Delta=50\#*L^3/(48EI)$
 $Lmax=MIN(Ma*4/50 \text{ or } (48EI/(50*60))^{1/2})$
 Lmax (in) 156

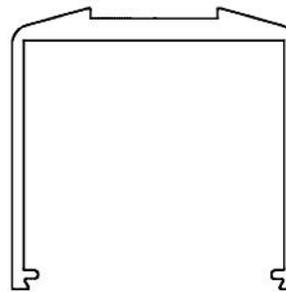
Wind Load

$M=P/12*(H/2)*L^2/8$
 $\Delta=5*P/12*(H/2)*L^4/(384EI)$
 $Lmax=MIN((Ma/(P/12*(H/2)/8))^{1/2} \text{ or } (384EI*12^2/(60*5*PH))^{1/3})$

Allowable rail span with respect to infill height and wind load is shown in the table below.

		P (psf)		
		25	50	75
H (ft)	1.5	99.92	70.65	57.69
	2	86.53	61.19	49.96
	2.5	77.40	54.73	44.69
	3	70.65	49.96	40.79
	3.5	65.41	46.25	37.77
	4	61.19	43.27	35.33
	4.5	57.69	40.79	33.31
	5	54.73	38.70	31.60

Picket Bottom Rail



Area: 0.446 sq in
 Perim: 9.940 in
 Ixx: 0.125 in⁴
 Iyy: 0.193 in⁴
 Kxx: 0.529 in
 Kyy: 0.658 in
 Cxx: 1.151 in
 Cyy: 0.852 in
 Sxx: 0.108 in³
 Syy: 0.227 in³

Aluminum Extrusion Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
Extrusion Picket Bottom Rail Vertical Loading

Section Properties

Ix (in ⁴)	0.119
Sx (in ³)	0.103
Zx (in ³)	0.181
Iy (in ⁴)	0.522
J (in ⁴)	0.00154
b	1.56
t	0.132

Cw (in ⁶)	0.0526
βx (in)	-2.88
g0 (in)	0

Aluminum Properties

Alloy:	6063-T6
Fu (ksi)	30
Fy (ksi)	25
E (ksi)	10100
Cc	78

Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

Support Condition

Flat element under uniform compression supported on both sides 

λ	11.8181818 =	b/t	
λ_1	22.8		
λ_2	39		
F/Ω (ksi)	15.2 =	15.2	for $\lambda < \lambda_1$
		19-0.170 λ	for $\lambda_1 < \lambda < \lambda_2$
		484/ λ	for $\lambda_2 < \lambda$

For $\lambda < \lambda_1$, local buckling does not apply and the moment strength is calculated as the minimum of Zfy/Ω or $1.5SFy/\Omega$

Mn/Ω (in-lbs) 2341 = $F/\Omega * 1000(\text{kips/lbs}) * \min(Zx \text{ or } 1.5Sx)$

Rupture Strength

Fu/Ω	15.3846154	
Z_{net}	0.181	
Mn/Ω (in-lbs)	2784.61538 =	$Z_{net} * Fu/\Omega * 1000 \text{kips/lbs}$

Lateral Torsional Buckling:

L_b (in)	72		
C_b	1.14		
C_1	0.5	C_2	0.5
U (in)	0.72 =	$C_1 * g_0 - C_2 * \theta_x / 2$	
M_e	20.7754615 =	See 2015 ADM F.4-9	
λ	22.2307355 =	$2.3(L_b * S_x / (I_y * J))^{0.5} \wedge 0.5$	
$\lambda < C_c$, inelastic buckling applies			
M_{nmb} (in-kip)	3.71631382 =	$M_p(1 - \lambda/C_c) + \pi^2 * E * I * S_x / C_c^3$	
M_a (in-lbs)	2252.31141 =	$M_{nmb} / 1.65 * 1000$	

Strength is controlled by lateral torsional buckling

M_a (in-lbs) 2252

Aluminum Extrusion Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
Extrusion Picket Bottom Rail Horizontal Loading

Section Properties

Ix (in ⁴)	0.188
Sx (in ³)	0.221
Zx (in ³)	0.262
Iy (in ⁴)	0.119
J (in ⁴)	0.00154
b	1.44
t	0.07

Cw (in ⁶)	0.0526
βx (in)	0
g0 (in)	0

Aluminum Properties

Alloy:	6063-T6
Fu (ksi)	30
Fy (ksi)	25
E (ksi)	10100
Cc	78

Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

Support Condition

Flat element under uniform compression supported on both sides 

λ	20.5714286 =	b/t	
λ_1	22.8		
λ_2	39		
F/Ω (ksi)	15.2 =	15.2	for $\lambda < \lambda_1$
		$19 - 0.170\lambda$	for $\lambda_1 < \lambda < \lambda_2$
		$484/\lambda$	for $\lambda_2 < \lambda$

For $\lambda < \lambda_1$, local buckling does not apply and the moment strength is calculated as the minimum of Zfy/Ω or $1.5SFy/\Omega$

Mn/Ω (in-lbs) 3970 = $F/\Omega * 1000(\text{kips/lbs}) * \min(Zx \text{ or } 1.5Sx)$

Rupture Strength

F_u/Ω	15.3846154	
Z_{net}	0.262	
Mn/Ω (in-lbs)	4030.76923 =	$Z_{net} * F_u/\Omega * 1000 \text{kips/lbs}$

Lateral Torsional Buckling:

L_b (in)	72		
C_b	1.14		
C_1	0.5	C_2	0.5
U (in)	0 =	$C_1 * g_0 - C_2 * \theta_x / 2$	
M_e	4.5116951 =	See 2015 ADM F.4-9	
λ	69.8774141 =	$2.3(L_b * S_x / (I_y * J))^{0.5} ^{0.5}$	
$\lambda < C_c$, inelastic buckling applies			
M_{nmb} (in-kip)	3.92598112 =	$M_p(1 - \lambda/C_c) + \pi^2 * E * I * S_x / C_c^3$	
M_a (in-lbs)	2379.38249 =	$M_{nmb} / 1.65 * 1000$	

Strength is controlled by lateral torsional buckling

M_a (in-lbs) 2379

Guard Rail Mid/Bottom Rail Design

System: ARS
Rail: Picket Bottom Rail

Extrusion Properties Properties:

E (psi) 10100000
Iy (in⁴) 0.188
Ma (in-lbs) 2380
 Δa (in) L/60

Load Cases:

50# concentrated load at mid span

$$M=50\#L/4$$

$$\Delta=50\#*L^3/(48EI)$$

$$L_{max}=\text{MIN}(Ma*4/50 \text{ or } (48EI/(50*60))^{1/2})$$

Lmax (in) 174.300889

Glass Bottom Rail

Aluminum Extrusion Design

Aluminum extrusion strength is according to ADM 2020.

**System
Extrusion**

**ARS
Glass Bottom Rail Vertical Loading**

Section Properties

I_x (in⁴)	0.0991
S_x (in³)	0.0968
Z_x (in³)	0.165
I_y (in⁴)	0.192
J (in⁴)	0.000695
b	0.75
t	0.063

C_w (in⁶)	0.0623
β_x (in)	-2.12
g₀ (in)	0

Aluminum Properties

Alloy:	6063-T6
F_u (ksi)	30
F_y (ksi)	25
E (ksi)	10100
C_c	78

Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

Support Condition

Flat element under uniform compression supported on both sides



λ 11.9047619 = b/t

λ_1 22.8

λ_2 39

F/Ω (ksi) 15.2 = 15.2 for $\lambda < \lambda_1$
 19-0.170 λ for $\lambda_1 < \lambda < \lambda_2$
 484/ λ for $\lambda_2 < \lambda$

For $\lambda < \lambda_1$, local buckling does not apply and the moment strength is calculated as the minimum of Zfy/Ω or $1.5SFy/\Omega$

Mn/Ω (in-lbs) 2200 = $F/\Omega * 1000(\text{kips/lbs}) * \min(Zx \text{ or } 1.5Sx)$

Rupture Strength

Fu/Ω 15.3846154

Z_{net} 0.165

Mn/Ω (in-lbs) 2538.46154 = $Z_{net} * Fu/\Omega * 1000 \text{kips/lbs}$

Lateral Torsional Buckling:

L_b (in) 72

C_b 1.14

C_1 0.5

C_2 0.5

U (in) 0.53 = $C_1 * g_0 - C_2 * \beta_x / 2$

M_e 7.06342936 = See 2015 ADM F.4-9

λ 36.9607211 = $2.3(L_b * S_x / (I_y * J))^{0.5} \wedge 0.5$

$\lambda < C_c$, inelastic buckling applies

M_{nmb} (in-kip) 2.92188822 = $M_p(1 - \lambda/C_c) + \pi^2 * E * I * S_x / C_c^3$

M_a (in-lbs) 1770.84134 = $M_{nmb} / 1.65 * 1000$

Strength is controlled by lateral torsional buckling

M_a (in-lbs) 1771

Aluminum Extrusion Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
Extrusion Glass Bottom Rail Horizontal Loading

Section Properties

I _x (in ⁴)	0.192
S _x (in ³)	0.228
Z _x (in ³)	0.269
I _y (in ⁴)	0.0991
J (in ⁴)	0.000695
b	1.41
t	0.063

C _w (in ⁶)	0.0623
β _x (in)	0
g ₀ (in)	0

Aluminum Properties

Alloy:	6063-T6
F _u (ksi)	30
F _y (ksi)	25
E (ksi)	10100
C _c	78

Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

Support Condition

Flat element under uniform compression supported on both sides



λ	22.3809524 =	b/t	
λ_1	22.8		
λ_2	39		
F/Ω (ksi)	15.2 =	15.2	for $\lambda < \lambda_1$
		$19 - 0.170\lambda$	for $\lambda_1 < \lambda < \lambda_2$
		$484/\lambda$	for $\lambda_2 < \lambda$

For $\lambda < \lambda_1$, local buckling does not apply and the moment strength is calculated as the minimum of Zfy/Ω or $1.5SFy/\Omega$

Mn/Ω (in-lbs) 4076 = $F/\Omega * 1000(\text{kips/lbs}) * \min(Zx \text{ or } 1.5Sx)$

Rupture Strength

Fu/Ω	15.3846154	
Z_{net}	0.269	
Mn/Ω (in-lbs)	4138.46154 =	$Z_{net} * Fu/\Omega * 1000 \text{kips/lbs}$

Lateral Torsional Buckling:

L_b (in)	72	
C_b	1.14	
C_1	0.5	C_2 0.5
U (in)	0 =	$C_1 * g_0 - C_2 * \theta_x / 2$
M_e	3.08001451 =	See 2015 ADM F.4-9
λ	85.901669 =	$2.3(L_b * S_x / (I_y * J))^{0.5} \wedge 0.5$
$\lambda > C_c$ elastic buckling applies		
M_{nmb} (in-kip)	3.43282404 =	$\pi^2 * E * S_x / \lambda^2$
M_a (in-lbs)	2080.49942 =	$M_{nmb} / 1.65 * 1000$

Strength is controlled by lateral torsional buckling

M_a (in-lbs) 2080

Guard Rail Mid/Bottom Rail Design

System: ARS
 Rail: Glass Bottom Rail

Extrusion Properties Properties:

E (psi) 10100000
 Iy (in⁴) 0.192
 Ma (in-lbs) 2080
 Δa (in) L/60

Load Cases:

50# concentrated load at mid span

$M=50\#L/4$
 $\Delta=50\#*L^3/(48EI)$
 $Lmax=MIN(Ma*4/50 \text{ or } (48EI/(50*60))^{1/2})$
Lmax (in) 166.4

Wind Load

$M=P/12*(H/2)*L^2/8$
 $\Delta=5*P/12*(H/2)*L^4/(384EI)$
 $Lmax=MIN((Ma/(P/12*(H/2)/8))^{1/2} \text{ or } (384EI*12^2/(60*5*PH))^{1/3})$

Allowable rail span with respect to infill height and wind load is shown in the table below.

		P (psf)		
		25	50	75
H (ft)	1.5	103.20	72.97	59.58
	2	89.37	63.19	51.60
	2.5	79.94	56.52	46.15
	3	72.97	51.60	42.13
	3.5	67.56	47.77	39.00
	4	63.19	44.69	36.49
	4.5	59.58	42.13	34.40
	5	56.52	39.97	32.63

Glass bottom rail may be reinforced with the RCB extrusion or a 7/16” min thickness x 1-1/2” aluminum flat bar.

$$I_y = 0.113\text{in}^4 \text{ (For RCB, flat bar has greater stiffness)}$$

The bottom rail is stiffer and has more slender elements so it can be assumed to control the overall strength.

$$I_{\text{net}} = 0.113\text{in}^4 + 0.192\text{in}^4 = 0.305\text{in}^4$$

$$M_a = 2,080''\# * 0.305\text{in}^4 / 0.192\text{in}^4 = 3,300''\#$$

Guard Rail Mid/Bottom Rail Design

System: ARS
 Rail: Glass Reinforced Bottom Rail

Extrusion Properties Properties:

E (psi) 10100000
 Iy (in^4) 0.305
 Ma (in-lbs) 3300
 Δa (in) L/60

Load Cases:

50# concentrated load at mid span

$$M = 50\#L/4$$

$$\Delta = 50\# * L^3 / (48EI)$$

$$L_{\text{max}} = \text{MIN}(Ma * 4 / 50 \text{ or } (48EI / (50 * 60))^{1/2})$$

Lmax (in) 222.009009

Wind Load

$$M = P/12 * (H/2) * L^2 / 8$$

$$\Delta = 5 * P/12 * (H/2) * L^4 / (384EI)$$

$$L_{\text{max}} = \text{MIN}((Ma / (P/12 * (H/2) / 8))^{1/2} \text{ or } (384EI * 12 * 2 / (60 * 5 * PH))^{1/3})$$

Allowable rail span with respect to infill height and wind load is shown in the table below.

		P (psf)		
		25	50	75
H (ft)	1.5	129.98	91.91	75.05
	2	112.57	79.60	64.99
	2.5	100.69	71.20	58.13
	3	91.91	64.99	53.07
	3.5	85.09	60.17	49.13
	4	79.60	56.28	45.96
	4.5	75.05	53.07	43.33
	5	71.20	50.34	41.10

Rail fasteners -Bottom rail connection block to post

Typical RCB length is 1"

#10x1.5" 55 PHP SMS Screw

Check shear @ post (6005-T5)

$2 \times F_{upost} \times \text{dia screw} \times \text{Post thickness} \times SF$

Eq 5.4.3-2

$$V = 38 \text{ ksi} \cdot 0.19'' \cdot 0.1'' \cdot \frac{1}{3 (FS)} =$$

$$V = 240\#/screw$$

Screw tilting:

$$4.2(t_2^3 D)^{1/2} F_{tu2} = 4.2(0.1^3 0.19)^{1/2} 38 \text{ ksi} = 2,200$$

Since minimum of 2 screws used for each

$$\text{Allowable load} = 2 \cdot 240\# = 480\#$$

Rail Connection to RCB

2 screws each end

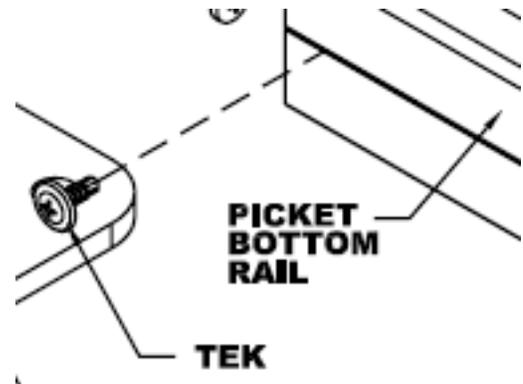
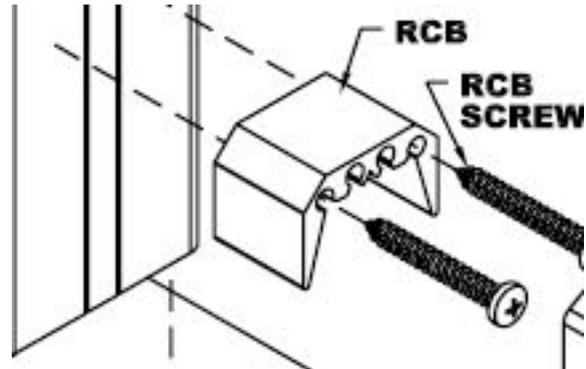
#8 Tek screw to 6063-T6

ADM Eq. 5.4.3-1

$$2 \cdot 30 \text{ ksi} \cdot 0.164'' \cdot 0.07'' \cdot 1/3 = 230\#/screw$$

$$\text{Allowable shear} = 2 \cdot 230 = 460\#$$

OK



PICKETS 3/4" ROUND

The 50# concentrated infill load controls picket design. Pickets will be loaded about their strong axis.

For pickets at 4" O.C. max, the 50# live load over 1 square foot will be carried by 3 pickets minimum.

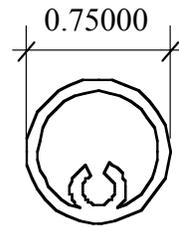
For maximum rail height of 60", $M_{max} = 50\#/3 * 60''/4 = 250''\#$

The calculations below show $M_a = 423''\# > 250''\#$ OK

$\Delta = 50\#/3 * 60''^3 / (48 * 10.1 * 10^6 * 0.00906in^4) = 0.82''$

$L/\Delta = 60''/0.82'' = 73 > 60$ OK

The pickets are OK up to the maximum 60" rail height considered for the ESR.



Aluminum Extrusion Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
Extrusion 3/4" Round Picket Strong Axis

Section Properties

Ix (in4)	0.00906
Sx (in3)	0.0221
Zx (in3)	0.0336
Iy (in4)	0.00827
J (in4)	0.016
b	0.375
t	0.062

Cw (in6)	0
βx (in)	0.0774
g0 (in)	0

Aluminum Properties

Alloy:	6063-T6
Fu (ksi)	30
Fy (ksi)	25
E (ksi)	10100
Cc	78

Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

Support Condition

Round profiles	↕
----------------	---

λ	6.0483871 =	Rb/t	
λ_1	70		
λ_2	189		
F/Ω (ksi)	23.5191103 =	$27.7-1.70\lambda^{0.5}$ for $\lambda < \lambda_1$ $18.5-0.593\lambda^{0.5}$ for $\lambda_1 < \lambda < \lambda_2$ $3776/(\lambda(1+\lambda^{0.5}/35)^2)$ for $\lambda_2 < \lambda$	

For $\lambda < \lambda_1$, local buckling does not apply and the moment strength is calculated as the minimum of Zfy/Ω or $1.5SFy/\Omega$

Mn/Ω (in-lbs) 502 = $F/\Omega * 1000(\text{kips/lbs}) * \min(Zx \text{ or } 1.5Sx)$

Rupture Strength

Fu/Ω	15.3846154	
$Znet$	0.0336	
Mn/Ω (in-lbs)	516.923077 =	$Znet * Fu/\Omega * 1000 \text{kips/lbs}$

Lateral Torsional Buckling:

Lb (in)	72		
Cb	1.32		
$C1$	0.5	$C2$	0.5
U (in)	-0.01935 =	$C1 * g0 - C2 * \theta_x / 2$	
Me	4.09389441 =	See 2015 ADM F.4-9	
λ	23.1973501 =	$2.3(Lb * Sx / (Iy * J)^{0.5})^{0.5}$	
$\lambda < Cc$, inelastic buckling applies			
$Mnmb$ (in-kip)	0.69787054 =	$Mp(1-\lambda/Cc) + \pi^2 * E * I * Sx / Cc^3$	
Ma (in-lbs)	422.951845 =	$Mnmb / 1.65 * 1000$	

Strength is controlled by lateral torsional buckling

Ma (in-lbs) 423

Connections

#10 screw in to top and bottom infill pieces. Shear strength =

$$V = 2 \times F_{\text{upost}} \times \text{dia screw} \times t_{\text{rail}} \times SF \quad \text{ADM Eq 5.4.3-2}$$
$$V = 38 \text{ ksi} \cdot 0.19'' \cdot 0.1'' \cdot \frac{1}{3 (\text{FS})} = 240\# > 200\# \text{ OK}$$

Note on shear loads:

Maximum shear assuming full 50# load acts on a single picket is under 50#

Picket cross-sectional area for the round pickets is 0.17 in²

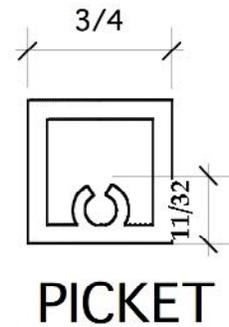
$$f_v < 50/0.17 = 294 \text{ psi} \lll 9,200 \text{ psi}$$

As this will occur at the ends of the picket where the bending moment is 0 and will be 0 at the peak moment further consideration of the shear on the pickets isn't warranted.

PICKETS 3/4" SQUARE

For pickets at 4" O.C. max, the 50# live load over 1 square foot will be carried by 3 pickets minimum.
 For maximum rail height of 60", $M_{max} = 50\#/3 * 60''/4 = 250''\#$
 The calculations below show $M_a = 618''\# > 250''\#$ OK
 $\Delta = 50\#/3 * 60''^3 / (48 * 10.1 * 10^6 * 0.0148 \text{in}^4) = 0.50''$
 $L/\Delta = 60''/0.50'' = 120 > 60$ OK
 The pickets are OK up to the maximum 60" rail height considered for the ESR.

Area: 0.288 sq in
Perim: 6.03 in
Ixx: 0.0196 in⁴
Iyy: 0.0190 in⁴
Kxx: 0.261 in
Kyy: 0.257 in
Cxx: 0.392 in
Cyy: 0.376 in
Sxx: 0.050 in³
Syy: 0.051 in³



Aluminum Extrusion Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
Extrusion 3/4" Square Picket Strong Axis

Section Properties

Ix (in ⁴)	0.0148
Sx (in ³)	0.0365
Zx (in ³)	0.0486
Iy (in ⁴)	0.0138
J (in ⁴)	0.0206
b	0.63
t	0.062

Cw (in ⁶)	0
βx (in)	0.0744
g0 (in)	0

Aluminum Properties

Alloy:	6063-T6
Fu (ksi)	30
Fy (ksi)	25
E (ksi)	10100
Cc	78

Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

Support Condition

Flat element under uniform compression supported on both sides 

λ	10.1612903 =	b/t	
λ_1	22.8		
λ_2	39		
F/Ω (ksi)	15.2 =	15.2	for $\lambda < \lambda_1$
		19-0.170 λ	for $\lambda_1 < \lambda < \lambda_2$
		484/ λ	for $\lambda_2 < \lambda$

For $\lambda < \lambda_1$, local buckling does not apply and the moment strength is calculated as the minimum of Zfy/Ω or $1.5SFy/\Omega$

Mn/Ω (in-lbs) 736 = $F/\Omega * 1000(\text{kips/lbs}) * \min(Zx \text{ or } 1.5Sx)$

Rupture Strength

F_u/Ω	15.3846154	
Z_{net}	0.0486	
Mn/Ω (in-lbs)	747.692308 =	$Z_{net} * F_u/\Omega * 1000 \text{kips/lbs}$

Lateral Torsional Buckling:

L_b (in)	72		
C_b	1.32		
C_1	0.5	C_2	0.5
U (in)	-0.0186 =	$C_1 * g_0 - C_2 * \theta_x / 2$	
M_e	6.00007174 =	See 2015 ADM F.4-9	
λ	24.6251435 =	$2.3(L_b * S_x / (I_y * J))^{0.5} \wedge 0.5$	
$\lambda < C_c$, inelastic buckling applies			
M_{nmb} (in-kip)	1.02021906 =	$M_p(1 - \lambda/C_c) + \pi^2 * E * I * S_x / C_c^3$	
M_a (in-lbs)	618.31458 =	$M_{nmb} / 1.65 * 1000$	

Strength is controlled by lateral torsional buckling

M_a (in-lbs) 618

Connections

Pickets to top and bottom rails direct bearing for lateral loads –ok

#10 screw in to top and bottom infill pieces. Shear strength =

$$V = 2 \times F_{\text{upost}} \times \text{dia screw} \times t_{\text{rail}} \times SF \quad \text{ADM Eq 5.4.3-2}$$
$$V = 38 \text{ ksi} \cdot 0.19'' \cdot 0.1'' \cdot \frac{1}{3} = 240\# > 200\# \text{ OK}$$

3 (FS)

PICKETS 5/8" SQUARE FOR SERIES 100

For pickets at 4" O.C. max, the 50# live load over 1 square foot will be carried by 3 pickets minimum.

For maximum rail height of 60", $M_{max} = 50\#/3 * 60''/4 = 250''\#$

The calculations below show $M_a = 340''\# > 250''\#$ OK

$\Delta = 50\#/3 * 56''^3 / (48 * 10.1 * 10^6 * 0.006618 \text{in}^4) = 0.91''$

$L/\Delta = 56''/0.91'' = 61 > 60$ OK

The pickets are OK up to a 56" span which results in a 60" total rail height for normal configurations.

Aluminum Extrusion Design

Aluminum extrusion strength is according to ADM 2020.

System ARS
Extrusion 5/8" Picket For Series 100

Section Properties

Ix (in4)	0.006619
Sx (in3)	0.02117
Zx (in3)	0.02677
Iy (in4)	0.006619
J (in4)	0.01125
b	0.502
t	0.062

Cw (in6)	0.000492
βx (in)	0.868
g0 (in)	0

Aluminum Properties

Alloy:	6063-T6
Fu (ksi)	30
Fy (ksi)	25
E (ksi)	10100
Cc	78

Moment Strength

Moment strength is according to the 2020 ADM Design Table 2-21 and Chapter F4.

Local buckling/ Yielding:

Support Condition

Flat element under uniform compression supported on both sides 

λ	8.09677419 =	b/t	
λ_1	22.8		
λ_2	39		
F/Ω (ksi)	15.2 =	15.2	for $\lambda < \lambda_1$
		19-0.170 λ	for $\lambda_1 < \lambda < \lambda_2$
		484/ λ	for $\lambda_2 < \lambda$

For $\lambda < \lambda_1$, local buckling does not apply and the moment strength is calculated as the minimum of Zfy/Ω or $1.5Sfy/\Omega$

Mn/Ω (in-lbs) 406 = $F/\Omega * 1000(\text{kips/lbs}) * \min(Zx \text{ or } 1.5Sx)$

Rupture Strength

F_u/Ω	15.3846154	
Z_{net}	0.02677	
Mn/Ω (in-lbs)	411.846154 =	$Z_{net} * F_u/\Omega * 1000 \text{kips/lbs}$

Lateral Torsional Buckling:

Lb (in)	72	
Cb	1.32	
C1	0.5	C2 0.5
U (in)	-0.217 =	$C1 * g_0 - C2 * \beta_x / 2$
Me	3.03826264 =	See 2015 ADM F.4-9
λ	26.3547155 =	$2.3(Lb * S_x / (I_y * J)^{0.5})^{0.5}$

$\lambda < C_c$, inelastic buckling applies

M_{nmb} (in-kip) 0.56032016 = $M_p(1 - \lambda/C_c) + \pi^2 * E * I_x / C_c^3$

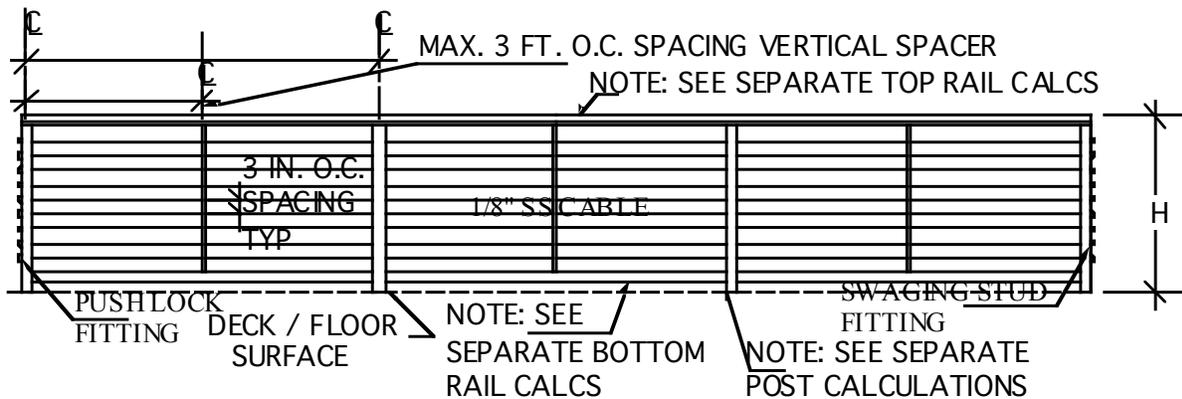
M_a (in-lbs) 339.587978 = $M_{nmb} / 1.65 * 1000$

Strength is controlled by lateral torsional buckling

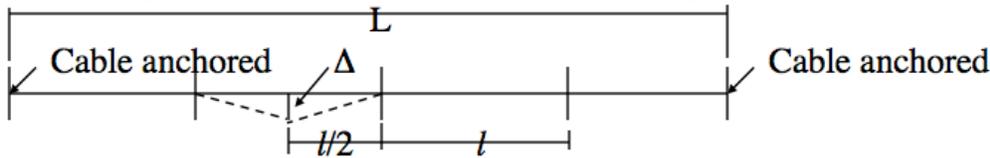
M_a (in-lbs) 340

STAINLESS STEEL CABLE IN-FILL:

S: MAX. 6 FT. O.C. SPACING POSTS



Cable railing- Deflection/ Preload/ Loading relationship



$$\text{Cable Strain} = \epsilon = \frac{C_{ta} \cdot L}{A \cdot E}$$

$$C_t = C_{ti} + C_{ta} \quad C_{ti} = \text{installation tension}$$

$$C_{ta} = \frac{\epsilon EA}{L} = \text{Cable tension increase from loading}$$

From cable theory

$$C_t = \frac{l \cdot P}{4\Delta} \quad \text{for concentrated load}$$

To calculate allowable load for a given deflection:

Calculate $\epsilon = [((l/2)^2 + \Delta^2)^{1/2} \cdot 2 - l]$

Then calculate $C_{ta} = \frac{\epsilon AE}{L}$

Then calculate $C_t = C_{ti} + C_{ta}$

Then calculate load to give the assumed Δ for concentrated load

$$P = \frac{C_t 4\Delta}{l}$$

For uniform load – idealize deflection as triangular applying cable theory

$$C_t = \frac{WL^2}{8\Delta}$$

Solving for $W = \frac{C_t 8 \Delta}{l^2}$

See spreadsheet pages based on 36’ maximum cable length and 3” clear cable spacing.

Cable rail loading requirements

Guardrail components 25 psf over entire area

IBC 1607.7.1.2 Components

50 lbs Conc. load over 1 sf

Application to cables

-Uniform load = $\frac{25 \text{ psf} \cdot 3''}{12''} = 6.25 \text{ plf}$

-Concentrated load 1 sf
3 cables minimum
 $50/3 = 16.7 \text{ lbs on } 4'' \text{ sphere}$

Produces 8.63 lb upward and downward on adjacent cables.

Deflection – since cables are 3” O.C. and maximum opening width = 4”

for 1/8” cable $\Delta_{all} = 4'' - (3 - 1/8) = 1 \text{ } 1/8''$

for 3/16” cable $\Delta_{all} = 4'' - (3 - 3/16) = 1 \text{ } 3/16''$

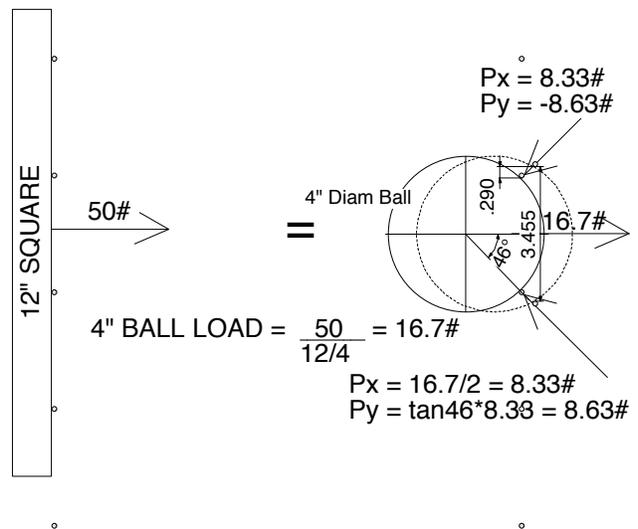
Cable Strain:

$$\epsilon = \sigma/E \text{ and } \Delta_L = L \epsilon$$

$$\Delta_L = L(T/A)/E = L(T/0.0276 \text{ in}^2)/27 \times 10^6 \text{ psi}$$

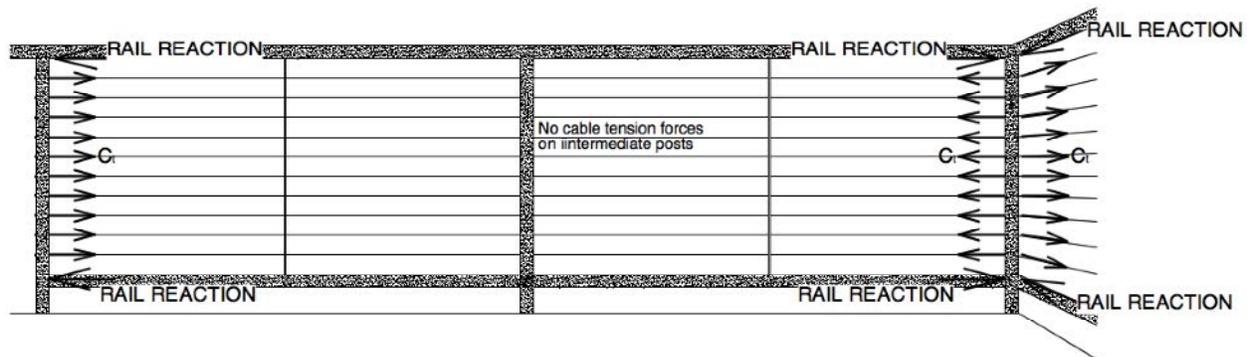
Maximum cable free span length = $60.5''/2 - 2.375'' = 27.875''$

Additionally cable should be able to safely support 200 lb point load such as someone standing on a cable. This is not a code requirement but is recommended to assure a safe installation.



Cable railing					
Cable deflection calculations					
Cable = 3/16" dia (area in^2) =		0.0278			
Modulus of elasticity (E, psi) =		27000000			
Cable strain =Ct/(A*E) *L(in) = additional strain from imposed loading					
Cable installation load (lbs) =		200			
Total Cable length (ft) =		36			
Cable free span (inches) =		35			
Calculate strain for a given displacement (one span)				Imposed Cable load giving displ.	
delta (in)	strain (in)	Ct net (lb)	Ct tot (lbs)	Conc. Load (lb)	Uniform ld (plf)
0.25	0.00357	6.2	206.2	5.9	4.0
0.375	0.00803	13.9	213.9	9.2	6.3
0.55	0.01728	30.0	230.0	14.5	9.9
0.75	0.03213	55.7	255.7	21.9	15.0
1	0.05710	99.1	299.1	34.2	23.4
2	0.22783	395.3	595.3	136.1	93.3
2.5	0.35534	616.5	816.5	233.3	160.0
3	0.51056	885.8	1085.8	372.3	255.3
Cable railing					
Cable deflection calculations					
Cable = 1/8" dia (area in^2) =		0.0123			
Modulus of elasticity (E, psi) =		27000000			
Cable strain =Ct/(A*E) *L(in) = additional strain from imposed loading					
Cable installation load (lbs) =		200			
Total Cable length (ft) =		36			
Cable free span (inches) =		35			
Calculate strain for a given displacement (one span)				Imposed Cable load giving displ.	
delta (in)	strain (in)	Ct net (lb)	Ct tot (lbs)	Conc. Load (lb)	Uniform ld (plf)
0.25	0.00357	2.7	202.7	5.8	4.0
0.375	0.00803	6.2	206.2	8.8	6.1
0.55	0.01728	13.3	213.3	13.4	9.2
0.75	0.03213	24.6	224.6	19.3	13.2
1	0.05710	43.8	243.8	27.9	19.1
2	0.22783	174.7	374.7	85.7	58.7
2.5	0.35534	272.5	472.5	135.0	92.6
3	0.51056	391.6	591.6	202.8	139.1

NOTE: Cable rail installations require special care to assure cables have adequate tension to provide the required resistance to infill loads. End posts and frame must have adequate strength to safely resist all cable loads.

Cable induced forces on posts:

Cable tension forces occur where cables either change direction at the post or are terminated at a post.

Top rail acts as a compression element to resist cable tension forces. The top rail infill piece inserts tight between the posts so that the post reaction occurs by direct bearing.

For 400 Series top rail no infill is used. Top rail extrusion is attached to post with (6) #8 screws in shear with total allowable shear load of $6 \times 325\# = 1,950\#$

Up to eight #8 screws may be used on a post if required to develop adequate shear transfer between the post and the 400 series top rail.

Bottom rail when present will be in direct bearing to act as a compression element.

When no bottom rail is present the post anchorage shall be designed to accommodate a shear load in line with the cables of $7 \times 205\# \times 1.25 = 1,784\#$

End post Cable loading

Cable tension - 200#/ Cable no in-fill load

$$w = \frac{200\#}{3''} = 66.67\#/in \quad M_w = \frac{(39'')^2 \cdot 66.67\#/in}{8} = 12,676\#''$$

Typical post reactions for 200# installation tension :

11 cables $\times 200\# / 2 = 1100\#$ to top and bottom rails

For loaded Case

- 3 Cables @ center 220.7# ea based on 6' o.c. posts, 35" cable clear span
post deflection will reduce tension of other cables.

$$\Delta = [Pa^2b^2/(3L)+2Pa(3L^2-4a^2)/24]/EI =$$

$$\Delta = [220.7 \times 15^2 \times 24^2 / (3 \times 39) + 220.7 \times 15(3 \times 39^2 - 4 \times 15^2) / 24] / (10,100,000 \times 0.863) = 0.086''$$

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Cable tension reduction for deflection will go from 200 at end cables to 271-220.7 at center,
linear reduction = $(200-50.3)/(39/2) = 7.7$ pli

$$M_{\text{conc}} = 220.7\# \cdot 15''/2 + 220.7\# \cdot 18'' + (3 \cdot (200-7.7 \cdot 3)) + (6 \cdot (200-7.7 \cdot 6)) + (9 \cdot (200-7.7 \cdot 9)) + 12 \cdot (200-7.7 \cdot 12) + 15 \cdot (200-7.7 \cdot 15)/2$$

$$M_{\text{conc}} = 10,183\#''$$

Typical post reactions for 200# installation tension with 50# infill load:

11 cables * 200#/2 + 3 * (221-200)/2 = 1132# to top and bottom rails.

Typical post reactions for 200# installation tension with 25 psf infill load:

11 cables * 207.5#/2 = 1,141# to top and bottom rails.

For 200 # Conc load on middle cable tension

599.2# tension, post deflection will reduce tension of other cables

$$\Delta = [Pa^2b^2/(3LEI)] = [599.2 \cdot 18^2 \cdot 21^2 / (3 \cdot 39 \cdot 10100000 \cdot 0.863)] = 0.084$$

Cable tension reduction for deflection will go from 200 at end cables to 52 at center cables, linear reduction $(200-52)/19.5'' = 7.6$ pli.

$$M_{200} = 599.2\#/2 \cdot 18'' + (3) \cdot (200-7.6 \cdot 3) + (6) (200-7.6 \cdot 6) + (9) (200-7.6 \cdot 9) + (12) (200-7.6 \cdot 12) + (15) (200-7.6 \cdot 15) + (18) (200-7.6 \cdot 18)/2 = 11,200\#''$$

Post strength = 19,500''# (six screw post)

No reinforcement required. Note: post reinforcement may be required for other configurations.

Standard Cable anchorage okay.

Typical post reactions for 200# installation tension with 200# infill load on center cable:

11 cables * 200#/2 + (600#-200)/2 = 1,300# to top and bottom rails.

Typical post reactions for 200# tension with 200# infill load on top or bottom cable:

11 cables * 200#/2 + (600#-200) * 33/36 = 1,467# to top and bottom rails.

Verify cable strength:

$F_y = 110$ ksi Minimum tension strength = 1,869# for 1/8'' 1x19 cable

$$\phi T_n = 0.85 \cdot 110 \text{ ksi} \cdot 0.0123 = 1,150\#$$

$$T_s = \phi T_n / 1.6 = 1,150\# / 1.6 = 718\#$$

Maximum cable pretension based on maximum service tension @ 200# cable load is 440#:

Δ (in)	strain (in)	Ct net (lb)	Ct tot (lbs)	Conc. Load (lb)	Uniform ld (plf)
0.19	0.00206	1.7	441.7	9.6	6.6
0.33	0.00622	5.1	445.1	16.8	11.5
2.437	0.33774	278.2	718.2	200.0	137.2

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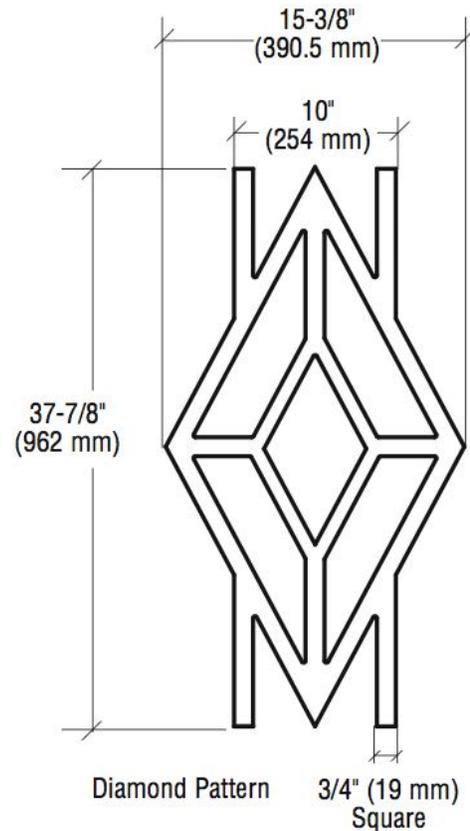
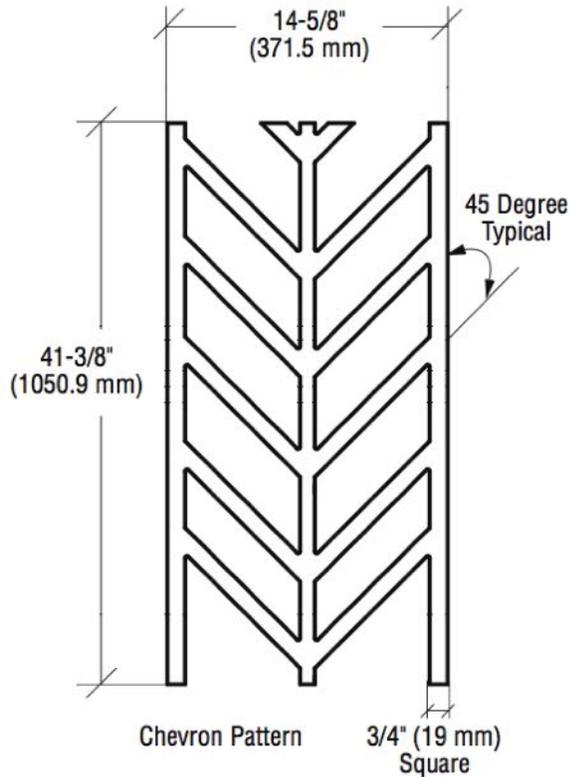
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CRL Standard Cast Infills

Made from solid cast aluminum, 3/4" thick with patterns that conform to the code geometry requirements.

535.0-F aluminum casting in permanent molds



Infill strength based on 50# concentrated load at center of infill:

$$M = 50 \# \cdot 41.375'' / 4 = 517.2'' \#$$

At center bending is resisted by three 3/4" square solid aluminum bars:

$$S = 3 \cdot 0.75''^3 / 6 = 0.211 \text{ in}^3$$

$$f_b = 517.2 / 0.211 = 2,452 \text{ psi} < 13.5 \text{ ksi} / 2 = 6.75 \text{ ksi}$$

For diamond pattern casting: at center moment is resisted by four diagonal cast elements:

Two at 3/4" square and two at 1/2" x 3/4"

$$S = 2 \cdot 0.75''^3 / 6 + 2 \cdot 0.5 \cdot 0.75''^2 / 6 = 0.234 \text{ in}^3$$

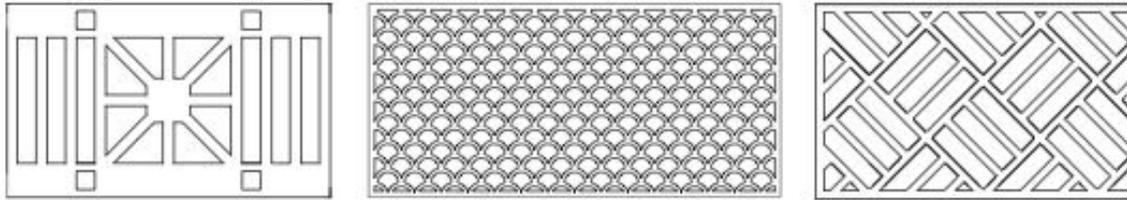
$$M = 50 \cdot 37.875'' / 4 = 473.44'' \#$$

$$f_b = 473.44'' \# / 0.237 \text{ in}^3 = 1,998 \text{ psi}$$

May be mixed with 3/4" square pickets.

Custom Water Jet and Laser Cut Infill Panels

Custom patterns cut to specification with maximum opening sizes smaller than 4".



Fabricated from 5052-H32 or stronger aluminum sheet
Required strength based on a maximum panel width of 38"

Per ADM Table 2-9 $F_b = 18$ ksi

Design bending at centerline of plate:

$$M = 25\text{psf} \cdot 3.17'^2 / 8 = 31.4' \# = 376.83'' \# / \text{ft}$$

Required minimum width of solid metal per foot of width:

$$S = b \cdot t^2 / 6 \geq 376.83'' \# / (18,000 \text{ psi}) = 0.021 \text{ in}^3$$

Determine required solid metal width based on thickness:

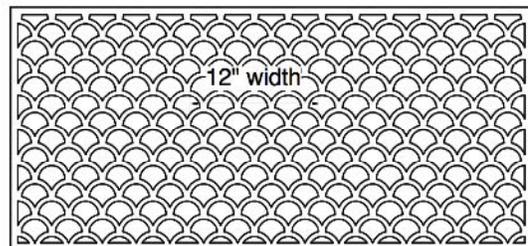
$$b = (0.021 \cdot 6 / t^2)$$

For $t = 1/4''$

$$b = (0.021 \cdot 6 / 0.25^2) = 2.02'' / \text{ft}$$

Design pattern so that there is a maximum of 9.98" of opening per foot.

In example there is 4 holes per foot maximum hole size = $9.98 / 4 = 2.495''$



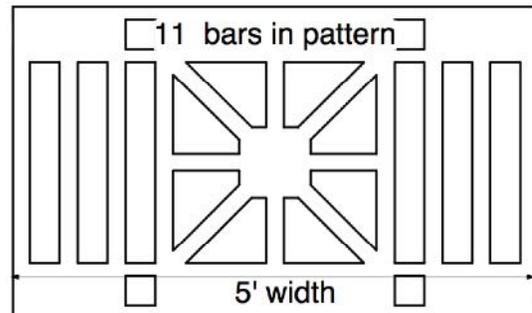
For second pattern the minimum bar width per foot must be 2.02" per foot average.

If panel is 5' wide the total bar width is:

$$5' \cdot 2.02'' / \text{ft} = 10.1''$$

There are 11 equivalent bars – 9 vertical and 2 diagonal:

$$\text{Average width} = 10.1 / 11 = 0.92''$$



For $t = 3/8''$

$$b = (0.021 \cdot 6 / 0.375^2) = 0.896'' / \text{ft}$$

Design pattern so that there is a maximum of 11.1" of opening per foot.

Calculate the required metal area similar to the two example shown for 1/4" sheet.

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GLASS STRENGTH FULLY TEMPERED INFILL PANELS

All glass is fully tempered glass conforming to the specifications of ANSI Z97.1, ASTM C 1048-97b and CPSC 16 CFR 1201. The average Modulus of Rupture for the glass F_r is 24,000 psi, $F_r = 24$ ksi typically used for design purposes. In accordance with IBC 2407.1.1 glass used as structural balustrade panels shall be designed for a safety factor of 4.0. Glass not used in guardrails may be designed for a lesser safety factor in accordance with ASTM E1300.

Values for the modulus of rupture, F_r , modulus of Elasticity, E and shear modulus, G for glass based on AAMA CW-12-84 *Structural Properties of Glass* (values are consistent with those used in ASTM E1300) are typically taken as:

$$F_r = 24,000 \text{ psi}$$

$E = 10,400$ ksi is used as the standard value for common glass. While the value of E for glass varies with the stress and load duration this value is typically used as an average value for the stress range of interest.

$G = 3,800$ ksi: The shear component of the deflection tends to be very small, under 1% of the bending component and is therefore ignored.

$$\mu = 0.22 \text{ Typical value of Poisson's ratio for common glasses.}$$

$$\nu = 5 \times 10^{-6} \text{ in/(inF}^\circ\text{) Typical coefficient of thermal expansion.}$$

The safety factor of 4 is dictated by the building code (IBC 2407.1.1). It is applied to the modulus of rupture since glass as an inelastic material does not have a yield point.

There is no deflection limits for the glass in guards other than practical limits for the opening sizes, retention in the frames and occupant comfort. Refer to ASTM E 1300-12a for a standard method of calculating deflections but the deflection limits are concerned with glazing in windows and similar parts of the building envelope rather than a free standing guard. IBC 2403.3 applies a limit of $L/175$ or $3/4''$ on the supporting frame for glass to be considered as fully supported along the frame element. From IBC Table 1604.3 footnote h similar types of construction have a limit of $L/60$.

The shear strength of glass tracks closely to the modulus of rupture because failure under shear load will be a tensile failure with strength limited by the modulus of rupture. Thus shear loads are transformed using Mohr's circle to determine the critical tension stress to evaluate the failure load. The safety factor of 4 is applicable to this case same as the bending case. Thus the shear stress is limited based on principal stresses of 0 and 6,000 psi to $6,000/2 = 3,000$ psi. Bearing stress can be derived in a similar fashion with the principal stresses being $-6,000$ psi and 6,000 psi so the bearing stress = 6,000 psi.

Bending strength of glass for the given thickness:

$$I = 12'' \cdot (t)^3 / 12 = (t)^3 \text{ in}^3/\text{ft}$$

$$S = 12'' \cdot (t)^2 / 6 = 2 \cdot (t)^2 \text{ in}^3/\text{ft}$$

t_{ave} = Average glass thickness; t_{min} = minimum glass thickness allowed by standard

For lites simply supported on two opposite sides the moment and deflection are calculated from basic beam theory

$$M_w = W \cdot L^2 / 8 \text{ for uniform load } W \text{ and span } L \text{ or}$$

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$M_p = P*L/4$ for concentrated load P and span L, highest moment P @ center

Maximum wind loads:

$W = M_a*8/L^2$ for uniform load W and span L (rail to rail distance)

Deflection can be calculated using basic beam theory:

$\Delta = (1-\nu^2)5wL^4/(384EI)$ for uniform load

$(1-\nu^2) = 0.9516$

Simplifying:

$\Delta = [wL^4/t^3]/(10.07 \times 10^9)$ for w in psf and L in inches

For concentrated load:

$\Delta = (1-\nu^2) PL^3/(48EI)$

Simplifying:

$\Delta = PL^3/(5.246*10^8t^3)$

Maximum allowable deflection: Use L/60 deflection limit for infill. This will prevent glass from deflecting enough to disengage from the frame.

For uniform load (wind load)

Solving for w

$w = [t^3*1.676*10^8]/L^3$

Solving for L

$L = [(t^3*1.676*10^8)/w]^{1/3}$

Solving for t

$t = [L^3w/(1.676*10^8)]^{1/3}$

For Concentrated load

Solving for P

$P = (8.74*10^6t^3)/L^2$

Solving for L

$L = [8.74*10^6*t^3/P]^{1/2}$

Solving for t

$t = [PL^2/(8.74*10^6)]^{1/3}$

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Guard Infill Design

System: ARS

Infill Description:

Monolithic Tempered Glass

Allowable Live Load Stress (psi)	6000
Allowable Wind Load Stress (psi)	10600
Young's modulus (psi)	10400000

Load Cases:

50# Concentrated Load At Mid Span

$$M = 50\# * \text{Span} / (1\text{ft} * 4)$$

$$\Delta = 50\# * \text{span}^3 / (48EI)$$

$$\text{Max span} = \min(S * 6000\text{psi} * 4 / 50 \text{ or } (48EI / (50 * 60))^{(1/2)})$$

$$I = t_{\min}^3$$

$$S = 2t^2$$

Allowable Spans For 50# Live Load

t_{nom}	t_{min}	I (in ⁴)	S (in ³)	Max span (in)
	1/4	0.219	0.01050346	41.81
	5/16	0.292	0.02489709	64.37
	3/8	0.355	0.04473888	86.28

Wind Load

$$M = W / 12\text{Span}^2 / 8$$

$$\Delta = 5 * W / 12 * \text{span}^4 / (384EI)$$

$$\text{Max span} = \min((S * 6000\text{psi} * 8 / W)^{1/2} \text{ or } (384EI / (5 * W / 12 * 60))^{(1/3)})$$

Allowable Spans With Respect To Wind Loading

t_{nom} (in)	Wind Load (psf)		
	25	50	75
1/4	40.64	32.25	28.18
5/16	54.18	43.01	37.57
3/8	65.88	52.29	45.68

Laminated Glass Panels

The 2015 and 2018 IBC require laminated glass panels where a walking surface is directly below the guard.

Glass sizes checked in this report are 1/4", 5/16" and 7/16"

Glass is assumed to use a PVB interlayer with a shear modulus (G) of 140psi. This low value for G accounts for high exterior temperatures that may be present in the southern part of the US and Hawaii.

Effective thickness calculated according to ASTM E1300 appendix X11.

Variable	Description
H1 & H2	Glass pane thicknesses
Hv	Interlayer thickness
E	Young's Modulus
g	Shear Modulus
Hs	.5(h1+h2)+hv
Hs;1	hsh1/(h1+h2)
Hs;1	hsh2/(h1+h2)
Is	$h1(hs;2)^2+h2(hs;1)^2$
a	Minimum Pane Width
Γ	$1/(1+9.6(Eishv/(G(ahs)^2)))$
hef;w	$\sqrt[3]{((h1)^3+(h2)^3+12\Gamma Is)}$
h1;ef; σ	$\sqrt{((hef;w)^3/(h1+2\Gamma hs;2))}$
h2;ef; σ	$\sqrt{((hef;w)^3/(h2+2\Gamma hs;1))}$

1/4" Laminated Glass:

lami+0.06"+lami, (.102" glass + 0.06" interlayer + .102" glass)

h1	h2	hv	E	g
0.102	0.102	0.06	10400000	140
hs	hs;1	hs;2	Is	
0.162	0.081	0.081	0.001338444	
a	Γ	hef;w	h1;ef; σ	h2;ef; σ
36	0.372604684	0.200887242	0.223453105	0.223453105

5/16” Laminated Glass:

1/8”+0.06”+1/8”, (.115” glass + 0.06” interlayer + .115” glass)

Laminated Glass Effective Thickness				
h1	h2	hv	E	g
0.115	0.115	0.06	10400000	140
hs	hs;1	hs;2	Is	
0.175	0.0875	0.0875	0.001760938	
a	Γ	hef;w	h1;ef;σ	h2;ef;σ
36	0.345016429	0.21780446	0.242724016	0.242724016

7/16” Laminated Glass:

3/16”+0.06”+3/16”, (.180” glass + 0.06” interlayer + .180” glass)

Laminated Glass Effective Thickness				
h1	h2	hv	E	g
0.18	0.18	0.06	10400000	140
hs	hs;1	hs;2	Is	
0.24	0.12	0.12	0.005184	
a	Γ	hef;w	h1;ef;σ	h2;ef;σ
36	0.251798561	0.301209506	0.337137597	0.337137597

Guard Infill Design

System: ARS

Infill Description:

Laminated Tempered Glass

Allowable Live Load Stress (psi) 6000
 Allowable Wind Load Stress (psi) 10600
 Young's modulus (psi) 10400000

Load Cases:

50# Concentrated Load At Mid Span

$$M = 50\# * \text{Span} / (1\text{ft} * 4)$$

$$\Delta = 50\# * \text{span}^3 / (48EI)$$

$$\text{Max span} = \min(S * 6000\text{psi} * 4 / 50 \text{ or } (48EI / (50 * 60))^{(1/2)})$$

$$I = t_{e,w}^3$$

$$S = 2t_{e,\sigma}^2$$

Allowable Spans For 50# Live Load

t_{nom}	$t_{e,w}$ (in)	$t_{e,\sigma}$ (in)	I (in ⁴)	S (in ³)	Max span (in)
1/4	0.201	0.223	0.0081206	0.099458	36.76
5/16	0.218	0.243	0.01036023	0.118098	41.52
3/8	0.301	0.337	0.0272709	0.227138	67.36

Wind Load

$$M = W / 12 \text{Span}^2 / 8$$

$$\Delta = 5 * W / 12 * \text{span}^4 / (384EI)$$

$$\text{Max span} = \min((S * 6000\text{psi} * 8 / W)^{1/2} \text{ or } (384EI / (5 * W / 12 * 60))^{(1/3)})$$

Allowable Spans With Respect To Wind Loading

t_{nom} (in)	Wind Load (psf)		
	25	50	75
1/4	37.30	29.60	25.86
5/16	40.45	32.11	28.05
3/8	55.85	44.33	38.73

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DESIGN PROCEDURE AND FIGURES

For most projects, the required rail height, connection detail and wind loading are dictated for the job. The design figures below will assist the specifier determine the maximum post spacing that can be used for the given rail height, connection detail and wind loading. As the specifier goes through the procedure and selects components, the maximum post spacing the particular component will allow can be determined. Generally, this ESR considers a max fence height of 60" and a max post spacing of 72" although some conditions may go taller. For fence heights or spacings outside the scope of the design figures, a project specific analysis is required.

Step 1: Select infill

The infill will likely be selected by the building architect. All infills considered in this ESR meet guard rail requirements. Note that wind loading may be a significant factor for glass infill. Also, cable infill requires the heavy posts at corners and ends. For glass infill, consult the allowable span charts to determine if the glass thickness and span is OK for the project wind loading and to determine if the bottom and mid rail (if used) is OK for project wind loading. When a mid rail is used, the mid rail wind load tables are more restrictive than the bottom rail tables and will control allowable post spacing. Other infills are OK at the 60" max railing height considered in this ESR.

Step 2: Select anchorage method.

Anchorage method is normally dictated by architectural details for the building. Verify the project specific conditions are compatible with one of the standard anchorage details. Read the max post spacing for the 50plf live load table for the given rail height. Where significant wind loading is present, also consult wind load charts for max post spacing.

Step 3: Select posts.

Posts are selected similarly to the anchorage detail. Use heavy posts at cable corner posts and end posts to resist cable infill loading. Verify the post is compatible with the previously selected anchorage detail. For instance, if the six screw baseplate is used, then the six screw post must also be used. Consult the 50plf live load table for maximum post spacing for the given height and post. Where significant wind loading is present, also consult wind load charts for max post spacing.

Step 4: Select top rail.

This is also primarily an aesthetics consideration and will be dictated by the building architect. Top rails do not limit the post spacing except for the series 200X top rail which limits post spacing to 68" O.C. max. All other top rails are OK at 72" post spacing. Wind load charts are not provided for top rails because in every case they are stronger and stiffer than the bottom rail which receives the same loading.

STEP 1: INFILL

a) Picket infill

Does not restrict allowable post height or spacing

b) Cable infill - (Does not restrict allowable post height or spacing)

Limit post height to 42" above finished floor. Heavy posts required at corners and ends. Does not restrict post spacing.

c) Glass infill

Laminated glass required where a walking surface is below the guard rail. Select the glass thickness from the tables below that meets required allowable span and wind loading requirements. Additionally, check the allowable spans for the bottom rail and mid rail for the specific rail height and wind load. The mid rail will control over the bottom rail when used.

Monolithic glass design tables:

Allowable Spans For 50# Live Load

t_{nom}	t_{min}	I (in ⁴)	S (in ³)	Max span (in)	
	1/4	0.219	0.01050346	0.095922	41.81
	5/16	0.292	0.02489709	0.170528	64.37
	3/8	0.355	0.04473888	0.25205	86.28

Allowable Spans With Respect To Wind Loading

t_{nom} (in)	Wind Load (psf)		
	25	50	75
1/4	40.64	32.25	28.18
5/16	54.18	43.01	37.57
3/8	65.88	52.29	45.68

Laminated glass design tables:

Allowable Spans For 50# Live Load

t_{nom}	$t_{e,w}$ (in)	$t_{e,\sigma}$ (in)	I (in ⁴)	S (in ³)	Max span (in)	
	1/4	0.201	0.223	0.0081206	0.099458	36.76
	5/16	0.218	0.243	0.01036023	0.118098	41.52
	3/8	0.301	0.337	0.0272709	0.227138	67.36

Allowable Spans With Respect To Wind Loading

t_{nom} (in)	Wind Load (psf)		
	25	50	75
1/4	37.30	29.60	25.86
5/16	40.45	32.11	28.05
3/8	55.85	44.33	38.73

Bottom rail design table:

Allowable rail span with respect to infill height and wind load is shown in the table below.

H (ft)		P (psf)		
		25	50	75
	1.5	103.20	72.97	59.58
	2	89.37	63.19	51.60
	2.5	79.94	56.52	46.15
	3	72.97	51.60	42.13
	3.5	67.56	47.77	39.00
	4	63.19	44.69	36.49
	4.5	59.58	42.13	34.40
	5	56.52	39.97	32.63

Mid rail design table:

Allowable rail span with respect to infill height and wind load is shown in the table below.

		P (psf)		
		25	50	75
H (ft)	1.5	99.92	70.65	57.69
	2	86.53	61.19	49.96
	2.5	77.40	54.73	44.69
	3	70.65	49.96	40.79
	3.5	65.41	46.25	37.77
	4	61.19	43.27	35.33
	4.5	57.69	40.79	33.31
	5	54.73	38.70	31.60

STEP 2: ANCHORAGE METHOD

Allowable post moment and post spacing information given for each anchorage type below. Note some anchorage details include two connections, such as post to baseplate and baseplate to slab. Check allowable post height when subject to 200# concentrated load to determine if the anchorage detail is valid for the rail height. If the detail is valid, then check allowable tributary width with respect to the 50plf live load and wind loads.

Post to baseplate connections:

a) 4 screw 2-3/8" square post screwed to baseplate (includes 135° post)

Allowable moment, $M_{a,x} = 10,500''\#$

Max post height = 52.5" when subject to 200# concentrated load

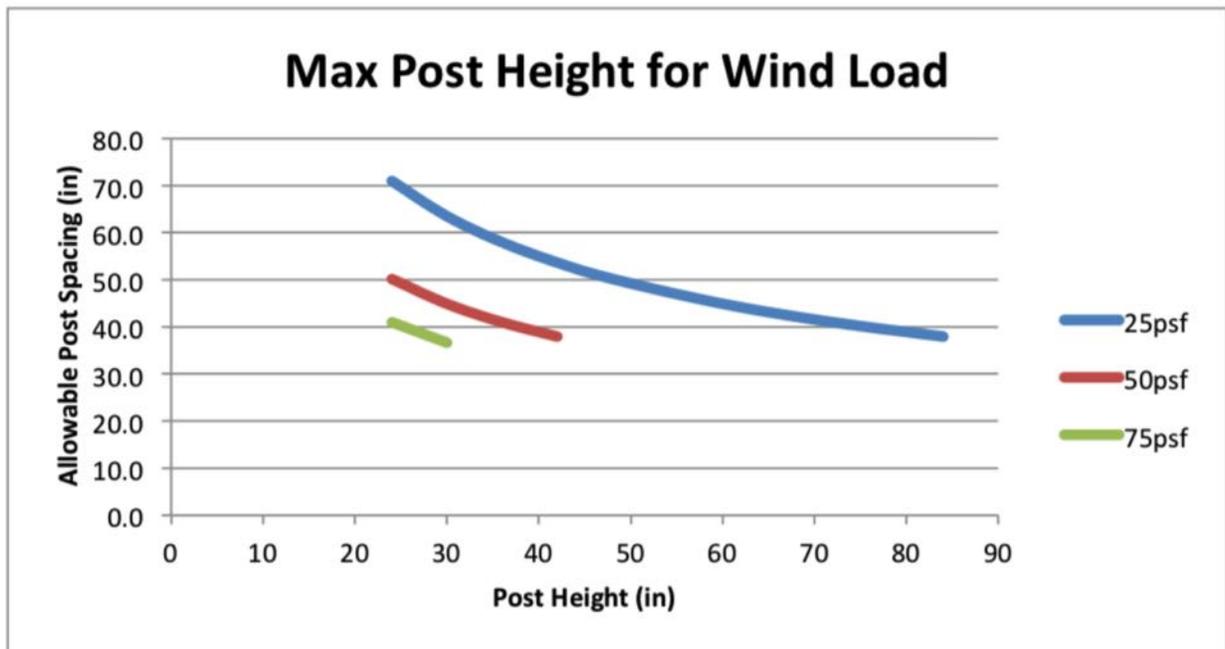
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	70
42	60
48	52.5
60	42
72	<36"
84	<36"
96	<36"



b) 6 screw 2-3/8" square post screwed to baseplate (includes heavy post, 135° post not used)

Allowable post moment, $M_{a,x} = 15,700''\#$

Max post height = 60" when subject to 200# concentrated load

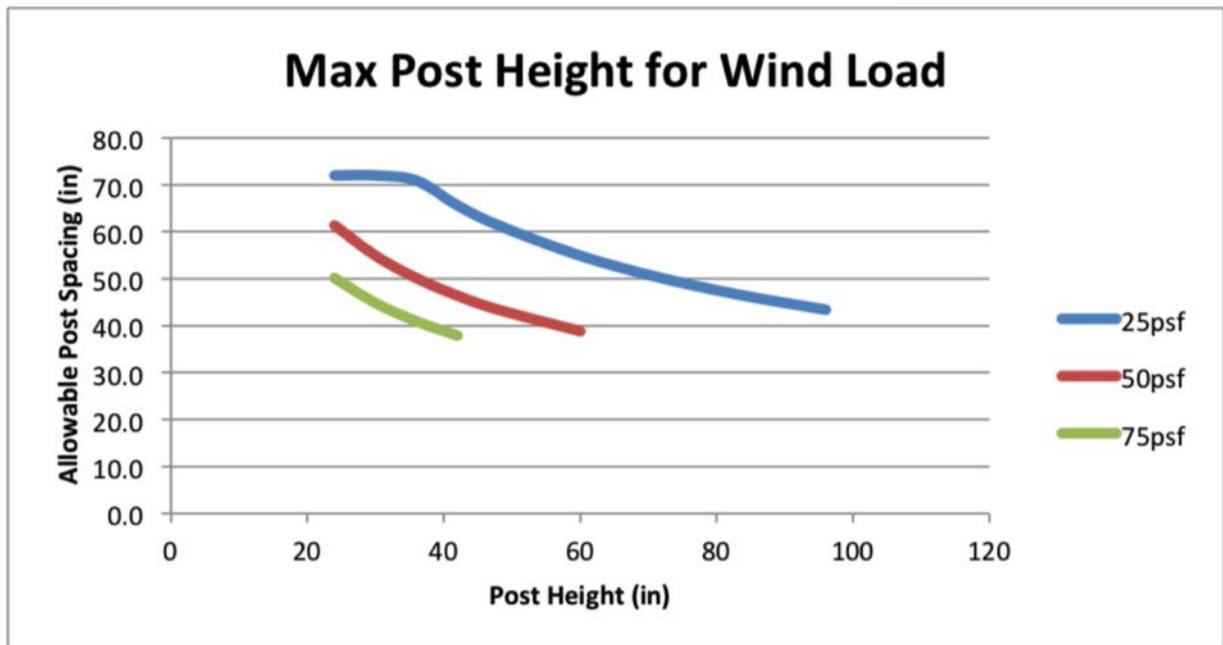
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	72
48	72
60	62.8
72	52.33333333
84	44.85714286
96	39.25



c) 135° post at corner mixed with 6 screw square posts at intermediates

Allowable post moment, $M_{a,x} = 12,600''\#$

Max post height = 60'' when subject to 200# concentrated load

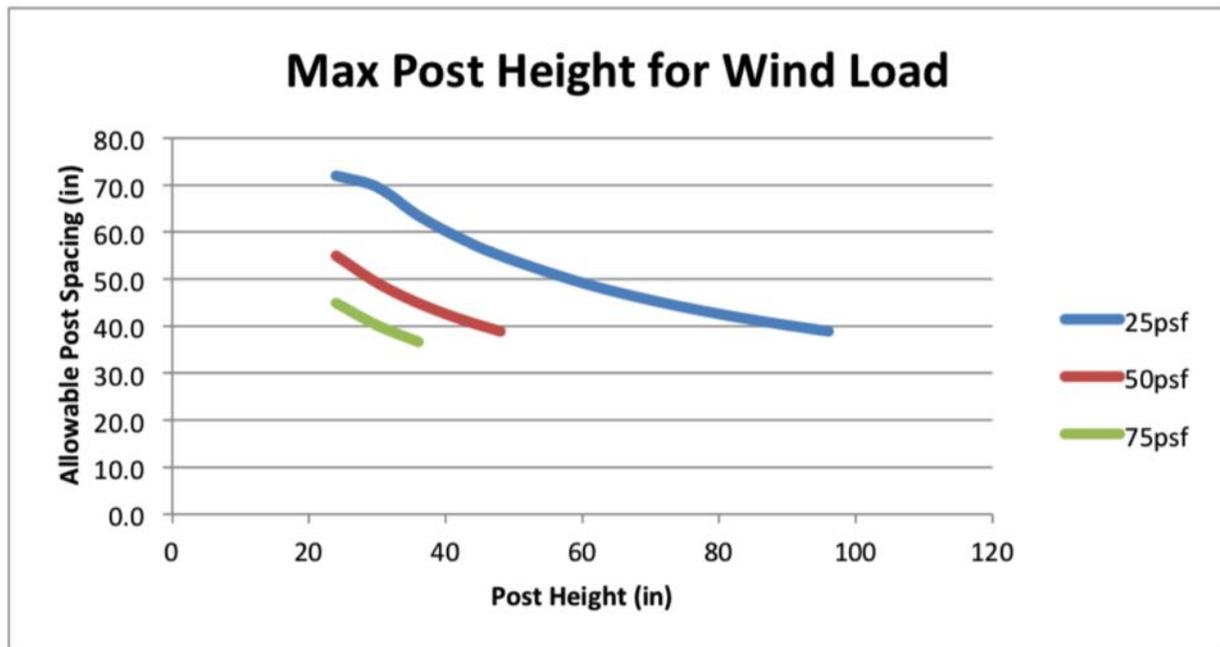
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	72
48	63
60	50.4
72	42
84	36
96	<36"



d) 4" square post screwed to baseplate

Allowable post moment, $M_{a,x} = 17,300''\#$

Max post height = 60" when subject to 200# concentrated load

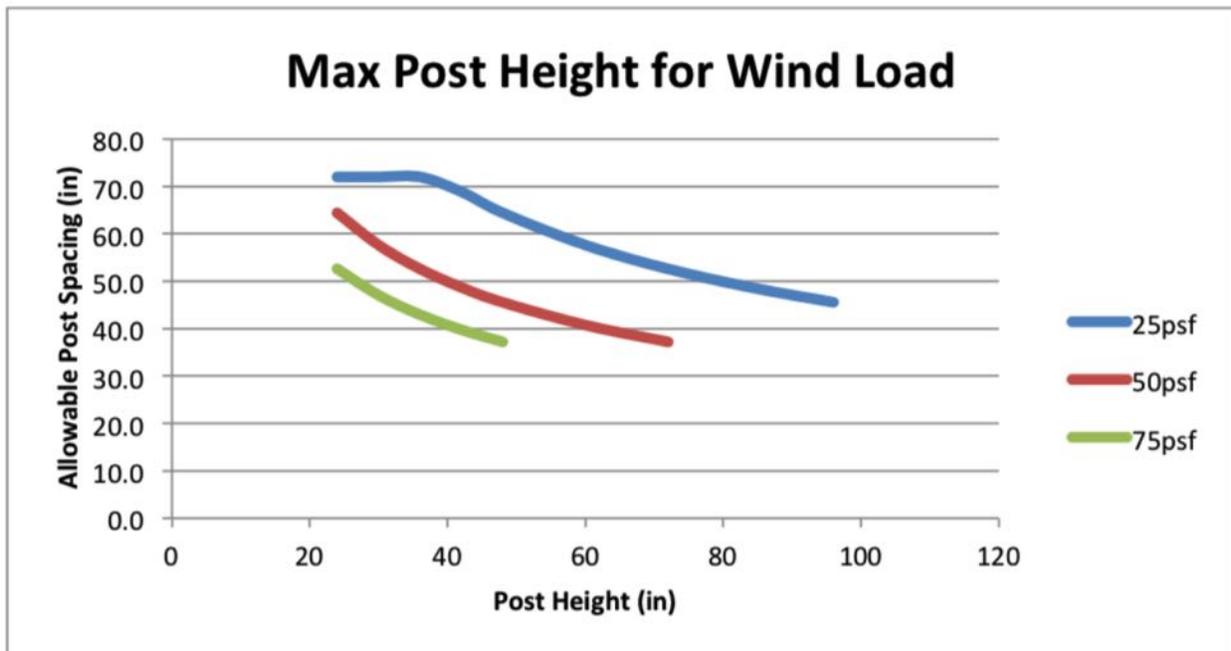
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	72
48	72
60	69.2
72	57.66666667
84	49.42857143
96	43.25



e) Aluminum stanchion screwed to baseplate

Allowable moment, $M_{a,x} = 12,400''\#$

Max post height = 60" when subject to 200# concentrated load

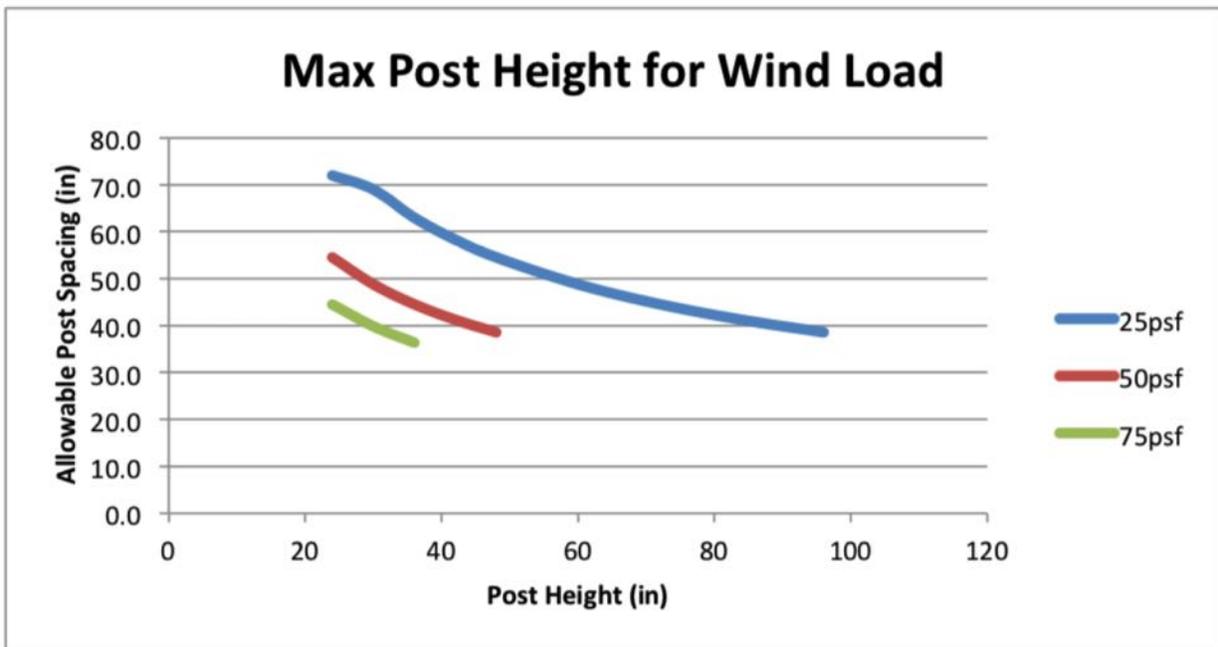
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	70.85714286
48	62
60	49.6
72	41.33333333
84	<36"
96	<36"



f) Aluminum stanchion welded to baseplate

Allowable moment, $M_{a,x} = 10,500''\#$

Max post height = 52'' when subject to 200# concentrated load

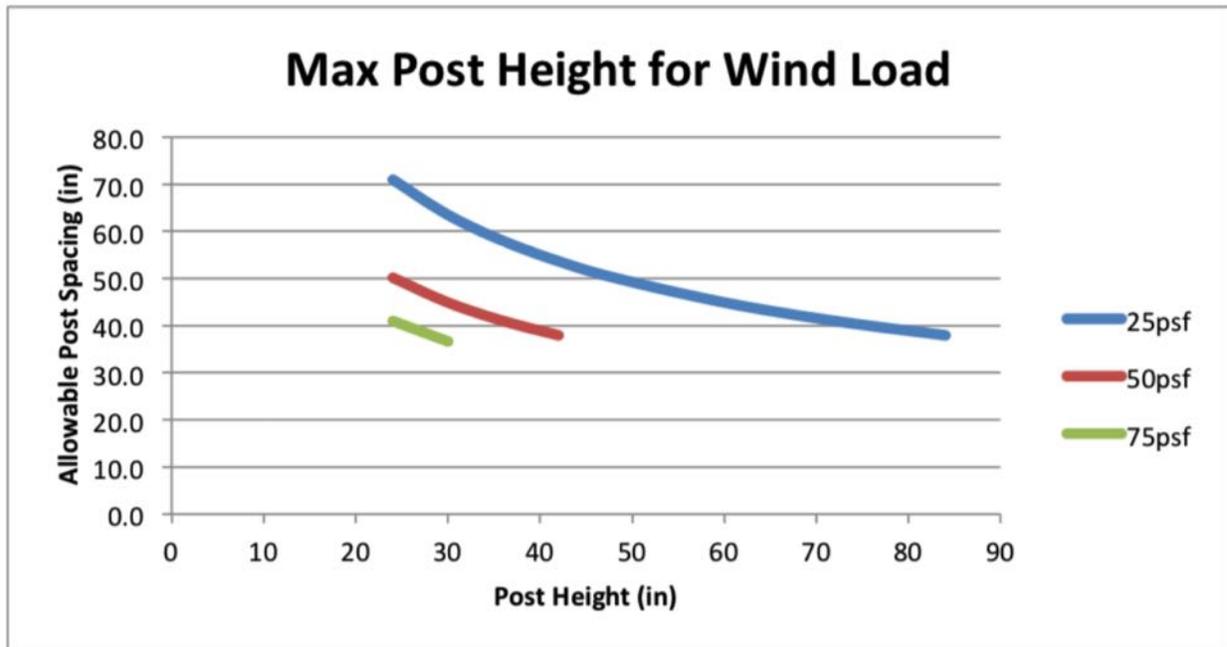
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	70
42	60
48	52.5
60	42
72	<36"
84	<36"
96	<36"



f) Steel stanchion welded to baseplate

Allowable moment, $M_{a,x} = 13,500''\#$

Max post height = 68'' when subject to 200# concentrated load

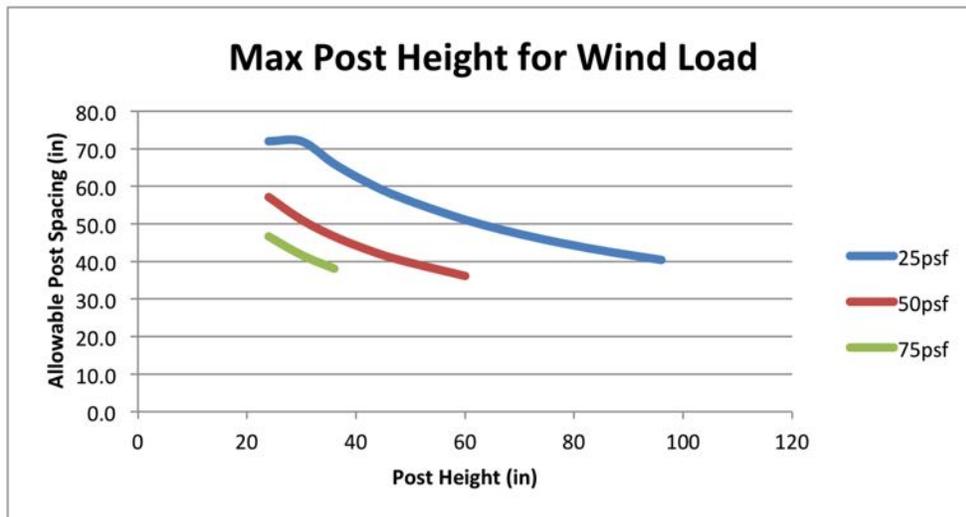
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	72
48	68
60	54.4
72	45.33333333
84	38.85714286
96	<36"



Baseplate Anchorage Details:

g) 3/8"x4" KH-EZ uncracked concrete and 5x5 baseplate

Allowable moment, $M_{a,x} = 13,500''\#$

Max post height = 60" when subject to 200# concentrated load

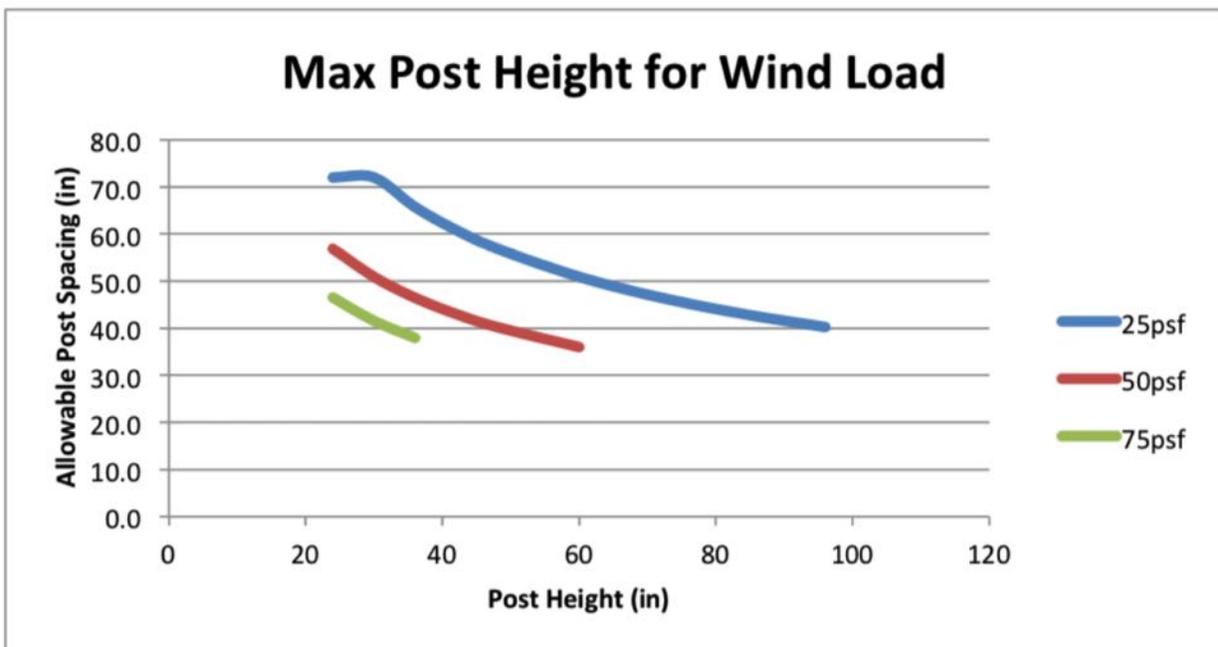
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	72
48	67.5
60	54
72	45
84	38.57142857
96	<36"



h) 3/8"x4" KH-EZ in uncracked concrete and 3x5 baseplate

Allowable moment, $M_{a,x} = 7,130\text{'#}$

Max post height = 35" when subject to 200# concentrated load

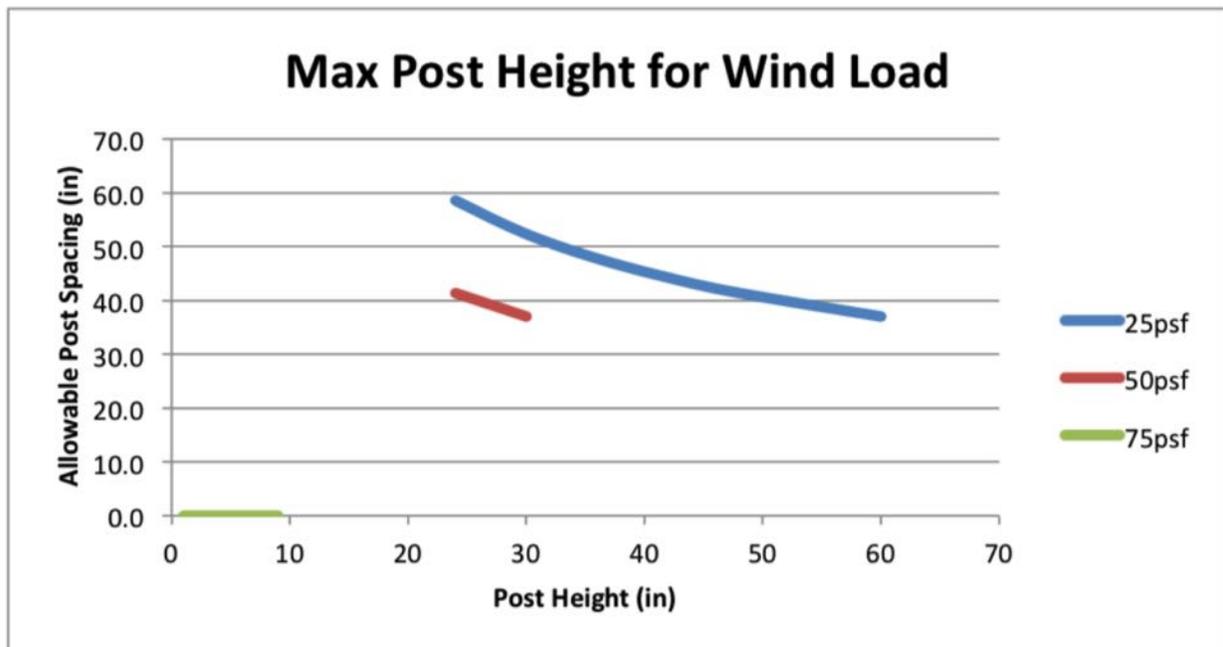
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	71.3
30	57.04
36	47.53333333
42	40.74285714
48	<36"
60	<36"
72	<36"
84	<36"
96	<36"



i) 3/8"x4" KH-EZ in uncracked concrete and 6-1/2x6-1/2" baseplate

Allowable moment, $M_{a,x} = 17,800''\#$

Max post height = 84" when subject to 200# concentrated load

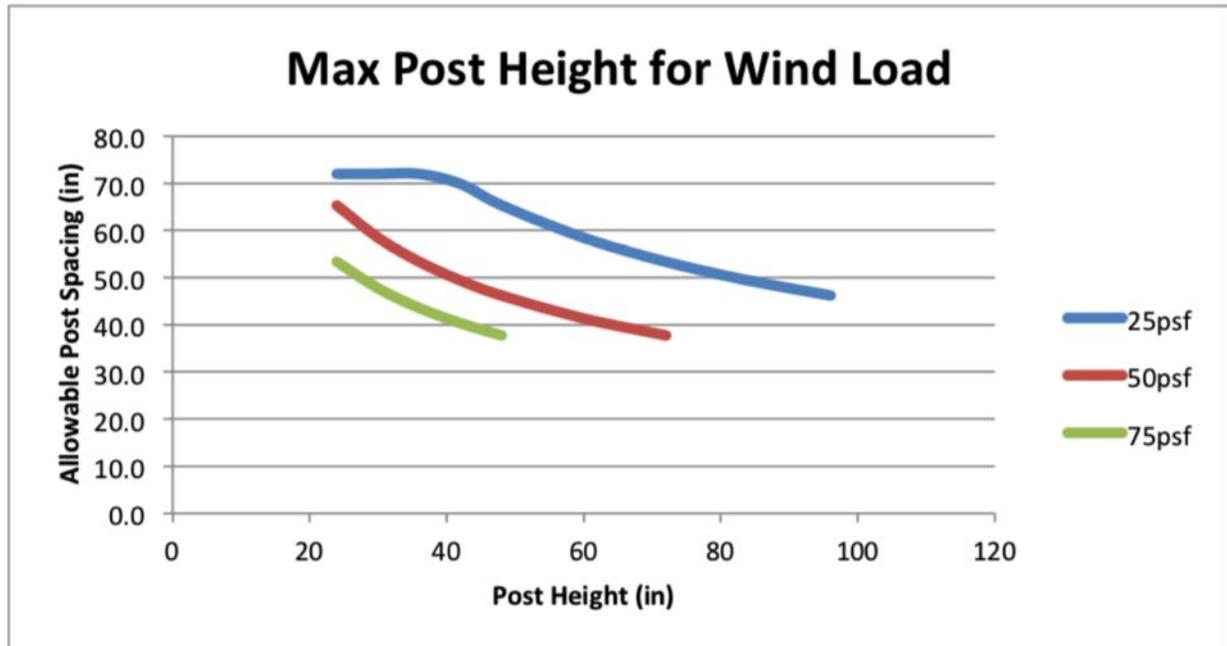
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	72
48	72
60	71.2
72	59.33333333
84	50.85714286
96	44.5



j) 3/8"x4" KH-EZ in cracked concrete and 5x5" baseplate

Allowable moment, $M_{a,x} = 9,600\text{'#}$

Max post height = 48" when subject to 200# concentrated load

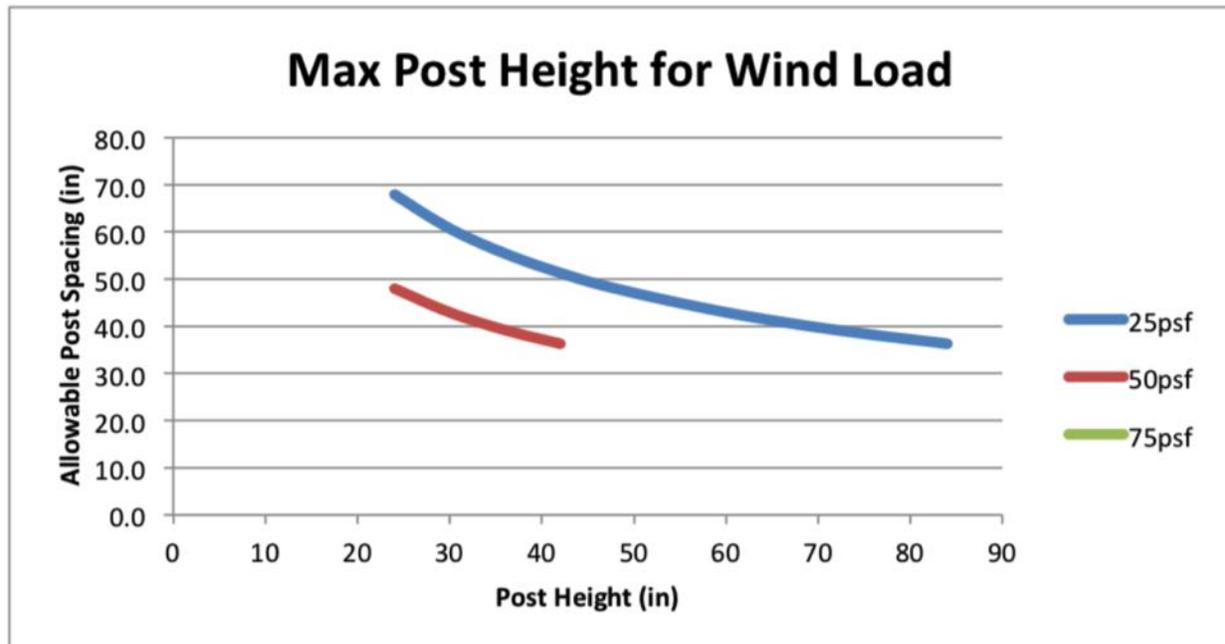
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	64
42	54.85714286
48	48
60	38.4
72	<36"
84	<36"
96	<36"



k) 3/8"x4" KH-EZ in cracked concrete and 6-1/2x6-1/2" baseplate

Allowable moment, $M_{a,x} = 12,700''\#$

Max post height = 60" when subject to 200# concentrated load

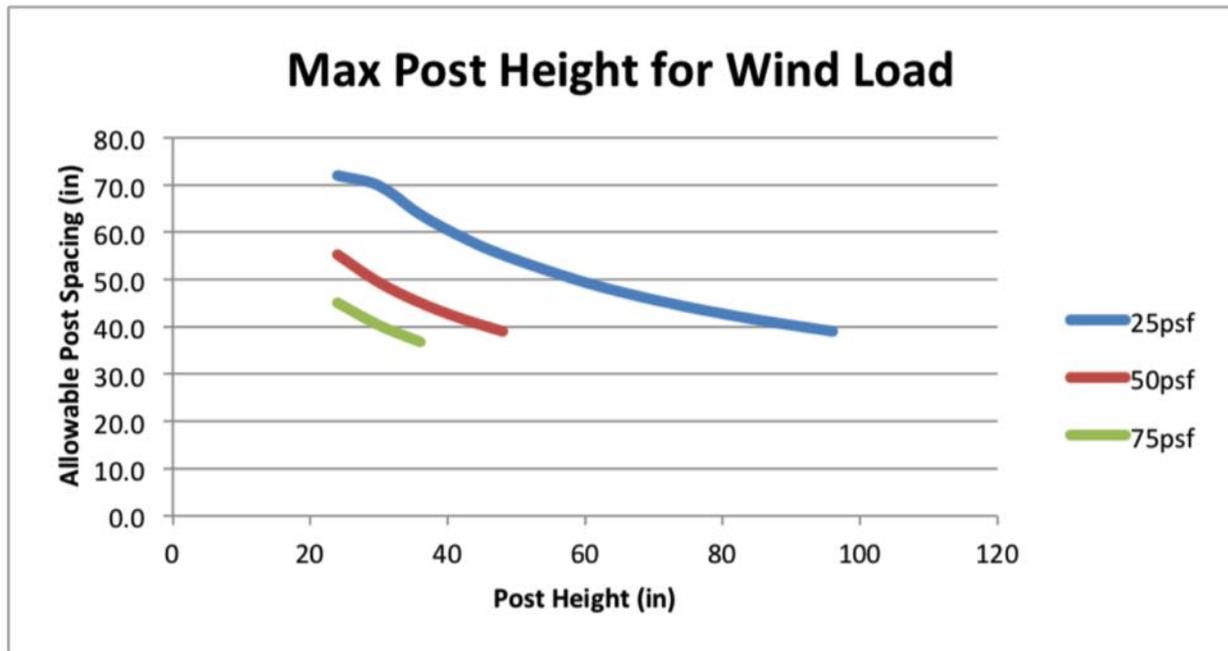
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	72
48	63.5
60	50.8
72	42.33333333
84	36.28571429
96	<36"



1) 3/8"x3-3/4" KB-TZ in uncracked concrete and 5x5" baseplate.

Allowable moment, $M_{a,x} = 14,200''\#$

Max post height = 60" when subject to 200# concentrated load

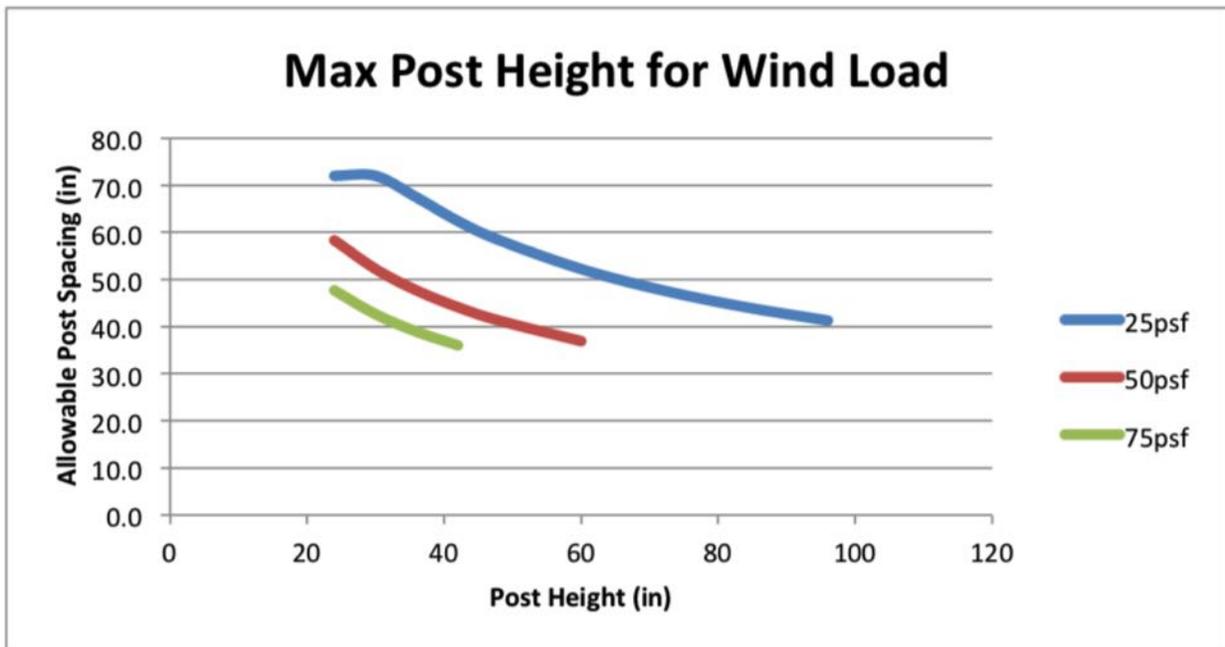
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	72
48	71
60	56.8
72	47.33333333
84	40.57142857
96	<36"



m) 3/8"x3-3/4" KB-TZ in uncracked concrete and 3x5" baseplate.

Allowable moment, $M_{a,x} = 7,490''\#$

Max post height = 36" when subject to 200# concentrated load

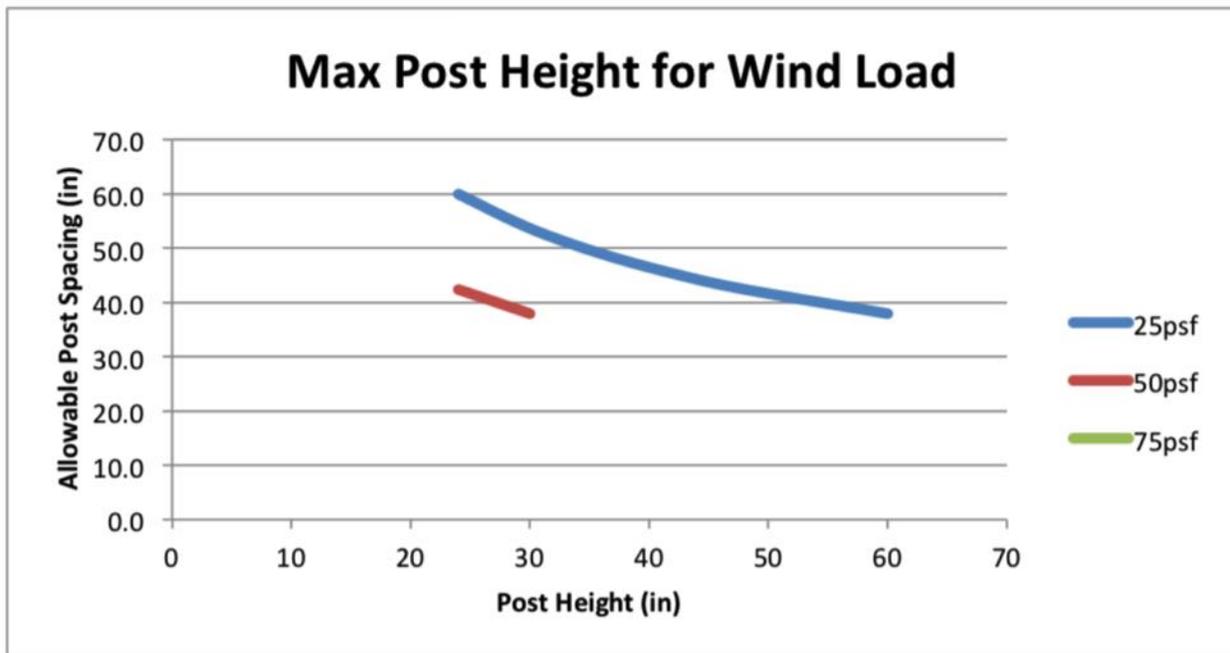
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	59.92
36	49.93333333
42	42.8
48	37.45
60	<36"
72	<36"
84	<36"
96	<36"



n) 3/8"x3-3/4" KB-TZ in uncracked concrete and 6-1/2x6-1/2" baseplate.

Allowable moment, $M_{a,x} = 18,800''\#$

Max post height = 94" when subject to 200# concentrated load

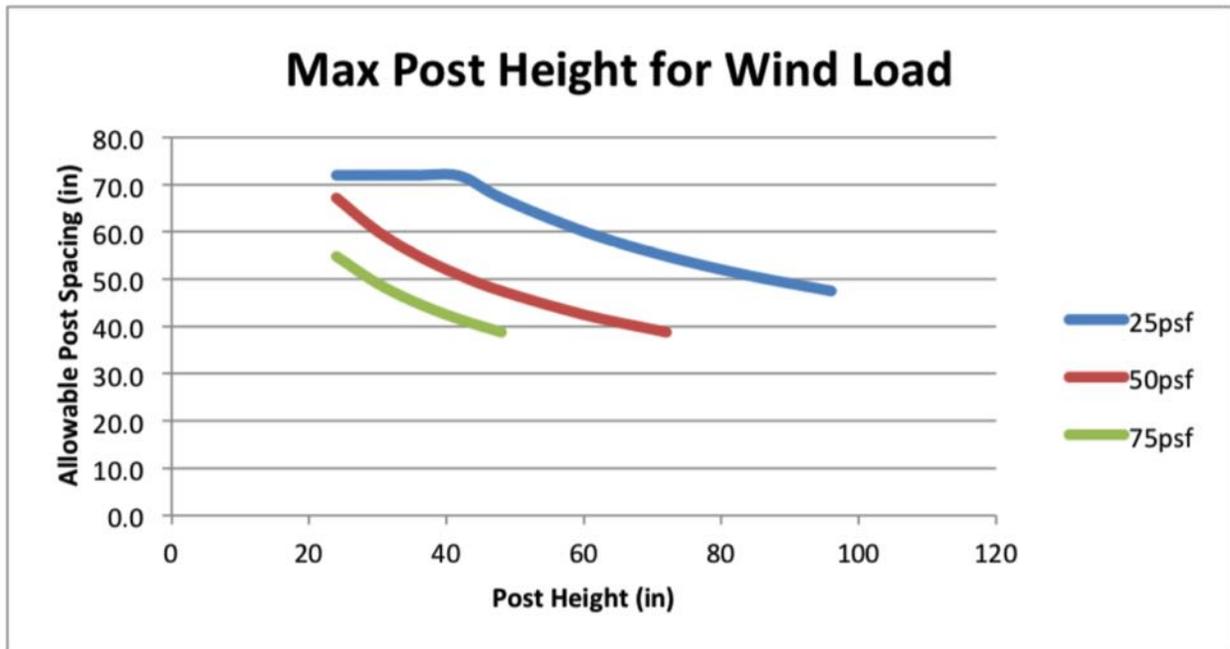
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	72
48	72
60	72
72	62.66666667
84	53.71428571
96	47



o) 3/8"x3-3/4" KB-TZ in cracked concrete and 5x5" baseplate.

Allowable moment, $M_{a,x} = 11,000''\#$

Max post height = 55" when subject to 200# concentrated load

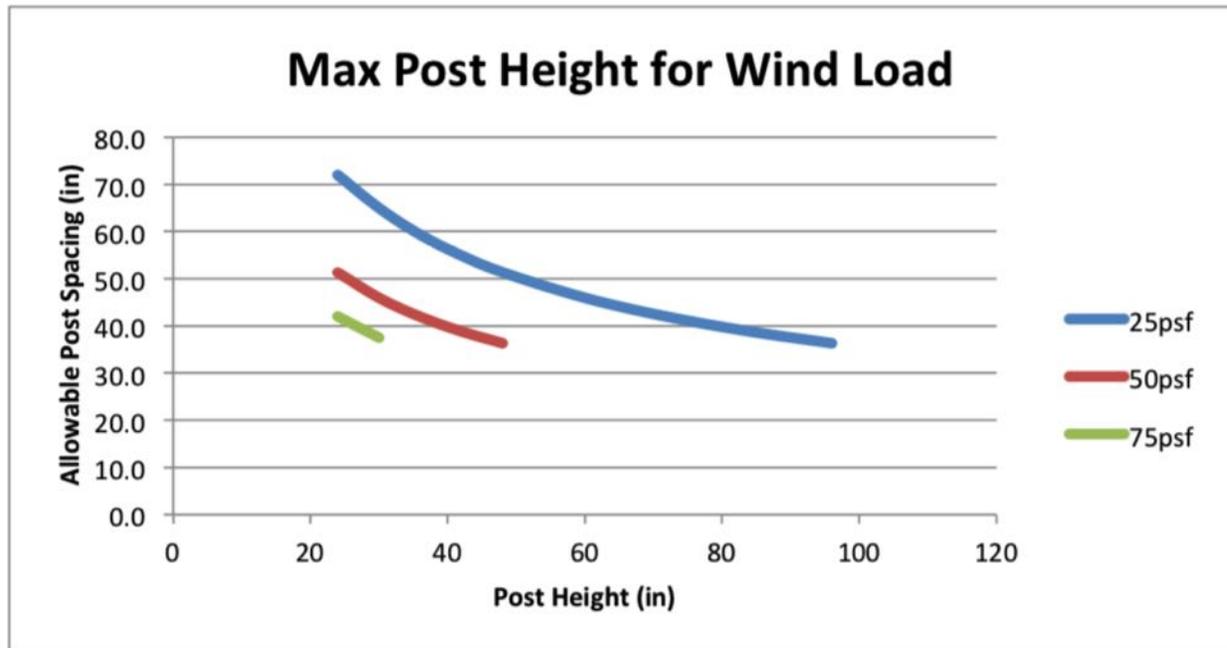
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	62.85714286
48	55
60	44
72	36.66666667
84	<36"
96	<36"



p) 3/8"x3-3/4" KB-TZ in cracked concrete and 6-1/2x6-1/2" baseplate.

Allowable moment, $M_{a,x} = 14,500''\#$

Max post height = 72" when subject to 200# concentrated load

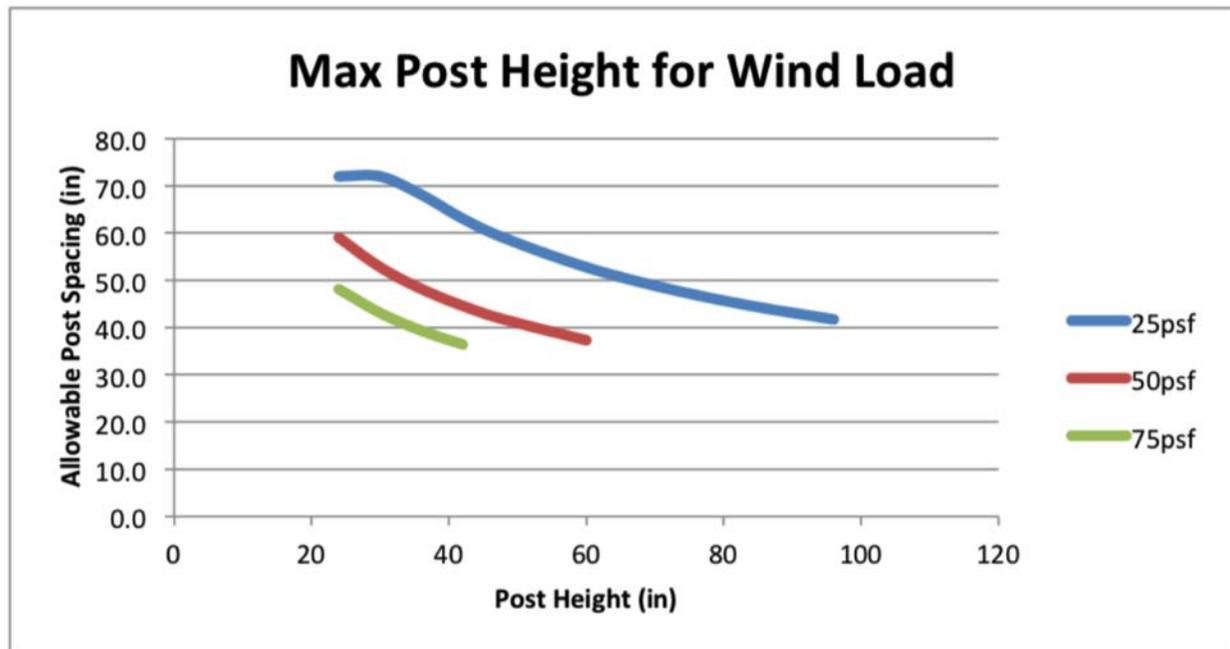
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	72
48	72
60	58
72	48.33333333
84	41.42857143
96	36.25



q) 3/8" A307 or 304 Lag Screw w/ 4-1/4" penetration and 5x5" baseplate

Optimal lag screw penetration.

Allowable moment, $M_{a,x} = 11,400''\#$

Max post height = 57" when subject to 200# concentrated load

Higher strength connections will require higher strength material or larger diameter.

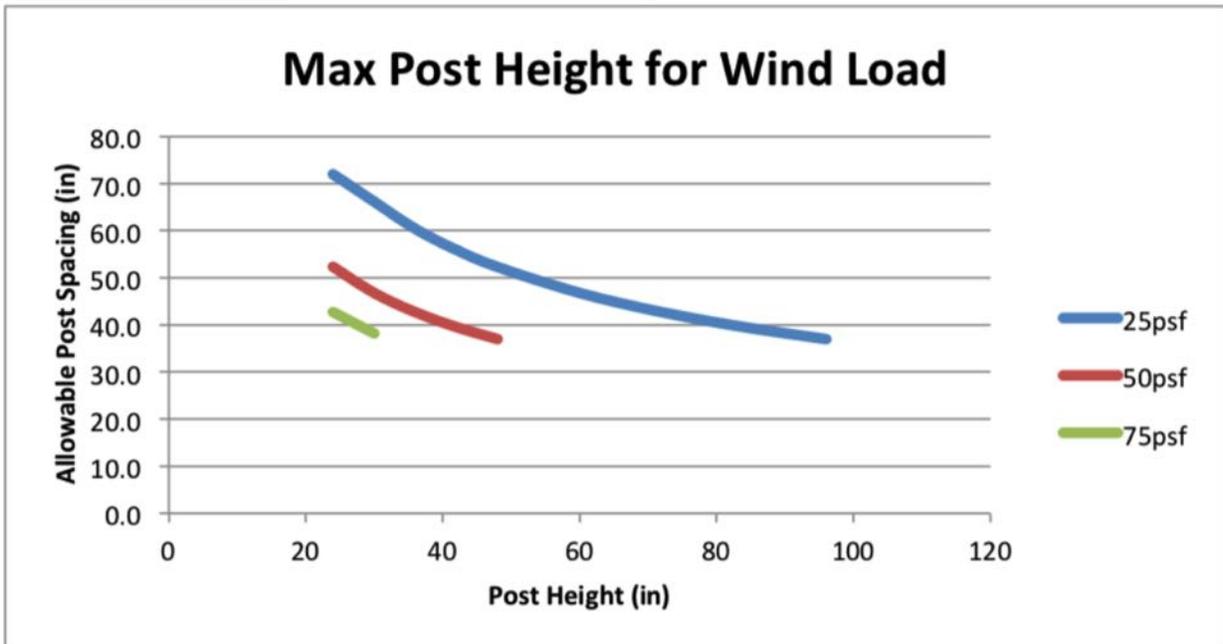
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	65.14285714
48	57
60	45.6
72	38
84	<36"
96	<36"



r) 3/8" A307 or 304 Lag Screw w/ 3-1/2" penetration and 5x5" baseplate

Allowable moment, $M_{a,x} = 9,860\text{'#}$

Max post height = 49" when subject to 200# concentrated load

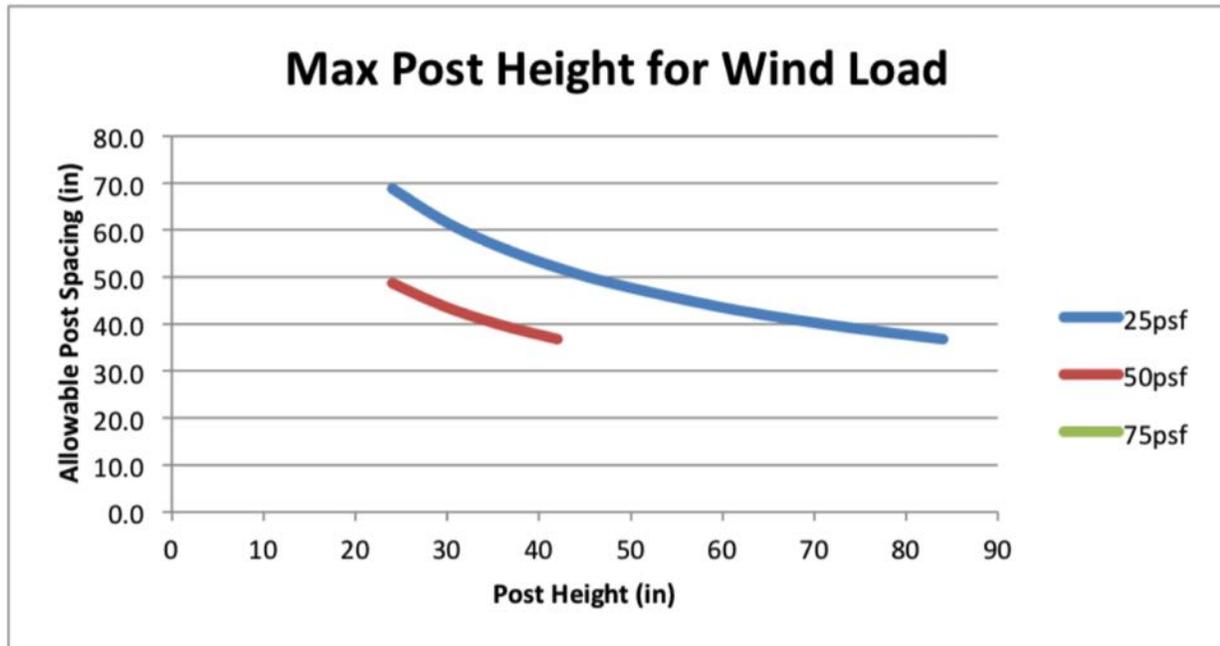
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	65.73333333
42	56.34285714
48	49.3
60	39.44
72	<36"
84	<36"
96	<36"



s) **3/8" A307 or 304 Lag Screw w/ 3" penetration and 5x5" baseplate**

Allowable moment, $M_{a,x} = 8,700"$ #

Max post height = 43" when subject to 200# concentrated load

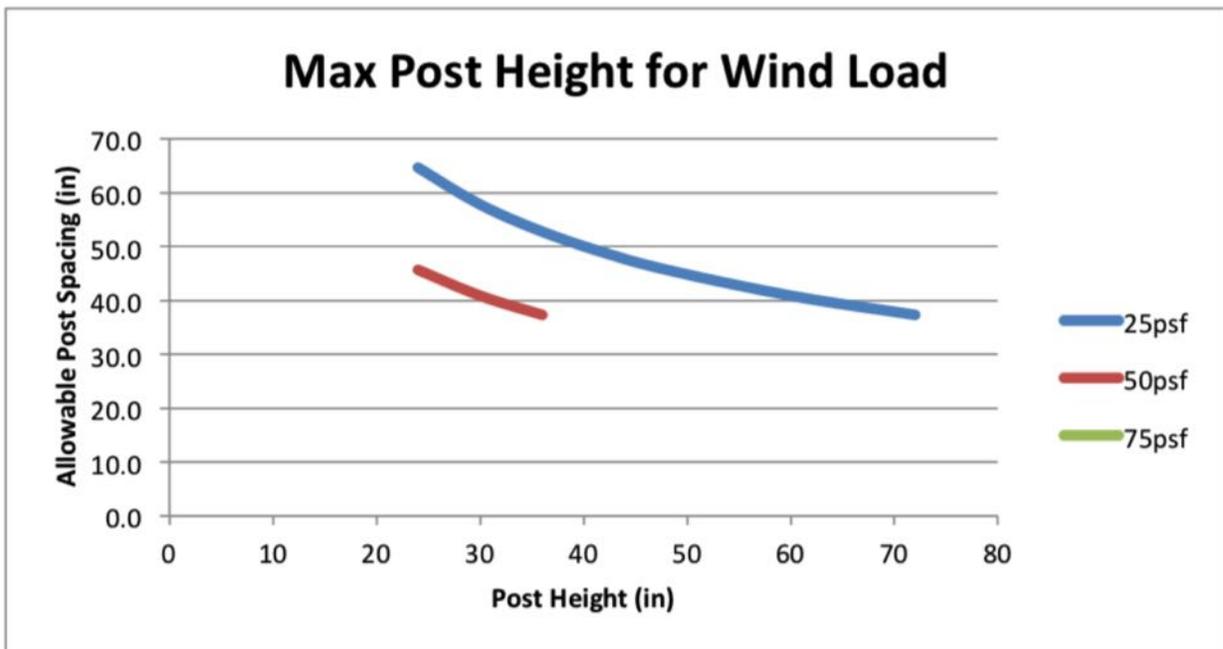
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	69.6
36	58
42	49.71428571
48	43.5
60	<36"
72	<36"
84	<36"
96	<36"



t) 3/8” A307 or 304 Lag Screw w/ 4-1/4” penetration and 6-1/2x6-1/2” baseplate

Optimal lag screw penetration.

Allowable moment, $M_{a,x} = 16,000''\#$

Max post height = 80” when subject to 200# concentrated load

Higher strength connections will require higher strength material or larger diameter.

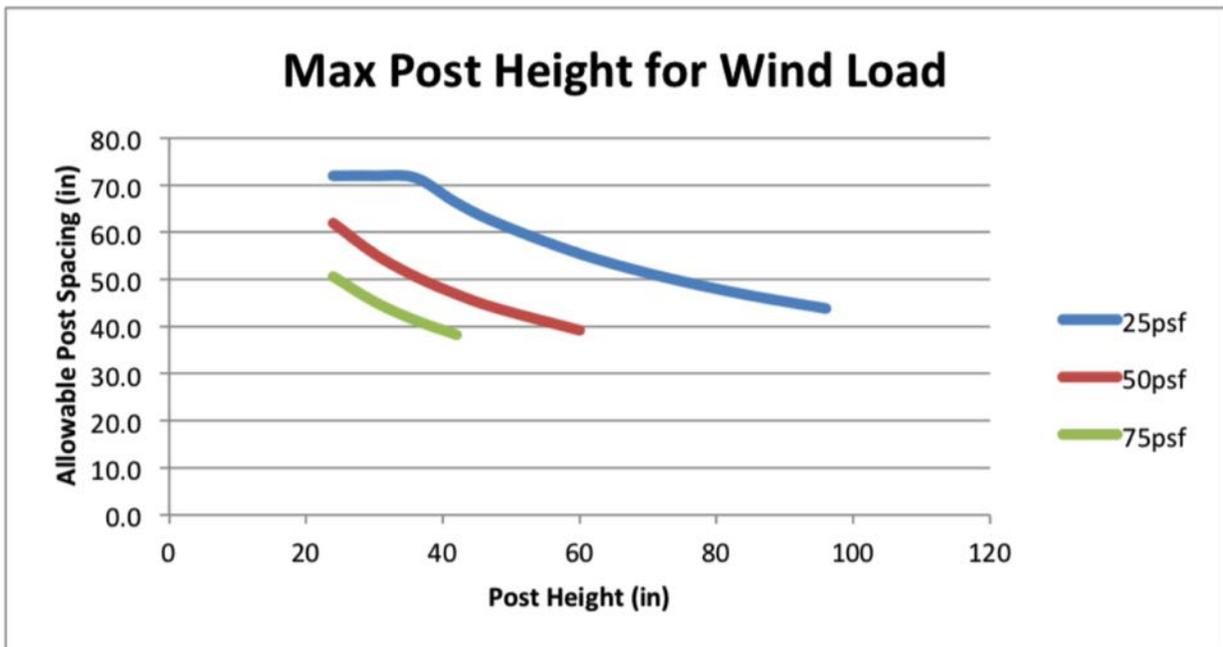
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	72
48	72
60	64
72	53.33333333
84	45.71428571
96	40



u) 3/8" A307 or 304 Lag Screw w/ 3-1/2" penetration and 6-1/2x6-1/2" baseplate

Allowable moment, $M_{a,x} = 13,600\text{'#}$

Max post height = 68" when subject to 200# concentrated load

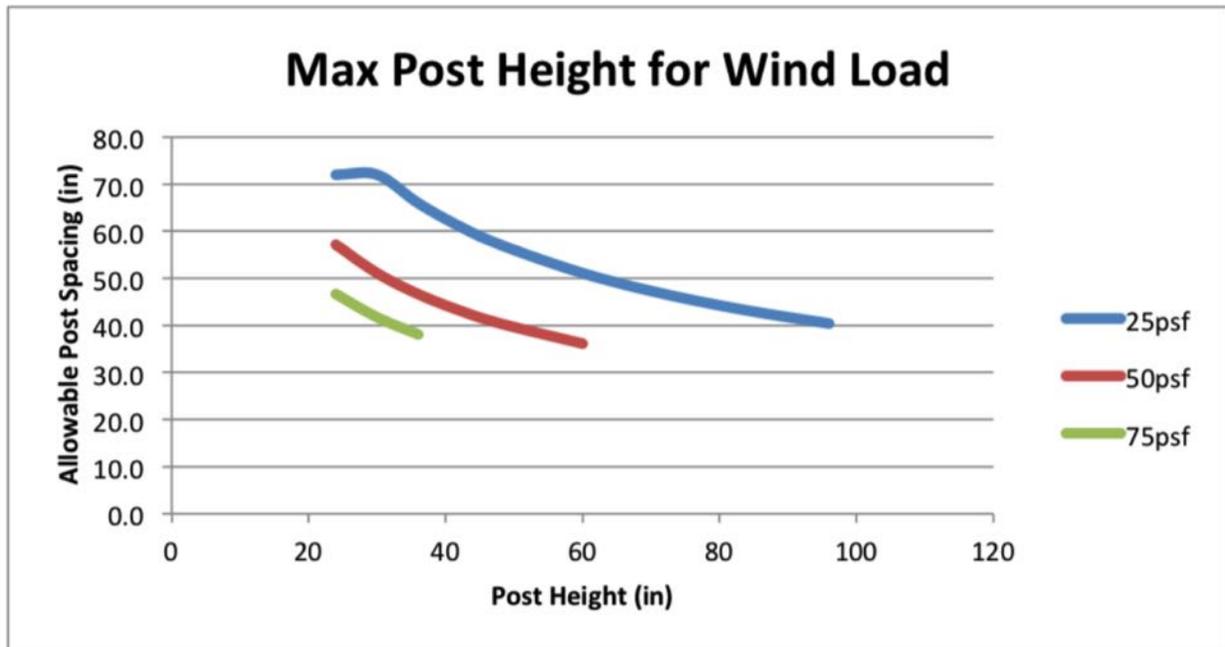
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	72
48	68
60	54.4
72	45.33333333
84	38.85714286
96	<36"



v) 3/8" A307 or 304 Lag Screw w/ 3" penetration and 6-1/2x6-1/2" baseplate

Allowable moment, $M_{a,x} = 11,900\text{'#}$

Max post height = 59" when subject to 200# concentrated load

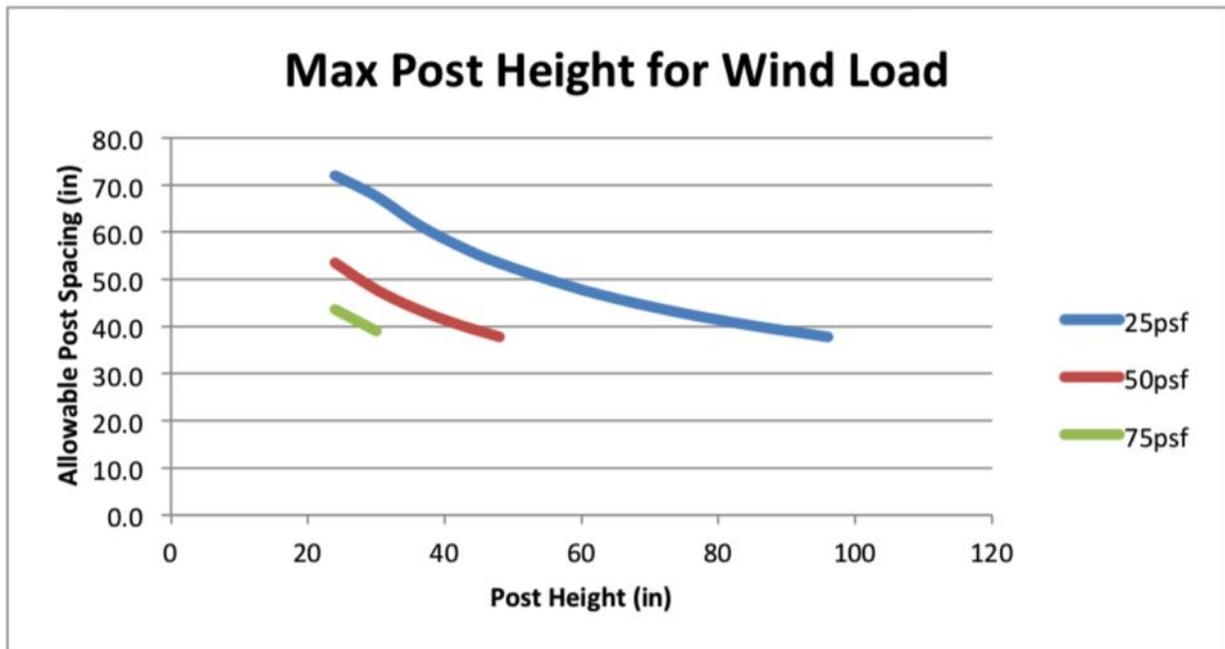
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	68
48	59.5
60	47.6
72	39.66666667
84	<36"
96	<36"



Core Mount Details

w) Post set in 4" Deep Core Mount, 3-5/8" edge distance measured from center of post

Allowable moment, $M_{a,x} = 12,600''\#$

Max post height = 60" when subject to 200# concentrated load

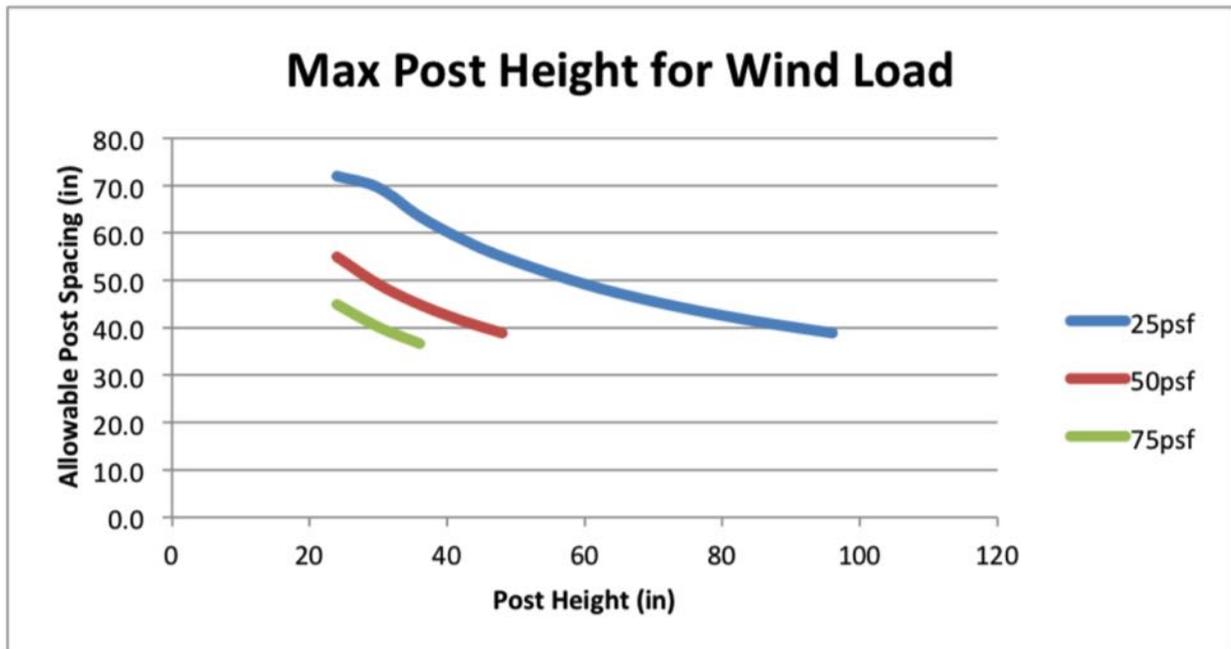
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	72
48	63
60	50.4
72	42
84	36
96	<36"



x) Stanchion set in 4" Deep Core Mount, 3-5/8" edge distance measured from center of post

Allowable moment, $M_{a,x} = 11,400''\#$

Max post height = 57" when subject to 200# concentrated load

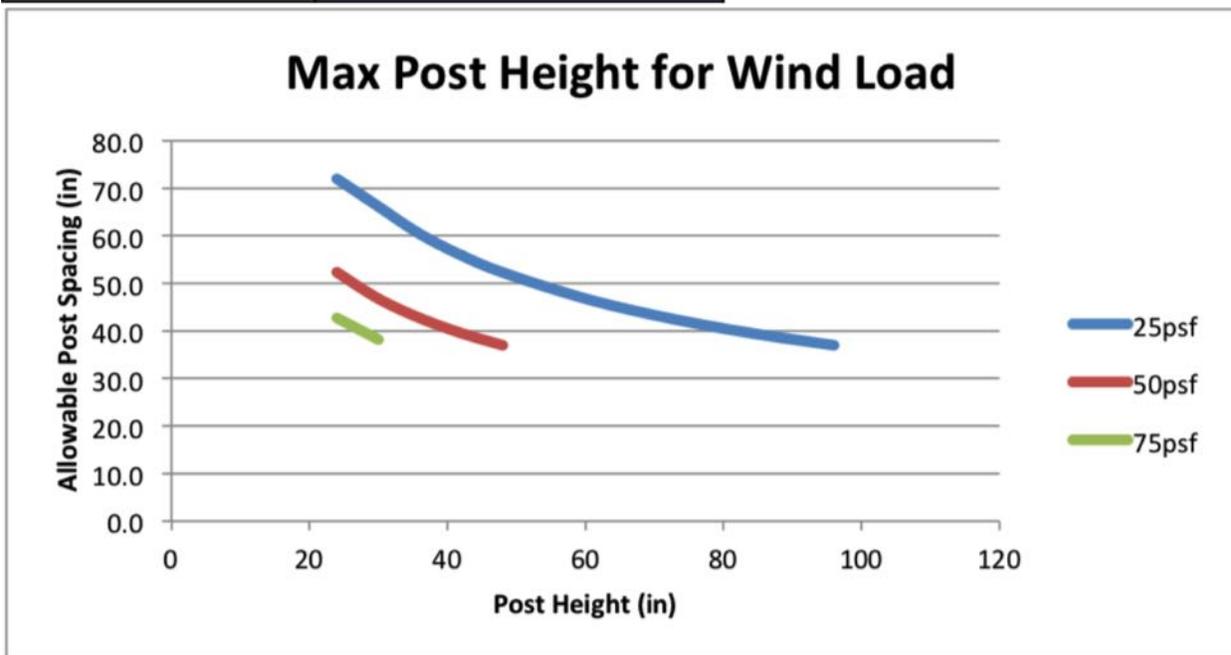
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	65.14285714
48	57
60	45.6
72	38
84	<36"
96	<36"



Fascia Mount Details

y) Fascia Bracket To Wood, 3-3/8" lag Screw Penetration

Top lag screws located 2" below floor.

Allowable moment, $M_{a,x} = 10,600''\#$ (measured at floor)

Max post height = 53" when subject to 200# concentrated load

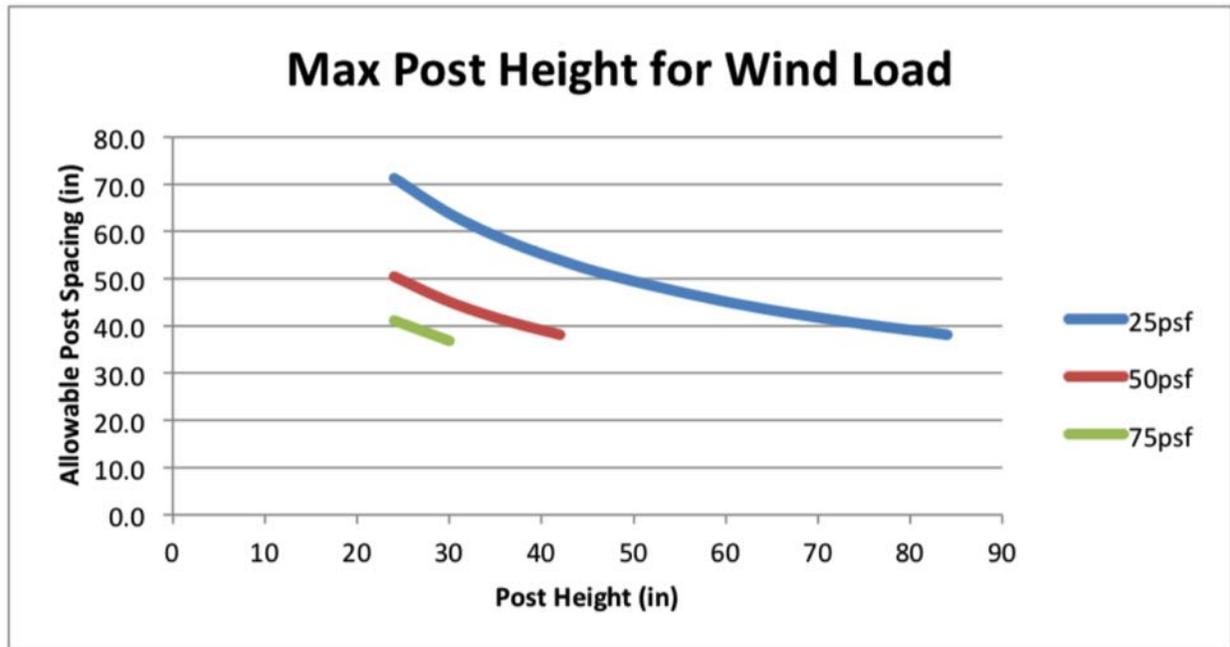
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	70.66666667
42	60.57142857
48	53
60	42.4
72	<36"
84	<36"
96	<36"



z) Fascia Bracket to Concrete, Uncracked Concrete

Allowable moment, $M_{a,x} = 11,300''\#$ (measured at floor)

Max post height = 56.5'' when subject to 200# concentrated load

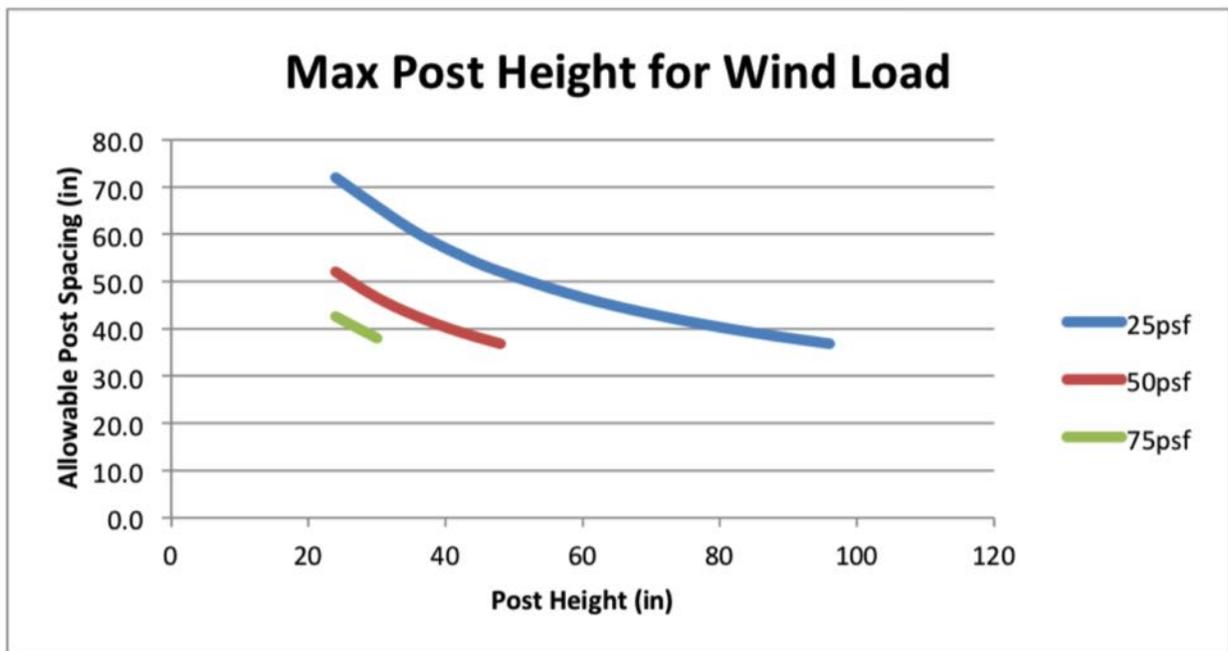
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	72
36	72
42	64.57142857
48	56.5
60	45.2
72	37.66666667
84	<36"
96	<36"



aa) Fascia Bracket to Concrete, Cracked Concrete

Allowable moment, $M_{a,x} = 8,000''\#$ (measured at floor)

Max post height = 40'' when subject to 200# concentrated load (42'' allowed when there are at least 3 posts with a continuous top rail and spacing 48'' on center max)

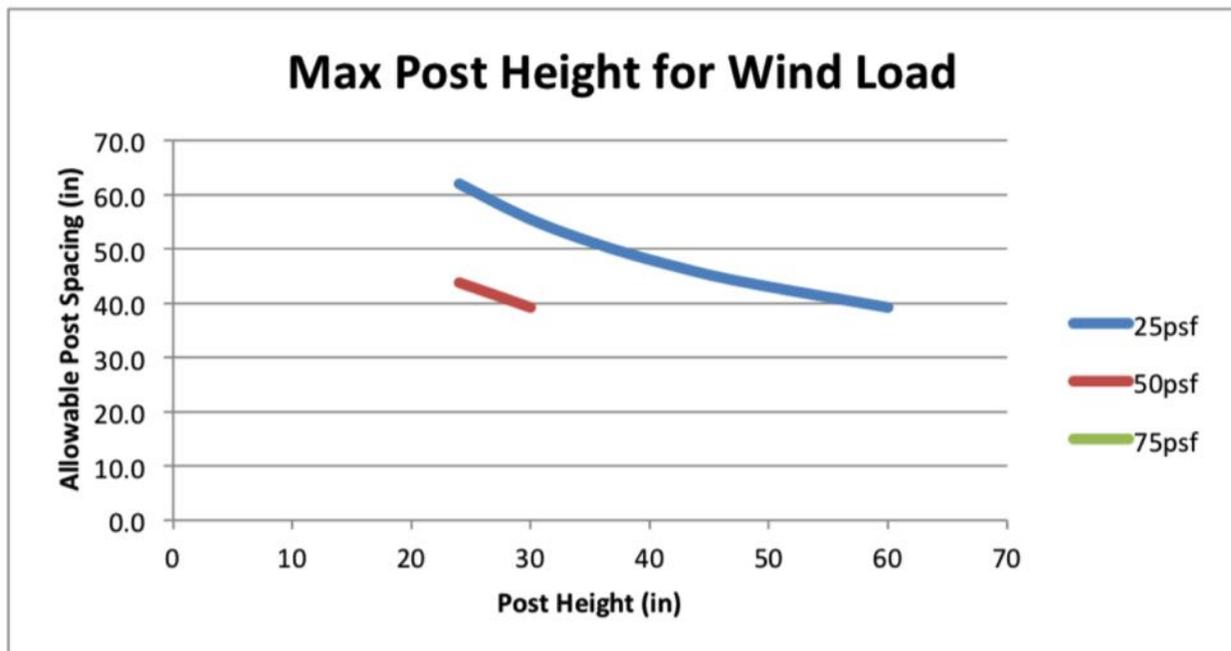
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	64
36	53.33333333
42	45.71428571
48	40
60	<36"
72	<36"
84	<36"
96	<36"



ab) Post Directly Fascia Mounted W/ 3/8" Lag Screws

Allowable moment, $M_{a,x} = 7,800''\#$ (measured at floor)

Max post height = 39" when subject to 200# concentrated load (42" allowed when there are at least 3 posts with a continuous top rail and spacing 48" on center max)

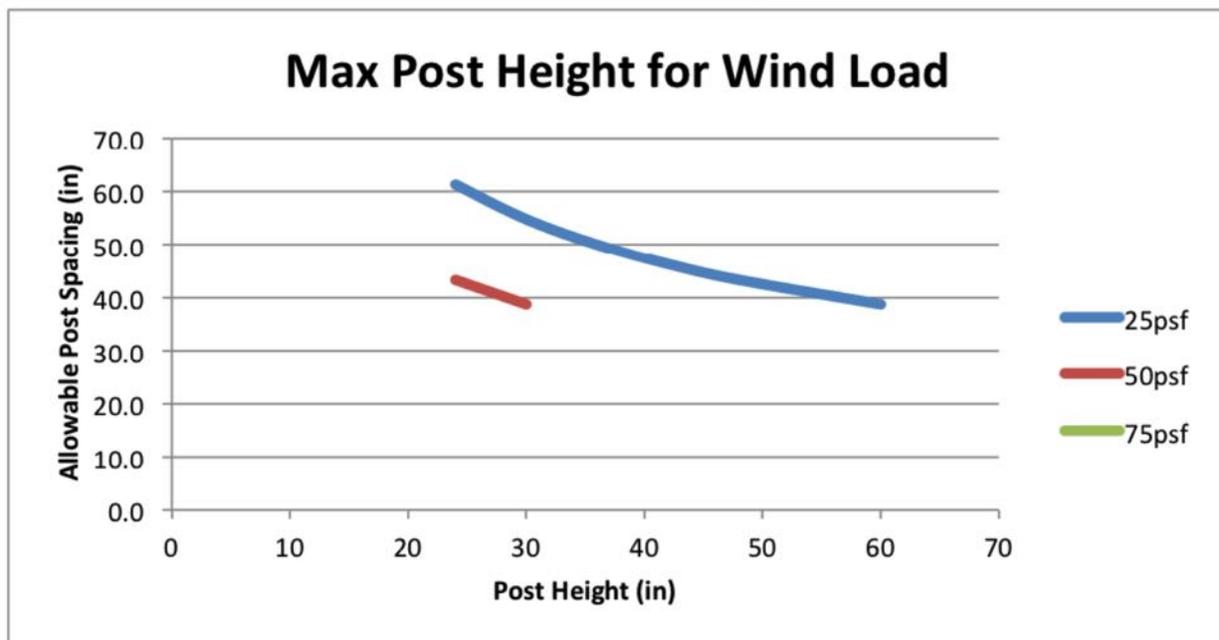
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$H_{max} = Ma / (TW * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Allowable Post Spacing (in)
24	72
30	62.4
36	52
42	44.57142857
48	39
60	<36"
72	<36"
84	<36"
96	<36"



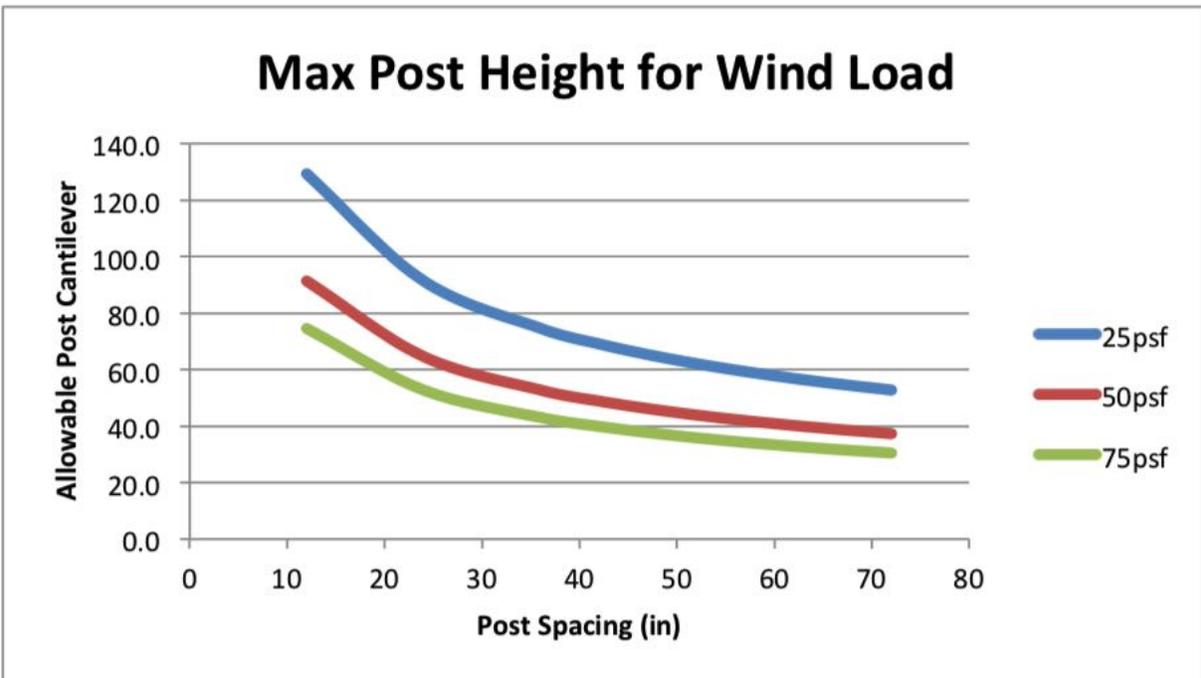
ac) Post Directly Fascia Mounted W/ 3/8” Carriage Bolts

Allowable moment, $M_{a,x} = 17,400''\#$ (measured at floor)

Handles top rail live loading at 60” tall with 66” post spacing or 54” tall with 72” post spacing.

Allowable post height with respect to post spacing:

Tributary Width (in)	Max Height (in)
12	348
24	174
36	116
42	99.42857143
48	87
54	77.33333333
60	69.6
66	63.27272727
72	58



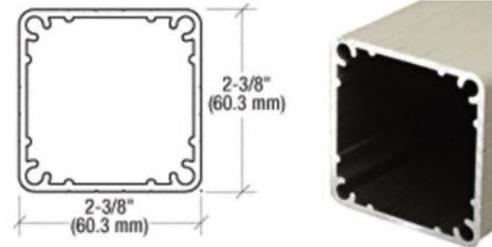
STEP 3: POSTS

Check allowable post spacing for selected posts with regard to the 50plf top rail live load and the applicable wind loading. All posts may be used at 60” tall.

4 screw 2-3/8” post

May be used at 60” tall when spacing is limited to 66”.

Spacing may be increased to 72” for post height 57” or less.



200# concentrated load at top of post

$M = 200\# * H$

$H_{max} = Ma / 200\# < (\Delta a * 3EI / 200\#)^{1/3}$

Hmax 85.5

Δ at H=42” 0.56145775

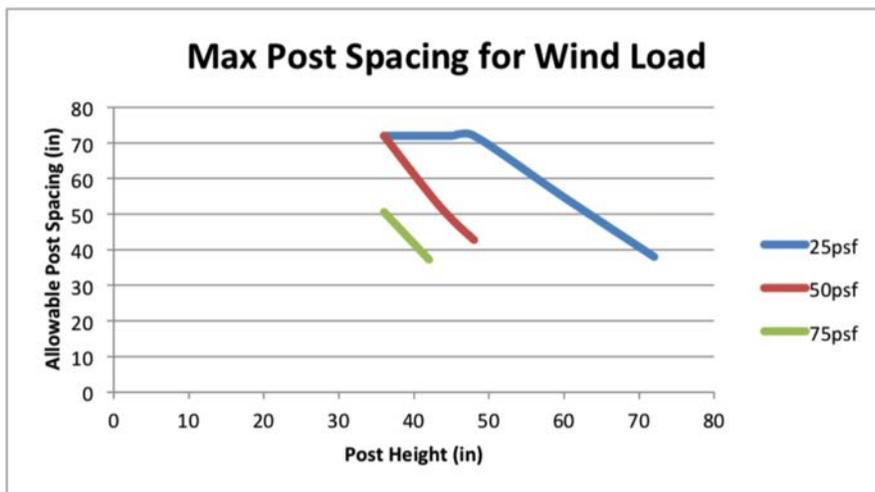
50plf uniform load along top rail

$M = 50plf / 12 * TW * H$

$TW_{max} = Ma / (H * 50plf / 12) < \Delta a * 3EI / (H^3 * 50plf / 12)$

Allowable post height with respect to post spacing:

Post Height (in)	Max Spacing (in)
36	72
42	72
45	72
48	72
60	68.4
72	57
84	48.85714286
96	42.75



6 screw 2-3/8" post

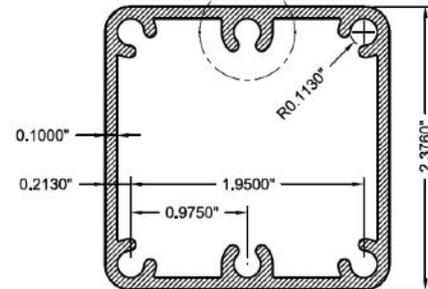
200# concentrated load at top of post

$M = 200\# * H$

$H_{max} = Ma / 200\# < (\Delta a * 3EI / 200\#)^{1/3}$

Hmax >96"

Δ at H=42" 0.49050121



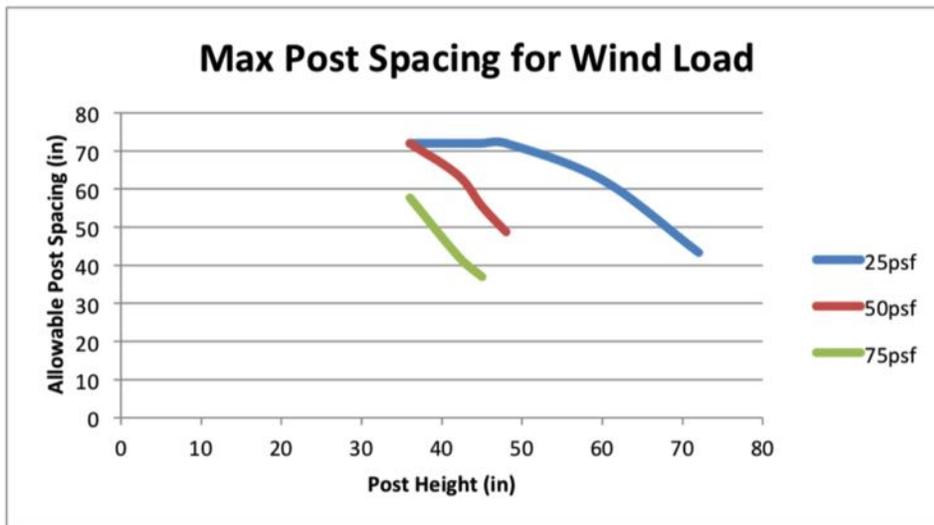
50plf uniform load along top rail

$M = 50plf / 12 * TW * H$

$TW_{max} = Ma / (H * 50plf / 12) < \Delta a * 3EI / (H^3 * 50plf / 12)$

Allowable post height with respect to post spacing:

Post Height (in)	Max Spacing (in)
36	72
42	72
45	72
48	72
60	72
72	65
84	55.71428571
96	48.75



6 screw 2-3/8" heavy post

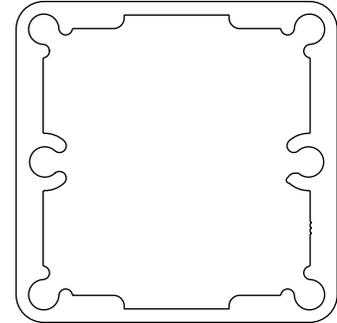
200# concentrated load at top of post

$$M = 200\# * H$$

$$H_{max} = Ma / 200\# < (\Delta\alpha * 3EI / 200\#)^{1/3}$$

Hmax 120

Δ at H=42" 0.38811881



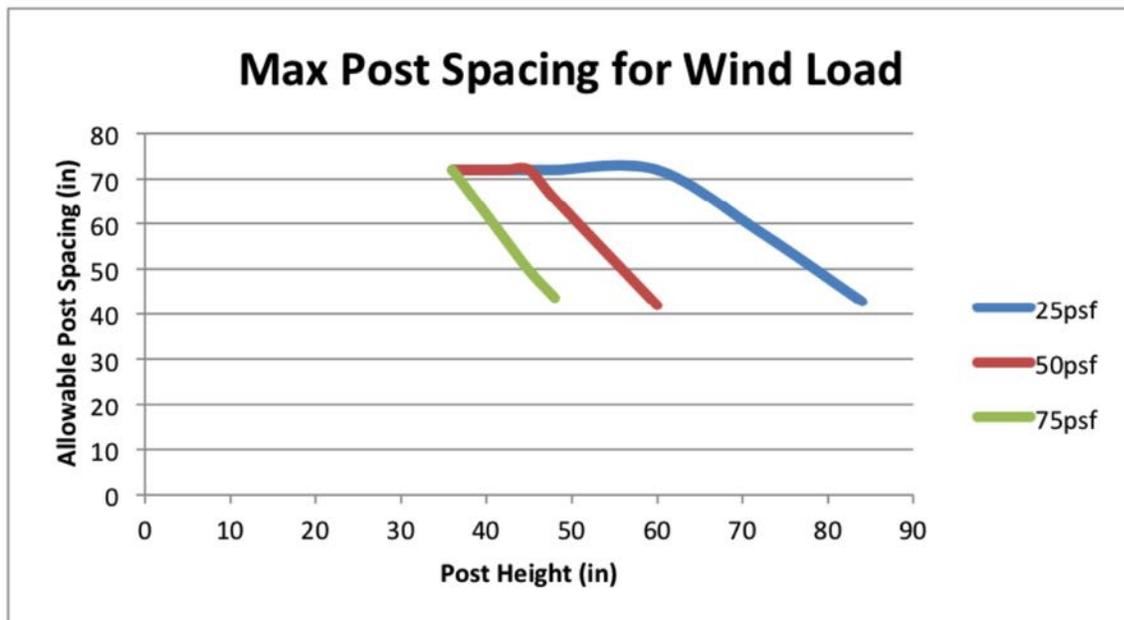
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$TW_{max} = Ma / (H * 50plf / 12) < \Delta\alpha * 3EI / (H^3 * 50plf / 12)$$

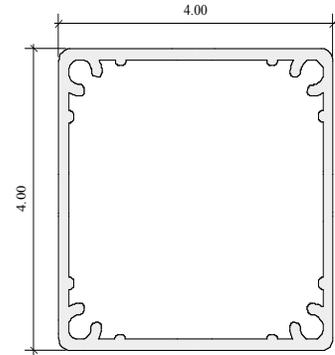
Allowable post height with respect to post spacing:

Post Height (in)	Max Spacing (in)
42	72
48	72
60	72
72	72
84	72
96	65.5
108	58.22222222
120	52.4



4" post

Designed for H/48 deflection criteria.



Load Cases:

200# concentrated load at top of post

$$M = 200\# * H$$

$$H_{max} = Ma / 200\# < (\Delta a * 3EI / 200\#)^{1/3}$$

Hmax 131.513998

Δ at H=42" 0.089239

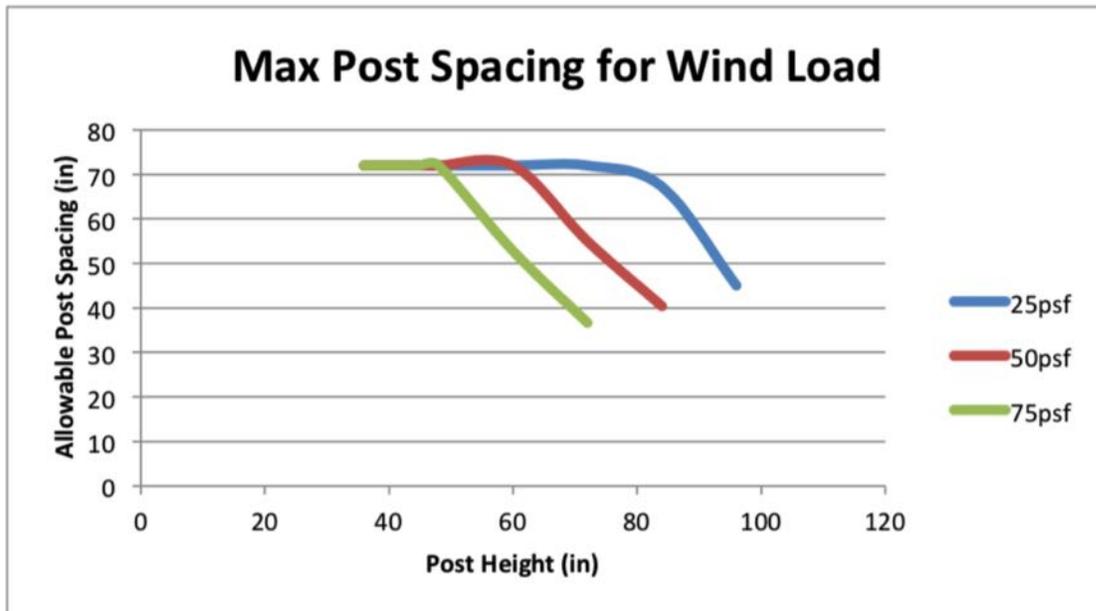
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$TW_{max} = Ma / (H * 50plf / 12) < \Delta a * 3EI / (H^3 * 50plf / 12)$$

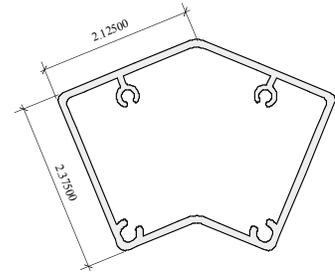
Allowable post height with respect to post spacing:

Post Height (in)	Max Spacing (in)
42	72
48	72
60	72
72	72
84	72
120	57.65416667
132	47.64807163
144	40.03761574



135° post

When 135° degree posts are used along with any of the other 2-3/8" posts, the intermediate posts limit the allowable post spacing.



Trim-Line Post

200# concentrated load at top of post

$$M = 200\# * H$$

$$H_{max} = Ma / 200\# < (\Delta a * 3EI / 200\#)^{(1/3)}$$

Hmax **52**

Δ at H=42" **0.93326279**

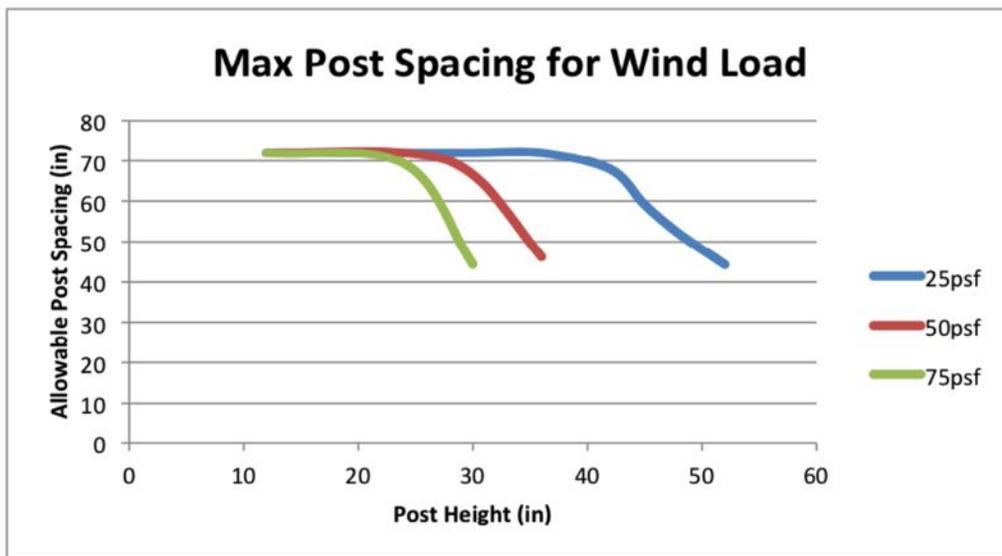
50plf uniform load along top rail

$$M = 50plf / 12 * TW * H$$

$$TW_{max} = Ma / (H * 50plf / 12) < \Delta a * 3EI / (H^3 * 50plf / 12)$$

Allowable post height with respect to post spacing:

Post Height (in)	Max Spacing (in)
12	72
24	72
30	72
36	69.33333333
42	59.42857143
45	55.46666667
48	52
52	48



STEP 4: TOP RAIL**When pickets or glass infill attach to top rail:**

Series 200X top rail max post spacing = 68”

All other top rails, max post spacing = 72”

When pickets or glass infill do not attach to top rail:

Examples, when a mid rail is used or cable infill without a picket spreader in the middle.

Allowable post spacing according to the table below:

Top Rail Allowable Spans:			
Top Rail		Ma (in-lbs)	Allowable Span (in)
200X	100	3750	72
	200	2640	52.8
		1790	35.8
	300	6430	72
	320	3000	60
	350	4300	72
	400	5130	72
	500	2600	52