

19 June 2014

Architectural Railing Division
C.R.Laurence Co., Inc.
2503 E Vernon Ave.
Los Angeles, CA 90058

SUBJ: GRS – GLASS RAIL SYSTEM –
WET GLAZED OR TAPER-LOC® SYSTEM DRY-GLAZED
BASE SHOES

The GRS Glass Rail System utilizes an aluminum extruded base shoe to anchor and support structural glass balustrades which support a variety of top rails and grab rails to construct guards and dividers. The glass may be installed in the base shoe using either wet glazing cement or the Taper-Loc® System Dry-Glaze as detailed in this report. The system is intended for interior and exterior weather exposed applications and is suitable for use in most natural environments. The GRS may be used for residential, commercial and industrial applications except for vehicle impacts. The GRS is designed for the following:

On Cap/Top/Grab Rail:

Concentrated load = 200 lbs any direction, any location

Uniform load = 50 plf, any direction perpendicular to rail

On In-fill Panels:

Concentrated load = 50# on one sf.

Distributed load = 25 psf on area of in-fill, including spaces

Wind load = As stated for the application and components (ASD level)

The GRS system will meet all applicable requirements of the 2012 and 2009 *International Building Code* and state codes adopted from them, 2010 and 2013 *California Building Code*, *Florida Building Code*, and 2012 and 2009 *International Residential Code*. The GRS System complies with ASTM E 2358-04 *Standard Specification for the Performance of Glass in Permanent Glass Railing Systems, Guards, and Balustrades*. Aluminum components are designed in accordance with the 2005 *Aluminum Design Manual*. Stainless steel components are designed in accordance with SEI/ASCE 8-02 *Specification for the Design of Cold-Formed Stainless Steel Structural Members*. Wood components are designed in accordance with the *National Design Specification for Wood Construction*. Glass lights are designed in accordance with AAMA CW 12-84 *Structural Properties of Glass*. When constructed as recommended the guards will meet the testing requirements of ICC AC 439 *Acceptance Criteria for Glass Railing and Balustrade System*, ASTM E-2353-06 *Standard Test Methods for Performance of Glass in Permanent Glass Railing Systems, Guards and Balustrades*. This report is in support of the the approval of the system in ESR-3269.

EDWARD C. ROBISON, PE, SE
10012 Creviston Dr NW
Gig Harbor, WA 98329
253-858-0855/Fax 253-858-0856 elrobison@narrows.com

This report demonstrates the structural adequacy of the various base shoe options, mounting options and three monolithic tempered glass options. For a complete code compliant installation an appropriate cap/ top rail or grab rail shall be installed, refer to the Glass Rail System Cap Rails and Grab Rails report for design information on the cap rails and grab rails.

In accordance with IBC 1607.8.1 guard live loads are not to be combined with other transient loads such as wind loads. Wind loads, seismic loads and live loads may be considered separately and independently. Dead loads are to be considered when acting cumulatively with a transient load condition. For installations covered in this report dead load effects are negligible and are typically ignored.

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Signature Page: Signed



Sealed 07/21/2016

Texas Firm # 12044
Edward C. Robison, P.E.
DBA: E & L Civil Engineering
10012 Creviston DR NW
Gig Harbor, WA 98329

EDWARD C. ROBISON, PE, SE
10012 Creviston Dr NW
Gig Harbor, WA 98329
253-858-0855/Fax 253-858-0856 elrobison@narrows.com

Typical Installations:

Glass Taper-Loc® System or wet-glazed into base shoe. An appropriate top rail or grab rail shall be used. Residential, Commercial and Industrial Applications:

ALL WIND LOADS IN THIS REPORT ARE BASED ON ASD WIND PRESSURES.

SURFACE MOUNTED:**Surface mounted to steel with ½” cap screws @ 12” o.c.:**^A

1/2” cap screw to steel	36” Height	42” Height
Base Shoe	Allowable wind load*	
B5A, B5G, B5S, B5T, 8B	75.3 psf	55.3 psf
B5L	67.7 psf	49.8 psf
B6S	78.9 psf	58.0 psf
B7S	82.8 psf	60.9 psf

Surface mounted to steel with ½” cap screws @ 6” o.c.:^A

1/2” cap screw to steel	36” Height	42” Height
Base Shoe	Allowable wind load*	
B5A, B5G, B5S, B5T, 8B	150.0 psf	110.2 psf
B5L	134.5 psf	98.8 psf
B6S	157.2 psf	115.5 psf
B7S	165.1 psf	121.3 psf

*Allowable wind load may be limited by glass strength.

For anchorage to concrete Surface Mounted:

3 3/8” diameter x 4” Hilti HUS-EZ (KH-EZ) in accordance with ESR-3027 or Hilti HSL-3 M8 x 3-3/4” anchor in accordance with ESR-1545. f’c = 3,000 psi^B
embed depth = 2.5” effective depth

Concrete anchors ≥ 3.75” edge distance^{ABC}**Anchor spacing to concrete 12” O.C.**

Total Guard Height AFF	36”	42”
Base Shoe	Allowable wind load	
B5G, B5S, B5T, 8B	42.7 psf	31.4 psf
B5A	41.2 psf	30.3 psf
B5L	39.0 psf	28.6 psf
B6S	45.6 psf	33.5 psf
B7S	47.9 psf	35.2 psf

Anchor spacing to concrete 6” O.C.^{ABC}

Total Guard Height AFF	36”	42”
B5G, B5S, B5T, 8B	68.6 psf	50.4 psf
B5A	66.9 psf	49.2 psf
B5L	61.5 psf	45.2 psf
B6S	73.2 psf	53.8 psf
B7S	75.7 psf	55.6 psf

EDWARD C. ROBISON, PE, SE
10012 Creviston Dr NW
Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

Surface Mounted Base Shoes:**Concrete anchors ≥ 2.35" edge distance**^{ABC}**Anchor spacing to concrete 12" O.C.**

Total Guard Height AFF	36"	42"
Base Shoe	Allowable wind load	Allowable wind load
B5G, B5S, B5T, 8B	35.5 psf	26.1 psf
B5A	34.0 psf	25.0 psf ^a
B5L (3.047" min edge dist)	35.4 psf	26.0 psf ^a
B6S	37.2 psf	27.3 psf
B7S	39.1 psf	28.7 psf

^aDoesn't meet 50 plf live load on top rail**Concrete anchors ≥ 1.75" edge distance**^{ABC}**Anchor spacing to concrete 6" O.C.**

Total Guard Height AFF	36"	42"
B5G, B5S, B5T, 8B	50.8 psf	37.3 psf
B5A	49.9 psf	36.6 psf
B5L	45.6 psf	33.5 psf
B6S	53.3 psf	53.3 psf
B7S	56.0 psf	41.1 psf
B7S 2.35" edge distance	61.9 psf	45.5 psf

^ALinear interpolation between guard heights, anchor spacing and edge distances is permitted.^BAdjustment for concrete strength other than $f'_c = 3,000$ psi

$$W' = \frac{W \cdot \sqrt{X}}{\sqrt{3,000}}$$

^CAdjustment for sand light-weight concrete:

$$W' = 0.6 \cdot W$$

SURFACE MOUNTED WITH DRAIN BLOCKS ON CONCRETE**Concrete anchors ≥ 3.75" edge distance**^{ABC}**Anchor spacing to concrete 12" O.C.**

Total Guard Height AFF	36"	42"
Base Shoe	Allowable wind load	Allowable wind load
B5G, B5S, B5T, 8B	41.2 psf	30.2 psf
B5A	41.2 psf	30.2 psf
B5L	37.0 psf	27.2 psf
B6S	44.0 psf	32.3 psf
B7S	50.5 psf	37.1 psf

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EDWARD C. ROBISON, PE, SE
10012 Creviston Dr NW
Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

SURFACE MOUNTED WITH DRAIN BLOCKS ON CONCRETE**Anchor spacing to concrete 6" O.C.^{ABC}**

Total Guard Height AFF	36"	42"
B5G, B5S, B5T, 8B	66.9 psf	49.2 psf
B5A	66.9 psf	49.2 psf
B5L	60.2 psf	44.2 psf
B6S	71.2 psf	52.3 psf
B7S	74.6 psf	54.8 psf

Concrete anchors ≥ 2.35" edge distance^{ABC}**Anchor spacing to concrete 12" O.C.**

Total Guard Height AFF	36"	42"
Base Shoe	Allowable wind load	Allowable wind load
B5G, B5S, B5T, 8B	34.0 psf	25.0 psf ^a
B5A	34.0 psf	25.0 psf ^a
B5L (3.047" min edge dist)	30.6 psf	26.9 psf ^a
B6S	36.2 psf	26.6 psf
B7S	41.6 psf	30.5 psf

^aDoesn't meet 50 plf live load on top rail add extra anchor per 10' length

Concrete anchors ≥ 2.35" edge distance^{ABC}**Anchor spacing to concrete 6" O.C.**

Total Guard Height 42" above finish floor.

B5G, B5S, B5T, 8B	55.0 psf	40.4 psf
B5A	55.0 psf	40.4 psf
B5L	49.5 psf	36.4 psf
B6S	58.4 psf	42.9 psf
B7S	61.2 psf	45.0 psf

^ALinear interpolation between guard heights, anchor spacing and edge distances is permitted.

^BAdjustment for concrete strength other than $f'_c = 3,000$ psi

$$W' = \frac{W \cdot \sqrt{X}}{\sqrt{3,000}}$$

^CAdjustment for sand light-weight concrete:

$$W' = 0.6 \cdot W$$

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EDWARD C. ROBISON, PE, SE
10012 Creviston Dr NW
Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

FASCIA (SIDE) MOUNTED BASE SHOE**Fascia mounted to steel with ½” cap screws @ 12” o.c.:**

1/2” cap screw to steel	36” Height	42” Height
Base Shoe	Allowable wind load*	
B5A, B5G, B5S, 8B	68.7 psf	51.2 psf
B5L	47.5 psf	35.3 psf
B6S	68.7 psf	51.2 psf
B7S	68.7 psf	51.2 psf

Fascia mounted to steel with ½” cap screws @ 6” o.c.:

1/2” cap screw to steel	36” Height	42” Height
Base Shoe	Allowable wind load*	
B5A, B5G, B5S, 8B	138.2 psf	103.0 psf
B5L	95.6 psf	71.2 psf
B6S	138.2 psf	103.0 psf B7S
	138.2 psf	103.0 psf

*Allowable wind load may be limited by glass strength.
Height is from top of base shoe to top of rail.

For anchorage to concrete:

3/8” diameter x 4” Hilti HUS-EZ (KH-EZ) in accordance with ESR-3027 or Hilti HSL-3 M8 x 3-3/4” anchor in accordance with ESR-1545. $f'c = 3,000$ psi
embed depth = 2.5” effective depth

Fascia Mounted**Concrete anchors edge distance \geq ½ base shoe height**

Anchor spacing to concrete	12” O.C.	
Total Guard Height AFF	36”	42”
Base Shoe	Allowable wind load	Allowable wind load
B5A, B5G, B5S, 8B	49.7 psf	37.0 psf
B5L	42.0 psf	31.2 psf
B6S	49.7 psf	37.0 psf
B7S	49.7 psf	37.0 psf

Anchor spacing to concrete	6” O.C.	
Total Guard Height	42” above finish floor.	
B5A, B5G, B5S, 8B	77.1 psf	57.5 psf
B5L	51.0 psf	37.9
B6S	77.1 psf	57.5 psf
B7S	77.1 psf	57.5 psf

Height is from top of base shoe to top of rail.

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EDWARD C. ROBISON, PE, SE
10012 Creviston Dr NW
Gig Harbor, WA 98329
253-858-0855/Fax 253-858-0856 elrobison@narrows.com

Fascia Mounted**To wood with ½” lag screws with 2.37” minimum embedment to wood G ≥ 0.49****Anchor spacing 12” O.C. Interior or Dry locations mc ≤ 19%**

Total Guard Height AFF	36”	42”
Base Shoe	Allowable wind load	Allowable wind load
B5A, B5G, B5S, 8B	48.7 psf	36.3 psf
B5L	41.4 psf	30.8
B6S	48.7 psf	36.3 psf
B7S	48.7 psf	36.3 psf

Anchor spacing 6” O.C.

Total Guard Height AFF	36”	42”
B5A, B5G, B5S, 8B	92.6 psf	69.0 psf
B5L	77.8 psf	57.9 psf
B6S	92.6 psf	69.0 psf
B7S	92.6 psf	69.0 psf

Anchor spacing 12” O.C. Exterior or wet locations where mc ≥ 19%

Total Guard Height AFF	36”	42”
Base Shoe	Allowable wind load	Allowable wind load
B5A, B5G, B5S, 8B	34.5 psf	25.7 psf
B5L	29.4 psf	21.9
B6S	34.5 psf	25.7 psf
B7S	34.5 psf	25.7 psf

Anchor spacing to 6” O.C.

Total Guard Height AFF	36”	42”
B5A, B5G, B5S, 8B	66.9 psf	49.9 psf
B5L	56.8 psf	42.2 psf
B6S	66.9 psf	49.9 psf
B7S	66.9 psf	49.9 psf

Height is from top of base shoe to top of rail.

ALL WIND LOADS IN THIS REPORT ARE BASED ON ASD WIND PRESSURES.

Surface mounted to wood

Refer to Surface Mounting Base Shoes to Wood Decks section of this report.

Embedded base shoe:

All base shoes: Glass strength controls for all cases when base shoes are properly embedded into concrete.

OTHER GLASS HEIGHTS:

The allowable wind loads may be adjusted for other light heights by:

$$W' = \frac{W_{42} * 42^2}{H_g^2}$$

Where H_g = total guard height measured from bottom of base shoe to top of cap rail in inches.

ALLOWABLE LOADS ON GLASS

Glass thickness	Allowable wind load	
	36" Guard Height	42" Guard Height
1/2"	71.1 psf	52.2 psf
5/8"	114.4 psf	84.1 psf
3/4"	167.1 psf	122.8 psf

MINIMUM RECOMMENDED GLASS LIGHT WIDTH

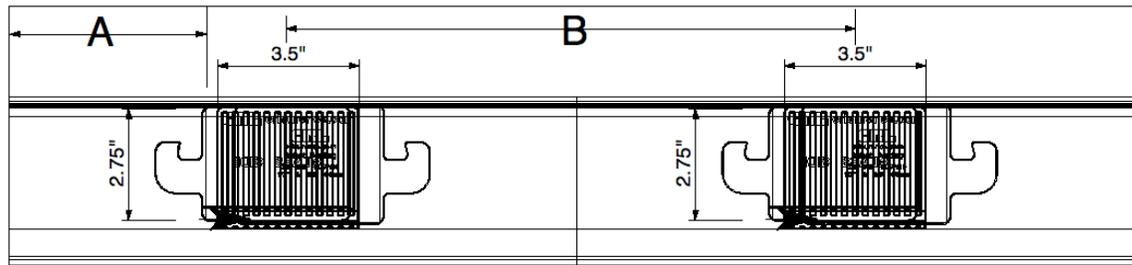
Glass thickness	Minimum Light Width	
	36" Guard Height	42" Guard Height
1/2"	2' - 6"	2' - 10.5"
5/8"	1' - 7"	1' - 10"
3/4"	1' - 0"	1' - 3"

Glass thickness shall be selected as required to achieve the required wind load.

For guard installations using monolithic tempered glass a cap/top rail or grab rail shall be installed supported by a minimum of 3 glass lights or otherwise supported so as to remain in place in the event of any single glass light failure.

Linear interpolation of all tables is permitted.

ALL WIND LOADS IN THIS REPORT ARE BASED ON ASD WIND PRESSURES. If using wind loads calculated per ASCE/SEI 7-10 the strength level wind loads must be adjusted by multiplying by 0.6 per ASCE/SEI 7-10 section 2.4 load combinations and IBC 1605.3.1.

Taper-Loc® System Typical Installation

For 1/2" Fully Tempered Glass maximum glass light height = 42":

Edge Distance: $2'' \leq A \leq 8 \frac{5}{8}''$; $51\text{mm} \leq A \leq 219\text{mm}$

Center to center spacing: $7'' \leq B \leq 14''$; $178\text{mm} \leq B \leq 356\text{mm}$

Panel Width/Required quantity of Taper-Loc® Plates:

6" to 14" (152 to 356mm)	1 TL Plate
14" to 28" (356 to 711 mm)	2 TL Plates
28" to 42" (711 to 1,067 mm)	3 TL Plates
42" to 56" (1,067 to 1,422 mm)	4 TL Plates
56" to 70" (1,422 to 1,778 mm)	5 TL Plates
70" to 84" (1,778 to 2,134 mm)	6 TL Plates
84" to 96" (2,134 to 2,438 mm)	7 TL Plates

Minimum Glass Light Width = 6" when top rail/guardrail is continuous, welded corners or attached to additional supports at rail ends.

NOTES:

1. For glass light heights over 42" A_{max} and B_{max} shall be reduced proportionally.

$$A_{\text{max}} = 8 \frac{5}{8} * (42/h)$$

$$B_{\text{max}} = 14 * (42/h)$$

2. For glass light heights under 42" A_{max} and B_{max} shall not be increased.

3. A_{min} and B_{min} are for ease of installation and can be further reduced as long as proper installation is achieved.

4. For glass thicknesses greater than 1/2" A_{max} and B_{max} may be increased as follows:

5/8" Glass

Edge Distance: $2'' \leq A \leq 13.5''$

Center to center spacing: $7'' \leq B \leq 21''$

3/4" Glass

Edge Distance: $2'' \leq A \leq 19''$

Center to center spacing: $7'' \leq B \leq 31''$

EDWARD C. ROBISON, PE, SE

10012 Creviston Dr NW

Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

LOAD CASES:

Dead load = 6.5 psf for glass
 1.8 plf top rail
 8.6 plf for base shoe

Loading:

Horizontal load to base shoe

25 psf*H or W*H

Balustrade moments

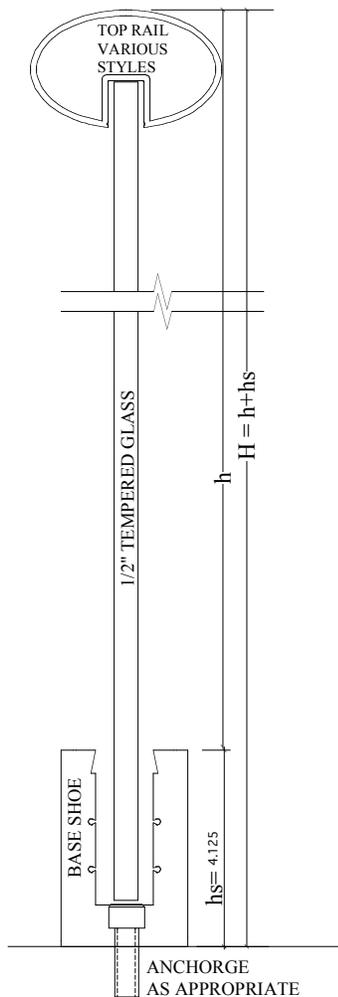
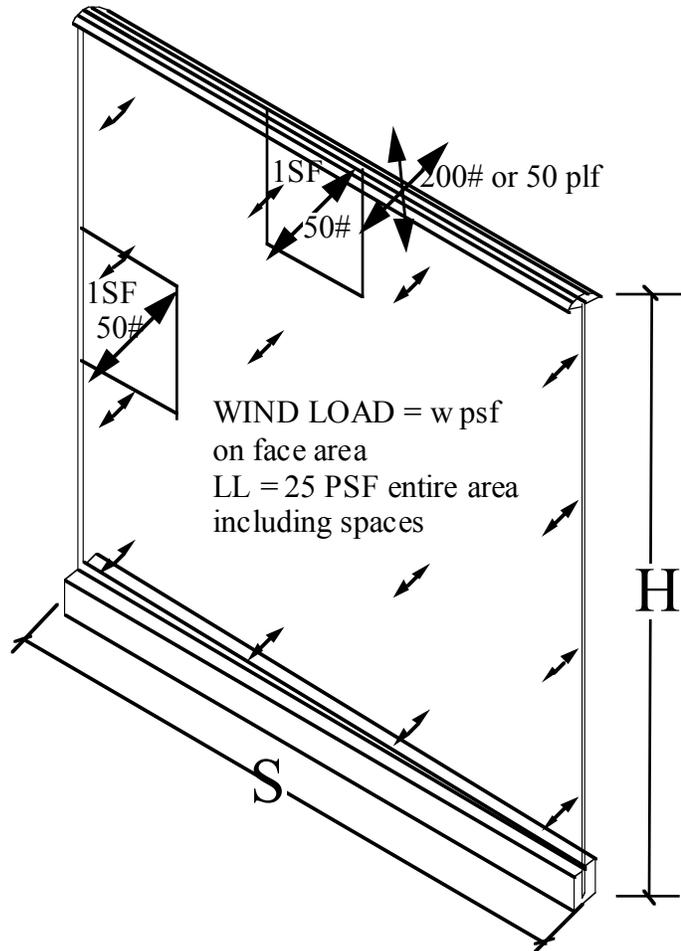
$M_i = 25 \text{ psf} * H^2 / 2$ or

$M_w = w \text{ psf} * H^2 / 2$

For top rail loads:

$M_c = 200\# * H$

$M_u = 50\text{plf} * H$



Three options for glass thickness:

1/2" glass, weight = 6.46 psf

5/8" glass, weight = 8.04 psf

3/4" glass, weight = 9.35 psf

EDWARD C. ROBISON, PE, SE

10012 Creviston Dr NW

Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

WIND LOADING ON FENCES OR GUARDS

For wind load surface area is full area of fence or guard:

Calculated in accordance with ASCE/SEI 7-10 Section 29.4 *Design Wind Loads on Solid Freestanding Walls and Solid Signs* (or ASCE/SEI 7-05 Section 6.5.14). This section is applicable for free standing building guardrails, wind walls and balcony railings that return to building walls. Section 29.6 *Parapets* may be applicable when the rail is along a roof perimeter.

Wind loads must be determined by a qualified individual for a specific installation.

$p = q_h(GC_p) = q_zGC_f$ (ASCE 7-10 eq. 29.4-1)

$G = 0.85$ from (section 26.9.4.)

$C_f = 2.5 * 0.8 * 0.6 = 1.2$ (Figure 29.4-1) with reduction for solid and end returns, will vary.

$q_h = 0.00256K_zK_{zt}K_dV^2$ Where:

K_z from (Table 29.3-1) at the height z of the railing centroid and exposure.

$K_d = 0.85$ from (Table 26-6).

K_{zt} From (Figure 26.8-1) for the site topography, typically 1.0.

$V =$ Wind speed (mph) 3 second gust, (Figure 26.5-1A) or per local authority.

Simplifying - Assuming $1.3 \leq C_f \leq 2.6$ (Typical limits for fence or guard with returns.)

Adjustment for full height solid: $f = 1.8 - 1 = 0.8$

Adjustment to Allowable Stress Design: $w_{asd} = 0.6w_{strength}$

For $C_f = 1.3$: $F = q_h * 0.85 * 1.3 * 0.8 * 0.6 = 0.53 q_h$

For $C_f = 2.6$: $F = q_h * 0.85 * 2.6 * 0.8 * 0.6 = 1.06 q_h$

Wind Load will vary along length of fence in accordance with ASCE 7-10 Figure 29.4-1.

Typical exposure factors for K_z with height 0 to 15' above grade:

Exposure	B	C	D
$K_z =$	0.70	0.85	1.03

MINIMUM WIND LOAD TO BE USED IS 10 PSF.

Centroid of wind load acts at 0.55h on the fence.

$w_{asd} = 0.53 * 0.00256 * K_z * V^2$ or $w_{asd} = 1.06 * 0.00256 * K_z * V^2$

Table 1 Wind speed	W _{ASD} in psf for C _f = 1.3			W _{ASD} in psf for C _f = 2.6		
	Exp B K _z =0.7	Exp C K _z =0.85	Exp D K _z =1.03	Exp B K _z =0.7	Exp C K _z =0.85	Exp D K _z =1.03
100	9.5	11.5	14.0	19.0	23.1	28.0
110	11.5	14.0	16.9	23.0	27.9	33.8
120	13.7	16.6	20.1	27.4	33.2	40.2
130	16.1	19.5	23.6	32.1	39.0	47.2
140	18.6	22.6	27.4	37.2	45.2	54.8
150	21.4	25.9	31.4	42.7	51.9	62.9
160	24.3	29.5	35.8	48.6	59.0	71.6

For other values of C_f multiply wind load for C_f = 1.3 value by C_f/1.3

Where guard ends without a return the wind forces may be as much as 1.667 times $C_f=2.6$ value.

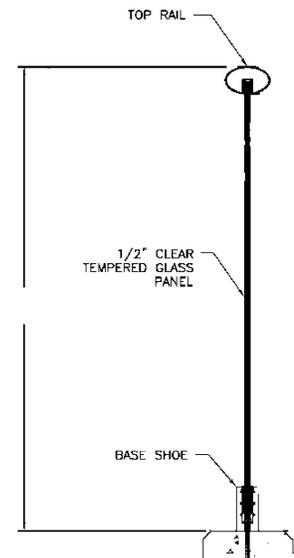
GLASS BALUSTRADE GUARD RAIL

GLASS STRENGTH

All glass is fully tempered glass conforming to the specifications of ANSI Z97.1, ASTM C 1048-04 and CPSC 16 CFR 1201. For fully tempered glass the average Modulus of Rupture F_r is 24,000 psi. The Safety Factor of 4.0 used herein is based on IBC Section 2407 and is applicable to live loads only. Wind load stress may be increased in accordance with IBC 2404.1 and ASTM E1300 to a maximum allowable edge stress of 10,600 psi (9,600 psi recommended for most installations).

Glass lights serve as balusters to support the top rail or grab rail and form the guard infill.

Allowable glass bending stress: $24,000/4 = 6,000$ psi. – Tension stress calculated from live loads.



Bending strength of glass for the given thickness:

$$S = \frac{12'' * (t)^2}{6} = 2 * (t)^2 \text{ in}^3/\text{ft}$$

Use minimum glass thickness.

$$\text{For } 1/2'' \text{ glass } S = 2 * (0.469)^2 = 0.44 \text{ in}^3/\text{ft}$$

$$M_{\text{alllive}} = 6,000 \text{ psi} * 0.44 \text{ in}^3/\text{ft} = 2,640''\#/\text{ft} = 220'\#$$

$$M_{\text{allwind}} = 9,600 \text{ psi} * 0.44 \text{ in}^3/\text{ft} = 4,224''\#/\text{ft} = 352'\#$$

For continuously supported cantilevered elements basic beam theory for cantilevered beams is used.

$$M_u = u * h^2/2 \text{ for uniform load } W \text{ and height } h \text{ or}$$

$$M_p = P * h \text{ for concentrated load } P \text{ and height } h,$$

For wind load centroid acts at 0.55h:

$$M_w = w * h^2 * 0.55 \text{ for uniform load } W \text{ and height } h \text{ or}$$

For deflection: t is average glass thickness, $E = 10.4 \times 10^6$ psi

$$\Delta = (1 - \nu^2) w h^4 / (8 E t^3); w = \text{uniform load on glass or}$$

$$\Delta = (1 - \nu^2) u h^3 / (3 E t^3); u = \text{distributed load on top rail or}$$

$$\Delta = (1 - \nu^2) P h^3 / (3 E I); P = \text{concentrated load on top rail,}$$

$$I = b t^3 \text{ where } b \text{ is glass width in feet.}$$

ASTM E 2358-04 limits deflection to $h/12$ (3.5" for 42" guard height). For comfort level it is recommended to limit deflection to 1" for 42" guard height. The IBC has no defined deflection limit.

EDWARD C. ROBISON, PE, SE
10012 Creviston Dr NW
Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

For glass wet glazed in base shoe stress is uniform across light. For the Taper-Loc® system the stress may be assumed as uniform as demonstrated later in this report.

GLASS PANELS LOADS:

From UBC Table 16-B or IBC 1607.7.1

- On hand rail – 200lb concentrated or 50 plf Any direction
- Or On panel – 25 psf horizontal load

DETERMINE MAXIMUM PANEL HEIGHT ½” glass:

For 50 plf distributed load:

$$L = (M/w) = 220\#/50\text{plf} = 4.4' = 52\text{-}3/4''$$

Maximum Panel height for 25 psf live load

$$L = (220\# \cdot 2/25 \text{ psf})^{1/2} = 4.20' = 50\text{-}3/8'' \text{ (1/2'' glass cantilevered)}$$

for 30 psf:

$$L = (220\# \cdot 2/30 \text{ psf})^{1/2} = 3.83' = 46''$$

Maximum wind load based on glass strength

$$w = (352\#') / (0.55h^2)$$

Glass light height = 36''

Calculate maximum wind load:

$$w = (352\#') / (0.55 \cdot 3^2) = 71.1 \text{ psf}$$

150 mph exposure D - depends on specific site conditions

Glass light height = 42''

Calculate maximum wind load:

$$w = (352\#') / (0.55 \cdot 3.5^2) = 52.2 \text{ psf}$$

140 mph exposure C or 130 mph exposure D - depends on specific site conditions

Determine maximum glass light height for 150 mph exposure D wind, $w = 58.7 \text{ psf}$

$$h = \sqrt{(352\#') / (0.55 \cdot 58.7)} = 3.302' = 39.62''$$

Maximum guard total height = $39.62'' + 4'' = 43.62''$ for 58.7 psf.

For 200 lb concentrated load

Worst case is load at end of panel top corner with no top rail:

The load will be initially resisted by a strip = 8t

For 1/2'' glass = 4''

The shear will transfer along the glass at a 45° angle from vertical to spread across the panel.

$$b_2 = b_1 + h \cdot \tan 45$$

@ 2'' from top

$$M = 200\# \cdot 2'' = 400\#''$$

$S = 0.22 \text{ in}^3$ based on 6'' width

$$f_b = 400\#'' / 0.22 \text{ in}^3 = 1,818 \text{ psi}$$

Determine minimum panel width for 42'' height (38'' glass cantilever height)

EDWARD C. ROBISON, PE, SE

10012 Creviston Dr NW

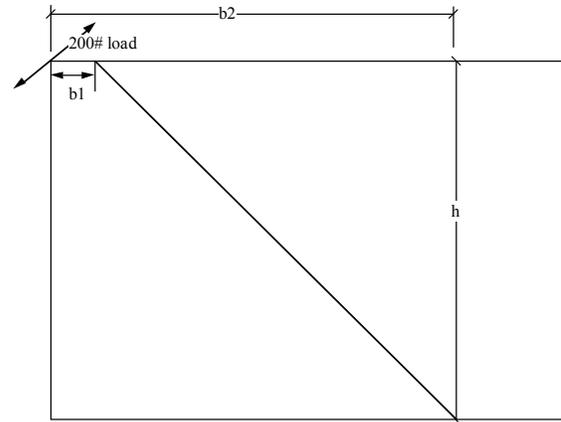
Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

$$M = 200\# \cdot 38'' = 7,600\#''$$

$$S = 0.44 \text{ in}^3/\text{ft} \text{ and } F_b = 6,000 \text{ psi}$$

$$l_{\min} = (7,600 / (6,000 \cdot 0.44)) = 2.88'$$



Deflection: 42'' total height, 38'' glass height.

$$\Delta = Ph^3 / (3Ebt^3) = 200 \cdot 38''^3 / (3 \cdot 10,400,000 \cdot 2.88' \cdot 0.5^3) = 0.98'' \text{ (200\# load min width)}$$

$$\Delta = uh^3 / (3Et^3) = 50 \text{ plf} \cdot 38''^3 / (3 \cdot 10,400,000 \cdot 0.5^3) = 0.70'' \text{ (50 plf load)}$$

$$\Delta = wh^4 / (8Et^3) = 50 \text{ psf} / 12 \cdot 38''^4 / (8 \cdot 10,400,000 \cdot 0.5^3) = 0.84'' \text{ (50 psf wind load)}$$

NOTE: FOR THE TAPER-LOC® SYSTEM INSTALLED WITHOUT WET GLAZING GLASS LOADS TYPICALLY DO NOT NEED TO BE ADJUSTED FOR STRESS CONCENTRATIONS AS DEMONSTRATED LATER IN THIS REPORT.

For 5/8'' glass

$$S = 2 \cdot (0.595)^2 = 0.708 \text{ in}^3/\text{ft}$$

$$M_{\text{alllive}} = 6,000 \text{ psi} \cdot 0.708 \text{ in}^3/\text{ft} = 4,248\#''/\text{ft} = 354.0\#'$$

$$M_{\text{allwind}} = 9,600 \text{ psi} \cdot 0.708 \text{ in}^3/\text{ft} = 6,797\#''/\text{ft} = 566.4\#'$$

DETERMINE MAXIMUM PANEL HEIGHT 5/8'' glass:

For 50 plf distributed load:

$$L = (M/w) = 354.0\#'/50 \text{ plf} = 7.08'$$

Maximum Panel height for 25 psf live load

$$L = (354.0\#'' \cdot 2 / 25 \text{ psf})^{1/2} = 5.32' \text{ (5/8'' glass cantilevered)}$$

Maximum wind load based on glass strength

$$w = (354.0\#'' \cdot 2) / (h^2)$$

$$h = \sqrt{(354.0\#'' \cdot 2 / w)}$$

For surface mounted base shoe:

Glass light height = 36''

Calculate maximum wind load:

$$w = (566.4\#') / (0.55 \cdot 3^2) = 114.4 \text{ psf}$$

Glass light height = 42''

Calculate maximum wind load:

$$w = (566.4\#') / (0.55 \cdot 3.5^2) = 84.1 \text{ psf}$$

Determine maximum glass light height for 150 mph exposure D wind, $w = 58.7 \text{ psf}$

$$h = \sqrt{(566.4\#') / (0.55 \cdot 58.7)} = 4.189' = 4' 2 \frac{1}{4}''$$

EDWARD C. ROBISON, PE, SE

10012 Creviston Dr NW

Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

Maximum guard total height = $50 \frac{1}{4}'' + 4'' = 54 \frac{1}{4}'' = 4' 6 \frac{1}{4}''$ for 58.7 psf.

Minimum width for 200# concentrated live load and 42'' guard (38'' glass) height:

$$l_{\min} = (7,600/4,248) = 1.789'$$

Deflection: 42'' total height, 38'' glass height.

$$\Delta = Ph^3/(3Ebt^3) = 200*38''^3/(3*10,400,000*1.789'*0.625^3) = 0.8'' \text{ (200# load min width)}$$

$$\Delta = uh^3/(3Et^3) = 50\text{plf}*38''^3/(3*10,400,000*0.625^3) = 0.36'' \text{ (50 plf load)}$$

$$\Delta = wh^4/(8Et^3) = 50\text{psf}/12*38''^4/(8*10,400,000*0.625^3) = 0.43'' \text{ (50 psf wind load)}$$

For 3/4'' glass

$$S = 2*(0.719)^2 = 1.034 \text{ in}^3/\text{ft}$$

$$M_{\text{alllive}} = 6,000\text{psi}*1.034 \text{ in}^3/\text{ft} = 6,204''\#/ft = 517'\#$$

$$M_{\text{allwind}} = 9,600\text{psi}*1.034 \text{ in}^3/\text{ft} = 9,926''\#/ft = 827.2'\#$$

DETERMINE MAXIMUM PANEL HEIGHT 3/4'' glass:

For 50 plf distributed load:

$$L = (M/w) = 517.0\#/50\text{plf} = 10.34'$$

Maximum Panel height for 25 psf live load

$$L = (517.0\#*2/25 \text{ psf})^{1/2} = 6.43' = 6' - 5'' \text{ (3/4'' glass cantilevered)}$$

Maximum wind load based on glass strength

$$w = (517\#')/(0.55h^2)$$

$$h = \sqrt{[517\#']/(0.55w)}$$

For surface mounted base shoe:

Glass light height = 36''

Calculate maximum wind load:

$$w = (827.2\#')/(0.55*3^2) = 167.1 \text{ psf}$$

Glass light height = 42''

Calculate maximum wind load:

$$w = (827.2\#')/(0.55*3.5^2) = 122.8 \text{ psf}$$

Determine maximum glass light height for 150 mph exposure D wind, $w = 58.7 \text{ psf}$

$$h = \sqrt{[827.2\#']/(0.55*58.7)} = 5.062' = 5' 3/4'' = 60.75''$$

Maximum guard total height = $60.75'' + 4'' = 64.75'' = 5' 4.75''$ for 58.7 psf.

Minimum width for 200# concentrated load and 42'' guard (38'' glass) height:

$$l_{\min} = (7,600/(6,204)) = 1.225'$$

Deflection: 42'' total height, 38'' glass height.

$$\Delta = Ph^3/(3Ebt^3) = 200*38''^3/(3*10,400,000*1.225'*0.75^3) = 0.68'' \text{ (200# load min width)}$$

EDWARD C. ROBISON, PE, SE

10012 Creviston Dr NW

Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

$$\Delta = uh^3/(3Et^3) = 50\text{plf} \cdot 38''^3 / (3 \cdot 10,400,000 \cdot 0.75^3) = 0.21'' \text{ (50 plf load)}$$

$$\Delta = wh^4/(8Et^3) = 50\text{psf} / 12 \cdot 38''^4 / (8 \cdot 10,400,000 \cdot 0.75^3) = 0.25'' \text{ (50 psf wind load)}$$

WIND BORNE DEBRIS**Glass Guards located in Wind-Borne Debris Region - IBC 1609.2**

When design for large missile impact loading as described in ASTM E 1996 to comply with IBC 1609.1.2 or Test Protocol Test Application Standard (TAS) 201-94 to comply with Florida Building Code Section 1626 is required laboratory testing may be required to verify system performance. Typically 3/4" or thicker laminated tempered glass is required to resist the missile impact for 42" guard height.

The need for compliance with these tests is dependent on the local jurisdiction and is beyond the scope of this report. Typically since the guards are not part of the building envelope the testing is not required but when located within a wind-borne debris region consultation with the local code authority is recommended before specifying a specific glass section and the appropriate base shoe.

GLASS LIGHT SPACING

Glass light spacing must be adequate to assure that no direct contact occurs between the glass edges from either differential glass deflections or thermal expansion.

Thermal Expansion of glass:

$$\nu = 5 \times 10^{-6} \text{ in/(in } F^{\circ})$$

For a typical 150F° maximum temperature range and 72" maximum glass light length:

$$\delta = 5 \times 10^{-6} \text{ in/(in } F^{\circ}) * 150F^{\circ} * 72" = 0.054"$$

Recommended minimum specified spacing is 1/4" (1/2" for 3/4" glass).

Glass fabrication tolerances may result in spacing smaller than specified. As-installed spacing less than 0.054" is unacceptable and should not be permitted.

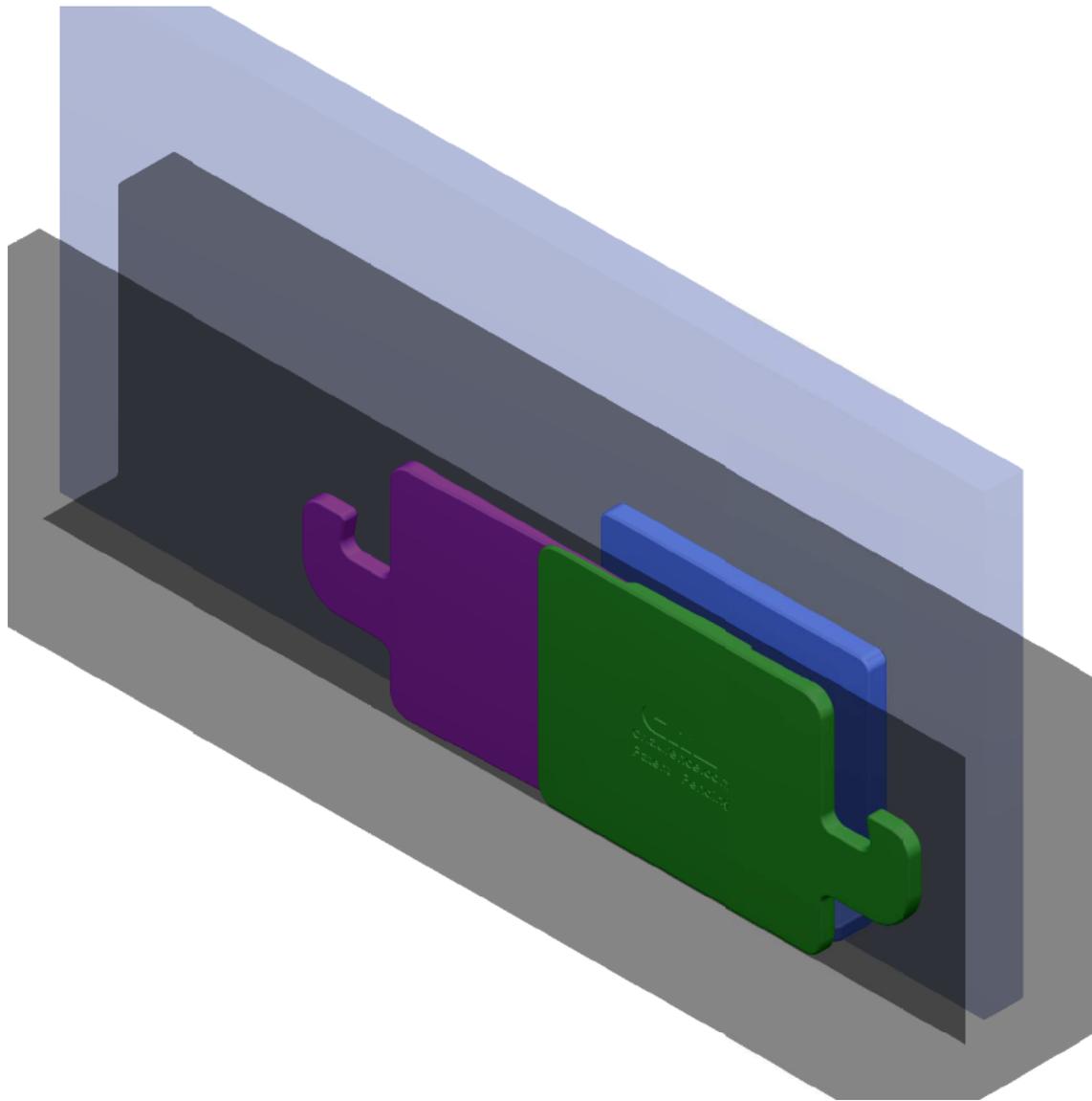
GLASS FLATNESS

ASTM C 1048 *Heat Treated Flat Glass - Kind HS, Kind FT Coated and Uncoated Glass* allows 0.08" bow for 35" to 47" width. Installer should try to align bows to reduce the misfit between lights. Out of plane variation between glass lights is unavoidable but may be reduced by specifying vertically treated glass and installing glass with the tong marks inserted into the base shoe.

EDWARD C. ROBISON, PE, SE
10012 Creviston Dr NW
Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

DRY-GLAZE TAPER-LOC® SYSTEM



Glass is clamped inside the aluminum base shoe by the Taper-Loc® Shoe Setting Plate (L shaped piece on the back side) and two Taper-Loc® Shim Plates (front side). The glass is locked in place by the compressive forces created by the Taper-Loc® shim plates being compressed together by the installation tool. Use of the calibrated installation tool assures that the proper compressive forces are developed. Until the shim plates are fully installed the glass may be moved within the base shoe for adjustment.

Glass may be extracted by reversing the installation tool to extract tapers.

The Taper-Loc® setting plate is bonded to the glass by adhesive tape to hold it in place during installation and to improve glass retention in the base shoe.

Surface area of the setting plate adhered to the glass:

$$A = 2'' \times 3.5'' = 7 \text{ in}^2$$

adhesive shear strength ≥ 80 psi

3M™ VHB Tape

$$Z = 7 \text{ in}^2 \times 80 = 560\# \text{ minimum}$$

setting plate locks into place in the base shoe by friction created by the compression generated when the shim plates are locked into place.

Installation force:

$T_{\text{des}} = 250\#''$ design installation torque

$T_{\text{max}} = 300\#''$ maximum installation torque

Compressive force generated by the installation torque:

$$C = (0.2 \times 250\#'' / 1.0'') / \sin(1.76^\circ)$$

$$C = 1,628\#$$

Frictional force of shims and setting plate against aluminum base shoe:

coefficient of friction, $\mu = 0.65$

$$f = 2 \times (1,628\# \times 0.65) = 2,117\#$$

Frictional force of shims against glass:

$\mu = 0.36$

$$f = 1,628 \times 0.36 = 586\#$$

Resistance to glass pull out:

$$U = 586\#$$

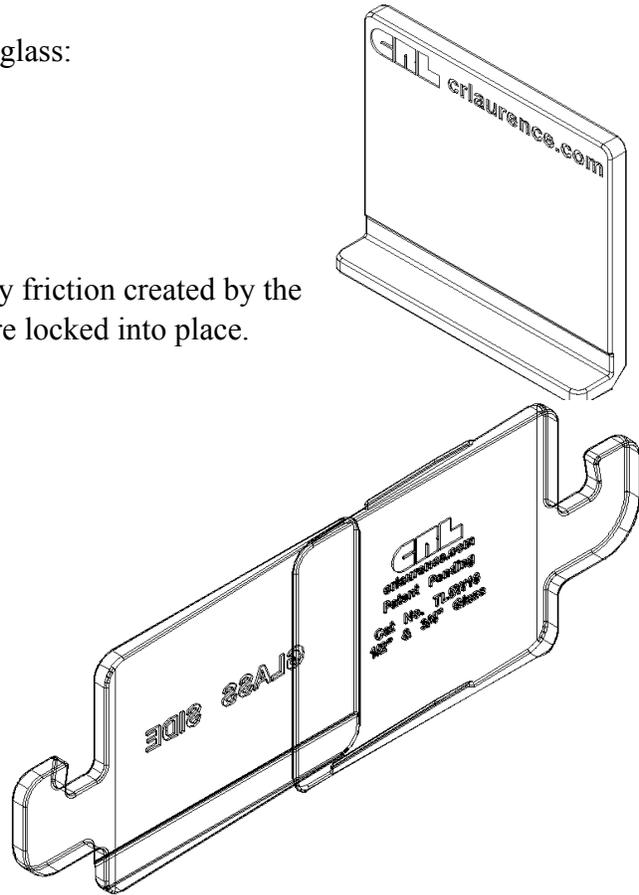
Safety factor for 200# pullout resistance = $586/200 = 2.93$ For single set.

Minimum recommended installation torque:

$$4 / (2 \times 2.93) \times 250 = 170\#''$$

Extraction force required to remove tapers after installation at design torque:

$$T = 250 \times (0.7/0.2) = 875\#''$$



EDWARD C. ROBISON, PE, SE
10012 Creviston Dr NW
Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

Glass anchorage against overturning:

Determine reactions of Taper-Loc® plates on the glass:

Assuming elastic bearing on the glass fiber reinforced polycarbonate parts the reactions will have centroids at approximately $1/6 * 2.55''$ from the upper and lower edges of the bearing surfaces:

$$R_{Cu} @ 1/6 * 2.55 = 0.425''$$

From $\sum M$ about $R_{Cu} = 0$

$$0 = M + V * (0.425'' - 0.5'') - R_{Cb} * 1.7''$$

$$\text{Where } M = V * 38''$$

substitute and simplify:

$$0 = V * 38.925'' - R_{Cb} * 1.7''$$

Solving for $-R_{Cb}$

$$R_{Cb} = V * 38.925 / 1.7 = 22.9V$$

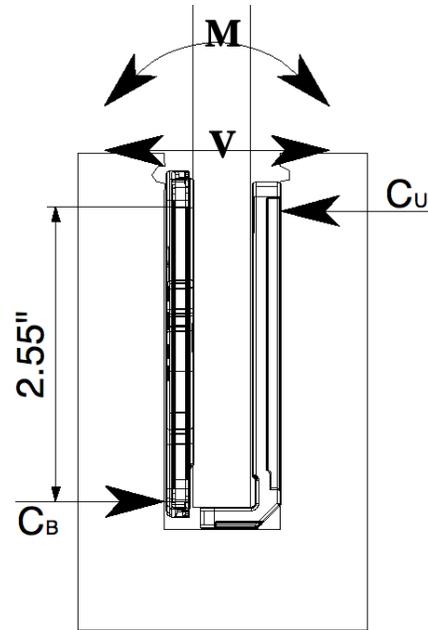
For $C_B = 3,000$ psi:

$$R_{Cb} = 3.5'' * (2.55'' / 2) * 3,000 \text{ psi} / 2 = 6,694\#$$

$$V_a = 6,694 / 22.9 = 292\#$$

$$M_a = R_{Cb} * (2/3 * 2.55'') = 11,380\#''$$

$$R_{Cu} = R_{Cb} + V = 6,694 + 292\# = 6,986\#$$



At maximum allowable moment determine bending in base shoe legs:

$$M_s = C * (0.188 + 2.55'' / 2) + R_{Cb} * (0.188 + 2.55 - 0.425) =$$

$$M_s = 1,954 * (1.463) + 6,986 * (2.313) = 19,017\#''$$

Base shoe tributary length of leg that resists bending from load:

$L = 3.5'' + 8 * 0.5'' + 2 * (3.25'') = 14''$, This is the maximum allowable spacing of the Taper-Loc® system so represents the maximum loading condition.

$$\text{Strength of leg } 14'' \text{ length} = 14,062\#'' * 14 / 12 = 16,406\#''$$

Adjustment to allowable load based on base shoe strength:

$$M_a = 16,406 / 19,017 * 11,380 = 9,818\#''$$

Allowable Moment per lineal foot of glass rail:

$$M_a = 9,818 * 12 / 14 = 8,415\#''$$

EDWARD C. ROBISON, PE, SE
10012 Creviston Dr NW
Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

GLASS STRESS CONCENTRATION FROM TAPER-LOC® SYSTEM

The Taper-Loc® System provides a concentrated support:

Stress concentration factor on glass based on maximum 14" glass width to each Taper-Loc® set.

Moment concentration factor

$$C_M = [1 + (1 - a/b)^2 (1 - c/b)^3 (1 - t/b)^{1/3}]^{1/2}$$

$a = 2.75''$ (bottom of glass to top of bearing)

$b =$ center to center spacing of supports or width of glass.

$c =$ length of bearing

glass thickness will have less than 1% change in the stress concentration so can be ignored for the three glass thicknesses.

$$C_M = [1 + (1 - 2.75/14)^2 (1 - 3.5/14)^3 (1 - .5/14)^{1/3}]^{1/2} = 1.13$$

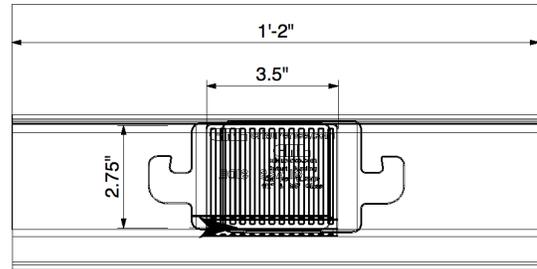
$b/h = 14''/35'' = 0.4'' < 1$ based on maximum spacing of 14" and glass height of 35" (36" rail)

$$C_{M'} = 1 + (C_M - 1) * (b/h)^3 = 1.008$$

Since adjustment is typically under 1% it can be ignored when glass height exceeds 21" when

$$C_{M'} < 1.04$$

$$F_b = 6,000$$



Shear concentration factor:

$$C_V = 14''/3.5'' * (2 - 3.5/14) = 7.0$$

$F_{Va} = 3,000$ psi maximum allowable shear stress

Allowable Glass Loads:

$$M_a = S * 6,000 / 1.13$$

$$V_a = t * b / 7.0$$

For 1/2" glass, 14" high x 14" TaperLoc spacing - $C_{M'} = 1.13$:

$$M_a = 0.44 * 6,000 / 1.13 = 2,336''\# = 194.7\#$$

$$V_a = 0.5 * 14 * 3,000 / 7.0 = 3,000\#$$

Since shear load in all scenarios is under 10% of allowable it can be ignored in determining allowable bending since it has less than 1% impact on allowable bending loads or rail heights.

Maximum edge distance for edge of glass to centerline of Taper-Loc® plates:

$e_{des} = 14/2 = 7''$ for design conditions (no reduction in allowable loads)

$$e_{max} = e + e_{des}/2: (25 * e * 3.5') + 25 * 1.17 * 3.5^2/2 = 229.6 : \text{solve for } e$$

$$e_{max} = 3.5'' + [229.6 - 25 * 1.17 * 3.5^2/2] / (25 * 3.5) = 10.4'' \text{ (to CL of Taper-Loc® plates)}$$

EDWARD C. ROBISON, PE, SE

10012 Creviston Dr NW

Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

B5S 2 1/2" X 4 1/8" GLASS BALUSTRADE BASE SHOE

6063-T52 Aluminum extrusion

Fully tempered glass glazed in place by wet glazing cement or dry glazed with Taper-Loc®

Shoe strength – Vertical legs:

Glass reaction by bearing on legs to form couple. Allowable moment on legs:

$$M_a = S_l * F_t \text{ or } F_c$$

$$F_t = F_c = 12.5 \text{ ksi (ADM Table 2-23, Sec 3.4.4 and 3.4.13)}$$

$$S_l = 12'' * 0.75''^2 / 6 = 1.125 \text{ in}^3/\text{ft}$$

$$M_a = 12.5 \text{ ksi} * 1.125 \text{ in}^3/\text{ft} = 14,062 \text{ #}''/\text{ft}$$

Leg shear strength @ groove

$$t_{\min} = 0.343''$$

$$F_v = 5.5 \text{ ksi (ADM Table 2-23, Sec 3.4.20)}$$

$$V_{\text{all}} = 0.75'' * 12''/\text{ft} * 5.5 \text{ ksi} = 49.5 \text{ k/ft}$$

Base shoe anchorage:

Typical rail section: 42" high 50 plf top rail load or 25 psf panel load

$$M_t = 50 \text{ plf} * 42'' = 2,100 \text{ #}''/\text{ft}$$

$$M_w = 25 \text{ psf} * 3.5' * 21'' = 1,837.5 \text{ #}''$$

Typical Anchor load – 12" o.c. – $T_a = 2,100 \text{ #}'' / 1.25'' = 1,680 \text{ #}$

For 1/2" cap screw to tapped steel, CRL Screw part SHCS12x34 or SHCS12x1

$$T_n = A_{sn} * t_c * 0.6 * F_{tu}$$

where $t_c = 0.25''$; $A_{sn} = 1.107''$ and $F_{tu} = 58 \text{ ksi}$ (A36 steel plate)

$$T_n = 1.107'' * 0.25 * 0.6 * 58 \text{ ksi} = 9.63 \text{ k}$$

$$\text{Bolt tension strength} = 0.75 * 67.5 \text{ ksi} * 0.1419 \text{ in}^2 = 7.18 \text{ k}$$

Since shear load is under 0.2* shear strength ($V_a = 2.7 \text{ k}$) interaction can be ignored.

Use 5/16" minimum for maximum load:

$$\text{Maximum service load: } 7.18 \text{ k} / 2 = 3,592 \text{ #}$$

Maximum allowable moment for 12" on center spacing and direct bearing of base shoe on steel:

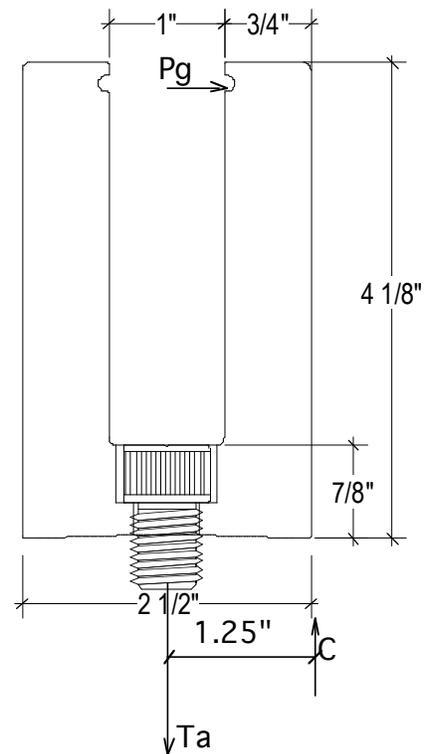
$$M = 3,592 \text{ #}'' * [1.25'' - 0.5 * 3,592 / (30 \text{ ksi} * 12)] = 4,470 \text{ #}'' = 372.5 \text{ #}'' \text{ per anchor}$$

Maximum allowable wind loads 1/2" cap screws at 12" o.c. to structural steel.

$$36'' \text{ height: } w = 372.5 \text{ #}'' / (0.55 * 3^2) = 75.3 \text{ psf}$$

$$42'' \text{ height: } w = 372.5 \text{ #}'' / (0.55 * 3.5^2) = 55.3 \text{ psf}$$

$$\text{Spacing for full strength of } 5/8'' \text{ glass} = 4,470 / 6,797 * 12'' = 7.89'' \text{ o.c. average}$$



EDWARD C. ROBISON, PE, SE
10012 Creviston Dr NW
Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

B5S Surface Mounted Cont:

Maximum allowable wind loads $\frac{1}{2}$ " cap screws at 6" o.c. to structural steel develops full strength of $\frac{1}{2}$ " and $\frac{5}{8}$ " glass:

$$M = 3,592\# \cdot [1.25'' - 0.5'' \cdot 3,592 / (30\text{ksi} \cdot 6)] = 4,454''\# = 371.18'\# \text{ per anchor}$$

$$36'' \text{ height: } w = 2 \cdot 371.78\# / (0.55 \cdot 3^2) = 150 \text{ psf}$$

$$42'' \text{ height: } w = 2 \cdot 371.78\# / (0.55 \cdot 3.5^2) = 110.2 \text{ psf}$$

For anchor into concrete:

$\frac{3}{8}$ " diameter Screw-in anchor Hilti Kwik HUS-EZ (KH-EZ) $\frac{3}{8}$ " x 4" manufactured by Hilti in accordance with ESR-3027 or Hilti HSL-3 M8 x 3-3/4" anchor in accordance with ESR-1545.

Strength calculated in accordance with ACI 318-08 Appendix D. $f'_c \geq 3,000$ psi

2-1/2" effective embedment nominal depth = 3-9/16" for KH-EZ and 3-5/16" for HSL-3

$$\phi N_{sa} = 0.65 \cdot 4,400\# = 2,860\#$$

For concrete breakout strength:

$$N_{cb} = [A_{Nc} / A_{Nco}] \phi_{ed,N} \phi_{c,N} \phi_{cp,N} N_b$$

$$A_{Nc} = (1.5 \cdot 2.5'' \cdot 2) \cdot (1.5 \cdot 2.5'' \cdot 2) = 56.25 \text{ in}^2 \quad \text{Edge distance} = 3 \frac{3}{4}''$$

$$A_{Nco} = 9 \cdot 2.5^2 = 56.25 \text{ in}^2$$

$$C_{a,min} = 1.5 \cdot 2.5'' = 3.75$$

$$C_{ac} = 2.5 \cdot 2.5'' = 6.25$$

$$\phi_{ed,N} = 1.0$$

$$\phi_{c,N} = 1.0 \text{ (from ESR-3027)}$$

$$\phi_{cp,N} = 1.0 \text{ (from ESR-3027)}$$

$$N_b = 24 \cdot 1.0 \cdot \sqrt{3000} \cdot 2.5^{1.5} = 5,196\#$$

$$N_{cb} = 56.25 / 56.25 \cdot 1.0 \cdot 1.0 \cdot 1.0 \cdot 5,196 = 5,196\#$$

From ESR-3027 anchor pull out does not control design

$$\phi N_n = 0.65 \cdot 5,196\# = 3,377\#$$

$$N_s = \phi N_n / 1.6 = 3,377\# / 1.6 = 2,111\#$$

Anchor steel strength will not control

Since shear load is under 0.2* shear strength interaction can be ignored; $\phi V_{nc} > 1.6 \cdot 50 / 0.2 = 400\#$

Moment resistance of each anchor:

For surface mounted

$$\phi M_n = 3,377\# \cdot [1.25 - 0.5'' \cdot 3,377 / (2 \cdot 0.85 \cdot 3\text{ksi} \cdot 12)] = 4,063''\# = 338.5'\# \text{ per anchor}$$

$$M_a = \phi M_n / \lambda = 4,063''\# / 1.6 = 2,539''\# = 211.58'\#$$

(at 1' spacing doesn't develop full allowable glass load.)

Maximum allowable wind loads (ASD) for anchors at 12" o.c.:

$$36'' \text{ height: } w = 211.58\# / (0.55 \cdot 3^2) = 42.7 \text{ psf}$$

$$42'' \text{ height: } w = 211.58\# / (0.55 \cdot 3.5^2) = 31.4 \text{ psf}$$

EDWARD C. ROBISON, PE, SE

10012 Creviston Dr NW

Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

B5S Surface Mounted Cont:**For 6" on center spacing:**

Minimum edge distance for 6" spacing is 3.75"

$$A_{Nc} = (6) * (1.5 * 2.5 * 2) = 45 \text{ in}^2 \quad \text{Edge distance} = \underline{3 \frac{3}{4}''}$$

$$N_{cb} = 45 / 56.25 * 1.0 * 1.0 * 1.0 * 5,196 = 4,157 \#$$

$$\phi N_n = 0.65 * 4,157 \# = 2,702 \#$$

$$N_s = \phi N_n / 1.6 = 2,702 \# / 1.6 = 1,689 \#$$

Moment resistance for anchors at 6" on center:

$$\phi M_n = 2 * 2,702 \# * [1.25 - 0.5 * 2 * 2,702 / (2 * 0.85 * 3 \text{ ksi} * 12)] = 6,516'' \# = 543.03' \# / \text{ft}$$

$$M_a = \phi M_n / \lambda = 6,516'' \# / 1.6 = 4,073'' \# = 339.4' \# / \text{ft}$$

NOTE: When attached to concrete alternative anchors may be designed in accordance to the anchor manufacturer's engineering reports that can develop greater strength.

Maximum allowable wind loads (ASD):

$$36'' \text{ height: } w = 339.4 \# / (0.55 * 3^2) = 68.6 \text{ psf}$$

$$42'' \text{ height: } w = 339.4 \# / (0.55 * 3.5^2) = 50.4 \text{ psf}$$

Determine minimum allowable edge distance for anchors at 12" on center:

Minimum acceptable edge distance is 2.35" For 42" guard height

$$A_{Nc} = (1.5 * 2.5 * 2) * (1.5 * 2.5 + 2.35) = 45.75 \text{ in}^2 \quad \text{Minimum edge distance is } \underline{2.35''}$$

$$N_{cb} = 45.75 / 56.25 * 1.0 * 1.0 * 1.0 * 5,196 = 4,226 \#$$

$$\phi N_n = 0.65 * 4,226 \# = 2,747 \#$$

$$N_s = \phi N_n / 1.6 = 2,747 \# / 1.6 = 1,717 \#$$

$$\phi M_n = 2 * 2,747 \# * [1.25 - 0.5 * 2 * 2,747 / (2 * 0.85 * 3 \text{ ksi} * 12)] = 3,372'' \# = 281' \# \text{ per anchor}$$

$$M_a = \phi M_n / \lambda = 3,372'' \# / 1.6 = 2,108'' \# = 175.6 \text{ (at 1' spacing doesn't develop full allowable glass load.)}$$

Maximum allowable wind loads (ASD):

$$36'' \text{ height: } w = 175.6 \# / (0.55 * 3^2) = 35.5 \text{ psf}$$

$$42'' \text{ height: } w = 175.6 \# / (0.55 * 3.5^2) = 26.1 \text{ psf}$$

Determine minimum allowable edge distance for anchors at 6" on center:

Minimum installation edge distance is 1.75" for the anchors

$$A_{Nc} = (6) * (1.5 * 2.5 + 1.75) = 33 \text{ in}^2 \quad \text{Minimum edge distance is } \underline{1.75''}$$

$$N_{cb} = 33.0 / 56.25 * 1.0 * 1.0 * 1.0 * 5,196 = 3,048 \#$$

$$\phi N_n = 0.65 * 3,048 \# = 1,981 \#$$

$$N_s = \phi N_n / 1.6 = 1,981 \# / 1.6 = 1,238 \#$$

$$\phi M_n = 2 * 1,981 \# * [1.25 - 0.5 * 2 * 1,981 / (2 * 0.85 * 3 \text{ ksi} * 12)] = 4,824'' \# = 402' \# \text{ per anchor}$$

$$M_a = \phi M_n / \lambda = 4,824'' \# / 1.6 = 3,015'' \# = 251.26' \# \text{ (at 1' spacing doesn't develop full allowable glass load.)}$$

Maximum allowable wind loads (ASD):

$$36'' \text{ height: } w = 251.26 \# / (0.55 * 3^2) = 50.8 \text{ psf}$$

$$42'' \text{ height: } w = 251.26 \# / (0.55 * 3.5^2) = 37.3 \text{ psf}$$

EDWARD C. ROBISON, PE, SE

10012 Creviston Dr NW

Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

B5S Fascia (Side) mounted base shoe:

Verify Anchor Pull through

For counter sunk screw

$$P_{nov} = (0.27 + 1.45t/D)DtF_{ty}$$

$$= (0.27 + 1.45 * .5 / .5) .5 * .5 * 16 \text{ ksi}$$

$$P_{nov} = 6,880\#$$

$$P_a = 6,880/3 = 2,293\#$$

Aluminum strength controls

For inset bolt

Shear strength:

$$t_{min} = 0.25''$$

$$P_{nov} = F_{tu} / \sqrt{3} * (A_v)$$

$$A_v = 0.25'' * \pi * .75'' = 0.589 \text{ in}^2$$

$$P_{nov} = 30 \text{ ksi} / \sqrt{3} * (0.589 \text{ in}^2) = 10.2 \text{ k}$$

Dead Load

$$DL = 3.5' * 9.5 \text{ psf} + 10.4 \text{ plf} = 43.7 \text{ plf}$$

Moment from dead load:

$$M_D = 43.7 \text{ plf} * 2.5 / 2 = 54.6'' \# / \text{ft} = 4.55' \# / \text{ft}$$

Since shear load is under 0.2* shear strength (>2.7 k) interaction can be ignored.

For standard installation, 42'' (46'' above bottom of shoe) guard height and 50 plf top rail load

$$M_L = 46'' * 50 \text{ plf} = 2,300'' \#$$

Moment resistance of single anchor:

$$M_a = 2,293 * 2'' = 4,586'' \# = 382.17' \#$$

Required anchor spacing = $4,586 / 2,300 = 1.994'$ use 2'

Maximum anchor spacing is 2' o.c. and within 1' of rail end.

Maximum allowable wind loads (ASD) for 1/2'' cap screw at 12'' o.c. spacing, into steel:

$$M_w = 382.17 - 4.55 = 377.62' \# / \text{ft}$$

$$36'' \text{ height: } w = 377.62' \# / (0.55 * 3.333 * 3.0) = 68.7 \text{ psf}$$

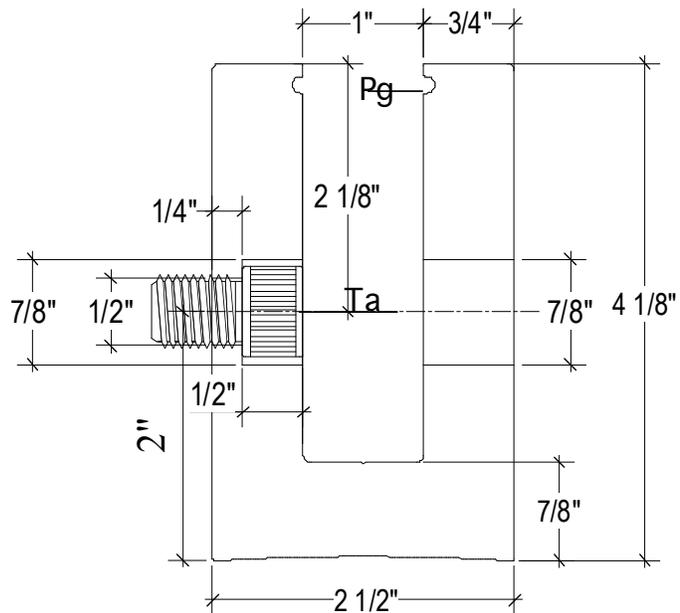
$$42'' \text{ height: } w = 377.62' \# / (0.55 * 3.5 * 3.833) = 51.2 \text{ psf}$$

Maximum allowable wind loads (ASD) for 1/2'' cap screw at 6'' o.c. spacing, into steel:

$$M_w = 2 * 382.17 - 4.55 = 759.79' \# / \text{ft}$$

$$36'' \text{ height: } w = 759.79' \# / (0.55 * 3.333 * 3.0) = 138.2 \text{ psf}$$

$$42'' \text{ height: } w = 759.79' \# / (0.55 * 3.5 * 3.833) = 103.0 \text{ psf}$$



EDWARD C. ROBISON, PE, SE
10012 Creviston Dr NW
Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

B5S Fascia (Side) mounted base shoe cont:**For anchor into concrete:**

3/8" diameter Screw-in anchor Hilti Kwik HUS-EZ (KH-EZ) 3/8" x 4" manufactured by Hilti in accordance with ESR-3027 or Hilti HSL-3 M8 x 3-3/4" anchor in accordance with ESR-1545.

Strength calculated in accordance with ACI 318-08 Appendix D. $f'_c \geq 3,000$ psi

2-1/2" effective embedment

$$\phi N_{sa} = 0.65 * 4,400\# = 2,860\#$$

For concrete breakout strength:

$$N_{cb} = [A_{Nc}/A_{Nco}] \phi_{ed,N} \phi_{c,N} \phi_{cp,N} N_b$$

$$A_{Nc} = (1.5 * 2.5'' * 2) * (1.5 * 2.5 + 2.06'') = 43.575 \text{ in}^2 \quad \textbf{Minimum edge distance = 2.06''}$$

$$A_{Nco} = 9 * 2.5^2 = 56.25 \text{ in}^2$$

$$C_{a,min} = 1.5 * 2.5'' = 3.75$$

$$C_{ac} = 2.5 * 2.5'' = 6.25$$

$$\phi_{ed,N} = 1.0$$

$$\phi_{c,N} = 1.0 \text{ (from ESR-3027)}$$

$$\phi_{cp,N} = 1.0 \text{ (from ESR-3027)}$$

$$N_b = 24 * 1.0 * \sqrt{3000} * 2.5^{1.5} = 5,196\#$$

$$N_{cb} = 43.575 / 56.25 * 1.0 * 1.0 * 1.0 * 5,196 = 4,025\#$$

From ESR-2526 anchor pull out does not control design

$$\phi N_n = 0.65 * 4,025\# = 2,616\#$$

$$N_s = \phi N_n / 1.6 = 2,616\# / 1.6 = 1,635\#$$

Anchor steel strength will not control

Moment resistance of each anchor:

For Fascia mounted

$$\phi M_n = 2,616\# * [2.06 - 0.5 * 2,616 / (2 * 0.85 * 3 \text{ ksi} * 12)] = 5,333''\# = 444.42' \# \text{ per anchor}$$

$$M_a = \phi M_n / \lambda = 5,333''\# / 1.6 = 3,333''\# = 277.76' \# \text{ (at 1' spacing)}$$

Maximum allowable wind loads (ASD) for 12" o.c. anchor spacing, into steel:

$$M_w = 277.76 - 4.55 = 273.21' \# / \text{ft}$$

$$36'' \text{ height: } w = 273.21\# / (0.55 * 3.333 * 3.0) = 49.7 \text{ psf}$$

$$42'' \text{ height: } w = 273.21\# / (0.55 * 3.833 * 3.5) = 37.0 \text{ psf}$$

For 6" on center spacing:

Minimum edge distance for 6" spacing is 3.75"

$$A_{Nc} = (6) * (1.5 * 2.5 + 2.06) = 34.86 \text{ in}^2 \quad \textbf{Edge distance = 2.06''}$$

$$N_{cb} = 34.86 / 56.25 * 1.0 * 1.0 * 1.0 * 5,196 = 3,220\#$$

$$\phi N_n = 0.65 * 3,220\# = 2,093\#$$

$$N_s = \phi N_n / 1.6 = 2,093\# / 1.6 = 1,308\#$$

Moment resistance for anchors at 6" on center:

$$\phi M_n = 2 * 2,093\# * [2.0 - 0.5 * 2 * 2,093 / (2 * 0.85 * 3 \text{ ksi} * 12)] = 8,229''\# = 685.74' \# / \text{ft}$$

EDWARD C. ROBISON, PE, SE

10012 Creviston Dr NW

Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

B5S Fascia (Side) mounted base shoe cont:

$$M_a = \phi M_n / \lambda = 8,229'' \# / 1.6 = 5,143'' \# = 428.59' \# / \text{ft}$$

Maximum allowable wind loads for anchors at 6" o.c.:

$$M_w = 428.59 - 4.55 = 424.04' \# / \text{ft}$$

$$36'' \text{ height: } w = 424.04 \# / (0.55 * 3.333 * 3.0) = 77.1 \text{ psf}$$

$$42'' \text{ height: } w = 424.04 \# / (0.55 * 3.833 * 3.5) = 57.5 \text{ psf}$$

Fascia (Side) mounted B5S base shoe to wood:**For Lag screws into solid wood (DFL, Southern Pine or equivalent density $G \geq 0.49$):**

1/2" Lag screws strength in per *National Design Specification for Wood Construction*:

Required withdrawal strength for 50 plf live load on 42" rail:

$$T = 50 \text{ plf} * 46'' / 2.06'' = 1,117 \# / \text{ft}$$

$$T' = 2,300'' \# / (2.06 - 0.5 * 1,117 / (12 * 625 \text{ psi})) = 1,158 \# \text{ (for wood bearing)}$$

W = 367 pli embedment From NDS Table 11.2A

For dry or interior applications, $C_m = 1.0$, $C_D = 1.33$

$$e = 1,158 \# / (367 * 1.33) = 2.37'' \text{ Use } 1/2'' \times 4'' \text{ lag screws}$$

For exterior wet applications, $C_m = 0.7$ applies when moisture content of wood may exceed 19%, $C_D = 1.33$

$$e = 1,158 \# / (367 * 1.33 * 0.70) = 3.39'' \text{ Use } 1/2'' \times 4'' \text{ lag screws}$$

$$4'' \text{ screw embed depth} = 4'' - 0.25'' - 0.3125 = 3.4375$$

Moment Strength For lags at 12" on center:

For dry conditions:

$$T_i = 3.4375 * 367 * 1.33 = 1,678 \#$$

$$M_{ia} = 1,678 * (2.06 - 0.5 * 1,678 / (12 * 625 \text{ psi})) = 3,269'' \# / \text{ft} = 272.41' \#$$

$$M_w = 272.41 - 4.55 = 267.86' \# / \text{ft}$$

$$36'' \text{ height: } w = 267.86 \# / (0.55 * 3.333 * 3.0) = 48.7 \text{ psf}$$

$$42'' \text{ height: } w = 267.86 \# / (0.55 * 3.833 * 3.5) = 36.3 \text{ psf}$$

For wet conditions:

$$T_o = 3.4375 * 367 * 1.33 * 0.7 = 1,175 \#$$

$$M_{oa} = 1,175 * (2.06 - 0.5 * 1,175 / (12 * 625 \text{ psi})) = 2,328'' \# / \text{ft} = 194.04' \#$$

$$M_w = 194.04 - 4.55 = 189.49' \# / \text{ft}$$

$$36'' \text{ height: } w = 189.49 \# / (0.55 * 3.333 * 3.0) = 34.5 \text{ psf}$$

$$42'' \text{ height: } w = 189.49 \# / (0.55 * 3.833 * 3.5) = 25.7 \text{ psf}$$

Moment Strength For lags at 6" on center:

For dry conditions:

$$2 * T_i = 2 * 1,678 \# = 3,356 \#$$

$$M_{ia6''} = 3,356 * (2.06 - 0.5 * 3,356 / (12 * 625 \text{ psi})) = 6,163'' \# / \text{ft} = 513.54' \#$$

$$M_w = 513.54 - 4.55 = 508.99' \# / \text{ft}$$

$$36'' \text{ height: } w = 508.99 \# / (0.55 * 3.333 * 3.0) = 92.6 \text{ psf}$$

$$42'' \text{ height: } w = 508.99 \# / (0.55 * 3.833 * 3.5) = 69.0 \text{ psf}$$

For wet conditions:

$$2 * T_o = 2 * 1,175 \# = 2,350 \#$$

$$M_{oa6''} = 2,350 * (2.06 - 0.5 * 2,350 / (12 * 625 \text{ psi})) = 4,473'' \# / \text{ft} = 372.74' \#$$

$$M_w = 372.74 - 4.55 = 368.19' \# / \text{ft}$$

$$36'' \text{ height: } w = 368.19 \# / (0.55 * 3.333 * 3.0) = 66.9 \text{ psf}$$

$$42'' \text{ height: } w = 368.19 \# / (0.55 * 3.833 * 3.5) = 49.9 \text{ psf}$$

EDWARD C. ROBISON, PE, SE

10012 Creviston Dr NW

Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

B5L Low Profile Base Shoe

6063-T52 Aluminum extrusion

Fully tempered glass glazed in place with wet glazing cement. Channel depth is inadequate to accommodate the Taper-Loc® system fully within the base shoe.

Shoe strength – Vertical legs:

Glass reaction by bearing on legs to form couple.

Allowable moment on legs:

$$M_a = S_1 F_y$$

$$F_y = 12.5 \text{ ksi (ADM Table 2-23, Sec 3.4.4 and 3.4.13)}$$

$$S_1 = 12'' * 0.625''^2 / 6 = 0.78125 \text{ in}^3/\text{ft}$$

$$M_a = 12.5 \text{ ksi} * 0.78125 \text{ in}^3/\text{ft} = 9,766\#''/\text{ft}$$

Leg shear strength @ base

$$t_{\min} = 0.625''$$

$$F_v = 5.5 \text{ ksi (ADM Table 2-23, Sec 3.4.20)}$$

$$V_{\text{all}} = 0.625'' * 12''/\text{ft} * 5.5 \text{ ksi} = 41.25 \text{ k/ft}$$

For **1/2" cap screw to tapped steel**, CRL Screw part SHCS12x34 or SHCS12x1

$$T_n = A_{sn} * t_c * 0.6 * F_{tu}$$

where $t_c = 0.25''$; $A_{sn} = 1.107''$ and $F_{tu} = 58 \text{ ksi}$ (A36 steel plate)

$$T_n = 1.107'' * 0.25 * 0.6 * 58 \text{ ksi} = 9.63 \text{ k}$$

$$\text{Bolt tension strength} = 0.75 * 67.5 \text{ ksi} * 0.1419 \text{ in}^2 = 7.18 \text{ k}$$

Since shear load is under $0.2 * \text{shear strength}$ ($V_a = 2.7\text{k}$) interaction can be ignored.

Use 5/16" minimum for maximum load:

$$\text{Maximum service load: } 7.18\text{k}/2 = 3,592\#$$

Maximum allowable moment for 12" on center spacing and direct bearing of base shoe on steel:

$$M = 3,592\# * [1.125'' - 0.5 * 3,592 / (30\text{ksi} * 12)] = 4,023\#'' = 335.26\#'' \text{ per anchor}$$

Maximum allowable wind loads (ASD) **1/2" cap screws at 12" o.c.** to structural steel:

$$36'' \text{ height: } w = 335.26\# / (0.55 * 3^2) = 67.7 \text{ psf}$$

$$42'' \text{ height: } w = 335.26\# / (0.55 * 3.5^2) = 49.8 \text{ psf}$$

To develop the full strength of 1/2" or 5/8" glass anchor spacing must be decreased to an average spacing of:

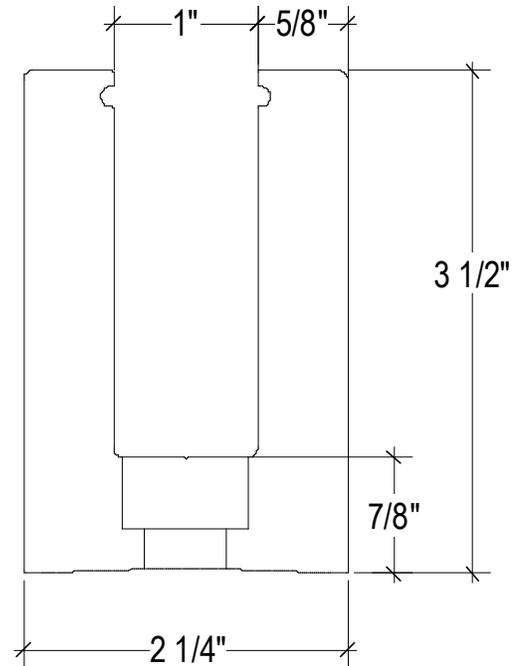
$$1/2'' \text{ glass: } 67.7 / 71.1 * 12 = 11.43'' \text{ o.c.}$$

$$5/8'' \text{ glass: } 67.7 / 114.4 * 12 = 7.10'' \text{ o.c.}$$

Maximum allowable wind loads (ASD) **1/2" cap screws at 6" o.c.** to structural steel:

$$36'' \text{ height: } w = 2 * 333\# / (0.55 * 3^2) = 134.5 \text{ psf}$$

$$42'' \text{ height: } w = 2 * 333\# / (0.55 * 3.5^2) = 98.8 \text{ psf}$$



EDWARD C. ROBISON, PE, SE
10012 Creviston Dr NW
Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

B5L Surface Mounted Continued:**For anchor into concrete:**

3/8" diameter Screw-in anchor Hilti Kwik HUS-EZ (KH-EZ) 3/8" x 4" manufactured by Hilti in accordance with ESR-3027 or Hilti HSL-3 M8 x 3-3/4" anchor in accordance with ESR-1545. Strength calculated in accordance with ACI 318-08 Appendix D.

$$f'_c \geq 3,000 \text{ psi}$$

2-1/2" effective embedment

For concrete breakout strength:

$$N_{cb} = [A_{Nc}/A_{Nco}] \phi_{ed,N} \phi_{c,N} \phi_{cp,N} N_b$$

$$A_{Nc} = (1.5 \times 2.5''^2) \times (1.5 \times 2.5''^2) = 56.25 \text{ in}^2 \quad \text{Edge distance} = 3 \text{ 3/4}''$$

$$A_{Nco} = 9 \times 2.5^2 = 56.25 \text{ in}^2$$

$$C_{a,min} = 1.5 \times 2.5'' = 3.75$$

$$C_{ac} = 2.5 \times 2.5'' = 6.25$$

$$\phi_{ed,N} = 1.0$$

$$\phi_{c,N} = 1.0 \text{ (from ESR-3027)}$$

$$\phi_{cp,N} = 1.0 \text{ (from ESR-3027)}$$

$$N_b = 24 \times 1.0 \times \sqrt{3000} \times 2.5^{1.5} = 5,196 \#$$

$$N_{cb} = 56.25/56.25 \times 1.0 \times 1.0 \times 1.0 \times 5,196 = 5,196 \#$$

From ESR-3027 anchor pull out does not control design

$$\phi N_n = 0.65 \times 5,196 \# = 3,377 \#$$

$$N_s = \phi N_n / 1.6 = 3,377 \# / 1.6 = 2,111 \#$$

Anchor steel strength will not control

Moment resistance of each anchor:

For surface mounted

$$\phi M_n = 3,377 \# \times [1.125 - 0.5 \times 3,377 / (2 \times 0.85 \times 3 \text{ ksi} \times 12)] = 3,705'' \# = 308.8' \# \text{ per anchor}$$

$$M_a = \phi M_n / \lambda = 3,705'' \# / 1.6 = 2,315'' \# = 193.0' \# \text{ (at 1' spacing doesn't develop full allowable glass load for 1/2" glass.)}$$

Maximum allowable wind loads (ASD):

$$36'' \text{ height: } w = 193.0' \# / (0.55 \times 3^2) = 39.0 \text{ psf}$$

$$42'' \text{ height: } w = 193.0' \# / (0.55 \times 3.5^2) = 28.6 \text{ psf}$$

Minimum acceptable edge distance for 50plf live load

$$A_{Nc} = 2100/2315 \times 56.2 = 50.98$$

$$b_{ac} = 50.98 / (1.5 \times 2.5''^2) - (1.5 \times 2.5) = 3.047'' \quad \text{Minimum edge distance is } 3.047''$$

$$N_{cb} = 50.98 / 56.25 \times 1.0 \times 1.0 \times 1.0 \times 5,196 = 4,709 \#$$

$$\phi N_n = 0.65 \times 4,709 \# = 3,061 \#$$

$$N_s = \phi N_n / 1.6 = 3,061 \# / 1.6 = 1,913 \#$$

$$\phi M_n = 3,061 \# \times [1.125 - 0.5 \times 3,061 / (2 \times 0.85 \times 3 \text{ ksi} \times 12)] = 3,367'' \# = 280.59' \# \text{ per anchor}$$

$$M_a = \phi M_n / \lambda = 3,367'' \# / 1.6 = 2,104'' \# = 175.37' \# \text{ (at 1' spacing doesn't develop full allowable glass load.)}$$

EDWARD C. ROBISON, PE, SE

10012 Creviston Dr NW

Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

B5L Surface Mounted Continued:

Maximum height for 50 plf live load for 12" o.c. anchors at 3.047" edge distance:

$$H_{\max 50} = 2,104\text{'}/50 = 42.08\text{'}$$

Maximum allowable wind loads (ASD) at 3.047" edge distance, 12" on center:

$$36\text{' height: } w = 175.37\text{'}/(0.55 \cdot 3^2) = 35.4 \text{ psf}$$

$$42\text{' height: } w = 175.37\text{'}/(0.55 \cdot 3.5^2) = 26.0 \text{ psf}$$

For 6" on center spacing:

$$A_{Nc} = (6) \cdot (1.5 \cdot 2.5 \cdot 2) = 45\text{in}^2 \quad \text{Edge distance} = \mathbf{3 \frac{3}{4}\text{'}}$$

$$N_{cb} = 45/56.25 \cdot 1.0 \cdot 1.0 \cdot 1.0 \cdot 5,196 = 4,157\text{\#}$$

$$\phi N_n = 0.65 \cdot 4,157\text{\#} = 2,702\text{\#}$$

$$N_s = \phi N_n / 1.6 = 2,702\text{\#} / 1.6 = 1,689\text{\#}$$

Moment resistance for anchors at 6" on center:

$$\phi M_n = 2 \cdot 2,702\text{\#} \cdot [1.125 - 0.5 \cdot 2 \cdot 2,702 / (2 \cdot 0.85 \cdot 3\text{ksi} \cdot 12)] = 5,841\text{'}\text{\#} = 486.74\text{'}\text{\#}/\text{ft}$$

$$M_a = \phi M_n / \lambda = 5,841\text{'}\text{\#} / 1.6 = 3,651\text{'}\text{\#} = 304.21\text{'}\text{\#}/\text{ft}$$

NOTE: When attached to concrete alternative anchors may be designed in accordance to the anchor manufacturer's engineering reports that can develop greater strength.

Maximum allowable wind loads (ASD) for anchors at 6" o.c.:

$$36\text{' height: } w = 304.21\text{'}\text{\#} / (0.55 \cdot 3^2) = 61.5 \text{ psf}$$

$$42\text{' height: } w = 304.21\text{'}\text{\#} / (0.55 \cdot 3.5^2) = 45.2 \text{ psf}$$

Minimum edge distance for 6" on center anchors:

$$A_{Ncg} = (6) \cdot (1.5 \cdot 2.5 + 1.75) = 33\text{in}^2 \quad \text{Minimum allowable edge distance is } \mathbf{1.75\text{'}}$$

$$N_{cb} = 33/56.25 \cdot 1.0 \cdot 1.0 \cdot 1.0 \cdot 5,196 = 3,048\text{\#}$$

$$\phi N_n = 0.65 \cdot 3,048\text{\#} = 1,981\text{\#}$$

$$N_s = \phi N_n / 1.6 = 1,981\text{\#} / 1.6 = 1,238\text{\#}$$

$$\phi M_n = 2 \cdot 1,981\text{\#} \cdot [1.125 - 0.5 \cdot 2 \cdot 1,981 / (2 \cdot 0.85 \cdot 3\text{ksi} \cdot 12)] = 4,329\text{'}\text{\#} = 360.75\text{'}\text{\#}$$

$$M_a = \phi M_n / \lambda = 4,329\text{'}\text{\#} / 1.6 = 2,706\text{'}\text{\#} = 225.47\text{'}\text{\#} \text{ (at 1' spacing doesn't develop full allowable glass load.)}$$

Maximum allowable wind loads (ASD) for anchors at 6" o.c. 1.75" edge distance:

$$36\text{' height: } w = 225.47\text{'}\text{\#} / (0.55 \cdot 3^2) = 45.6 \text{ psf}$$

$$42\text{' height: } w = 225.47\text{'}\text{\#} / (0.55 \cdot 3.5^2) = 33.5 \text{ psf}$$

EDWARD C. ROBISON, PE, SE
10012 Creviston Dr NW
Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

B5L FASCIA (SIDE) MOUNTED BASE SHOE

For side mounted base shoe the allowable loads are:

Screw into steel:

Dead Load

$$DL = 3.5' * 9.5 \text{psf} + 10.4 \text{plf} = 43.7 \text{plf}$$

Moment from dead load:

$$M_D = 43.7 \text{plf} * 2.25 / 2 = 49.2 \text{'}\#/\text{ft} = 4.1 \text{'}\#/\text{ft}$$

1/2" Countersunk screw

$$t_{\min} = 0.409''$$

$$P_{\text{nov}} = F_{\text{tu}} / \sqrt{3} * (A_v)$$

$$A_v = 0.409'' * \pi * .75'' = 0.964 \text{ in}^2$$

$$P_{\text{nov}} = 30 \text{ksi} / \sqrt{3} * (0.964 \text{ in}^2) = 16.69 \text{k}$$

screw strength will control

$$T_a = 10.8 / 3 = 3.6 \text{k} \text{ ASTM F 879 Cond CW Screw}$$

$$M_a = 3.6 \text{k} * [1.75'' - 0.5 * 3.6 \text{k} / (30 \text{ksi} * 12)]$$

$$M_a = 6,282 \text{'}\# = 523.5 \text{'}\# \text{ per anchor}$$

$$M_w = 523.5 - 4.1 = 519.4 \text{'}\#/\text{ft}$$

Maximum allowable wind loads (ASD):

$$36'' \text{ height: } w = 519.4 \text{'}\# / (0.55 * 3' * 3.292) = 95.6 \text{ psf}$$

$$42'' \text{ height: } w = 519.4 \text{'}\# / (0.55 * 3.5' * 3.792) = 71.2 \text{ psf}$$

1/2" Cap screw

$$t_{\min} = 0.132$$

$$P_{\text{nov}} = F_{\text{tu}} / \sqrt{3} * (A_v)$$

$$A_v = 0.132'' * \pi * .75'' = 0.311 \text{ in}^2$$

$$P_{\text{nov}} = 30 \text{ksi} / \sqrt{3} * (0.311 \text{ in}^2) = 5.4 \text{k}$$

base shoe tear through will control

$$P_a = 5.4 / 3 = 1.8 \text{k}$$

$$M_a = 1.8 \text{k} * [1.75'' - 0.5 * 1.8 \text{k} / (30 \text{ksi} * 12)]$$

$$M_a = 3,145.5 \text{'}\# = 262.1 \text{'}\# \text{ per anchor}$$

$$M_w = 262.1 - 4.1 = 258.0 \text{'}\#/\text{ft}$$

Maximum allowable wind loads (ASD) for cap screws at 12" o.c.:

$$36'' \text{ height: } w = 258.0 \text{'}\# / (0.55 * 3' * 3.292) = 47.5 \text{ psf}$$

$$42'' \text{ height: } w = 258.0 \text{'}\# / (0.55 * 3.5' * 3.792) = 35.3 \text{ psf}$$

Maximum allowable wind loads for cap screws at 6" o.c.:

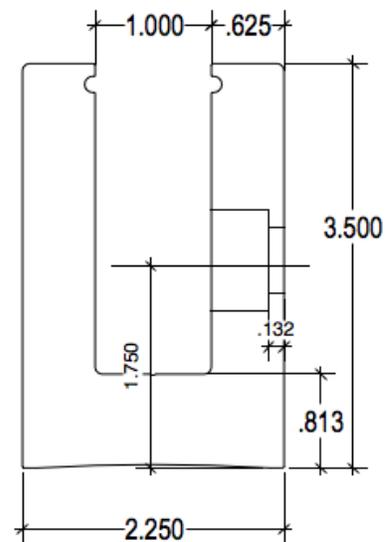
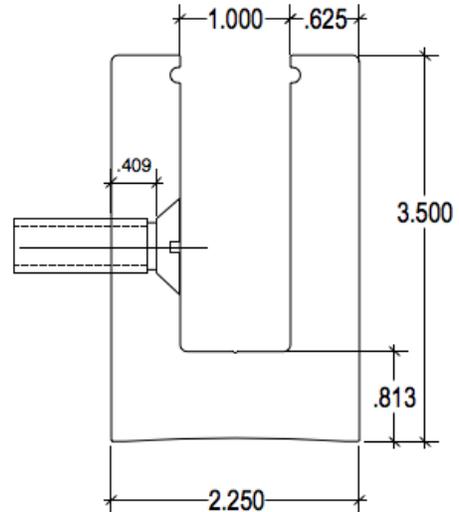
$$M_a = 2 * 1.8 \text{k} * [1.75'' - 0.5 * 2 * 1.8 \text{k} / (30 \text{ksi} * 12)]$$

$$M_a = 6,282 \text{'}\# = 523.5 \text{'}\# \text{ per anchor}$$

$$M_w = 523.5 - 4.1 = 519.4 \text{'}\#/\text{ft}$$

$$36'' \text{ height: } w = 519.4 \text{'}\# / (0.55 * 3' * 3.292) = 95.6 \text{ psf}$$

$$42'' \text{ height: } w = 519.4 \text{'}\# / (0.55 * 3.5' * 3.792) = 71.2 \text{ psf}$$



EDWARD C. ROBISON, PE, SE

10012 Creviston Dr NW

Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

B5L Fascia Mounted Continued:**For anchor into concrete:**

3/8" diameter Screw-in anchor Hilti Kwik HUS-EZ (KH-EZ) 3/8" x 4" manufactured by Hilti in accordance with ESR-3027 or Hilti HSL-3 M8 x 3-3/4" anchor in accordance with ESR-1545.

Strength calculated in accordance with ACI 318-08 Appendix D.

$f'_c \geq 3,000$ psi

2-1/2" effective embedment

$$\phi N_{sa} = 0.65 * 4,400\# = 2,860\#$$

For concrete breakout strength:

$$N_{cb} = [A_{Nc}/A_{Nco}] \phi_{ed,N} \phi_{c,N} \phi_{cp,N} N_b$$

$$A_{Nc} = (1.5 * 2.5'' * 2) * (1.5 * 2.5'' + 1.75'') = 41.25 \text{ in}^2 \quad \text{Minimum Edge}$$

distance is 1.75"

$$A_{Nco} = 9 * 2.5^2 = 56.25 \text{ in}^2$$

$$C_{a,min} = 1.5 * 2.5'' = 3.75$$

$$C_{ac} = 2.5 * 2.5'' = 6.25$$

$$\phi_{ed,N} = 1.0$$

$$\phi_{c,N} = 1.0 \text{ (from ESR-3027)}$$

$$\phi_{cp,N} = 1.0 \text{ (from ESR-3027)}$$

$$N_b = 24 * 1.0 * \sqrt{3000} * 2.5^{1.5} = 5,196\#$$

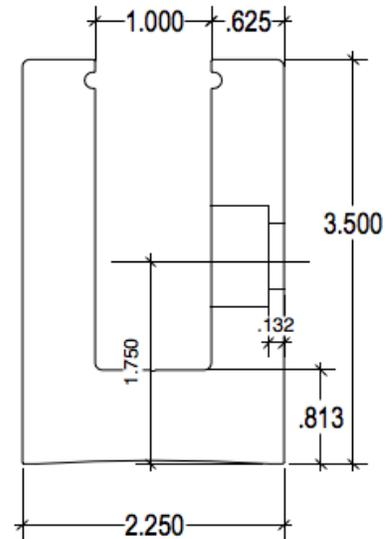
$$N_{cb} = 41.25 / 56.25 * 1.0 * 1.0 * 1.0 * 5,196 = 3,810\#$$

From ESR-3027 anchor pull out does not control design

$$\phi N_n = 0.65 * 3,810\# = 2,577\#$$

$$N_s = \phi N_n / 1.6 = 2,577\# / 1.6 = 1,548\#$$

Anchor steel strength will not control



Moment resistance of each anchor:

For Fascia mounted

$$\phi M_n = 2,577\# * [1.75 - 0.5 * 2,577 / (2 * 0.85 * 3 \text{ ksi} * 12)] = 4,455''\# = 371.29' \# \text{ per anchor}$$

$$M_a = \phi M_n / \lambda = 4,455''\# / 1.6 = 2,785''\# = 232.06' \#$$

$$M_w = 232.06 - 4.1 = 227.96' \# / \text{ft}$$

Maximum allowable wind loads (ASD) for cap screws at 12" o.c.:

$$36'' \text{ height: } w = 227.96\# / (0.55 * 3' * 3.292) = 42.0 \text{ psf}$$

$$42'' \text{ height: } w = 227.96\# / (0.55 * 3.5' * 3.792) = 31.2 \text{ psf}$$

For 6" on center anchors:

$$A_{Ncg} = (6) * (1.5 * 2.5 + 1.75) = 33 \text{ in}^2 \quad \text{Minimum allowable edge distance is 1.75"}$$

$$N_{cb} = 33 / 56.25 * 1.0 * 1.0 * 1.0 * 5,196 = 3,048\#$$

$$\phi N_n = 0.65 * 3,048\# = 1,981\#$$

$$N_s = \phi N_n / 1.6 = 1,981\# / 1.6 = 1,238\#$$

$$\phi M_n = 2 * 1,981\# * [1.75 - 0.5 * 2 * 1,981 / (2 * 0.85 * 3 \text{ ksi} * 12)] = 5,395''\# = 449.54' \#$$

$$M_a = \phi M_n / \lambda = 5,395''\# / 1.6 = 3,372''\# = 280.99' \#$$

$$M_w = 280.99 - 4.1 = 276.89' \# / \text{ft}$$

Maximum allowable wind loads (ASD) for anchors at 6" o.c. 1.75" edge distance:

$$36'' \text{ height: } w = 276.89\# / (0.55 * 3' * 3.292) = 51.0 \text{ psf}$$

$$42'' \text{ height: } w = 276.89\# / (0.55 * 3.5' * 3.792) = 37.9 \text{ psf}$$

EDWARD C. ROBISON, PE, SE

10012 Creviston Dr NW

Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

B5L Fascia Mounted Continued:**Fascia (Side) mounted B5L base shoe to wood:****For Lag screws into solid wood (DFL, Southern Pine or equivalent density $G \geq 0.49$):**

1/2" Lag screws strength in per *National Design Specification for Wood Construction*:

$W = 367$ pli embedment From NDS Table 11.2A

For dry or interior applications, $C_m = 1.0$, $C_D = 1.33$

$e = 1,158\# / (367 * 1.33) = 2.37''$ Use 1/2" x 4" lag screws

For exterior wet applications, $C_m = 0.7$ applies when moisture content of wood may exceed 19%, $C_D = 1.33$

$e = 1,158\# / (367 * 1.33 * 0.70) = 3.39''$ Use 1/2" x 4" lag screws

4" screw embed depth = $4'' - 0.25'' - 0.3125 = 3.4375$

Moment from top rail load about bottom of base shoe:

$M_{36} = 50\text{plf} * (36 + 3.75) = 1,987.5''\#/\text{ft} = 190.625'\#/\text{ft}$

$M_{42} = 50\text{plf} * (42 + 3.75) = 2,287.5''\#/\text{ft} = 190.625'\#/\text{ft}$

Moment Strength For lags at 12" on center:

For dry conditions:

$T_i = 3.4375 * 367 * 1.33 = 1,678\#$

$M_{ia} = 1,678 * (1.75 - 0.5 * 1,678 / (12 * 625\text{psi})) = 2,749''\#/\text{ft} = 229.07'\#$

$M_w = 229.07 - 4.1 = 224.97'\#/\text{ft}$

36" height: $w = 224.97\# / (0.55 * 3.292 * 3.0) = 41.4$ psf

42" height: $w = 224.97\# / (0.55 * 3.792 * 3.5) = 30.8$ psf

For wet conditions:

$T_o = 3.4375 * 367 * 1.33 * 0.7 = 1,175\#$

$M_{oa} = 1,175 * (1.75 - 0.5 * 1,175 / (12 * 625\text{psi})) = 1,964''\#/\text{ft} = 163.68'\#$

$M_w = 163.68 - 4.1 = 159.58'\#/\text{ft}$

MAY ONLY BE USED FOR PRIVATE RESIDENCES WITH 6' MINIMUM LENGTH

NOT ALLOWED FOR USES OTHER THAN PRIVATE RESIDENCES

36" height: $w = 159.58\# / (0.55 * 3.292 * 3.0) = 29.4$ psf

42" height: $w = 159.58\# / (0.55 * 3.792 * 3.5) = 21.9$ psf

Moment Strength For lags at 6" on center:

For dry conditions:

$2 * T_i = 2 * 1,678\# = 3,356\#$

$M_{ia6"} = 3,356 * (1.75 - 0.5 * 3,356 / (12 * 625\text{psi})) = 5,122''\#/\text{ft} = 426.85'\#$

$M_w = 426.85 - 4.1 = 422.75'\#/\text{ft}$

36" height: $w = 422.75\# / (0.55 * 3.292 * 3.0) = 77.8$ psf

42" height: $w = 422.75\# / (0.55 * 3.792 * 3.5) = 57.9$ psf

For wet conditions:

$2 * T_o = 2 * 1,175\# = 2,350\#$

$M_{oa6"} = 2,350 * (1.75 - 0.5 * 2,350 / (12 * 625\text{psi})) = 3,744''\#/\text{ft} = 312.03'\#$

$M_w = 312.03 - 4.1 = 307.93'\#/\text{ft}$

36" height: $w = 307.93\# / (0.55 * 3.292 * 3.0) = 56.8$ psf

42" height: $w = 307.93\# / (0.55 * 3.792 * 3.5) = 42.2$ psf

EDWARD C. ROBISON, PE, SE

10012 Creviston Dr NW

Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

B5T Tapered Base Shoe

6063-T52 Aluminum

Shoe strength – Vertical legs:

Glass reaction by bearing on legs to form couple.

Allowable moment on legs:

$$M_a = S_1 F_y$$

$$F_y = 12.5 \text{ ksi (ADM Table 2-24, Sec 3.4.4)}$$

$$S_1 = 12'' * 0.5''^2 * 6 = 0.5 \text{ in}^3/\text{ft}$$

$$M_a = 12.5 \text{ ksi} * 0.5 \text{ in}^3/\text{ft} = 6,250''\#/ft$$

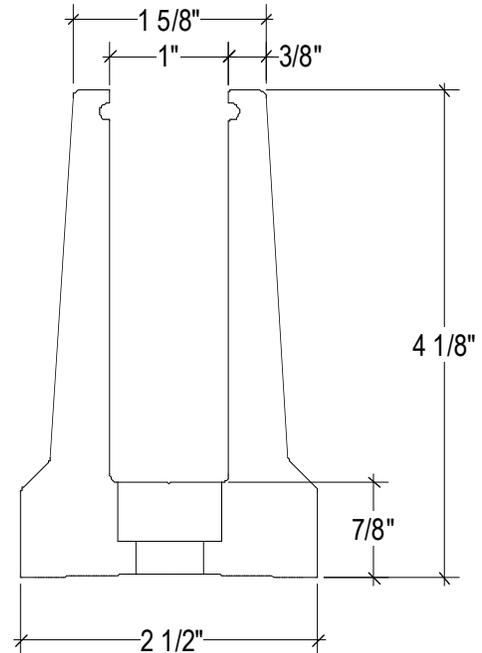
Leg shear strength @ base

$$t_{\min} = 0.5''$$

$$F_v = 5.5 \text{ ksi (ADM Table 2-23, Sec 3.4.20)}$$

$$V_{\text{all}} = 0.5'' * 12''/\text{ft} * 5.5 \text{ ksi} = 33 \text{ k/ft}$$

Can be anchored down same as the standard 2-1/2" base shoe B5S. The anchorage will have the same strength and loading characteristics.



Embedded Base Shoe Option (All base shoe types can be used)

Calculation based on base shoe embedded without any attachment to reinforcing or otherwise anchored.

Reaction on concrete:

Compression on top edge:

$$0.85 * f'_c * a = M / (h - a/2)$$

Solve for a

$$1/2 a^2 - 0.85 f'_c h a - M = 0$$

$$M = 10,000''\#/ft, h = 4.125'', f'_c = 2,500 \text{ psi}$$

$$1/2 a^2 - 0.85 * 2,500 * 4.125 a - 10,000 = 0$$

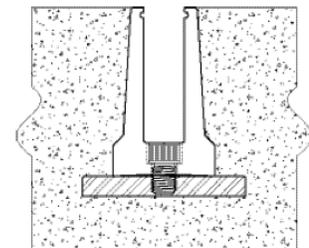
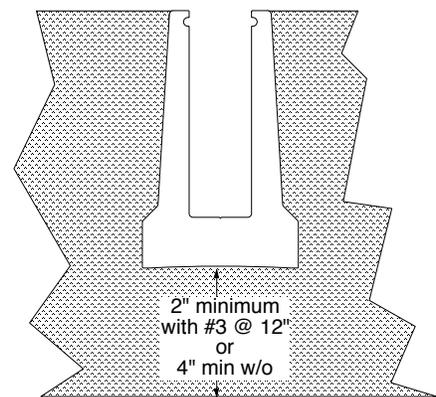
$$1/2 a^2 - 8765.625 a - 10,000 = 0$$

using the quadratic equation to solve for a:

$$[8765.625 \pm \sqrt{(8765.625^2 + 4 * 0.5 * 10000)}] / (2 * 0.5) = 1.14''$$

1.14" < 1/3 * 4.125" therefore okay.

Embedded base shoe will safely support 10,000''#/ft of moment



There is no fascia mounted option for the B5T base shoe.

EDWARD C. ROBISON, PE, SE
10012 Creviston Dr NW
Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

B5A SurfaceMate Square Base Shoe 2-1/2" x 4-1/4"

B5A Shoe is designed to be interchangeable with the B5S shoe. The B5A base shoe allowable loads are the same as for the B5S shoes for all anchor types and configurations. Refer to the B5S base shoe calculations for allowable loads and supporting calculations for the anchor type.

SurfaceMate Angle Adjust Curved Blocks

Used at each anchor bolt to allow adjustment of the B5A base shoe to plumb on an out of level or uneven substrate.

When used on a steel substrate anchors and allowable loads are the same as for the B5S.

When installed on a concrete substrate grout shall be packed solid under the base shoe or a continuous shim strip used in order to develop the full allowable loads as calculated for the B5S.

When installed on concrete substrate without grouting or continuous shim the allowable loads are adjusted to:

For 3-3/4" anchor edge distance

$$M_a = 2,111\# \cdot [1.25 - 0.5 \cdot 2,111 / (2 \cdot 0.85 \cdot 3\text{ksi} \cdot 2.25)] = 2,445\# = 203.7\# \text{ per anchor}$$

Maximum allowable wind loads (ASD) for 12" spacing:

$$36\text{'' height: } w = 203.7\# / (0.55 \cdot 3^2) = 41.2 \text{ psf}$$

$$42\text{'' height: } w = 203.7\# / (0.55 \cdot 3.5^2) = 33.1 \text{ psf}$$

For minimum edge distance is 2.35"

$$\phi M_n = 1,717\# \cdot [1.25 - 0.5 \cdot 1,717 / (2 \cdot 0.85 \cdot 3\text{ksi} \cdot 2.25)] = 2,018\# = 168.2\# \text{ per anchor}$$

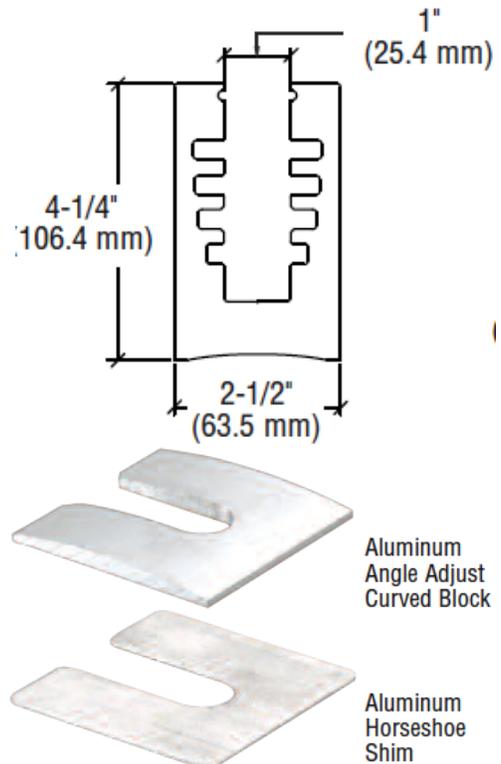
Anchor spacing must be decreased for 42" guard height when 50 plf live load applies.

$$S_{50-42} = 2,018\# / \text{ft} / (50 \cdot 42\text{'}) \cdot 12 = 11.5\text{' o.c. (use 11 anchors for 10' section)}$$

Maximum allowable wind loads (ASD) (12" o.c. spacing):

$$36\text{'' height: } w = 168.2\# / (0.55 \cdot 3^2) = 34.0 \text{ psf}$$

$$42\text{'' height: } w = 168.2\# / (0.55 \cdot 3.5^2) = 25.0 \text{ psf (DOESN'T MEET 50PLF LIVE LOAD)}$$

**B5A Surface Mounted to Concrete Continued:**

EDWARD C. ROBISON, PE, SE
10012 Creviston Dr NW
Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

For concrete anchors at 6" on center:

Refer to B5S for anchor strength calculations.

For 3-3/4" minimum edge distance

$$\phi M_n = 1,689\# * [1.25 - 0.5 * 1,689 / (2 * 0.85 * 3\text{ksi} * 2.25)] = 1,987\#\# = 165.58\#\# \text{ per anchor}$$

Maximum allowable wind loads (ASD) (6" o.c. spacing):

$$36\text{'' height: } w = 2 * 165.58\#\# / (0.55 * 3^2) = 66.9 \text{ psf}$$

$$42\text{'' height: } w = 2 * 165.58\#\# / (0.55 * 3.5^2) = 49.2 \text{ psf}$$

For 1-3/4" minimum edge distance

$$\phi M_n = 1,238\# * [1.25 - 0.5 * 1,238 / (2 * 0.85 * 3\text{ksi} * 2.25)] = 1,481\#\# = 123.39\#\# \text{ per anchor}$$

Maximum allowable wind loads (ASD) (6" o.c. spacing):

$$36\text{'' height: } w = 2 * 123.39\#\# / (0.55 * 3^2) = 49.9 \text{ psf}$$

$$42\text{'' height: } w = 2 * 123.39\#\# / (0.55 * 3.5^2) = 36.6 \text{ psf}$$

Not to be surface mounted directly to wood substrates.

Fascia mount is same as for B5S.

B5G - Green Base Shoe

6063-T52 Aluminum extrusion

Shoe strength – Vertical legs:

Glass reaction by bearing on legs to form couple.

Allowable moment on legs:

$$M_a = S_1 * F_t \text{ or } F_c$$

$$F_t = F_c = 12.5 \text{ ksi (ADM Table 2-23, Sec 3.4.4 and 3.4.13)}$$

At top 2nd cell

$$S_{mid} = 12'' * 0.275''^2 / 6 = 0.151 \text{ in}^3/\text{ft}$$

$$M_a = 12.5 \text{ ksi} * 0.151 \text{ in}^3/\text{ft} = 1,891 \text{ #}''/\text{ft}$$

$$P_a = 1,891 \text{ #}'' / 1.38'' = 1,370 \text{ plf}$$

At mid-height

$$S_{mid} = 12'' * 0.346''^2 / 6 = 0.239 \text{ in}^3/\text{ft}$$

$$M_a = 12.5 \text{ ksi} * 0.239 \text{ in}^3/\text{ft} = 2,993 \text{ #}''/\text{ft}$$

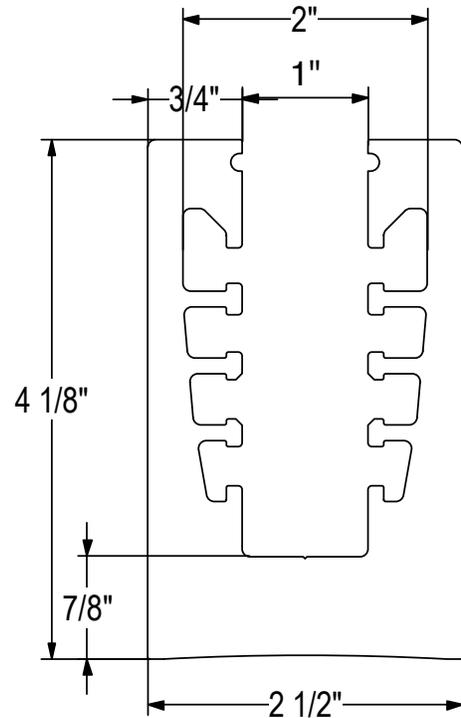
$$P_a = 2,993 \text{ #}'' / 2.24'' = 1,336 \text{ plf}$$

At bottom cell:

$$S_{mid} = 12'' * 0.405''^2 / 6 = 0.328 \text{ in}^3/\text{ft}$$

$$M_a = 12.5 \text{ ksi} * 0.328 \text{ in}^3/\text{ft} = 4,100 \text{ #}''/\text{ft}$$

$$P_a = 4,100 \text{ #}'' / 2.83'' = 1,449 \text{ plf}$$



Maximum allowable glass moment based on base shoe leg strength:

$$M_a = 1,336 \text{ plf} * 2.875'' = 3,841 \text{ #}''/\text{ft}$$

Check leg deflection for 3,800 #/ft moment on rail:

$$p = 3,800 / (2.875'') = 1,322 \text{ plf}$$

$$I_{eff} = [(0.440)^3 + (0.355)^3 + (0.300)^3 + (0.275)^3] / 4 = 0.0444 \text{ in}^4/\text{ft}$$

$$\Delta = Ph^3 / (3EI) = 1,322 * 2.875^3 / (3 * 10.1 * 10^6 * 0.0444) = 0.0233''$$

Deflection at top:

$$\Delta_{top} = 42 / 2.875 * 0.0233 = 0.34''$$

Leg shear strength @ groove

$$t_{min} = 0.275''$$

$$F_v = 5.5 \text{ ksi (ADM Table 2-23, Sec 3.4.20)}$$

$$V_{all} = 0.275'' * 12''/\text{ft} * 5.5 \text{ ksi} = 18.15 \text{ k/ft}$$

Compression strength of ribs:

$$F_c = 8.9 - 0.037(kL/r) = 8.9 - 0.037(2 * 0.475 / (0.125 / \sqrt{12})) = 7.926 \text{ ksi}$$

$$P_c = 7,926 \text{ psi} * 12'' * 0.125'' = 11,889 \text{ plf} \geq 1,322 \text{ plf rib strength is adequate}$$

Attachment is same as for B5S base shoe for all uses.

EDWARD C. ROBISON, PE, SE

10012 Creviston Dr NW

Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

8B Series - Square, Cored Base Shoe

6063-T52 Aluminum extrusion

Shoe strength – Vertical legs:

Glass reaction by bearing on legs to form couple.

Allowable moment on legs:

$$M_a = S_i * F_t \text{ or } F_c$$

$$F_t = F_c = 12.5 \text{ ksi (ADM Table 2-23, Sec 3.4.4 and 3.4.13)}$$

At 3rd cell - Rectangular cell used for fascia mounted option.

Moment resistance across cell

$$M_a = A_i * T_a * c = 0.14'' * 12.5 \text{ ksi} * (0.75 - 0.14)$$

 A_i = area of inside leg

$$M_a = 1.0675 \text{ k''} = 12,810'' \text{#/ft}$$

Allowable shear across cell - based on shear bending across cell legs allowing rotation at top

$$V_a = (S_i + S_o) * T_a / b$$

 S_i, S_o = section modulus of inside or outside leg

 b = height of cell = 0.915''

$$V_a = (0.14^2/6 + 0.25^2/6) * 12.5 \text{ ksi} / 0.915''$$

$$V_a = 187 \text{ #/in} = 2,243 \text{ plf (won't control)}$$

Strength at bottom cell - truss action around cell-

$$M_a = A_v * T_a * c = 0.14'' * 12.5 \text{ ksi} * (0.75 - 0.14) = 12,810'' \text{#/ft}$$

 A_v = area of vertical leg, A_d = Area of diagonal load

Allowable shear across cell:

$$V_a = A_d * T_a$$

$$V_a = (0.14 * 12.5 \text{ ksi}) = 1,750 \text{ pli} = 21,000 \text{ plf (shear won't control)}$$

Maximum allowable glass shear load reaction on top of base shoe, based on base shoe leg strength:

$$V_a = M_a / B = 12,810'' \text{#/ft} / 3.313'' = 3,866 \text{ plf}$$

Check leg deflection for 3,800''#/ft moment on rail:

Strain in cell walls:

$$\epsilon = (\sigma/E) * B = [(3,800 / (0.14'' * 12'' * 0.61'') / 10,100,000] * 3.313'' = 0.0012''$$

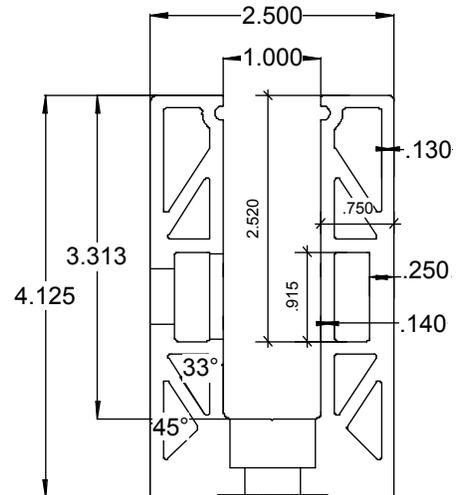
$$\Delta_\epsilon = (2 * 0.0012'') / (0.75 / 2) = 0.0065''$$

$$\Delta_b = 3800 * 3.313^2 / (3 * 10,100,000 * 0.75^3) = 0.0033''$$

$$\Delta_T = \Delta_\epsilon + \Delta_b = 0.0065 + 0.0033 = 0.0098''$$

Glass deflection at 42'' above base shoe from base shoe leg deflection

$$\Delta_g = 0.0098 * (42 / 3.313) = 0.124'' \text{ based on } 3,800'' \text{ # glass moment; } 0.069'' \text{ for typical } 50 \text{ plf LL.}$$

Attachment is same as for B5S base shoe for all uses.

EDWARD C. ROBISON, PE, SE

10012 Creviston Dr NW

Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

B6S 2 5/8" X 4 1/8" GLASS BALUSTRADE BASE SHOE

Heavy Duty Square Base Shoe

6063-T52 Aluminum extrusion

Fully tempered glass glazed in place, either wet glazing cement or Taper-Loc®.

Shoe strength – Vertical legs:

Glass reaction by bearing on legs to form couple. Allowable moment on legs:

$$M_a = S_l F_y$$

$$F_t = F_c = 12.5 \text{ ksi (ADM Table 2-23, Sec 3.4.4 and 3.4.13)}$$

$$S_l = 12'' * 0.75''^2 * 6 = 1.125 \text{ in}^3/\text{ft}$$

$$M_a = 12.5 \text{ ksi} * 1.125 \text{ in}^3/\text{ft} = 14,062\#''/\text{ft}$$

Leg shear strength @ groove

$$t_{\min} = 0.343''$$

$$F_v = 5.5 \text{ ksi (ADM Table 2-23, Sec 3.4.20)}$$

$$V_{\text{all}} = 0.75'' * 12''/\text{ft} * 5.5 \text{ ksi} = 49.5 \text{ k/ft}$$

Base shoe anchorage:

Typical rail section: 42" high 50 plf top rail load or 25 psf panel load

$$M_t = 50 \text{ plf} * 42'' = 2,100\#''/\text{ft}$$

$$M_w = 25 \text{ psf} * 3.5' * 21'' = 1,837.5\#''$$

Typical Anchor load – 12" o.c. – $T_a = 2,100\#''/1.31'' = 1,603\#$ **Maximum allowable moment for 1/2" cap screws ($T_a = 3,592\#$ from B5S calculations) 12" on center spacing and direct bearing of base shoe on steel:**

$$M_a = 3,592\# * [1.31'' - 0.5 * 3,592 / (30 \text{ ksi} * 12)] = 4,688\#'' = 390.6\# \text{ per anchor}$$

Maximum allowable wind loads (ASD):

$$36'' \text{ height: } w = 390.6\# / (0.55 * 3^2) = 78.9 \text{ psf}$$

$$42'' \text{ height: } w = 390.6\# / (0.55 * 3.5^2) = 58.0 \text{ psf}$$

6" on center spacing and direct bearing of base shoe on steel:

$$M_a = 3,592\# * [1.31'' - 0.5 * 3,592 / (30 \text{ ksi} * 6)] = 4,670\#'' = 389.14\# \text{ per anchor}$$

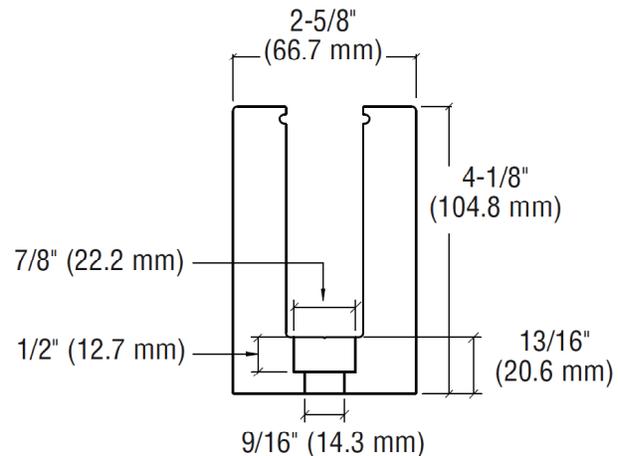
Maximum allowable wind loads (ASD):

$$36'' \text{ height: } w = 2 * 389.14\# / (0.55 * 3^2) = 157.2 \text{ psf}$$

$$42'' \text{ height: } w = 2 * 389.14\# / (0.55 * 3.5^2) = 115.5 \text{ psf}$$

required spacing to develop full strength of 5/8" glass:

$$s = 4,688 / 6,797 * 12'' = 8 \frac{1}{4}'' \text{ on center average}$$



EDWARD C. ROBISON, PE, SE

10012 Creviston Dr NW

Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

B6S Surface Mounted to Concrete:

For anchor into concrete:

3/8" diameter Screw-in anchor Hilti Kwik HUS-EZ (KH-EZ) 3/8" x 4" manufactured by Hilti in accordance with ESR-3027 or Hilti HSL-3 M8 x 3-3/4" anchor in accordance with ESR-1545.

Strength calculated in accordance with ACI 318-08 Appendix D.

2-1/2" effective embedment

Minimum concrete strength: $f'_c \geq 3,000$ psi

$$\phi N_{sa} = 0.65 * 4,400\# = 2,860\#$$

For concrete breakout strength:

$$N_{cb} = [A_{Nc}/A_{Nco}] \phi_{ed,N} \phi_{c,N} \phi_{cp,N} N_b$$

$$A_{Nc} = (1.5 * 2.5'' * 2) * (1.5 * 2.5 * 2) = 56.25 \text{in}^2 \quad \text{Edge distance} = 3 \ 3/4''$$

$$A_{Nco} = 9 * 2.5^2 = 56.25 \text{in}^2$$

$$C_{amin} = 1.5 * 2.5'' = 3.75$$

$$C_{ac} = 2.5 * 2.5'' = 6.25$$

$$\phi_{ed,N} = 1.0$$

$$\phi_{c,N} = 1.0 \text{ (from ESR-3027)}$$

$$\phi_{cp,N} = 1.0 \text{ (from ESR-3027)}$$

$$N_b = 24 * 1.0 * \sqrt{3000} * 2.5^{1.5} = 5,196\#$$

$$N_{cb} = 56.25 / 56.25 * 1.0 * 1.0 * 1.0 * 5,196 = 5,196\#$$

From ESR-2526 anchor pull out does not control design

$$\phi N_n = 0.65 * 5,196\# = 3,377\#$$

$$N_s = \phi N_n / 1.6 = 3,377\# / 1.6 = 2,111\#$$

Anchor steel strength will not control

Moment resistance of each anchor:

For surface mounted

$$\phi M_n = 3,377\# * [1.31 - 0.5 * 3,377 / (2 * 0.85 * 3 \text{ksi} * 12)] = 4,331''\# = 360.9'\# \text{ per anchor}$$

$$M_a = \phi M_n / \lambda = 4,331''\# / 1.6 = 2,707''\# = 225.58'\# \text{ (at 1' spacing doesn't develop full allowable glass load for 5/8" glass.)}$$

Maximum allowable wind loads (ASD) for 12" o.c. anchors:

$$36'' \text{ height: } w = 225.58\# / (0.55 * 3^2) = 45.6 \text{ psf}$$

$$42'' \text{ height: } w = 225.58\# / (0.55 * 3.5^2) = 33.5 \text{ psf}$$

Minimum acceptable edge distance is 2.35" For 42" guard height and 12" o.c. spacing.

$$A_{Nc} = (1.5 * 2.5'' * 2) * (1.5 * 2.5 + 2.35) = 45.75 \text{in}^2 \quad \text{Minimum edge distance is 2.35''}$$

$$N_{cb} = 45.75 / 56.25 * 1.0 * 1.0 * 1.0 * 5,196 = 4,226\#$$

$$\phi N_n = 0.65 * 4,226\# = 2,747\#$$

$$N_s = \phi N_n / 1.6 = 2,747\# / 1.6 = 1,717\#$$

$$\phi M_n = 2,747\# * [1.31 - 0.5 * 2,747 / (2 * 0.85 * 3 \text{ksi} * 12)] = 3,537''\# = 294.7'\# \text{ per anchor}$$

$$M_a = \phi M_n / \lambda = 3,537''\# / 1.6 = 2,211''\# = 184.2'\# \text{ (at 1' spacing doesn't develop full allowable glass load.)}$$

EDWARD C. ROBISON, PE, SE

10012 Creviston Dr NW

Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

B6S Surface Mounted to Concrete continued:

Maximum allowable wind loads (ASD):

$$36'' \text{ height: } w = 184.2\# / (0.55 * 3^2) = 37.2 \text{ psf}$$

$$42'' \text{ height: } w = 184.2\# / (0.55 * 3.5^2) = 27.3 \text{ psf}$$

6'' O.C. Anchor Spacing, 3.75'' edge spacing:

$$A_{Nc} = (6) * (1.5 * 2.5 * 2) = 45 \text{ in}^2 \quad \text{Edge distance} = 3 \frac{3}{4}''$$

$$N_{cb} = 45 / 56.25 * 1.0 * 1.0 * 1.0 * 5,196 = 4,157\#$$

$$\phi N_n = 0.65 * 4,157\# = 2,702\#$$

$$N_s = \phi N_n / 1.6 = 2,702\# / 1.6 = 1,689\#$$

Moment resistance for anchors at 6'' on center:

$$\phi M_n = 2 * 2,702\# * [1.31 - 0.5 * 2 * 2,702 / (2 * 0.85 * 3 \text{ksi} * 12)] = 6,560''\# = 580''\# / \text{ft}$$

$$M_a = \phi M_n / \lambda = 6,560''\# / 1.6 = 4,350''\# = 362.5''\# / \text{ft}$$

NOTE: When attached to concrete alternative anchors may be designed in accordance to the anchor manufacturer's engineering reports that can develop greater strength.

Maximum allowable wind loads (ASD):

$$36'' \text{ height: } w = 362.5\# / (0.55 * 3^2) = 73.23 \text{ psf}$$

$$42'' \text{ height: } w = 362.5\# / (0.55 * 3.5^2) = 53.8 \text{ psf}$$

6'' O.C. Anchor Spacing, 1.75'' edge spacing:

$$A_{Ncg} = (6) * (1.5 * 2.5 + 1.75) = 33 \text{ in}^2 \quad \text{Minimum allowable edge distance is } 1.75''$$

$$N_{cb} = 33 / 56.25 * 1.0 * 1.0 * 1.0 * 5,196 = 3,048\#$$

$$\phi N_n = 0.65 * 3,048\# = 1,981\#$$

$$N_s = \phi N_n / 1.6 = 1,981\# / 1.6 = 1,238\#$$

$$\phi M_n = 2 * 1,981\# * [1.31 - 0.5 * 2 * 1,981 / (2 * 0.85 * 3 \text{ksi} * 12)] = 5,062''\# = 421.83''\# / \text{ft}$$

$$M_a = \phi M_n / \lambda = 5,062''\# / 1.6 = 3,164''\# = 263.64''\# / \text{ft}$$

Maximum allowable wind loads (ASD) for anchors at 6'' o.c. 1.75'' edge distance:

$$36'' \text{ height: } w = 263.64\# / (0.55 * 3^2) = 53.3 \text{ psf}$$

$$42'' \text{ height: } w = 263.64\# / (0.55 * 3.5^2) = 39.1 \text{ psf}$$

FASCIA (SIDE) MOUNTED B6S BASE SHOE

For side mounted base shoe the allowable loads are the same as for the B5S shoe.

Alternative anchors will provide the same allowable loads as for the B5S base shoe therefore refer to the B5S calculations for the fascia (side) mounted options.

EDWARD C. ROBISON, PE, SE
10012 Creviston Dr NW
Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

B7S 2 3/4" X 4 1/8" GLASS BALUSTRADE BASE SHOE**Heavy Duty Square Base Shoe**

6063-T52 Aluminum extrusion

Fully tempered glass glazed in place, either wet glazing cement or Taper-Loc®.

Shoe strength – Vertical legs:

Glass reaction by bearing on legs to form couple. Allowable moment on legs:

$$M_a = S_1 F_y$$

$$F_t = F_c = 12.5 \text{ ksi (ADM Table 2-23, Sec 3.4.4 and 3.4.13)}$$

$$S_1 = 12'' * 0.75''^2 * 6 = 1.125 \text{ in}^3/\text{ft}$$

$$M_a = 12.5 \text{ ksi} * 1.125 \text{ in}^3/\text{ft} = 14,062\#''/\text{ft}$$

Leg shear strength @ groove

$$t_{\min} = 0.343''$$

$$F_v = 5.5 \text{ ksi (ADM Table 2-23, Sec 3.4.20)}$$

$$V_{\text{all}} = 0.75'' * 12''/\text{ft} * 5.5 \text{ ksi} = 49.5 \text{ k/ft}$$

Base shoe anchorage:

Typical rail section: 42" high 50 plf top rail load or 25 psf panel load

$$M_t = 50 \text{ plf} * 42'' = 2,100\#''/\text{ft}$$

$$M_w = 25 \text{ psf} * 3.5' * 21'' = 1,837.5\#''$$

$$\text{Typical Anchor load} - 12'' \text{ o.c.} - T_a = 2,100\#''/1.375'' = 1,527\#$$

1/2" Cap Screw to Steel Supports - See B5S for anchor strength calculation.

Maximum allowable moment for 1/2" cap screws ($T_a = 3,592\#$) 12" on center spacing and direct bearing of base shoe on steel:

$$M_a = 3,592\# * [1.375'' - 0.5 * 3,592 / (30 \text{ ksi} * 12)] = 4,921\#'' = 410.09\#''/\text{ft}$$

Maximum allowable wind loads (ASD) for Cap screws at 12" o.c.:

$$36'' \text{ height: } w = 410.09\#'' / (0.55 * 3^2) = 82.8 \text{ psf}$$

$$42'' \text{ height: } w = 410.09\#'' / (0.55 * 3.5^2) = 60.9 \text{ psf}$$

Maximum allowable wind loads (ASD) for Cap screws at 6" o.c.:

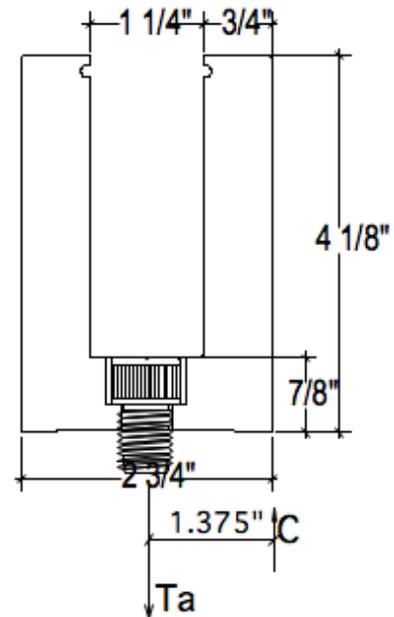
$$M_a = 2 * 3,592\# * [1.375'' - 0.5 * 2 * 3,592 / (30 \text{ ksi} * 12)] = 9,806\#'' = 817.19\#''/\text{ft}$$

$$36'' \text{ height: } w = 817.19\#'' / (0.55 * 3^2) = 165.1 \text{ psf}$$

$$42'' \text{ height: } w = 817.19\#'' / (0.55 * 3.5^2) = 121.3 \text{ psf}$$

Required spacing to develop the full glass strength for wind loading (ASD):

$$s = 9,806 / 9,926 * 6'' = 5.93'' \text{ o.c.}$$



EDWARD C. ROBISON, PE, SE

10012 Creviston Dr NW

Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

B7S Surface Mounted Continued:**For anchor into concrete:**

3/8" diameter Screw-in anchor Hilti Kwik HUS-EZ (KH-EZ) 3/8" x 4" manufactured by Hilti in accordance with ESR-3027 or Hilti HSL-3 M8 x 3-3/4" anchor in accordance with ESR-1545.

Strength calculated in accordance with ACI 318-08 Appendix D.

$$f'_c \geq 3,000 \text{ psi}$$

2-1/2" effective embedment

$$\phi N_{sa} = 0.65 * 4,400\# = 2,860\#$$

For concrete breakout strength:

$$N_{cb} = [A_{Nc}/A_{Nco}] \phi_{ed,N} \phi_{c,N} \phi_{cp,N} N_b$$

$$A_{Nc} = (1.5 * 2.5'' * 2) * (1.5 * 2.5 * 2) = 56.25 \text{ in}^2 \quad \text{Edge distance} = 3 \frac{3}{4}''$$

$$A_{Nco} = 9 * 2.5^2 = 56.25 \text{ in}^2$$

$$C_{amin} = 1.5 * 2.5'' = 3.75$$

$$C_{ac} = 2.5 * 2.5'' = 6.25$$

$$\phi_{ed,N} = 1.0$$

$$\phi_{c,N} = 1.0 \text{ (from ESR-3027)}$$

$$\phi_{cp,N} = 1.0 \text{ (from ESR-3027)}$$

$$N_b = 24 * 1.0 * \sqrt{3000} * 2.5^{1.5} = 5,196\#$$

$$N_{cb} = 56.25 / 56.25 * 1.0 * 1.0 * 1.0 * 5,196 = 5,196\#$$

From ESR-3027 anchor pull out does not control design

$$\phi N_n = 0.65 * 5,196\# = 3,377\#$$

$$N_s = \phi N_n / 1.6 = 3,377\# / 1.6 = 2,111\#$$

Anchor steel strength will not control

Moment resistance of each anchor:

For surface mounted

$$\phi M_n = 3,377\# * [1.375 - 0.5 * 3,377 / (2 * 0.85 * 3 \text{ ksi} * 12)] = 4,550''\# = 379.2'\# \text{ per anchor}$$

$$M_a = \phi M_n / \lambda = 4,550''\# / 1.6 = 2,844''\# = 237.0'\# \text{ (at 1' spacing doesn't develop full allowable glass load for 5/8" or 3/4" glass.)}$$

Maximum allowable wind loads (ASD) for concrete anchors at 12" o.c. and 3 3/4" edge distance:

$$36'' \text{ height: } w = 237.0'\# / (0.55 * 3^2) = 47.9 \text{ psf}$$

$$42'' \text{ height: } w = 237.0'\# / (0.55 * 3.5^2) = 35.2 \text{ psf}$$

Minimum acceptable edge distance is 2.35" For 42" guard height and 12" o.c. spacing.

$$A_{Nc} = (1.5 * 2.5'' * 2) * (1.5 * 2.5 + 2.35) = 45.75 \text{ in}^2 \quad \text{Minimum edge distance is } 2.35''$$

$$N_{cb} = 45.75 / 56.25 * 1.0 * 1.0 * 1.0 * 5,196 = 4,226\#$$

$$\phi N_n = 0.65 * 4,226\# = 2,747\#$$

$$N_s = \phi N_n / 1.6 = 2,747\# / 1.6 = 1,717\#$$

$$\phi M_n = 2,747\# * [1.375 - 0.5 * 2,747 / (2 * 0.85 * 3 \text{ ksi} * 12)] = 3,715''\# = 309.6'\# \text{ per anchor}$$

EDWARD C. ROBISON, PE, SE

10012 Creviston Dr NW

Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

B7S Surface Mounted to Concrete Continued:

$M_a = \phi M_n / \lambda = 3,715''\#/1.6 = 2,322''\# = 193.5$ (at 1' spacing doesn't develop full allowable glass load.)

Maximum allowable wind loads (ASD):

36" height: $w = 193.5\# / (0.55 * 3^2) = 39.1$ psf

42" height: $w = 193.5\# / (0.55 * 3.5^2) = 28.7$ psf

6" O.C. Anchor Spacing, 3.75" edge spacing:

$A_{Nc} = (6) * (1.5 * 2.5 * 2) = 45 \text{in}^2$ **Edge distance = 3 3/4"**

$N_{cb} = 45 / 56.25 * 1.0 * 1.0 * 1.0 * 5,196 = 4,157\#$

$\phi N_n = 0.65 * 4,157\# = 2,702\#$

$N_s = \phi N_n / 1.6 = 2,702\# / 1.6 = 1,689\#$

Moment resistance for anchors at 6" on center:

$\phi M_n = 2 * 2,702\# * [1.375 - 2 * 0.5 * 2,702 / (2 * 0.85 * 3 \text{ksi} * 12)] = 7,192''\# = 599.33''\#/ft$

$M_a = \phi M_n / \lambda = 7,192''\# / 1.6 = 4,495''\# = 374.58''\#/ft$

NOTE: When attached to concrete alternative anchors may be designed in accordance to the anchor manufacturer's engineering reports that can develop greater strength.

Maximum allowable wind loads (ASD):

36" height: $w = 374.58\# / (0.55 * 3^2) = 75.7$ psf

42" height: $w = 374.58\# / (0.55 * 3.5^2) = 55.6$ psf

6" O.C. Anchor Spacing, 2.35" edge spacing:

$A_{Ncg} = (6) * (1.5 * 2.5 + 2.35) = 36.6 \text{in}^2$ **Edge distance = 2.35"**

$N_{cb} = 36.6 / 56.25 * 1.0 * 1.0 * 1.0 * 5,196 = 3,381\#$

$\phi N_n = 0.65 * 3,381\# = 2,198\#$

$N_s = \phi N_n / 1.6 = 2,198\# / 1.6 = 1,373\#$

$\phi M_n = 2 * 2,198\# * [1.375 - 0.5 * 2 * 2,198 / (2 * 0.85 * 3 \text{ksi} * 12)] = 5,887''\# = 490.55''\#/ft$

$M_a = \phi M_n / \lambda = 5,887''\# / 1.6 = 3,679''\# = 306.59''\#/ft$

Maximum allowable wind loads (ASD) for anchors at 6" o.c. 2.35" edge distance:

36" height: $w = 306.59\# / (0.55 * 3^2) = 61.9$ psf

42" height: $w = 306.59\# / (0.55 * 3.5^2) = 45.5$ psf

EDWARD C. ROBISON, PE, SE
10012 Creviston Dr NW
Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

B7S Surface Mounted to Concrete Continued:**6" O.C. Anchor Spacing, 1.75" edge spacing:**

$$A_{Ncg} = (6) * (1.5 * 2.5 + 1.75) = 33 \text{ in}^2 \quad \underline{\text{Minimum allowable edge distance is 1.75"}}$$

$$N_{cb} = 33 / 56.25 * 1.0 * 1.0 * 1.0 * 5,196 = 3,048 \#$$

$$\phi N_n = 0.65 * 3,048 \# = 1,981 \#$$

$$N_s = \phi N_n / 1.6 = 1,981 \# / 1.6 = 1,238 \#$$

$$\phi M_n = 2 * 1,981 \# * [1.375 - 0.5 * 2 * 1,981 / (2 * 0.85 * 3 \text{ ksi} * 12)] = 5,320 \text{''} \# = 443.29 \text{'} \#$$

$$M_a = \phi M_n / \lambda = 5,320 \text{''} \# / 1.6 = 3,325 \text{''} \# = 277.06 \text{'} \#$$

Maximum allowable wind loads (ASD) for anchors at 6" o.c. 1.75" edge distance:

$$36 \text{' height: } w = 277.06 \text{'} \# / (0.55 * 3^2) = 56.0 \text{ psf}$$

$$42 \text{' height: } w = 277.06 \text{'} \# / (0.55 * 3.5^2) = 41.1 \text{ psf}$$

FASCIA (SIDE) MOUNTED B7S BASE SHOE

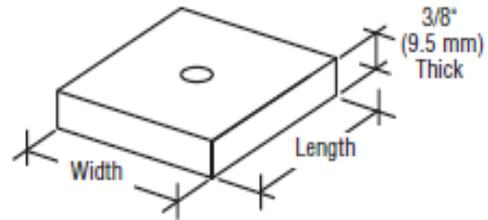
For side mounted base the allowable loads are the same as for the 2-1/2" wide shoe.

Alternative anchors will provide the same allowable loads as for the 2-1/2" wide base shoe (B5S).

DRAIN BLOCKS

Drain blocks may be used under the base shoe to provide a water drainage path on exterior decks.

When used on steel substrate there is no reduction in the allowable loads.



Not to be used on wood substrate, refer to wood attachment brackets in this report.

When used on concrete the allowable loads are adjusted as follows:

B5S, B5G, B5T and B5A base shoes: 2.5"x 2.25"

For 3-3/4" anchor edge distance**Maximum allowable wind loads (ASD) for 12" spacing:**

$$M_a = 2,111\# * [1.25 - 0.5 * 2,111 / (2 * 0.85 * 3\text{ksi} * 2.25)] = 2,445''\# = 203.7'\# \text{ per anchor}$$

$$36'' \text{ height: } w = 203.7'\# / (0.55 * 3^2) = 41.2 \text{ psf}$$

$$42'' \text{ height: } w = 203.7'\# / (0.55 * 3.5^2) = 30.2 \text{ psf}$$

Maximum allowable wind loads (ASD) for 6" spacing:

$$M_a = 2 * 1,689\# * [1.25 - 0.5 * 1,689 / (2 * 0.85 * 3\text{ksi} * 2.25)] = 3,974''\# = 331.16'\# \text{ per anchor}$$

$$36'' \text{ height: } w = 331.16'\# / (0.55 * 3^2) = 66.9 \text{ psf}$$

$$42'' \text{ height: } w = 331.16'\# / (0.55 * 3.5^2) = 49.2 \text{ psf}$$

For minimum edge distance = 2.35"**Maximum allowable wind loads (ASD) (12" o.c. spacing):**

$$M_a = 1,717\# * [1.25 - 0.5 * 1,717 / (2 * 0.85 * 3\text{ksi} * 2.25)] = 2,018''\# = 168.2'\# \text{ per anchor}$$

Anchor spacing must be decreased for 42" guard height when 50 plf live load applies.

$$S_{50-42} = 2,018''\# / \text{ft} / (50 * 42'') * 12 = 11.5'' \text{ o.c. (use 11 anchors for 10' section)}$$

$$36'' \text{ height: } w = 168.2'\# / (0.55 * 3^2) = 34.0 \text{ psf}$$

$$42'' \text{ height: } w = 11/10 * 168.2'\# / (0.55 * 3.5^2) = 27.5 \text{ psf (11 anchors per 10' section)}$$

Maximum allowable wind loads (ASD) for 6" spacing:

$$M_a = 2 * 1,373\# * [1.25 - 0.5 * 1,373 / (2 * 0.85 * 3\text{ksi} * 2.25)] = 3,268''\# = 272.35'\# \text{ per anchor}$$

$$36'' \text{ height: } w = 272.35'\# / (0.55 * 3^2) = 55.0 \text{ psf}$$

$$42'' \text{ height: } w = 272.35'\# / (0.55 * 3.5^2) = 40.4 \text{ psf}$$

EDWARD C. ROBISON, PE, SE
10012 Creviston Dr NW
Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

B5L base shoe: 2.25" x 2.5"

For 3-3/4" anchor edge distance

Maximum allowable wind loads (ASD) for 12" spacing:

$$M_a = 2,111\#*[1.125-0.5*2,111/(2*0.85*3\text{ksi}*2.5)] = 2,200\#\# = 183.3'\# \text{ per anchor}$$

$$36\text{'' height: } w = 183.3'\#/(0.55*3^2) = 37.0 \text{ psf}$$

$$42\text{'' height: } w = 183.3'\#/(0.55*3.5^2) = 27.2 \text{ psf}$$

Maximum allowable wind loads (ASD) for 6" spacing:

$$M_a = 2*1,689\#*[1.125-0.5*1,689/(2*0.85*3\text{ksi}*2.5)] = 3,577\#\# = 298.04'\# \text{ per anchor}$$

$$36\text{'' height: } w = 298.04'\#/(0.55*3^2) = 60.2 \text{ psf}$$

$$42\text{'' height: } w = 298.04'\#/(0.55*3.5^2) = 44.2 \text{ psf}$$

For minimum edge distance is 2.35"

Maximum allowable wind loads (ASD) for 12" o.c. spacing:

$$M_a = 1,717\#*[1.125-0.5*1,717/(2*0.85*3\text{ksi}*2.5)] = 1,816\#\# = 151.3'\# \text{ per anchor}$$

Anchor spacing must be decreased for 42" guard height when 50 plf live load applies.

$$S_{50-42} = 1,816\#\#/\text{ft}/(50*42\text{'})*12 = 10-3/8\text{' o.c. (use 12 anchors for 10' section)}$$

$$36\text{'' height: } w = 151.3'\#/(0.55*3^2) = 30.6 \text{ psf}$$

$$42\text{'' height: } w = 12/10*151.3'\#/(0.55*3.5^2) = 26.9 \text{ psf (use 12 anchors for 10' section)}$$

Maximum allowable wind loads (ASD) for 6" spacing:

$$M_a = 2*1,373\#*[1.125-0.5*1,373/(2*0.85*3\text{ksi}*2.5)] = 2,941\#\# = 245.12'\# \text{ per anchor}$$

$$36\text{'' height: } w = 245.12'\#/(0.55*3^2) = 49.5 \text{ psf}$$

$$42\text{'' height: } w = 245.12'\#/(0.55*3.5^2) = 36.4 \text{ psf}$$

Drain Blocks Continued:**B6S base shoe: 2.625" x 2.75"****For 3-3/4" anchor edge distance****Maximum allowable wind loads (ASD) for 12" spacing:**

$$M_a = 2,111\# * [1.312 - 0.5 * 2,111 / (2 * 0.85 * 3\text{ksi} * 2.75)] = 2,611''\# = 217.56'\# \text{ per anchor}$$

$$36'' \text{ height: } w = 217.56'\# / (0.55 * 3^2) = 44.0 \text{ psf}$$

$$42'' \text{ height: } w = 217.56'\# / (0.55 * 3.5^2) = 32.3 \text{ psf}$$

Maximum allowable wind loads (ASD) for 6" spacing:

$$M_a = 2 * 1,689\# * [1.312 - 0.5 * 1,689 / (2 * 0.85 * 3\text{ksi} * 2.75)] = 4,229''\# = 352.38'\# \text{ per anchor}$$

$$36'' \text{ height: } w = 352.38'\# / (0.55 * 3^2) = 71.2 \text{ psf}$$

$$42'' \text{ height: } w = 352.28'\# / (0.55 * 3.5^2) = 52.3 \text{ psf}$$

For minimum edge distance is 2.35"**Maximum allowable wind loads (ASD)(12" o.c. spacing):**

$$M_a = 1,717\# * [1.312 - 0.5 * 1,717 / (2 * 0.85 * 3\text{ksi} * 2.75)] = 2,148''\# = 178.97'\# \text{ per anchor}$$

$$36'' \text{ height: } w = 178.97'\# / (0.55 * 3^2) = 36.2 \text{ psf}$$

$$42'' \text{ height: } w = 178.97'\# / (0.55 * 3.5^2) = 26.6 \text{ psf}$$

Maximum allowable wind loads (ASD) for 6" spacing:

$$M_a = 2 * 1,373\# * [1.312 - 0.5 * 1,373 / (2 * 0.85 * 3\text{ksi} * 2.75)] = 3,468''\# = 289.03'\# \text{ per anchor}$$

$$36'' \text{ height: } w = 289.03'\# / (0.55 * 3^2) = 58.4 \text{ psf}$$

$$42'' \text{ height: } w = 289.03'\# / (0.55 * 3.5^2) = 42.9 \text{ psf}$$

B7S base shoe: 2.75" x 2.625"**For 3-3/4" anchor edge distance****Maximum allowable wind loads (ASD) for 12" spacing:**

$$M_a = 2,111\# * [1.375 - 0.5 * 2,111 / (2 * 0.85 * 3\text{ksi} * 2.625)] = 2,736''\# = 228.02'\# \text{ per anchor}$$

$$36'' \text{ height: } w = 227.3'\# / (0.55 * 3^2) = 50.5 \text{ psf}$$

$$42'' \text{ height: } w = 227.3'\# * 2 / 3.5^2 = 37.1 \text{ psf}$$

Maximum allowable wind loads (ASD) for 6" spacing:

$$M_a = 2 * 1,689\# * [1.375 - 0.5 * 1,689 / (2 * 0.85 * 3\text{ksi} * 2.625)] = 4,432''\# = 369.31'\# \text{ per anchor}$$

$$36'' \text{ height: } w = 369.31'\# / (0.55 * 3^2) = 74.6 \text{ psf}$$

$$42'' \text{ height: } w = 369.31'\# / (0.55 * 3.5^2) = 54.8 \text{ psf}$$

EDWARD C. ROBISON, PE, SE

10012 Creviston Dr NW

Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

Drain Blocks Continued:**B7S base shoe: 2.75" x 2.625"****For minimum edge distance is 2.35"****Maximum allowable wind loads ((ASD) 12" o.c. spacing):**

$$M_a = 1,717\# * [1.375 - 0.5 * 1,717 / (2 * 0.85 * 3\text{ksi} * 2.5)] = 2,245\#\# = 187.1'\# \text{ per anchor}$$

$$36\text{'' height: } w = 187.1\#\# * 2/3^2 = 41.6 \text{ psf}$$

$$42\text{'' height: } w = 187.1\#\# * 2/3.5^2 = 30.5 \text{ psf}$$

Maximum allowable wind loads (ASD) for 6" spacing:

$$M_a = 2 * 1,373\# * [1.375 - 0.5 * 1,373 / (2 * 0.85 * 3\text{ksi} * 2.625)] = 3,635\#\# = 302.91'\# \text{ per anchor}$$

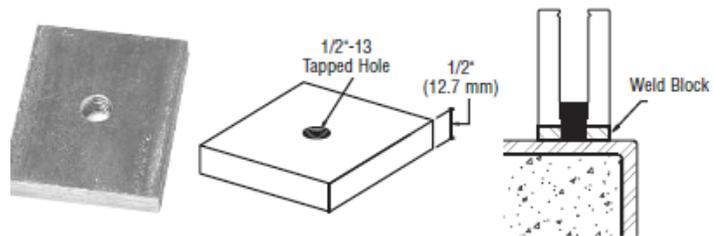
$$36\text{'' height: } w = 302.91'\# / (0.55 * 3^2) = 61.2 \text{ psf}$$

$$42\text{'' height: } w = 302.91'\# / (0.55 * 3.5^2) = 45.0 \text{ psf}$$

WELD BLOCKS:

When attaching the base shoe to the appropriate steel weld blocks the strength shall be the same as for the base shoe attachment to steel substrate.

Weld block size shall be matched to the base shoe width.

**CONCRETE ANCHORS ADJUSTMENTS**

The strength of the post installed mechanical concrete anchors are a direct function of the square root of the concrete compressive strength:

$$P_n = f(\sqrt{f'_c})$$

Thus the allowable loads shown in this report for the base shoes mounted to concrete may be adjusted for concrete strengths other than 3,000 psi by:

$$W' = \frac{W * \sqrt{X}}{\sqrt{3,000}}$$

where:

W = allowable wind load (ASD) calculated for the specific base shoe and anchorage

X = f'c; compressive strength of concrete at time the anchor is installed.

Use of other post installed anchors or different embedment conditions require calculations for the specific condition.

SAND LIGHT-WEIGHT CONCRETE:

Allowable loads to be multiplied by 0.6 when anchors are installed in sand light-weight concrete.

$$W' = 0.6 * W$$

EDWARD C. ROBISON, PE, SE
10012 Creviston Dr NW
Gig Harbor, WA 98329

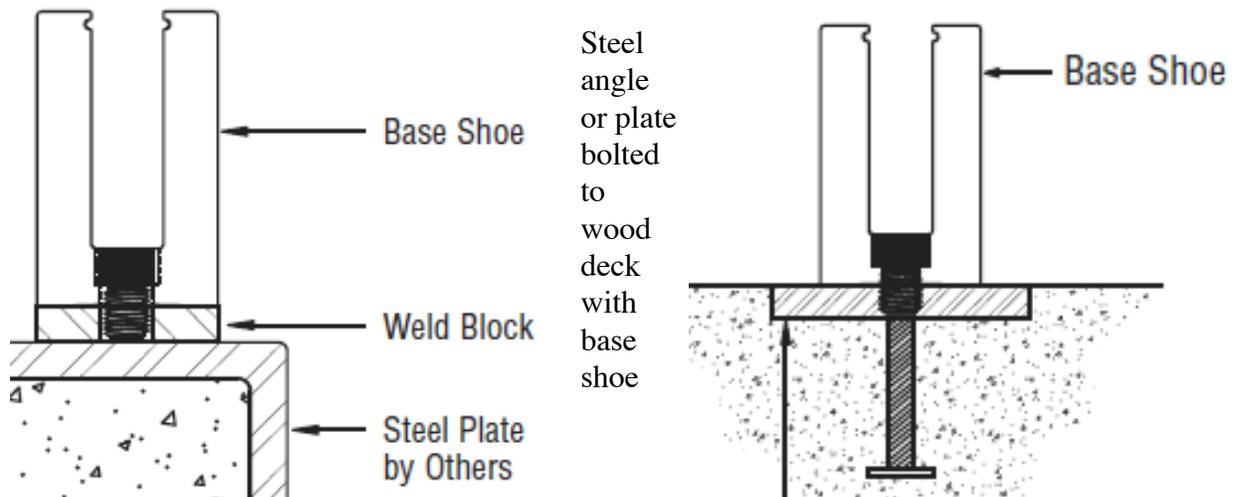
253-858-0855/Fax 253-858-0856 elrobison@narrows.com

SURFACE MOUNTING BASE SHOES TO WOOD DECKS:

The base shoe overturning resistance develops by forming a couple between the anchor tension and compression between the base shoe edge and the substrate. Wood doesn't have adequate bearing compressive strength to reliably develop the requisite compressive strength when surface mounted. The shoe may be initially installed tight and appear to perform adequately; but cyclic loading will cause permanent deformation of the wood surface and loss of anchor pretension. This will result in rotation of the base shoe and increased couple forces resulting in excessive guard deflections and possible failure. For this reason the base shoes should not be surface mounted directly to wood when moment exceeds 1,000" #/ft.

It is recommended that whenever possible the base shoe should use the fascia mount when attaching to wood.

When surface mounting to wood a steel or aluminum bar or angle may be installed on the wood surface first. The bar or angle shall be designed to safely transfer the imposed loads from the base shoe to the wood deck. Attachment to the bar or angle shall be as specified previously.



anchored to the plate or angle using 1/2" cap screws into threaded weld blocks or tapped holes.

Surface Mounting Base Shoes to Wood Decks: Aluminum Angle Bracket Welded to Base Shoe Alternative-

Weld strength calculated in accordance with ADM

7.3.2 Fillet Welds

Base shoe metal - 6063-T52

Angle metal- 6063-T5

Weld metal 4043

Weld size:

1/4" fillet, throat = $0.25/\sqrt{2} = 0.177''$

Design strength: ADM 7.3.2.2

$$V_w = F_{sw}L_{we}/n_u$$

For shear through weld throat:

$F_{sw} = 11.5$ ksi from ADM Table 7.3-1

$$V_{ww} = 11.5 \text{ ksi} * 0.177'' * 12'' / 1.95 = 12,526 \text{ plf}$$

For base metal shear failure:

$F_{suw} = 11.0$ ksi from ADM Table 3.3-2

$$V_{wb} = 11.0 \text{ ksi} * 0.25'' * 12'' / 1.95 = 16,922 \text{ plf}$$

Moment overturning of base shoe-

Shear strength of weld restrains base shoe rotation about opposite corner:

$$M_a = 12,526 \text{ plf} * 2.5'' * 4 / 12 = 10,438''\# \text{ per } 4'' \text{ bracket}$$

Check strength of weld affected angle:

From ADM Table 2-23 for allowable aluminum stresses bending of flat element - weld-affected

$$F_{tw} = F_{cw} = 6.5 \text{ ksi}$$

$$S_f = 4 * 0.375^2 / 6 = 0.09376 \text{ in}^3$$

$$M_{aw} = 6,500 \text{ psi} * 0.09376 \text{ in}^3 = 609''\#$$

Maximum allowable anchor force based on outward force (controls)

$$R_u = 609''\# / 0.5'' = 1,218\#$$

Maximum allowable moment on base shoe per 4" bracket:

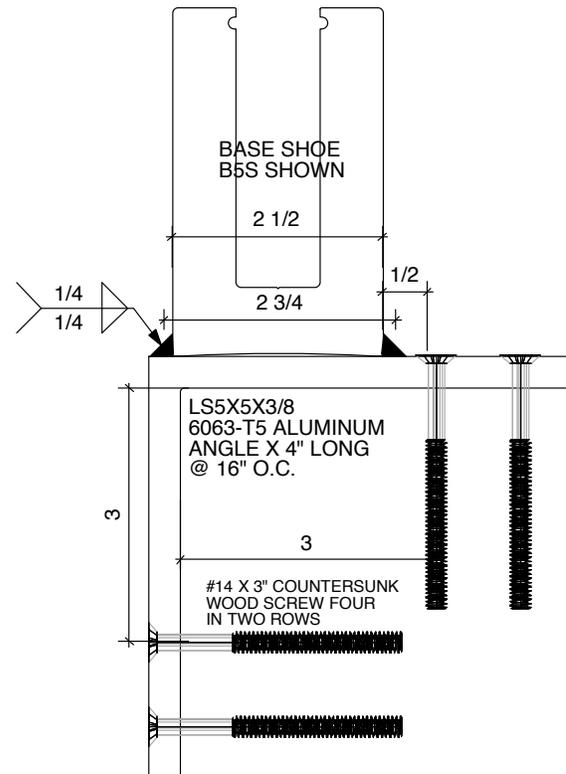
$$M_{a5''} = 1,218\# * 3'' + 609''\# = 4,263''\#$$

Allowable moment per foot for brackets at 16" on center

$$M_a = 4,263 / 1.3333' = 3,197''\# / \text{ft} = 266.44' \# / \text{ft}$$

Strength for continuous angle:

$$M_{cont} = 4,263 * 12 / 4 = 12,789''\# / \text{ft}$$



EDWARD C. ROBISON, PE, SE
10012 Creviston Dr NW
Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

Base Shoe Welded to Aluminum Angle Continued:**For wood screws into solid wood (DFL, Southern Pine or equivalent density $G \geq 0.49$):**1/4" Wood screws strength in per *National Design Specification for Wood Construction*:

W = 165 pli embedment From NDS Table 11.2B

For dry or interior applications, $C_m = 1.0$, $C_D = 1.33$

Embed depth = 2" thread length typical

$$W' = 165 \# / " * 2 " * 1.33 = 440 \#$$

$$\text{Moment resistance per screw} = 440 \# * 3 " = 1,320 " \#$$

Number of screws required to develop the full strength of 4" bracket:

$$4,263 / 1,320 = 3.23 \text{ Requires 4 screws.}$$

$$M_{\text{ascrews}} = 4 * 1,320 " \# = 5,280 \#$$

Bearing pressure on wood for maximum bracket moment:

$$f_B = (4,263 " \# / 3 ") / (4 " * 2 ") = 178 \text{ psi} \leq 625 \text{ psi}$$

$$M_{\text{ai}} = 4,263 / 1.3333 ' = 3,197 " \# / \text{ft} = 266.44 ' \# / \text{ft}$$

Maximum allowable wind loads (ASD) for brackets at 16" on center spacing, dry location:

$$36 " \text{ height: } w = 266.4 ' \# / (0.55 * 3^2) = 53.8 \text{ psf}$$

$$42 " \text{ height: } w = 266.4 ' \# / (0.55 * 3.5^2) = 39.5 \text{ psf}$$

For exterior wet applications, $C_m = 0.7$ applies when moisture content of wood may exceed 19%, $C_D = 1.33$

Strength of 4 screws:

$$W'' = 4 * (0.7 * 1,320) = 3,696 " \#$$

$$M_{\text{ao}} = 3,696 / 1.3333 ' = 2,772 " \# / \text{ft} = 231.00 ' \# / \text{ft}$$

Maximum allowable wind loads (ASD) for brackets at 16" on center spacing, exterior location:

$$36 " \text{ height: } w = 231.0 ' \# / (0.55 * 3^2) = 46.7 \text{ psf}$$

$$42 " \text{ height: } w = 231.0 ' \# / (0.55 * 3.5^2) = 34.3 \text{ psf}$$

Continuous Aluminum angle-

For continuous angle with screws installed in pairs each leg at 8" on center strength same as calculated for 4" bracket at 16" on center.

For screw pairs at X inches on center:

$$M_{\text{aix}} = 12 " / X * (2 * 1,320 " \# / 12 " / \text{ft}) = [2,640 / X] ' \# / \text{ft}$$

Dry locations

$$M_{\text{aox}} = 0.7 * [2,640 / X] ' \# / \text{ft} = [1,848 / X] ' \# / \text{ft}$$

Exterior locations

For example: X = 4"

$$M_{\text{ai4}} = [2,640 / 4] ' \# / \text{ft} = 660.0 ' \# / \text{ft} \quad \text{Dry locations}$$

$$42 " \text{ height: } w = 660.0 ' \# / (0.55 * 3.5^2) = 98.0 \text{ psf}$$

$$M_{\text{ao4}} = [1,848 / 4] ' \# / \text{ft} = 462.0 ' \# / \text{ft} \quad \text{Exterior locations}$$

$$42 " \text{ height: } w = 462.0 ' \# / (0.55 * 3.5^2) = 68.6 \text{ psf}$$

EDWARD C. ROBISON, PE, SE

10012 Creviston Dr NW

Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

Surface Mounting Base Shoes to Wood Decks: Base Shoe to Steel Angle Bracket Alternative-

For ½” cap screw into tapped angle strength refer to appropriate base shoe calculations.

Check angle thickness:

$$F_{tw} = F_{cw} = 30\text{ksi (304 SS)}$$

$$S_f = 4 * 0.3125^2 / 6 = 0.0651\text{in}^3$$

$$\phi M_n = 0.9 * 1.25 * 30,000 * 0.0651\text{in}^3 = 2,197\text{''}\#$$

Maximum base shoe moment per 4” bracket:

$$M_a = 2,197 / 0.5 + 2,197 = 6,591\text{''}\#$$

For ½” cap screw at 16” o.c into 4” bracket:

For B5S base shoe-

$$M = 3,592\text{''}\# * [1.25 - 0.5 * 3,592 / (30\text{ksi} * 4)] = 4,436\text{''}\# = 369.69\text{'}\# \text{ per anchor/bracket}$$

Wood screw pullout strength will control, see previous page.

For continuous steel angle:

$$M_a = 6,591 * 12 / 3 = 19,773\text{''}\#$$

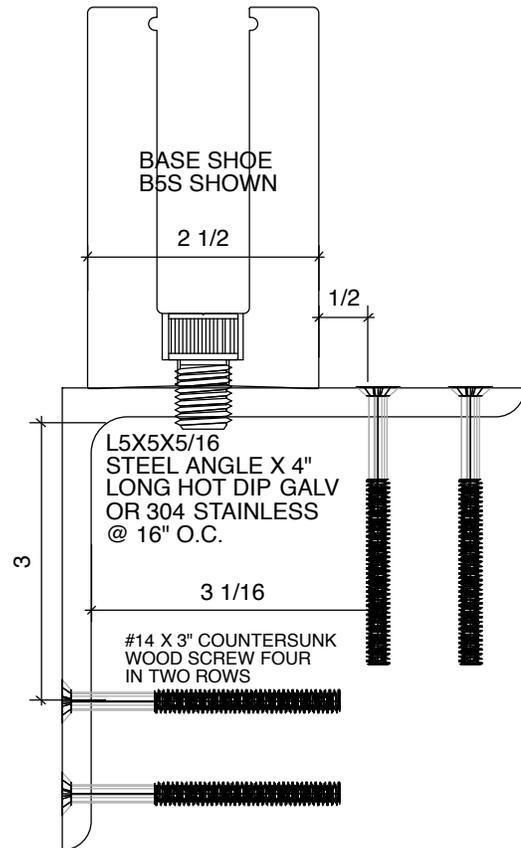
Attachment strength is 372.5’# per cap screw, cap screw spacing may be calculated from:

$$s_{cs} = \frac{(372.5\text{'}\#) * 12}{(M\text{'}\#/ft)}$$

Strength of angle attachment to deck refer to calculations for aluminum angle, previous page.

Steel angle may be either A36 hot dipped galvanized or 304 or 316 stainless steel.

Minimum angle thickness is ¼” based on cap screw thread engagement.



EDWARD C. ROBISON, PE, SE
10012 Creviston Dr NW
Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com

**Surface Mounting Base Shoe to Solid Wood:
Interior Locations Only**

3/8" x 5" Lag screws:

Lag withdrawal strength in accordance with the NDS:

$$W = 367\#/in \text{ for } G = 0.49$$

$C_D = 1.33$ for guard applications

$$W' = 367 * 1.33 = 489\#/in$$

For 3.5" embedment into solid wood:

$$T_a = 3.5'' * 489\#/in = 1,712\# \leq 0.75 * 0.10 * 45,000\text{psi} / 1.6 = 2,110\#$$

Bearing strength on wood $f_B = 625$ psi

For lag screws at 12" on center

$$M_{ia} = 1,678 * (1.25 - 0.5 * 1,712 / (12 * 625\text{psi})) = 1,906''\#/ft = 158.8'\#$$

May be used for interior private residence installations only.

Minimum required length:

$$200\# * 36'' / 1,906 = 3.78' \text{ for } 36'' \text{ guard height minimum 4 anchors}$$

$$200\# * 42'' / 1,906 = 4.41' \text{ for } 42'' \text{ guard height minimum 5 anchors}$$

For lag screws at 6" on center:

$$M_{ia} = 2 * 1,678 * (1.25 - 0.5 * 1,712 / (6 * 625\text{psi})) = 3,429''\#/ft = 286'\#$$

May be used where 50 plf live load is applicable.

Minimum length

$$200\# * 36'' / 3,429 = 2.1' \text{ for } 36'' \text{ guard height minimum 5 anchors}$$

$$200\# * 42'' / 3,429 = 2.45' \text{ for } 42'' \text{ guard height minimum 5 anchors}$$

INSTALLATION ALONG STAIRS:

For installations along stairs where the bottom shoe fully supports the bottom edge of the glass and the cap/grab rail is parallel to the base shoe the glass stresses and base shoe loads are the same as for the standard horizontal installation based on measuring the glass height perpendicular to the base shoe.

For glass stress and live loads:

When glass height is $\leq 50''$ then $\frac{1}{2}''$ glass may be used for live loads.

When glass height is $\leq 64''$ may use $\frac{5}{8}''$ glass.

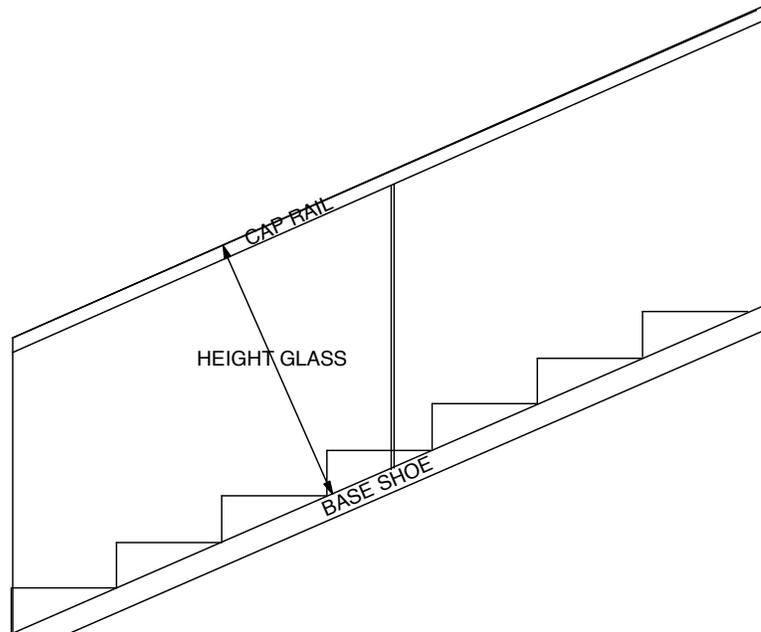
When glass height is $\leq 77''$ may use $\frac{3}{4}''$ glass.

At the maximum heights deflections will control.
Recommend limiting glass heights to:

$hg \leq 48''$ for $\frac{1}{2}''$ glass

$hg \leq 56''$ for $\frac{5}{8}''$

$hg \leq 64''$ for $\frac{3}{4}''$



Verify glass thickness for wind loading.

Check base shoe anchorage using the appropriate mounting type and base shoe.

Irregular glass light shapes or intermittent base shoes are outside of the scope of this report.

EDWARD C. ROBISON, PE, SE
10012 Creviston Dr NW
Gig Harbor, WA 98329

253-858-0855/Fax 253-858-0856 elrobison@narrows.com